

# Neutrino Source Searches with Likelihood Landscapes

# Neutrino Source Searches

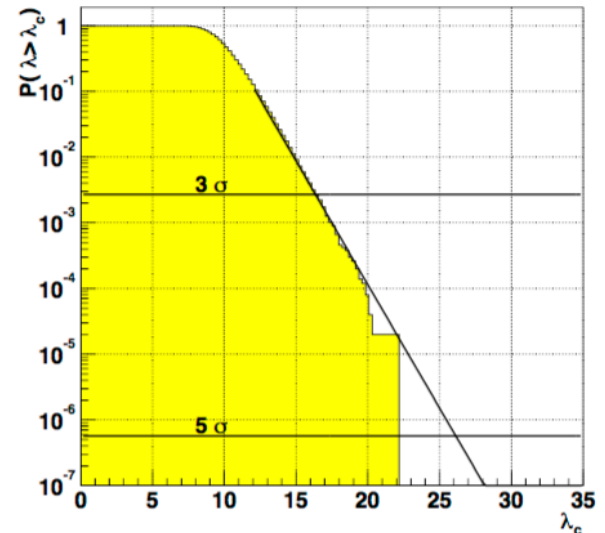
- Hypothesis H0: background only flux
  - Atmospheric neutrino's
  - (Misreconstructed) Atmospheric Muons
- Hypothesis H1: background + signal flux
  - (High energy) Cosmic Neutrinos

# General Procedure

- How compatible is data with  $H_0$  or  $H_1$ ?

$$\lambda = \log \left[ \frac{P(\text{data}|H_1)}{P(\text{data}|H_0)} \right]$$

- When to claim an observation?
  - Accept  $H_1$  if  $\lambda > \lambda_c$
  - $\lambda_c$  such that  
 $P(\text{accept } H_1 \mid H_0 = \text{true}) < 0.00\dots 1$

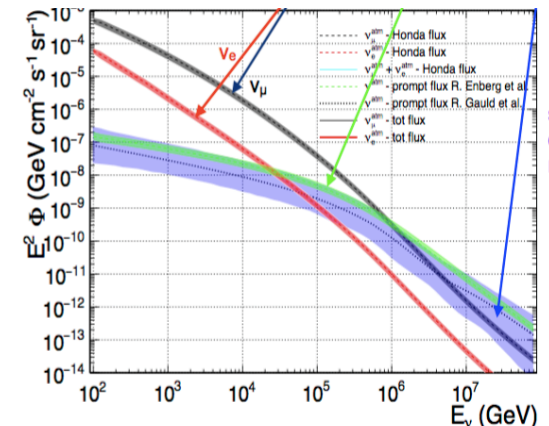
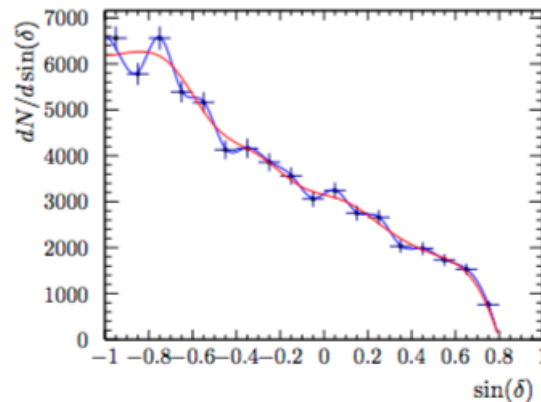
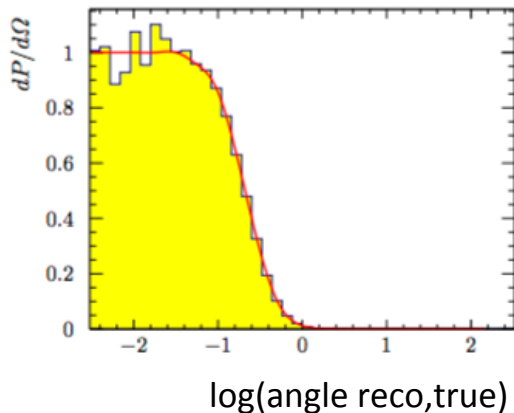


$$\lambda = \log \left[ \frac{P(\text{data}|H_1)}{P(\text{data}|H_0)} \right]$$

# Test Statistic (Conventional)

- Given detected (and selected) events  $\{ev_i\}$

$$P(\text{data}|H) = \sum_i \left[ \log \int \underbrace{P(x_{reco,i}|x_{true})}_{\text{Reconstruction}} \cdot \underbrace{P^{det}(x_{true})}_{\text{Detection efficiency}} \cdot \underbrace{\mu(x_{true}|H)}_{\text{Expected flux}} dx_{true} \right] - \mu^{tot}(H)$$



$$\lambda = \log \left[ \frac{P(\text{data}|H_1)}{P(\text{data}|H_0)} \right]$$

# Test Statistic

- Given detected (and selected) events  $\{ev_i\}$

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- New method:

$$P(\text{data}|H) = \sum_i \left[ \log \int P(ev_i | x_{true}) \cdot P^{det}(x_{true}) \cdot \mu(x_{true} | H) dx_{true} \right] - \mu^{tot}(H)$$

- No big deal?

# New vs. Conventional

## Conventional

- Only best solution kept from reconstruction
- Selection criteria needed to select well-reconstructed events -> events are lost
- Different reconstruction algorithms (showers/tracks/tau double bang) patched together
- Event identification by BDT's and other black magic algorithms
- Parameterizations of MC events
- Fast

## New Method

- Detailed knowledge of event likelihood landscape
- All events can be used
- Single 'reconstruction' algorithm for all events
- Neutrino flavour identification automatically taken into account
- Event-by-event
- Probably slow

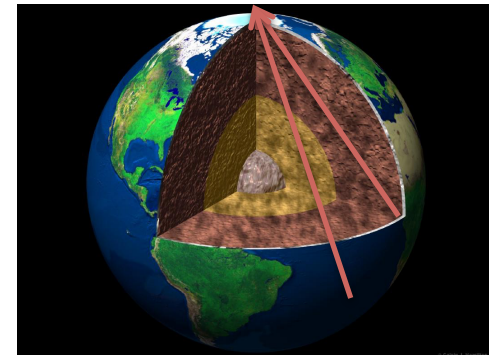
# Likelihood Ingredients

$$P(\text{data}|H) = \sum_i \left[ \log \int P(\text{ev}_i | x_{\text{true}}) \cdot P^{\text{det}}(x_{\text{true}}) \cdot \mu(x_{\text{true}} | H) dx_{\text{true}} \right] - \mu^{\text{tot}}(H)$$

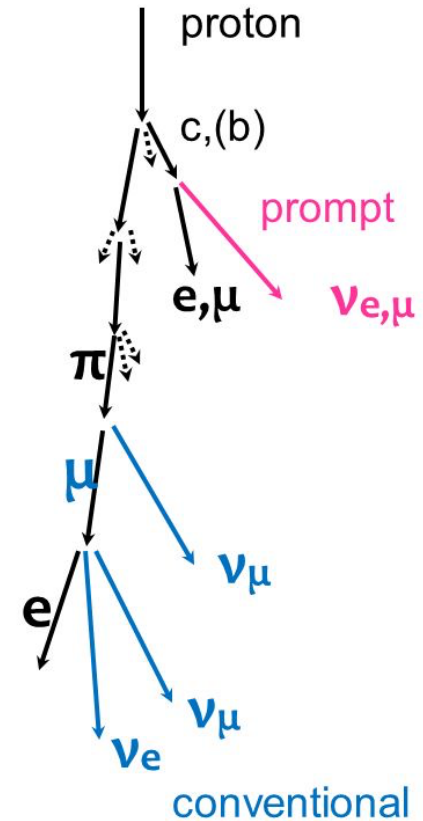
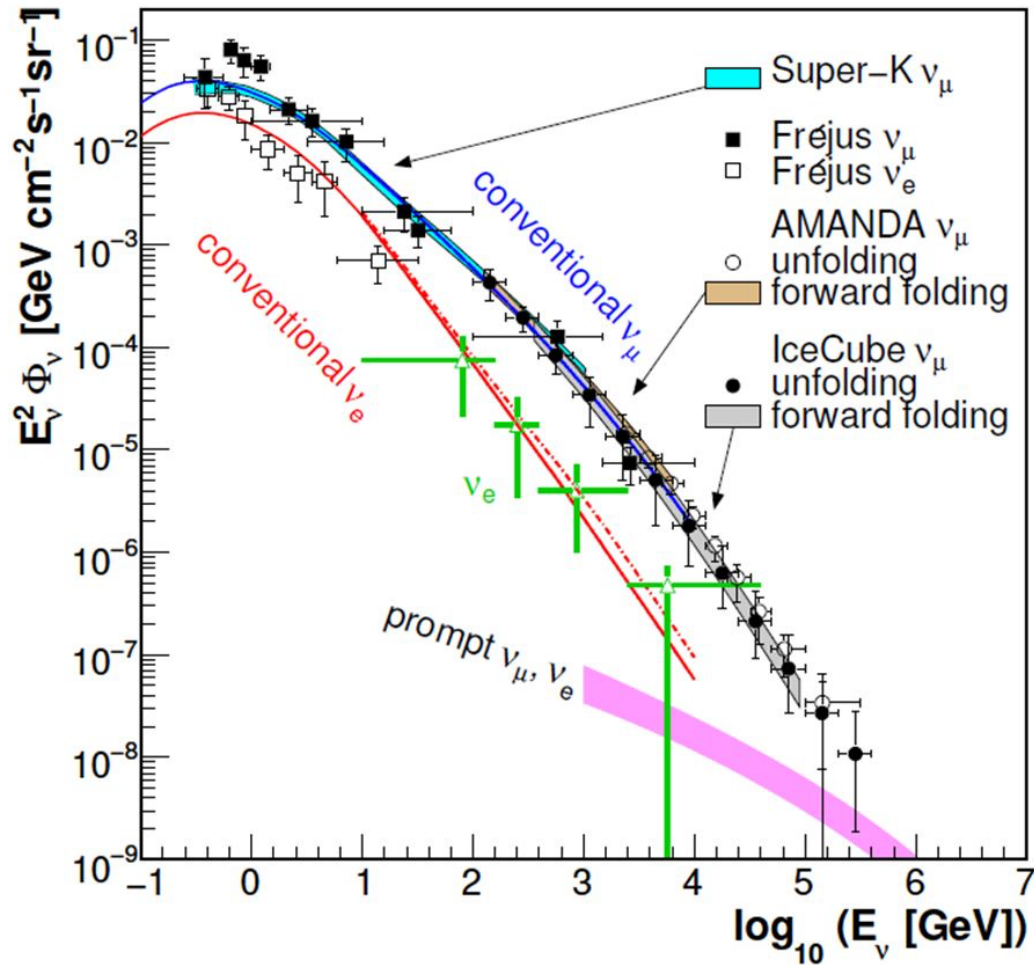
$\mu(x_{\text{true}} | H)$       Number of expected background or signal events in our detector (can)

$P^{\text{det}}(x_{\text{true}})$

$P(\text{ev}_i | x_{\text{true}})$



# Atmospheric Neutrinos



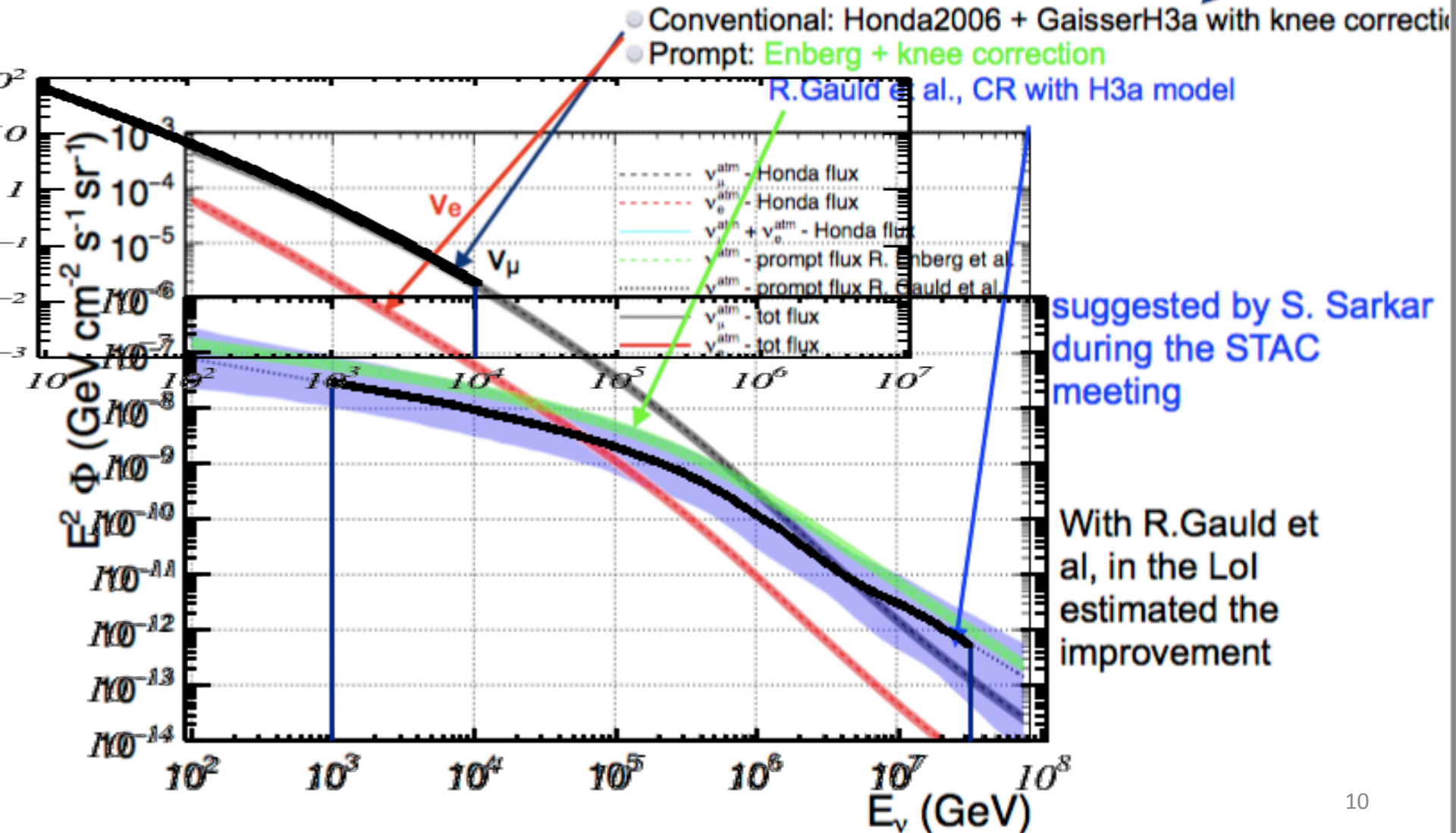


# Current Parameterization

- KM3NeT Letter of Intent
- Based on Seatray
- Polynomial fit of Honda tables
  - Extrapolation to higher energy ranges
  - Outdated? Honda 2006 used.
  - Gaisser H3a knee correction
- Polynomial fit of Gauld tables 2015
  - From PromptNuFlux, L. Rottoli

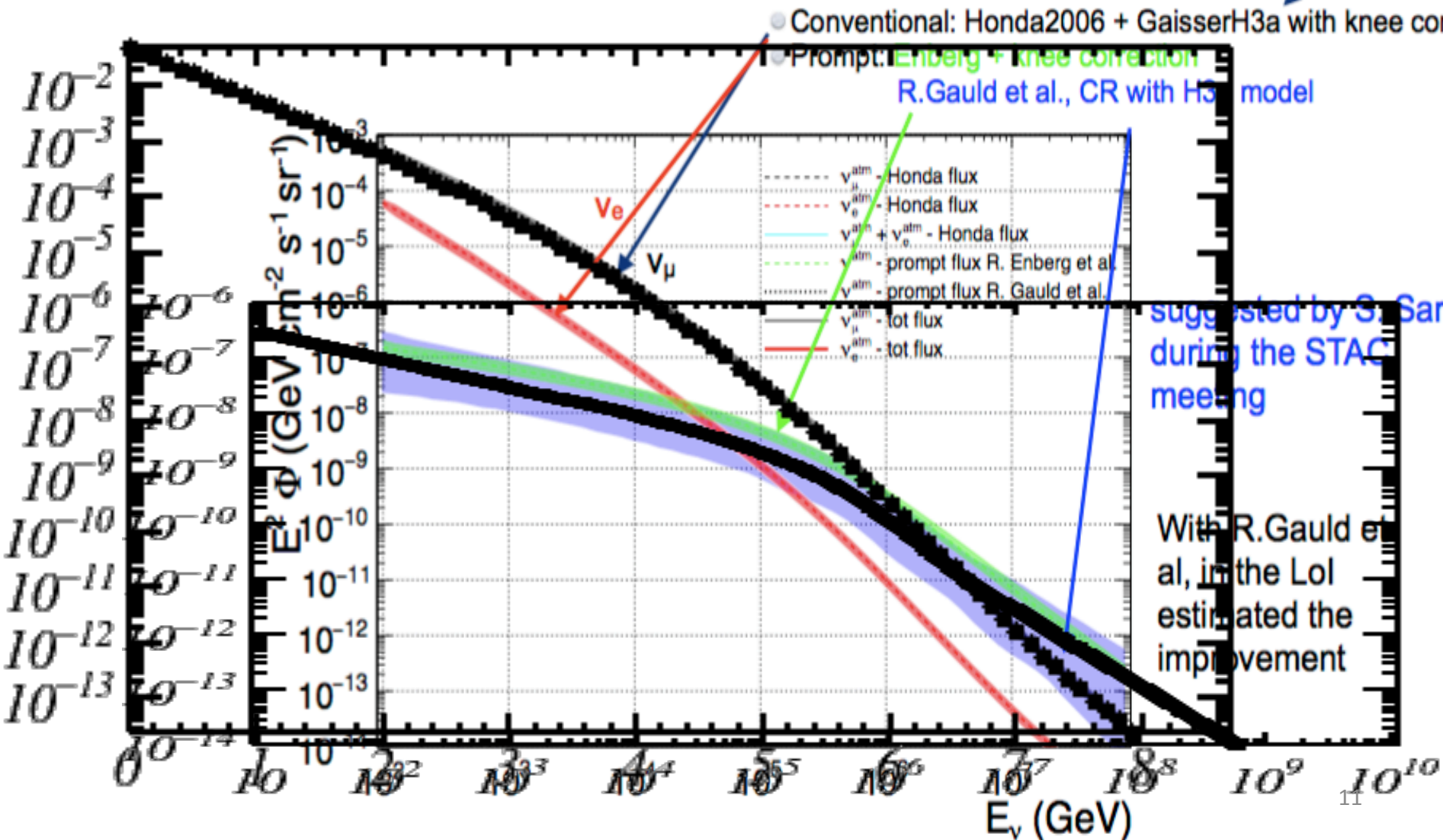
# Honda (2006) and Gauld (2016)

T. Gaisser 2012



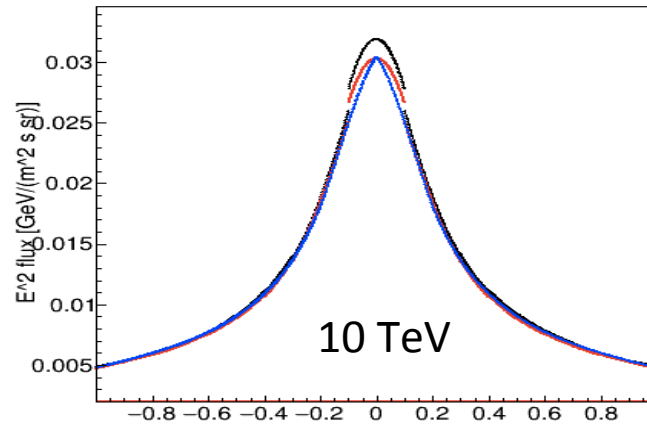
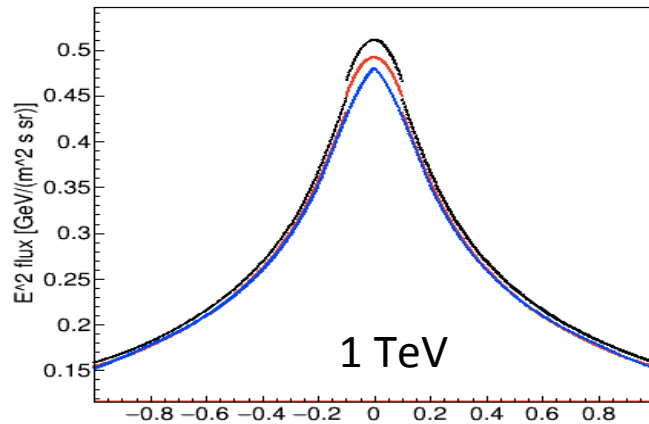
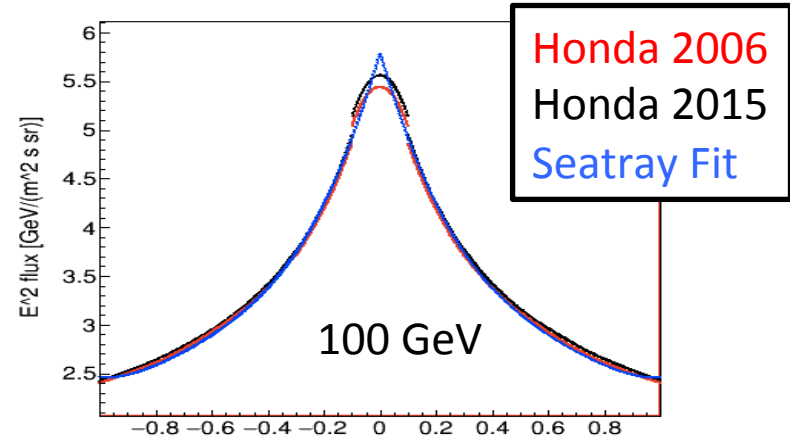
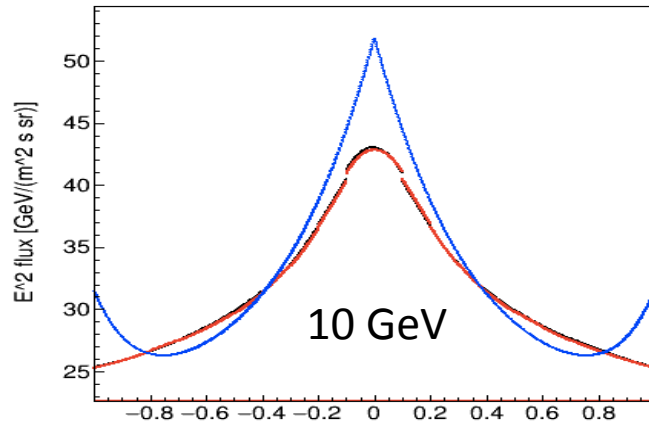
# Both Extrapolated (2)

T. Gaisser 2012



# Honda: Zenith Dependence

$E^2 \times \text{flux} [\text{GeV}/(\text{m}^2 \text{ s sr})]$



$\cos(\text{Zenith})$

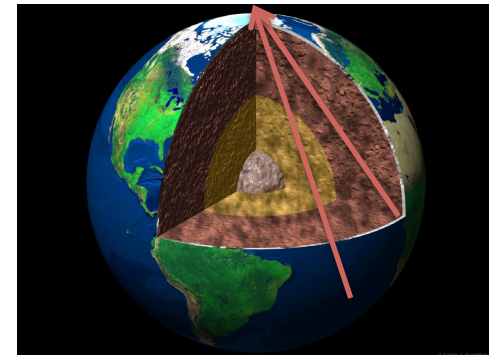
# Likelihood Ingredients

$$P(\text{data}|H) = \sum_i \left[ \log \int P(\text{ev}_i | x_{\text{true}}) \cdot P^{\text{det}}(x_{\text{true}}) \cdot \mu(x_{\text{true}} | H) dx_{\text{true}} \right] - \mu^{\text{tot}}(H)$$

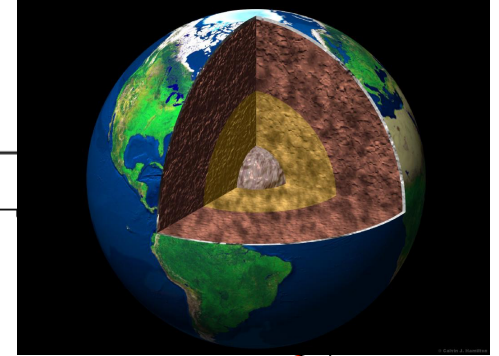
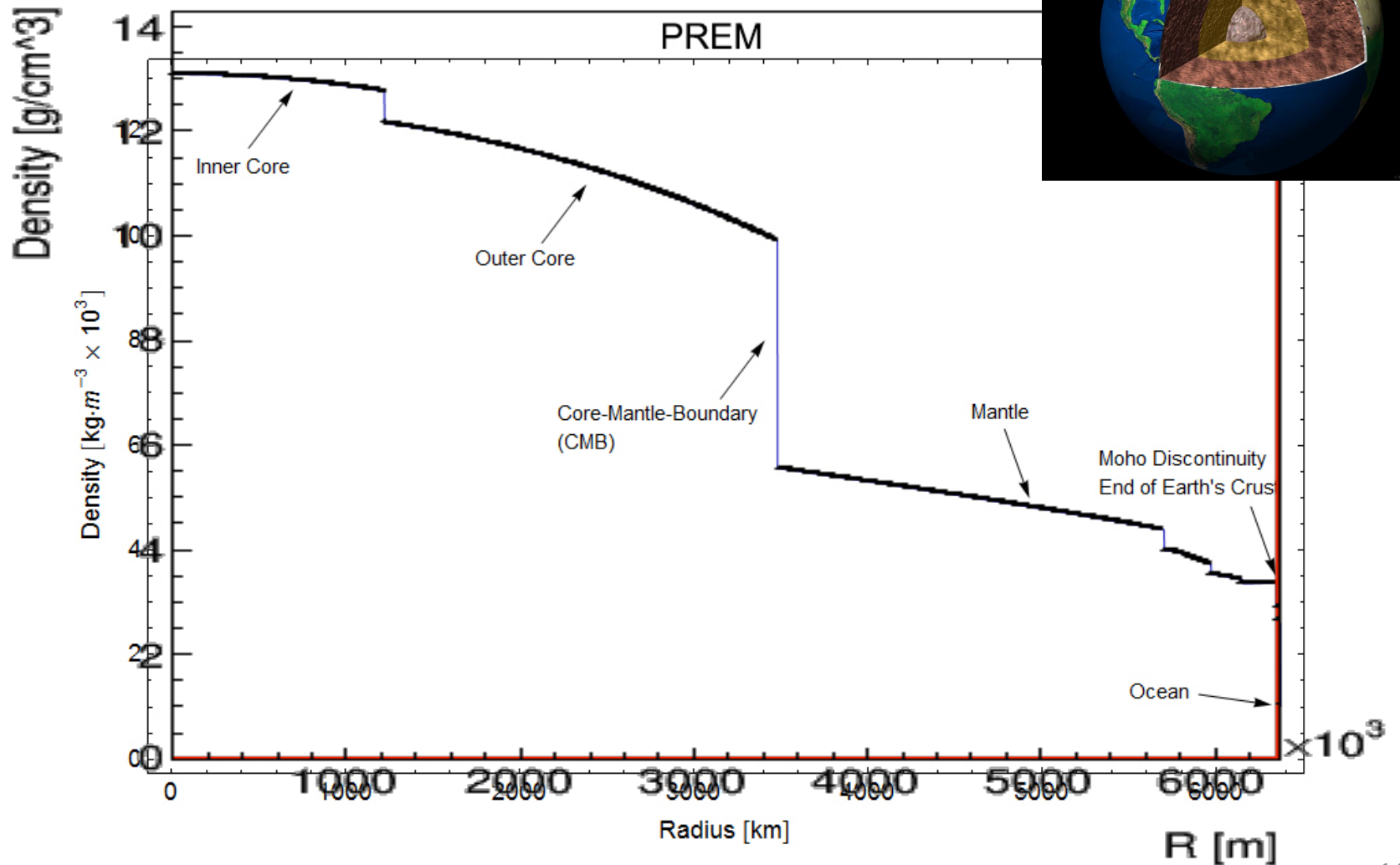
$\mu(x_{\text{true}} | H)$       Number of expected background or signal events in our detector (can)

$P^{\text{det}}(x_{\text{true}})$

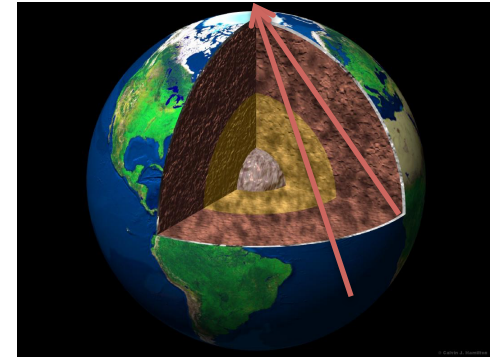
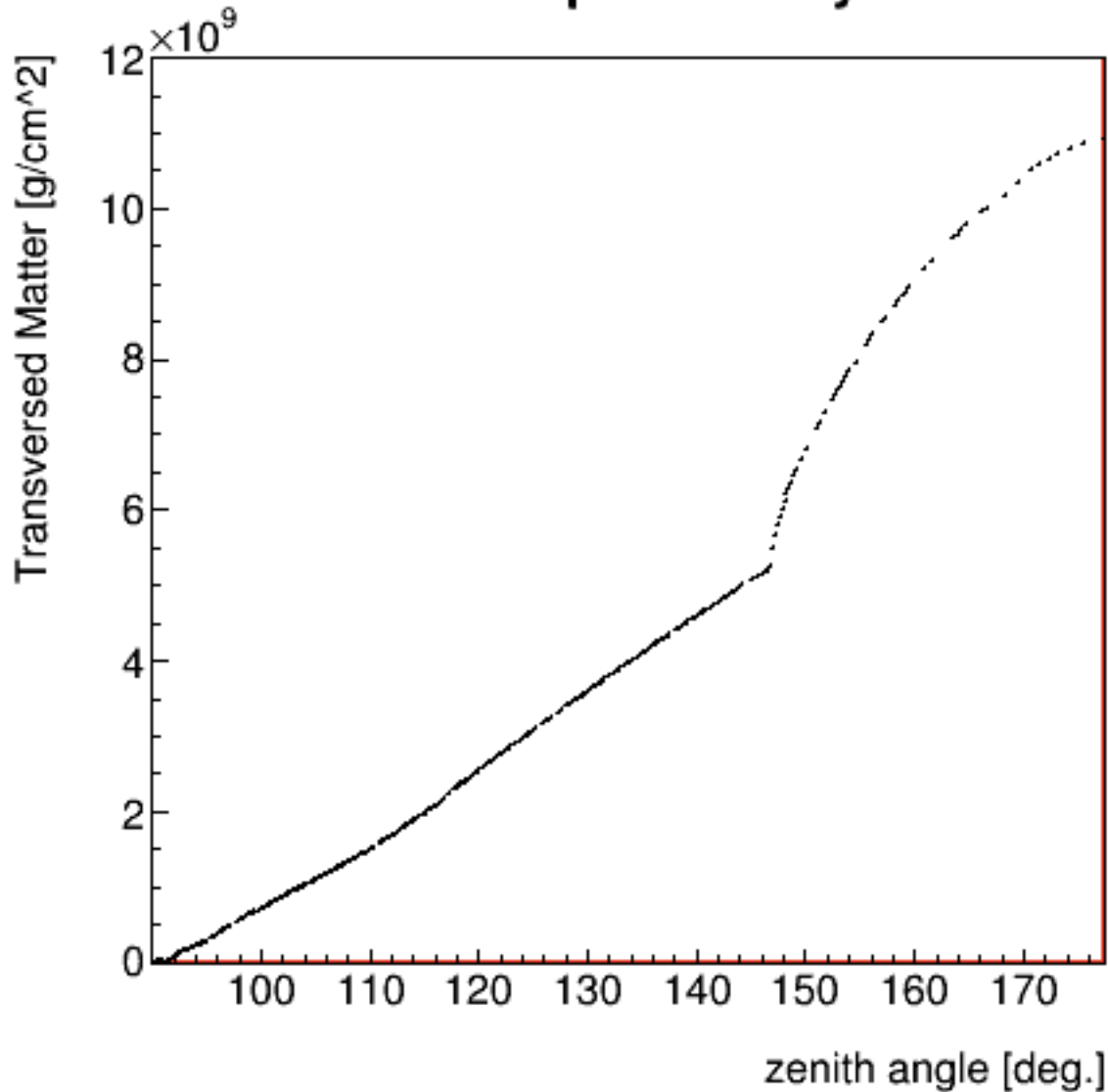
$P(\text{ev}_i | x_{\text{true}})$



# Earth Propagation

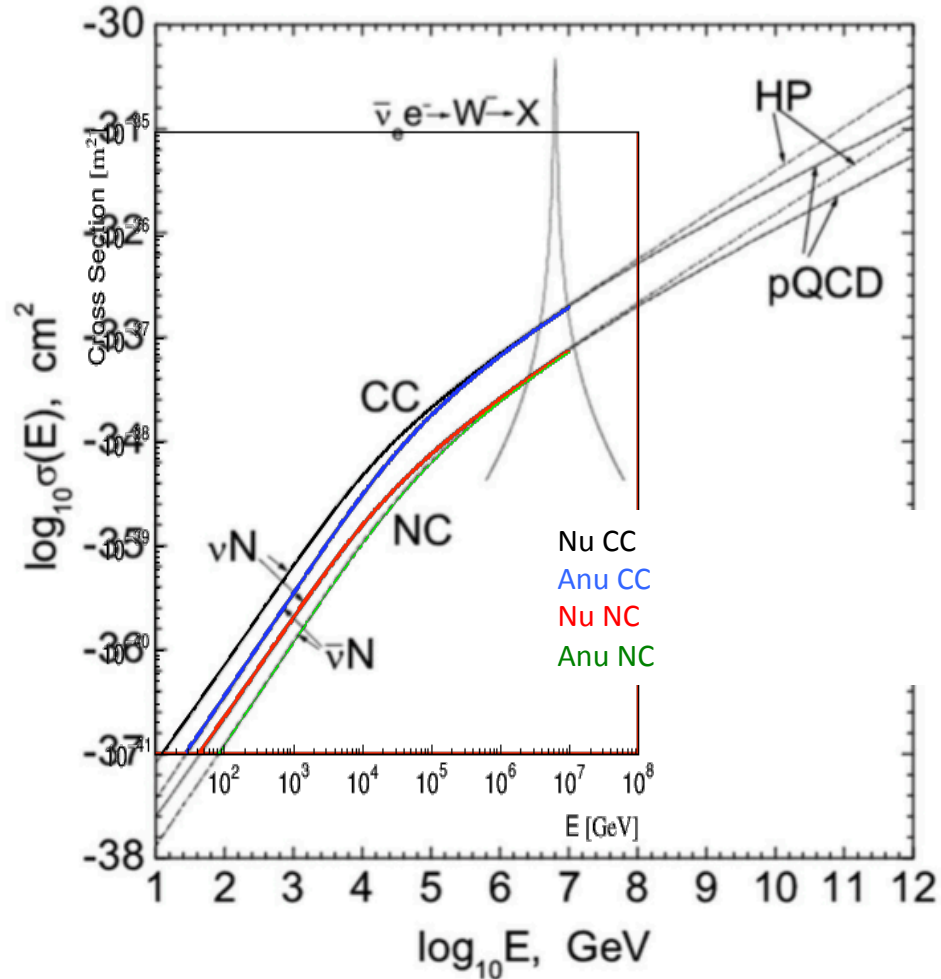


# Transversed Matter Density



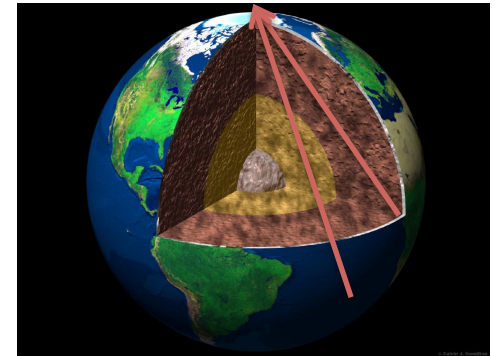
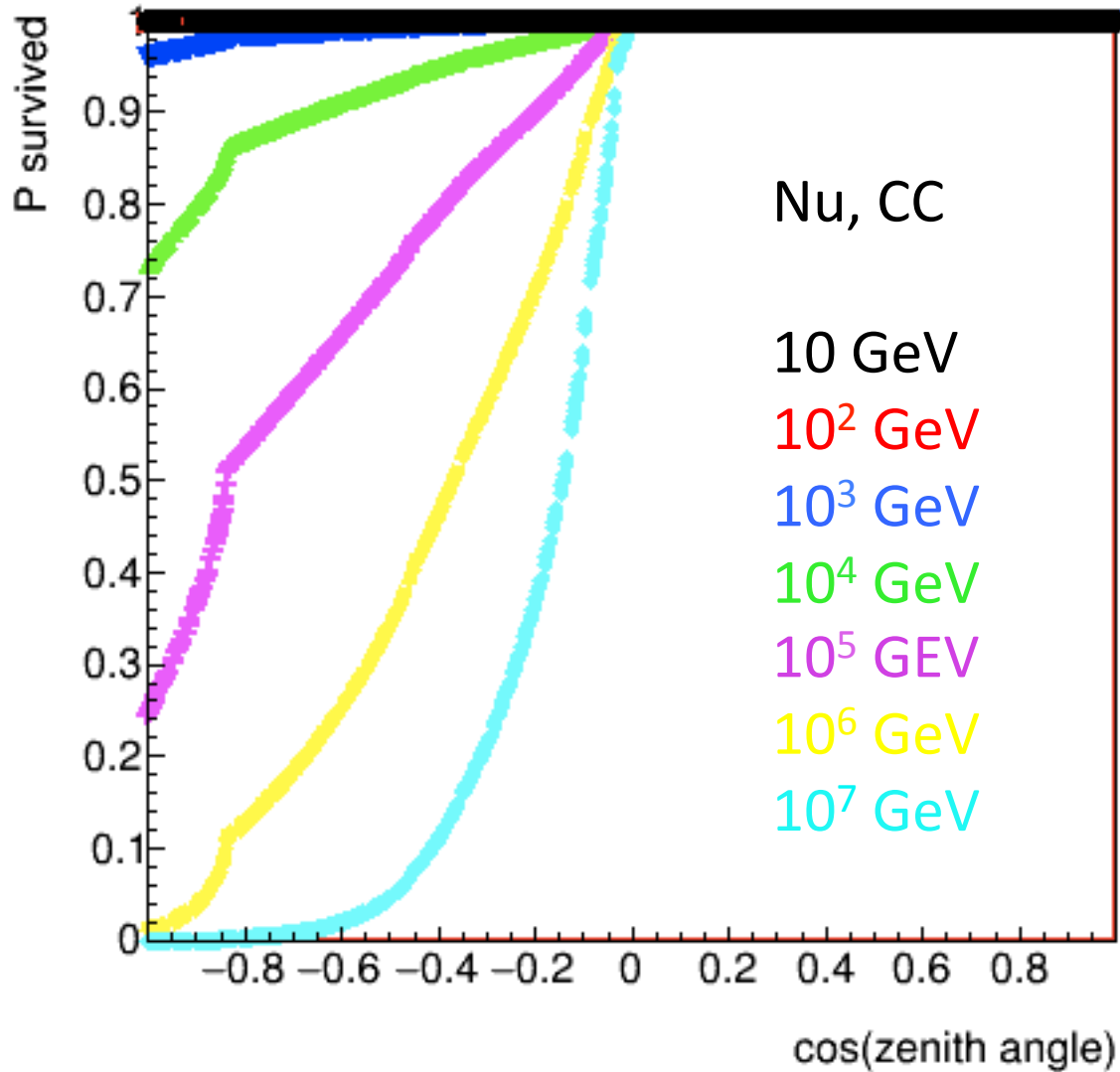
Analytically derived -> very fast

# Neutrino Cross Sections

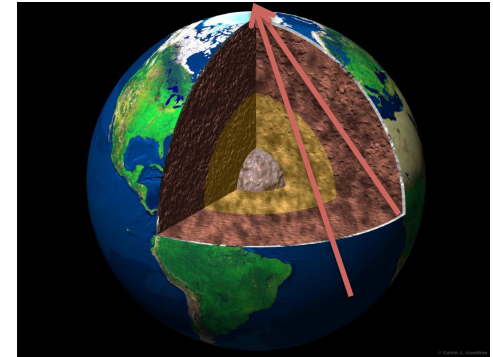
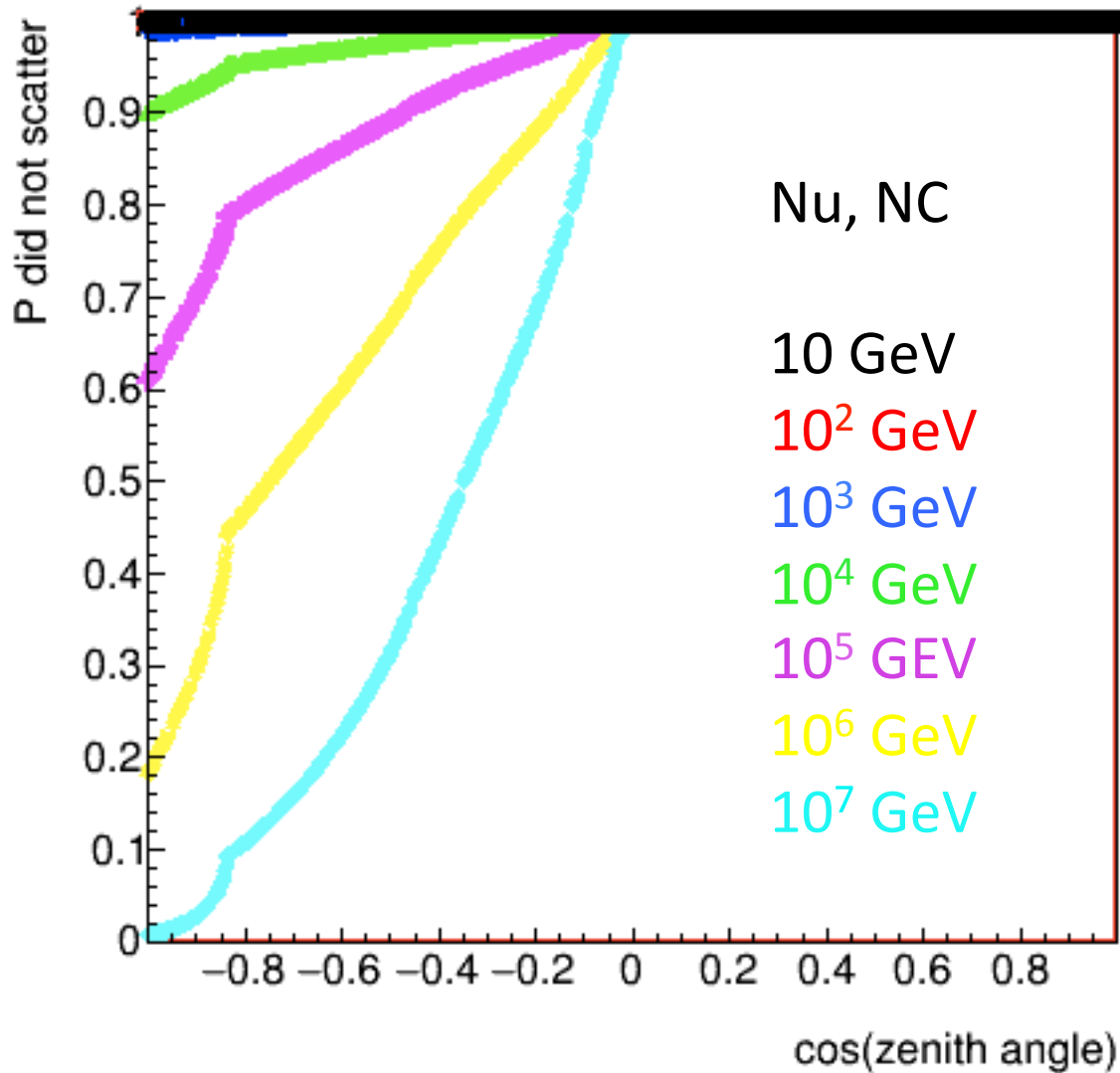




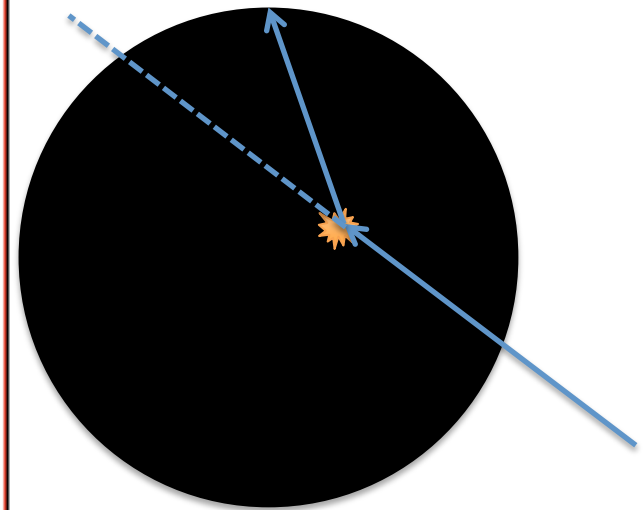
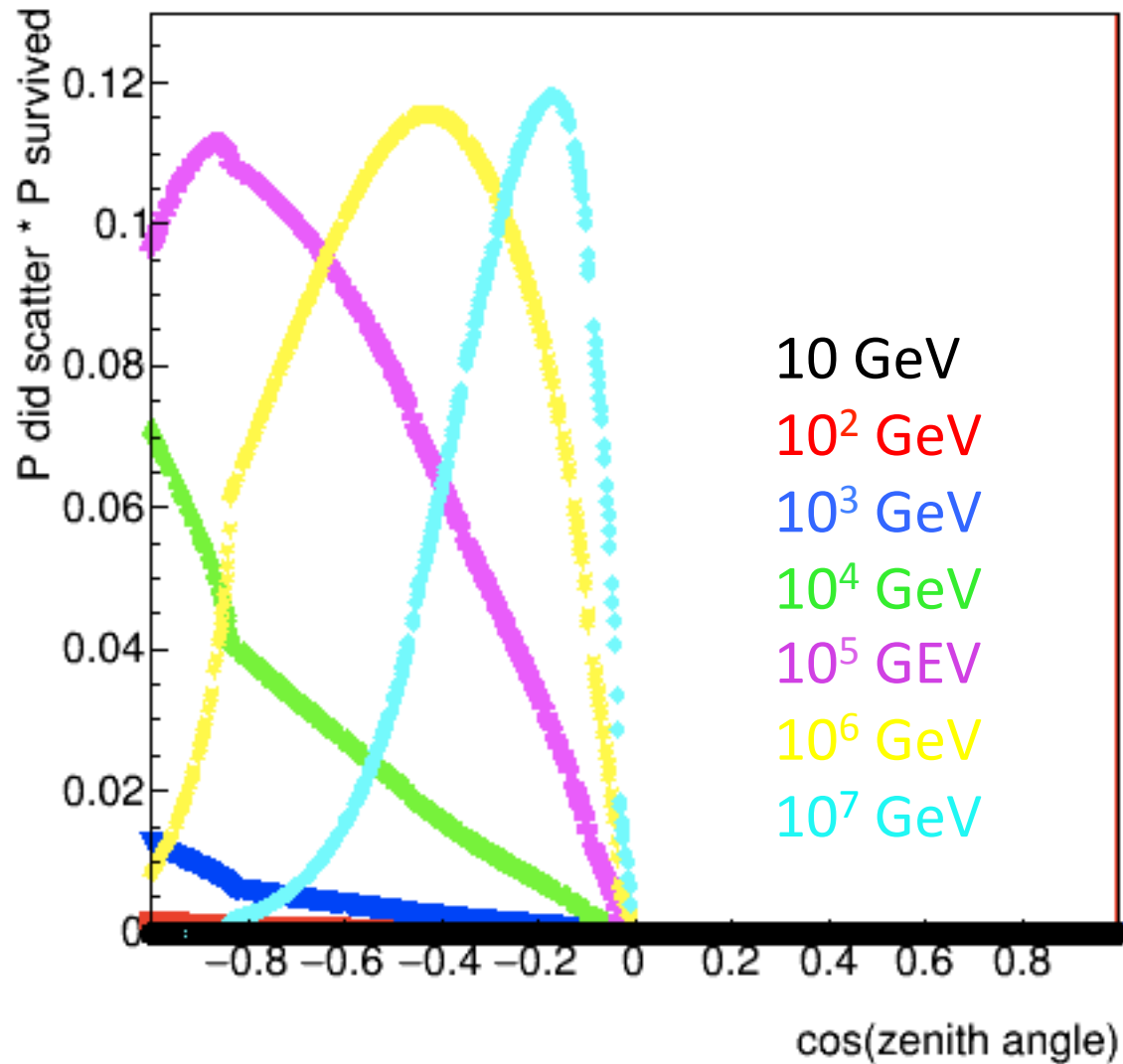
# Neutrino Absorption



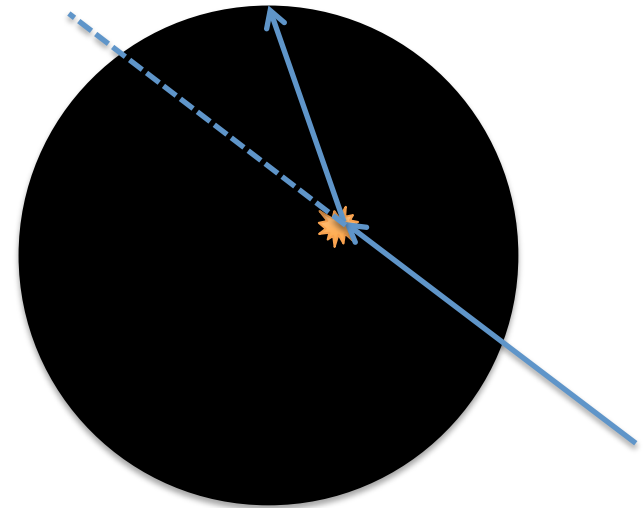
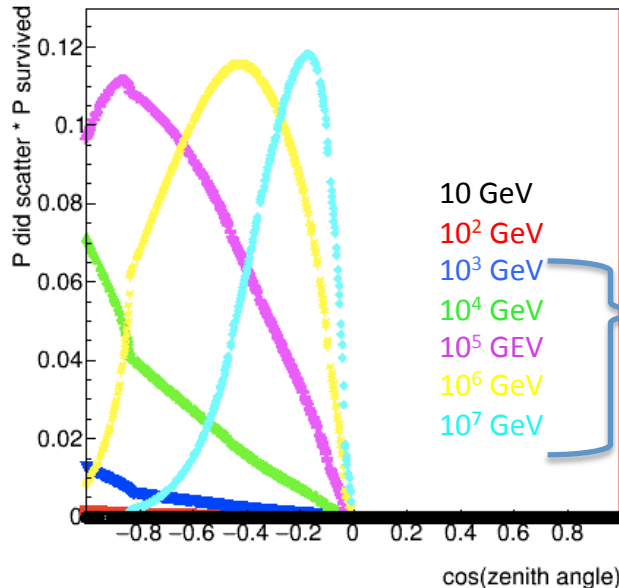
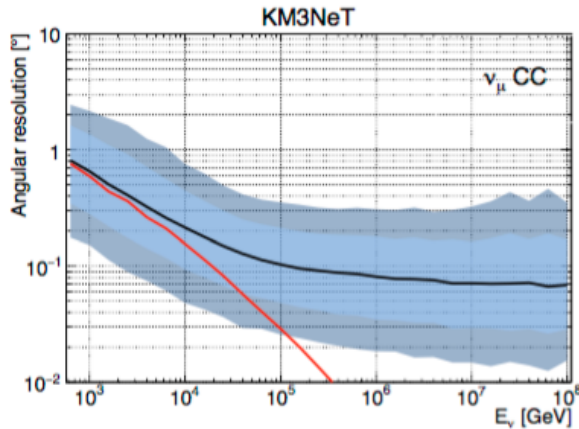
# Neutrino NC Scattering (1)



# Neutrino NC Scattering (2)



# Neutrino NC Scattering (3)



- Change in direction:  $\approx 0.6$  degrees for  $E_{\text{nu}} > 10^3$  GeV
- Change in Energy???

Effects on expected atm. Neutrino flux neglected

# Neutrino Oscillations

Earth radius =  $6.4 \times 10^3$  km  
 100 GeV neutrino

$L/E = 1.28 \times 10^2$  km/GeV

Earth covers one oscillation period

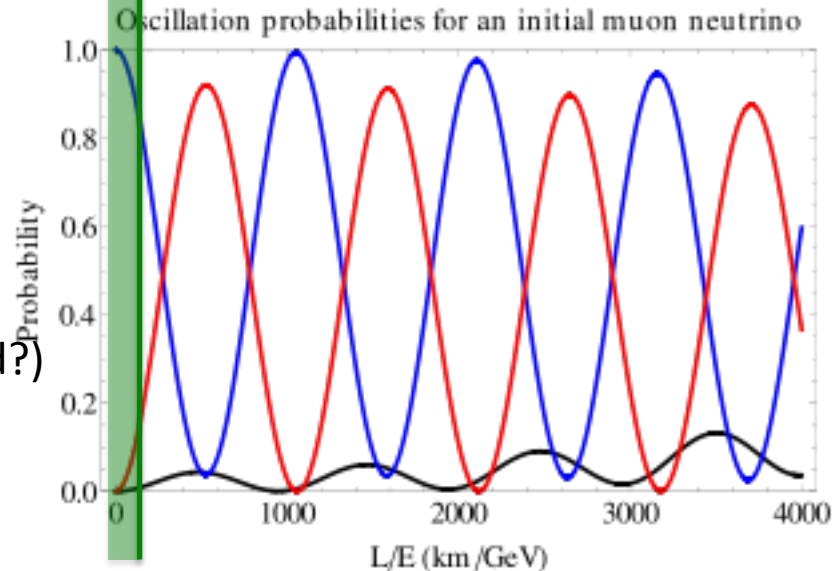
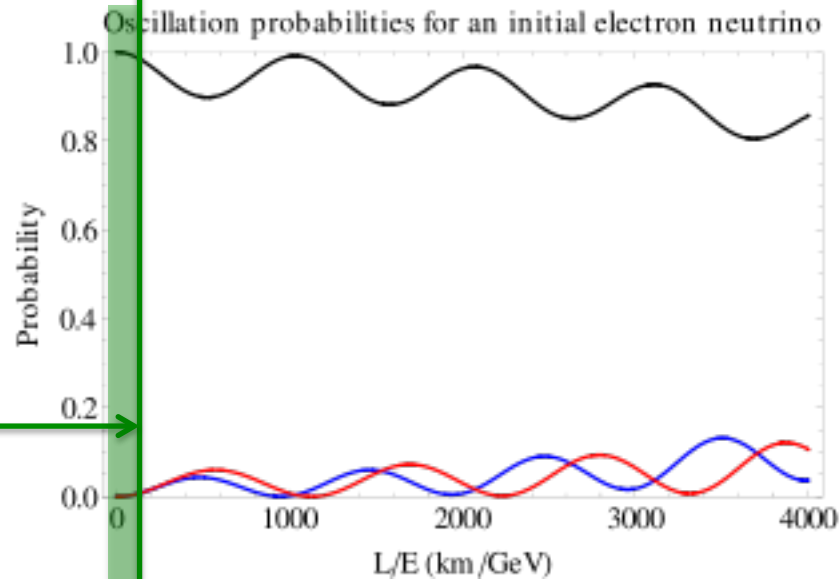
P(oscilate) up to:

~0.01 (electron  $\rightarrow$  muon/tau)

~0.2 (muon  $\rightarrow$  tau)

~0.2 (tau  $\rightarrow$  muon)

For now: Ignore.... (to be continued?)



# Likelihood Ingredients

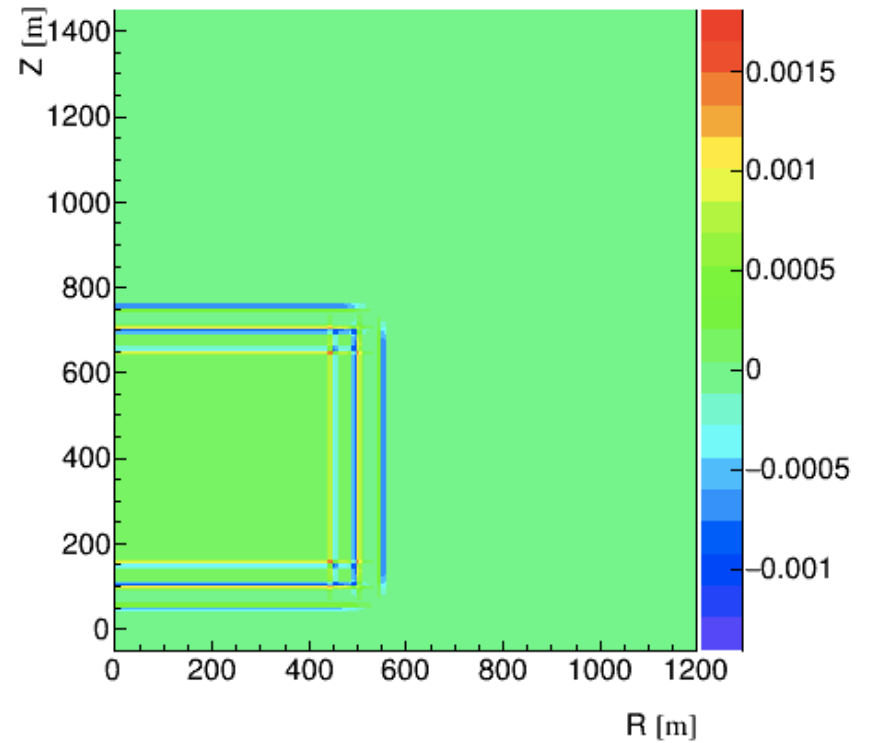
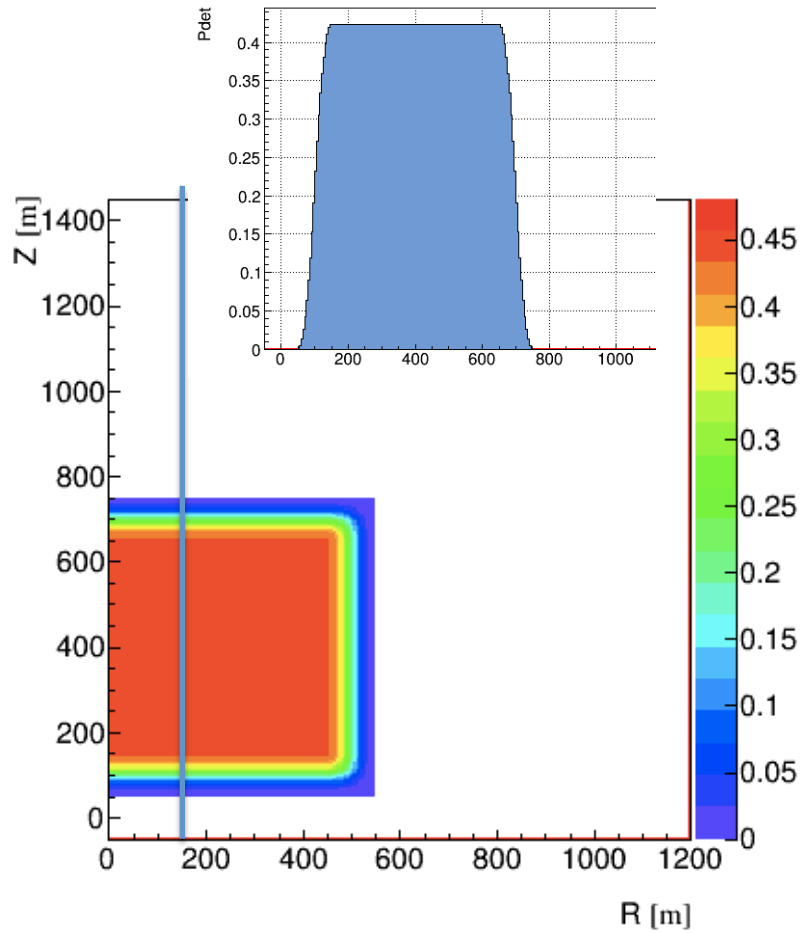
$$P(\text{data}|H) = \sum_i \left[ \log \int P(\text{ev}_i | x_{\text{true}}) \cdot P^{\text{det}}(x_{\text{true}}) \cdot \mu(x_{\text{true}} | H) dx_{\text{true}} \right] - \mu^{\text{tot}}(H)$$

$\mu(x_{\text{true}} | H)$       Number of expected background or signal events in our detector (can)

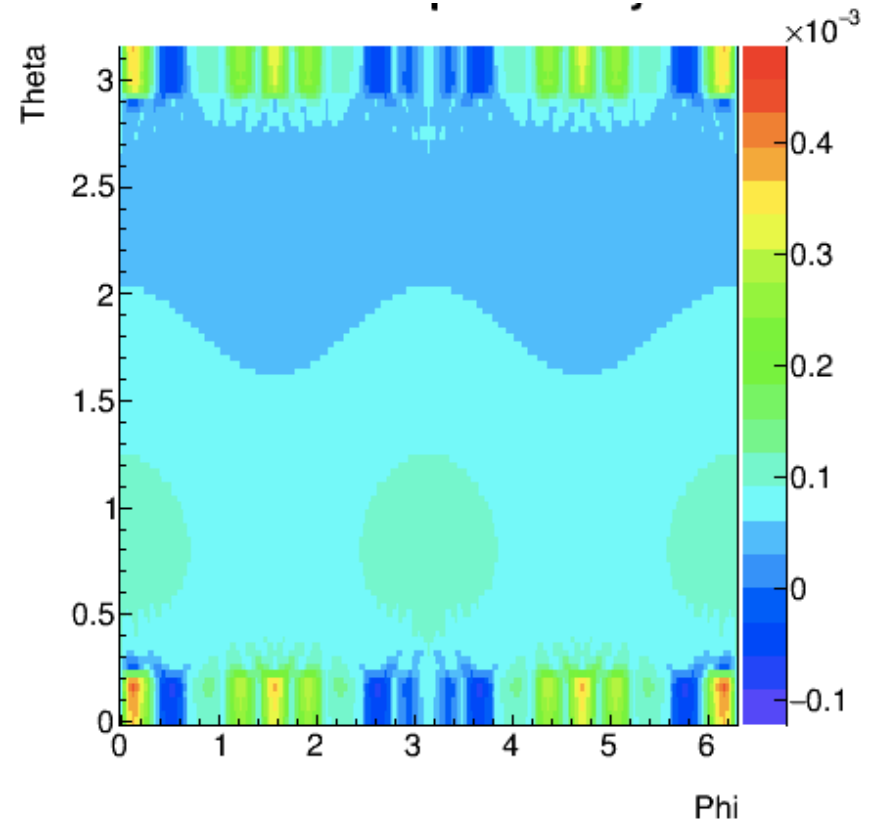
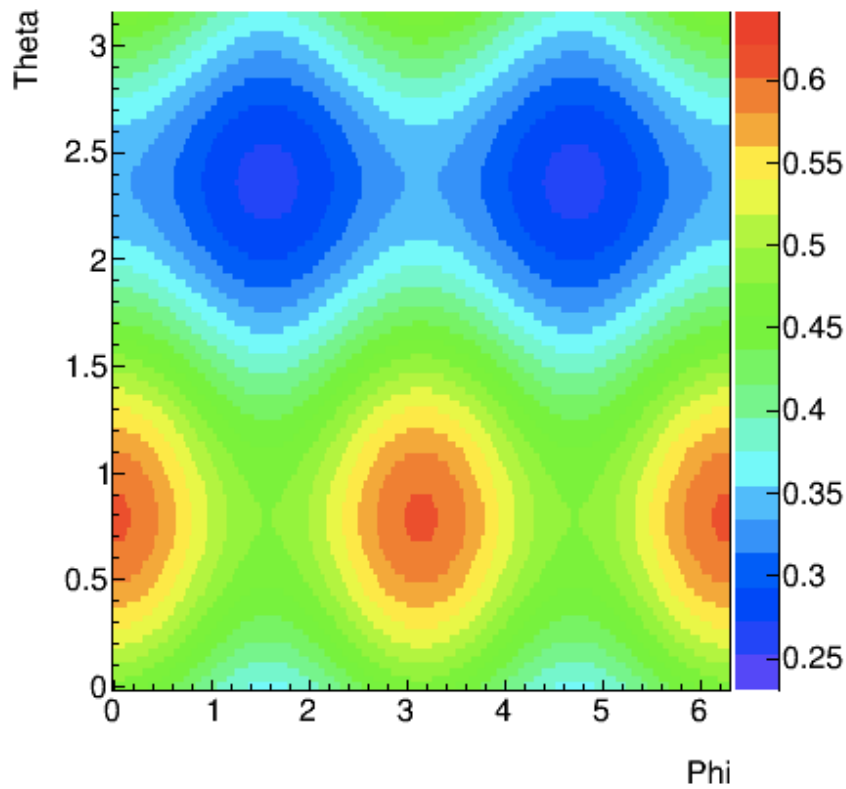
$P^{\text{det}}(x_{\text{true}})$       Probability to detect (=trigger) and select event  
6-D Interpolation from tabulated values -> fast

$P(\text{ev}_i | x_{\text{true}})$

# Detection Efficiency (1)



# Detection Efficiency (2)



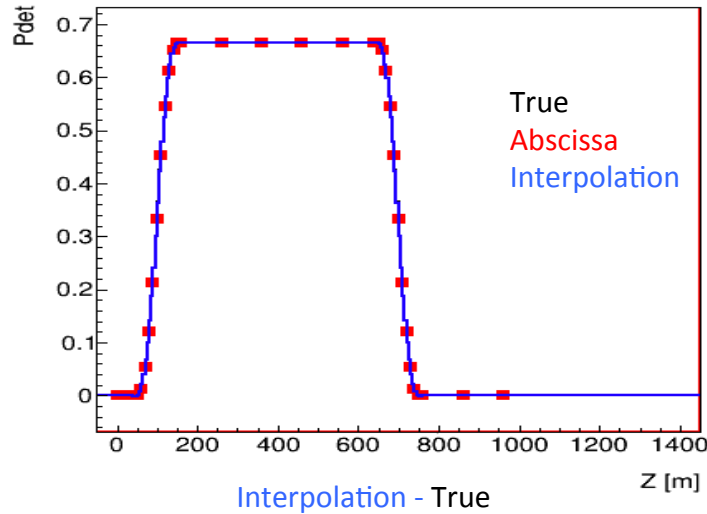


# What is Pdet?

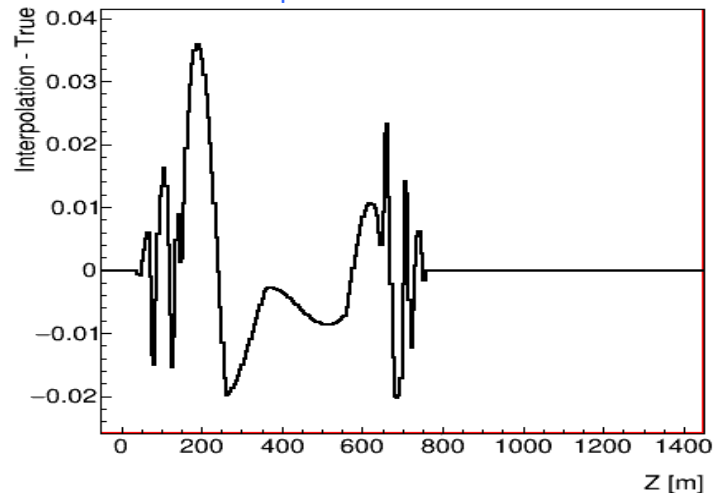
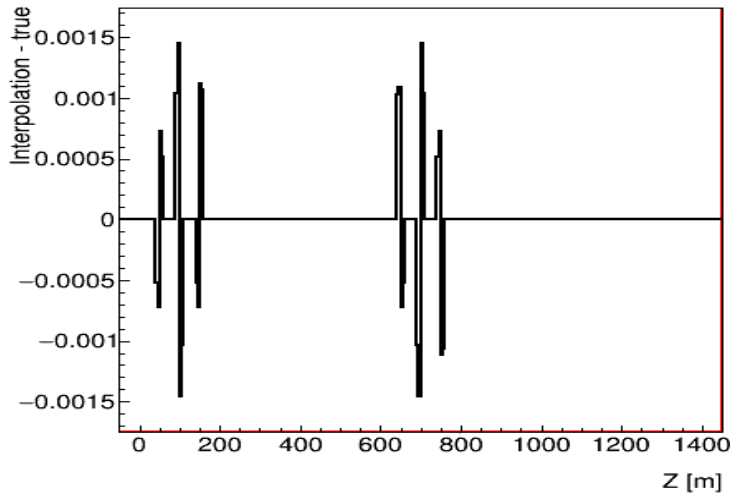
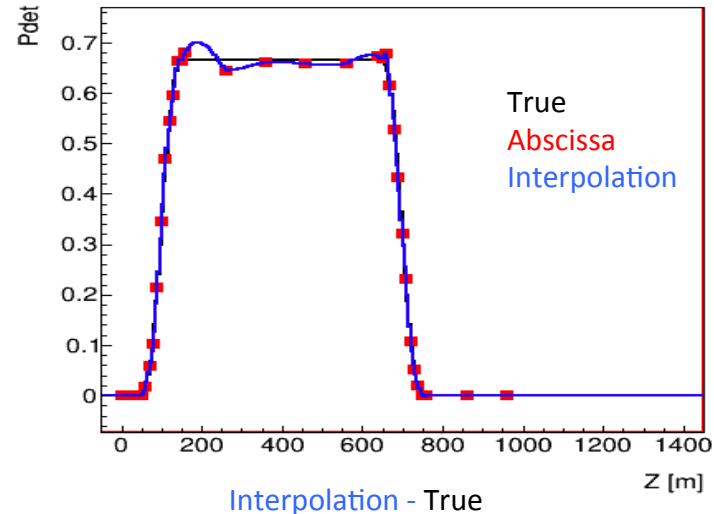
- Probability that an event:
  - Causes hits in detector: Jsirene
  - Leads to a trigger: JTriggerEfficiency
  - Is selected (reject atm. Muons): ??
- Get  $P_{\text{det}}(x_{\text{true}})$  by running MC events

# Statistical Fluctuations

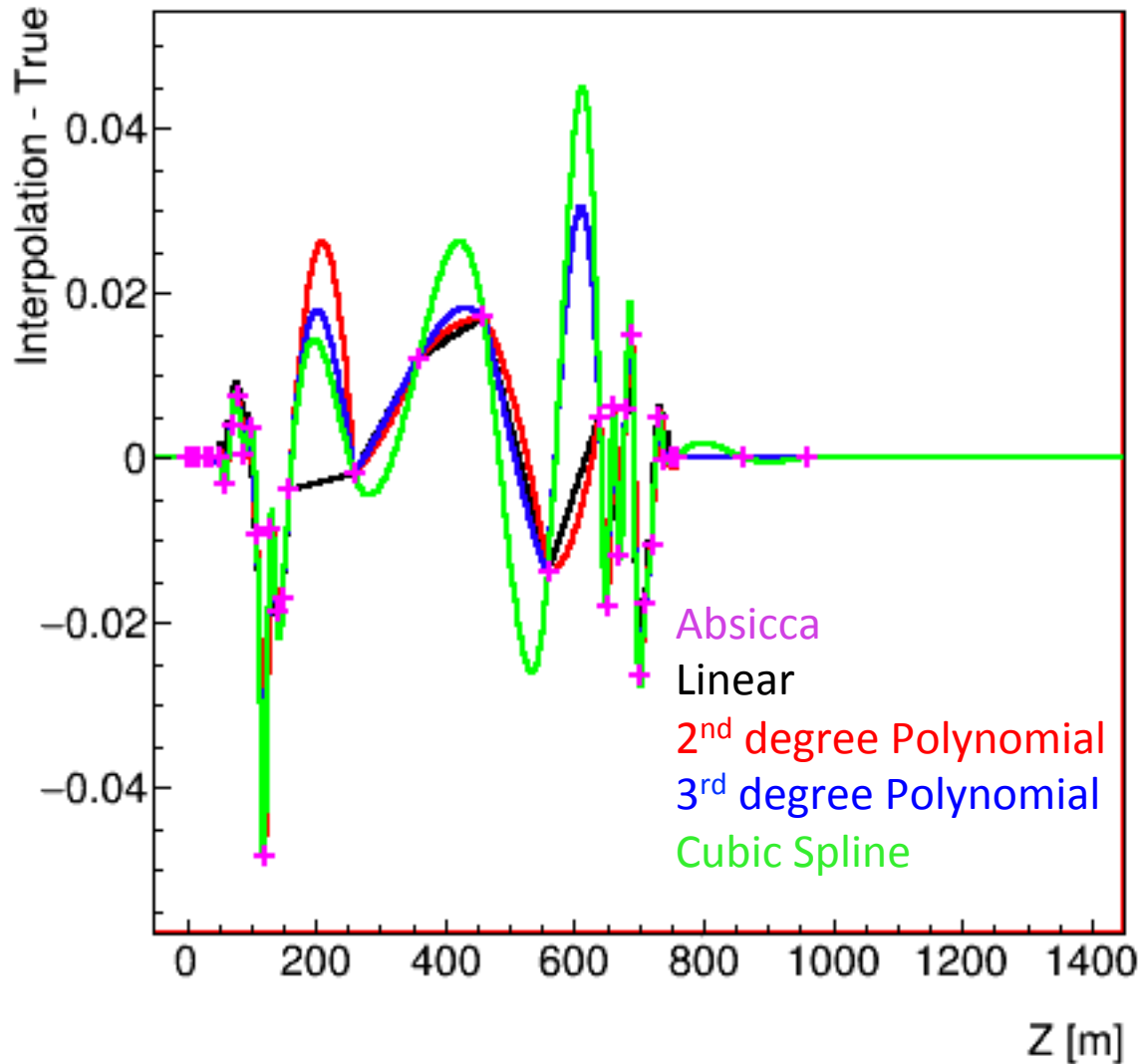
Ideal case: Infinite statistics



Realistic case: 1000 simulated events



# Different Interpolation Techniques

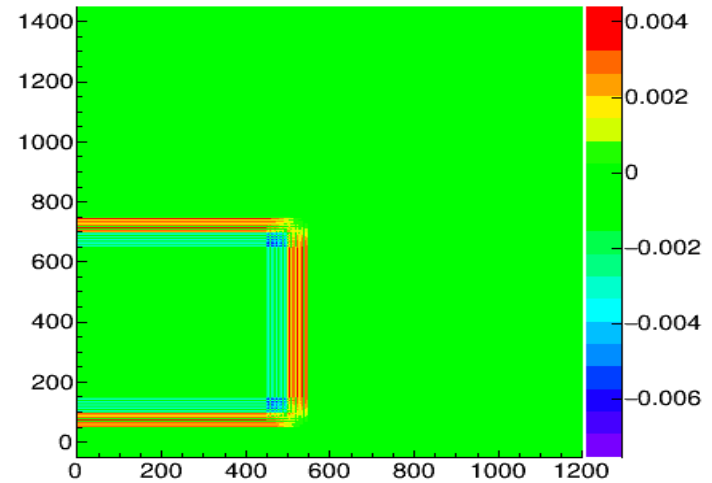
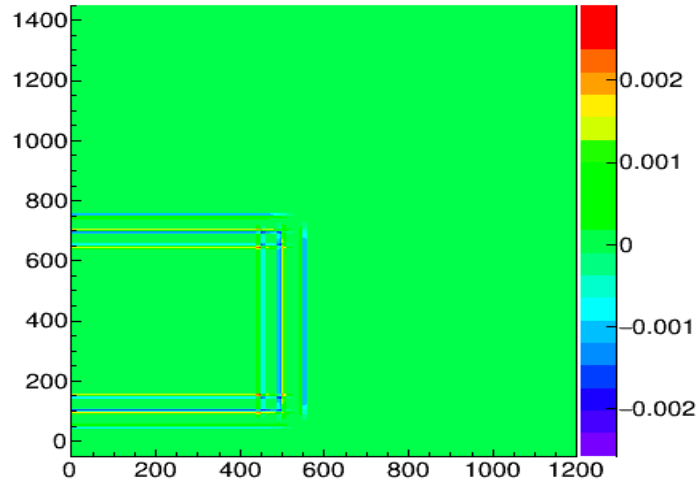


# Polynomial vs linear fit

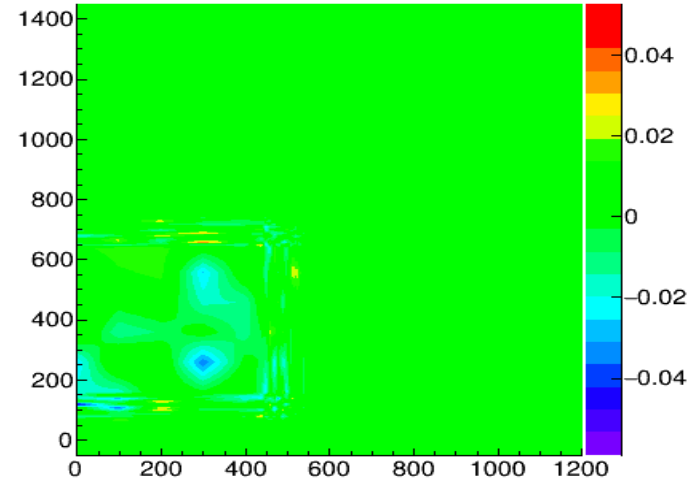
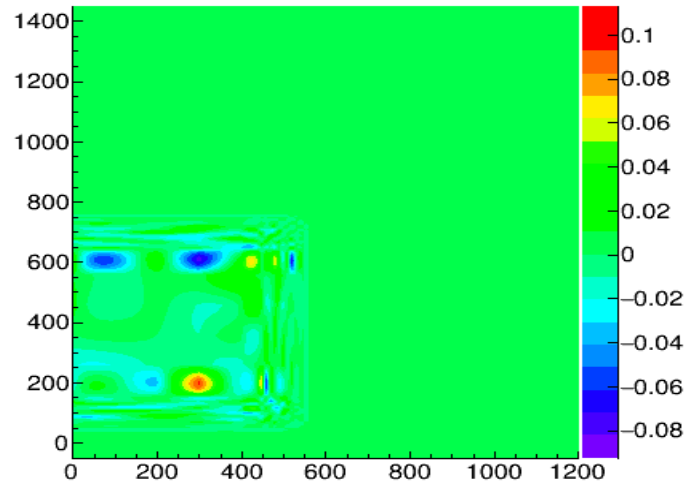
3<sup>rd</sup> degree polynomial

Linear fit

No stat. fluctuations



With stat. fluctuations



# Time Consumption

```
Scanning over 72000 Positions * 98 Directions * 1 Energy-bins = 7056000 points... Done in  
624169.543 ms elapsed  
623814.165 ms user  
    12.998 ms system  
99%CPU
```

3<sup>rd</sup> degree polynomial interpolation of 7 million points in 10 minutes

```
Scanning over 72000 Positions * 98 Directions * 1 Energy-bins = 7056000 points... Done in  
  
16068.632 ms elapsed  
16057.558 ms user  
    4.999 ms system  
99%CPU
```

Linear interpolation of 7 million points in 16 seconds

# Likelihood Ingredients

$$P(\text{data}|H) = \sum_i \left[ \log \int P(\text{ev}_i | x_{\text{true}}) \cdot P^{\text{det}}(x_{\text{true}}) \cdot \mu(x_{\text{true}} | H) dx_{\text{true}} \right] - \mu^{\text{tot}}(H)$$

$\mu(x_{\text{true}} | H)$       Number of expected background or signal events in our detector (can)

$P^{\text{det}}(x_{\text{true}})$       Probability to detect (=trigger) and select event

$P(\text{ev}_i | x_{\text{true}})$       Reconstruction, loop over PMTs. Phit \* Ptime -> to do

# Conclusions

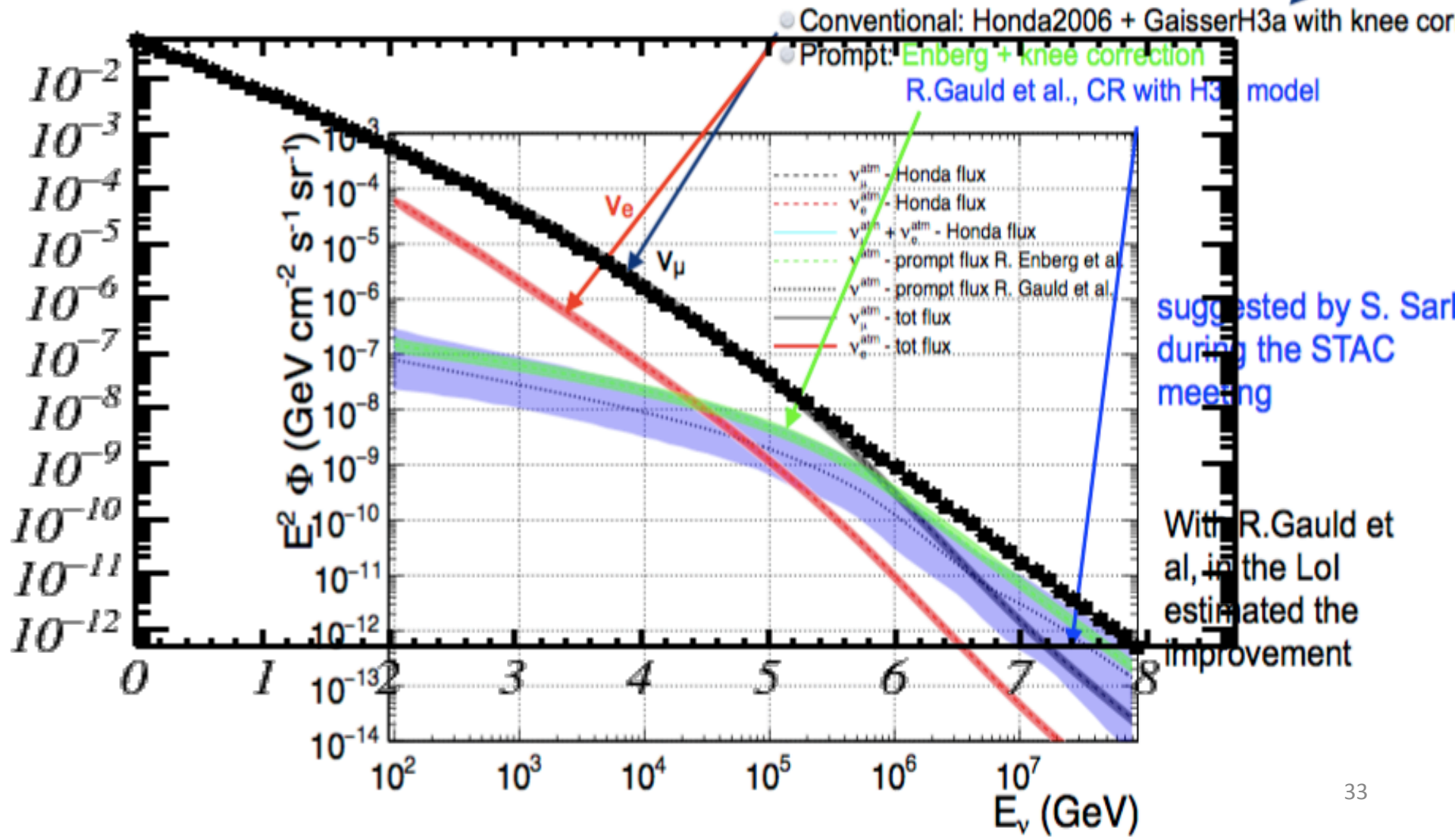
- New method seems promising
- Most ingredients in place
- ‘Reconstruction’ part to be done

# Backup

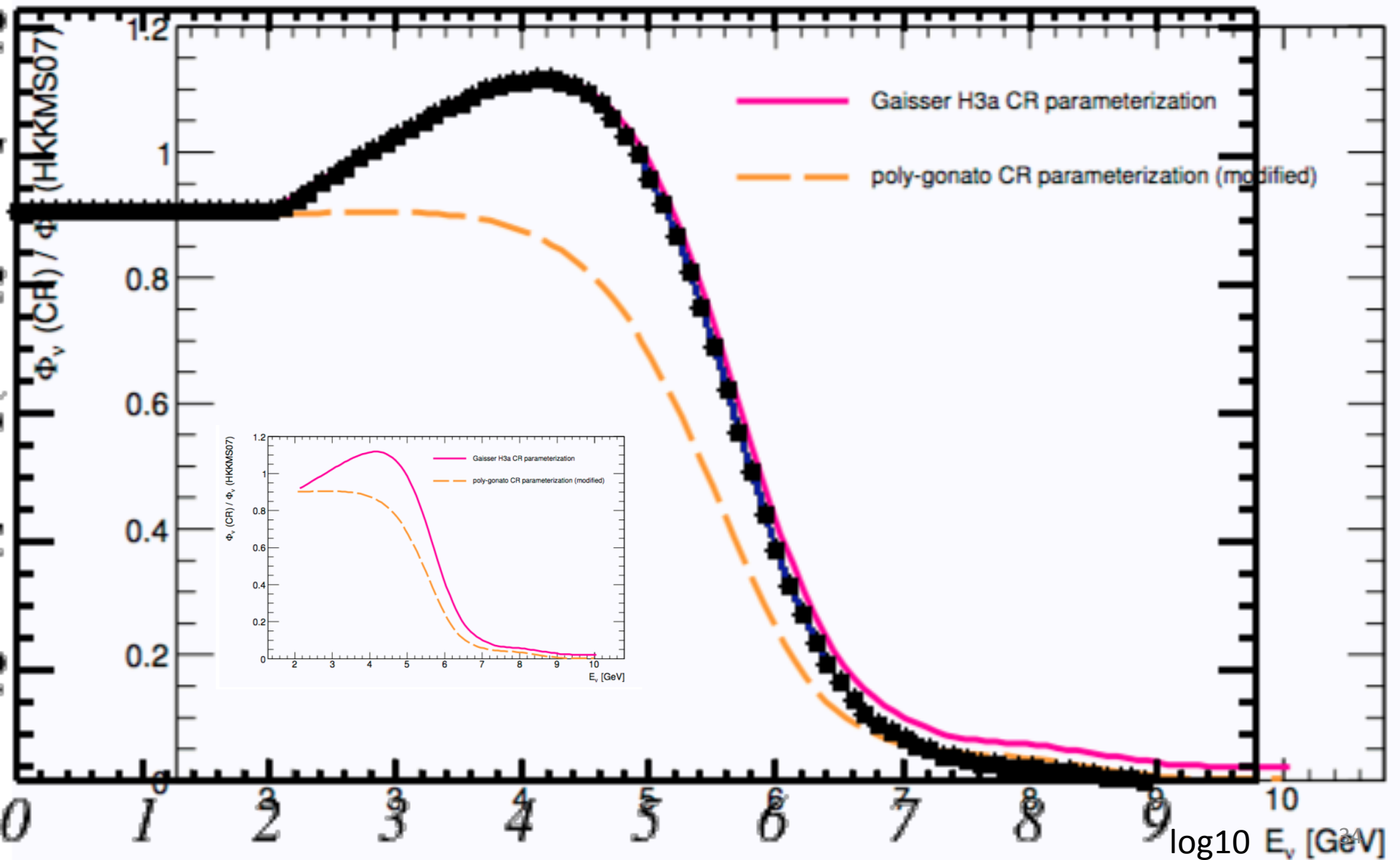


# Honda extrapolated

T. Gaisser 2012

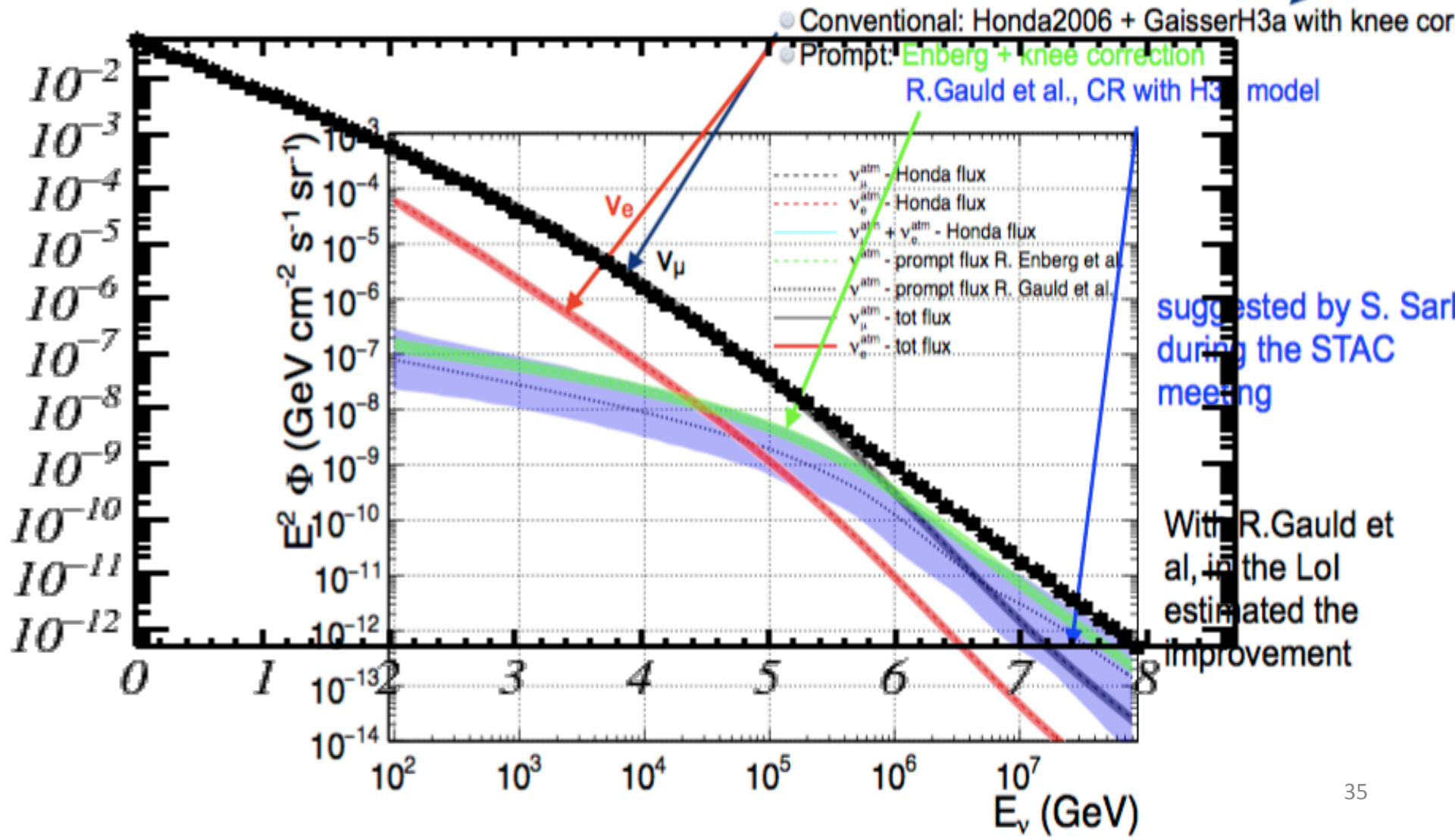


# Knee Correction (Gaisser H3a)



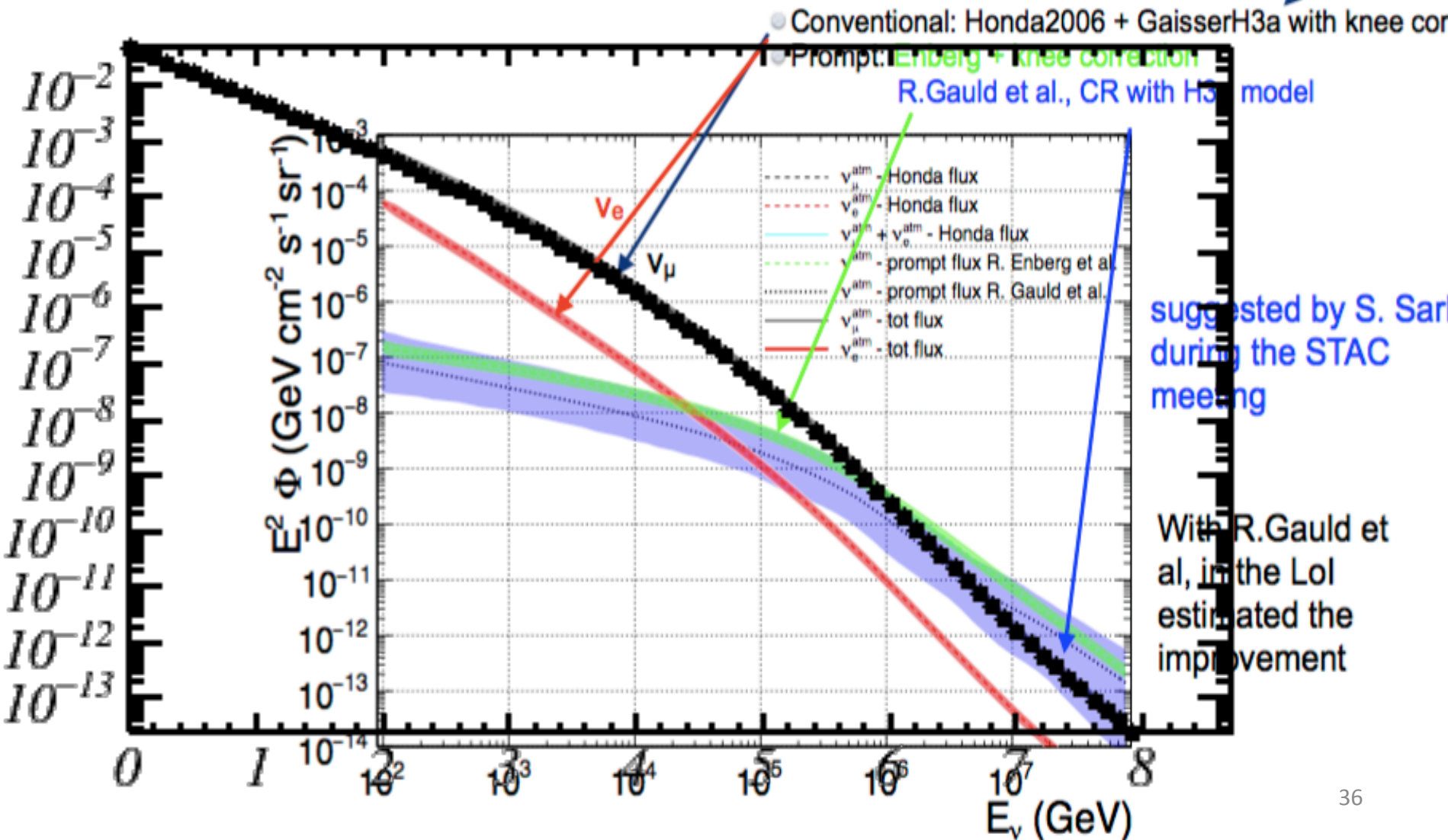
# Honda extrapolated

T. Gaisser 2012

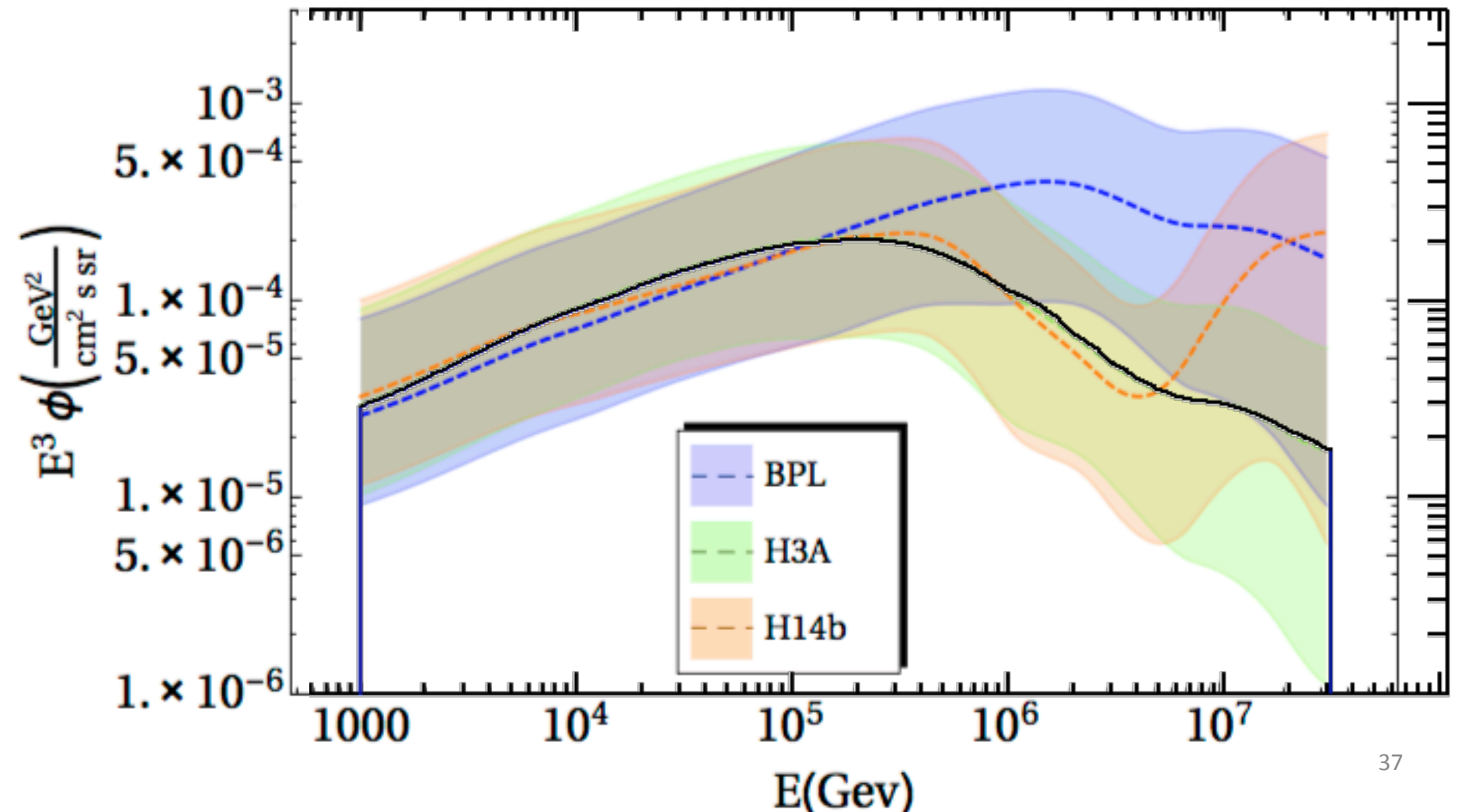


# Honda extrapolated + knee correction

T. Gaisser 2012



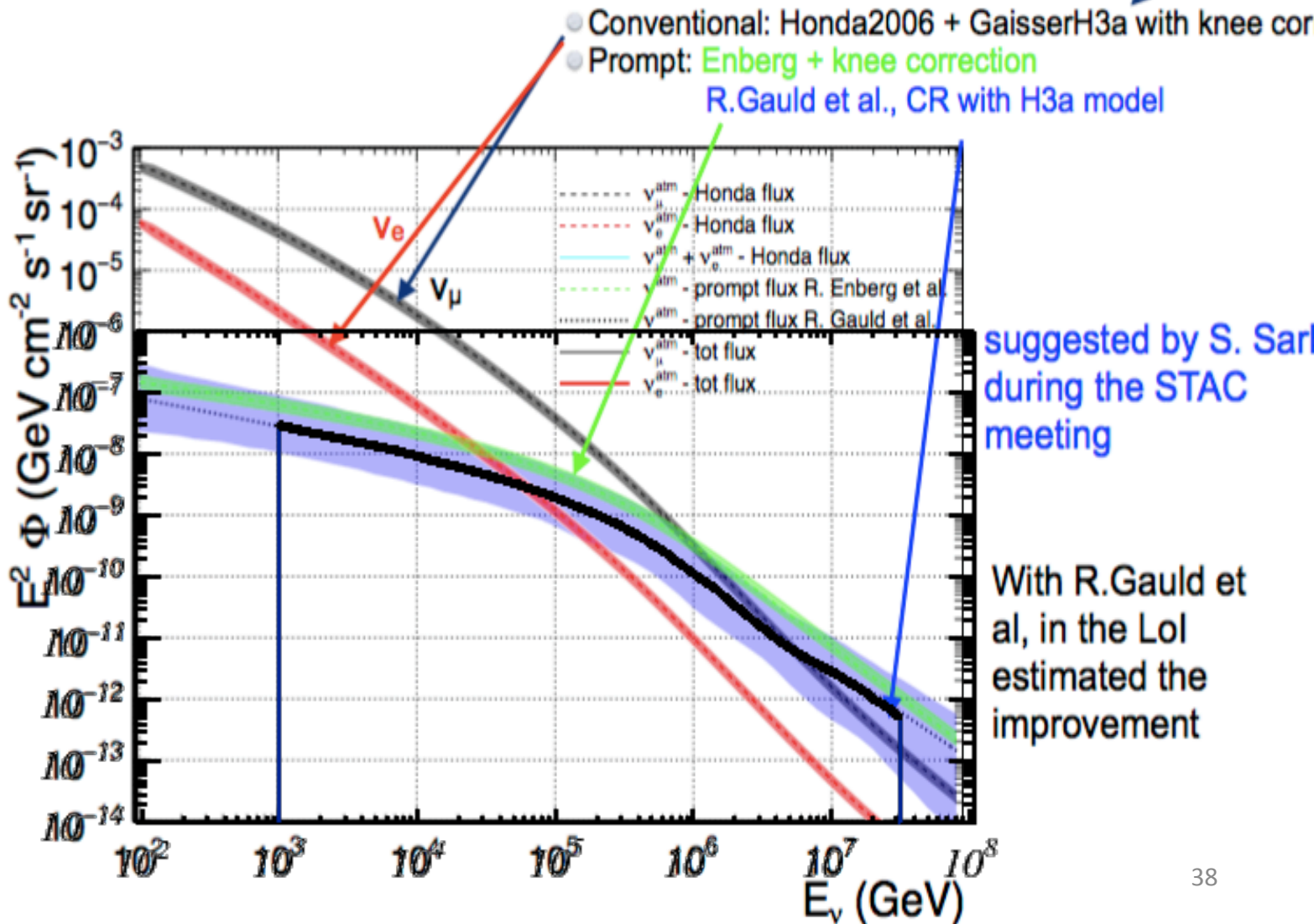
# Prompt: Gauld Flux (2016)





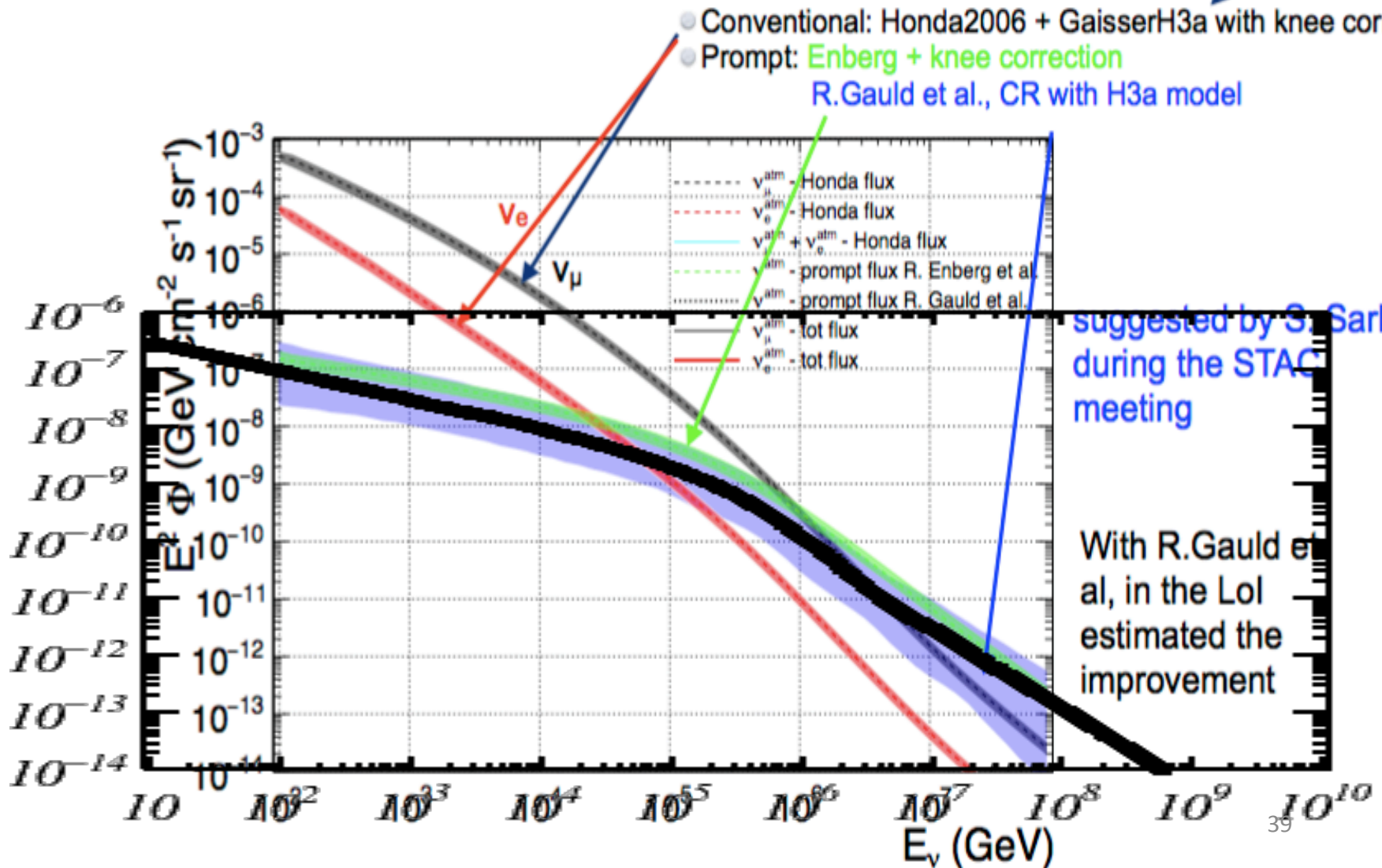
# Gauld 2016

T. Gaisser 2012



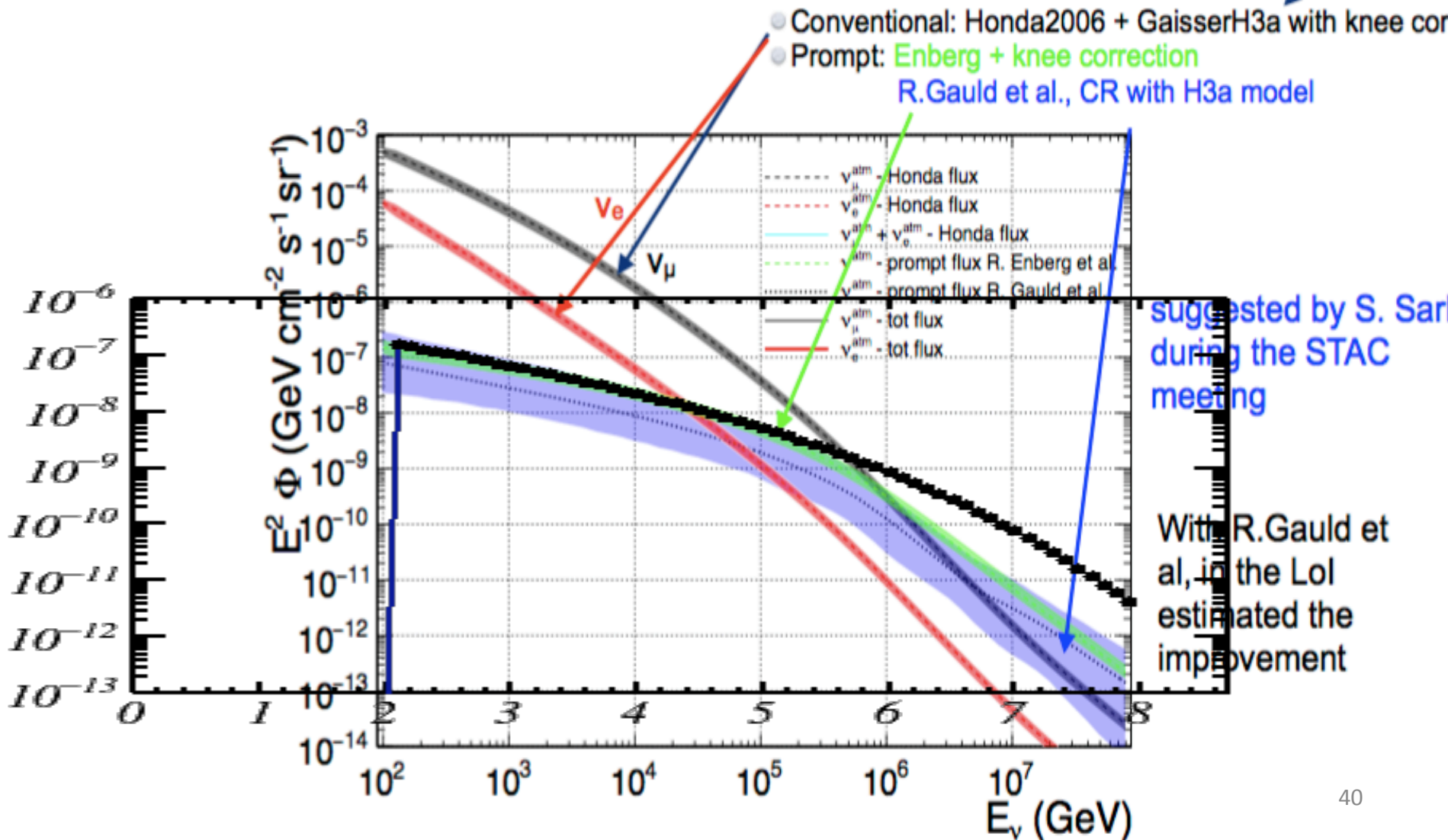
# Gauld 2016 extrapolated

T. Gaisser 2012



# Enberg extrapolated

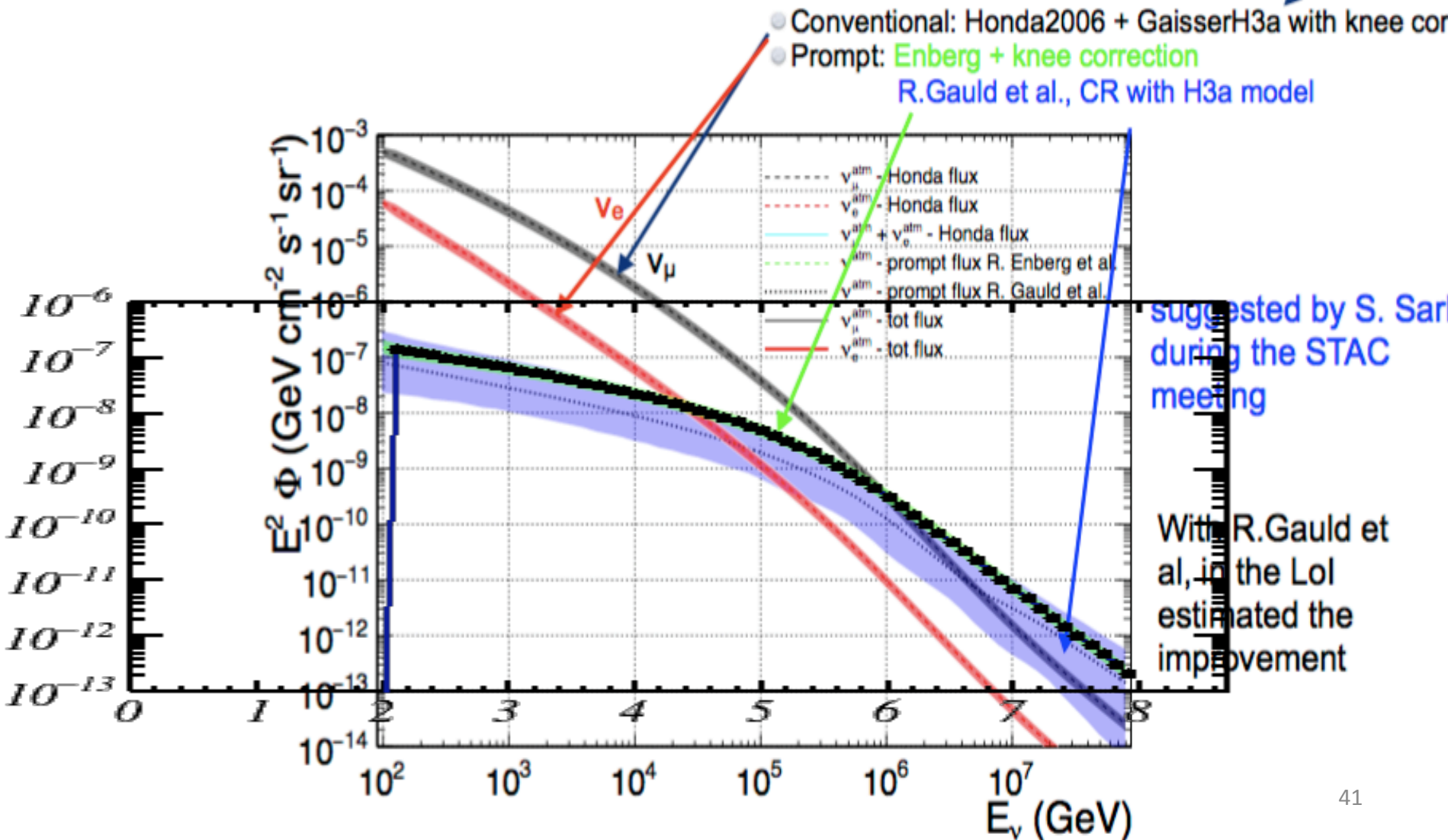
T. Gaisser 2012



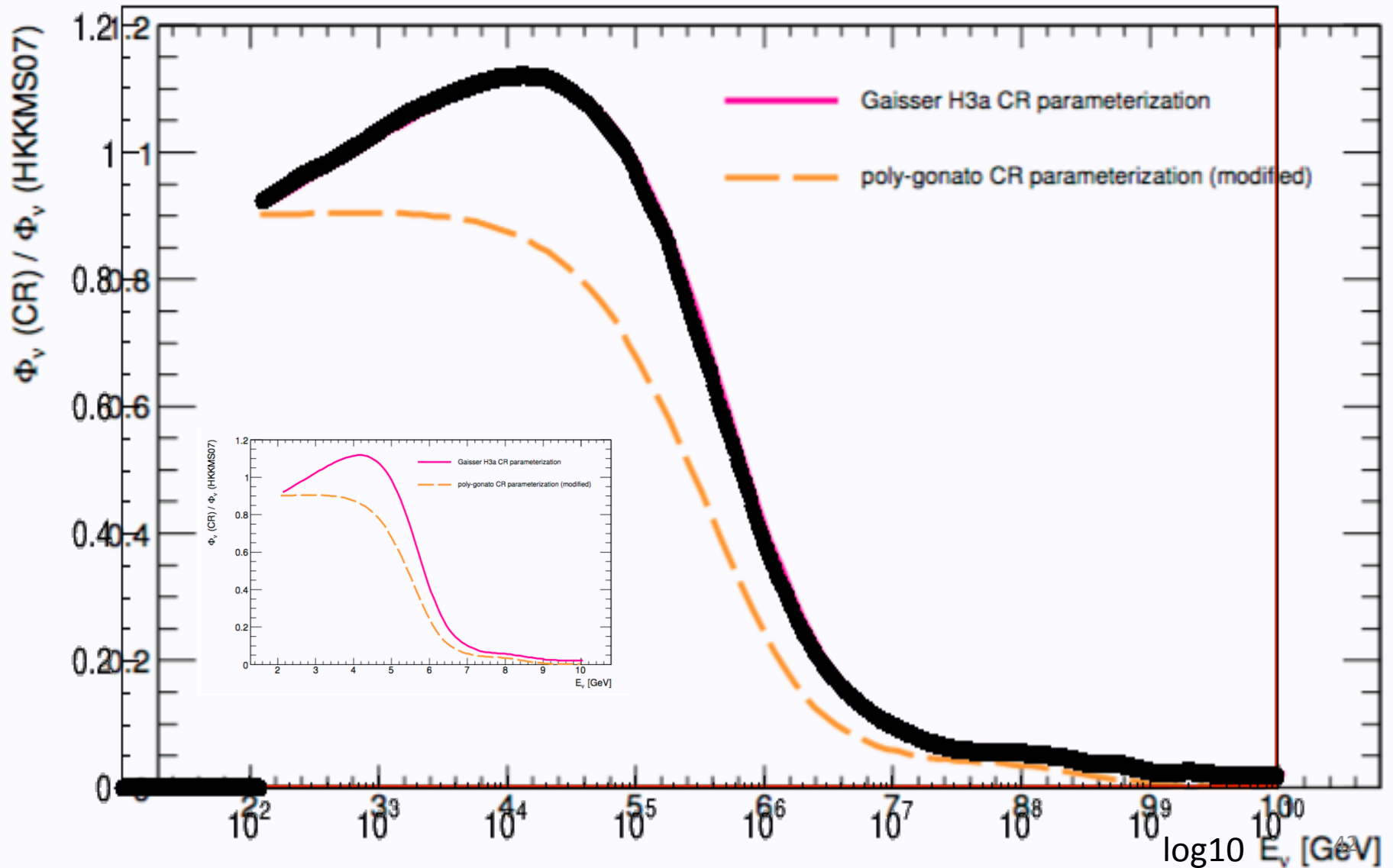


# Enberg extrapolated + knee correction

T. Gaisser 2012

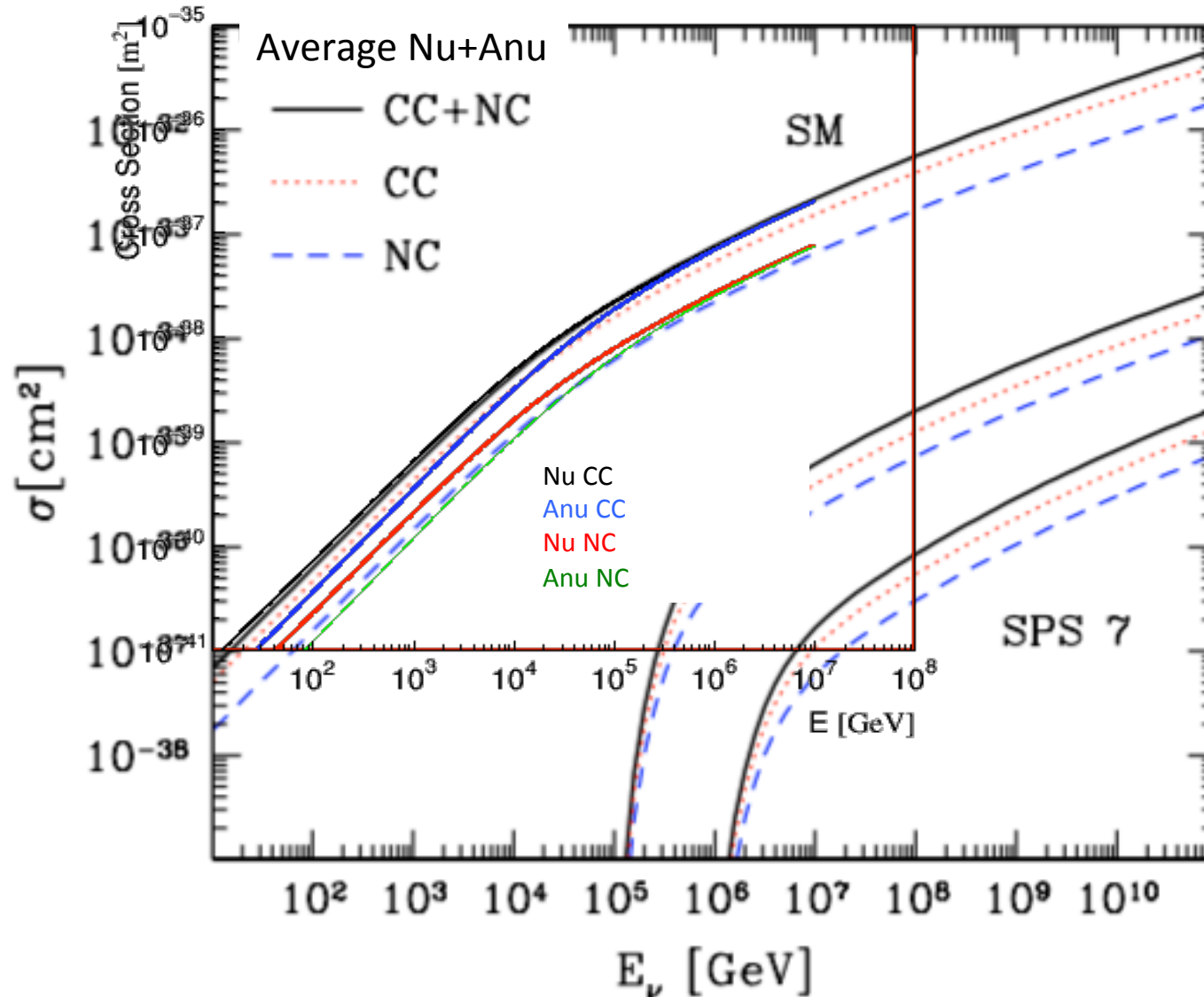


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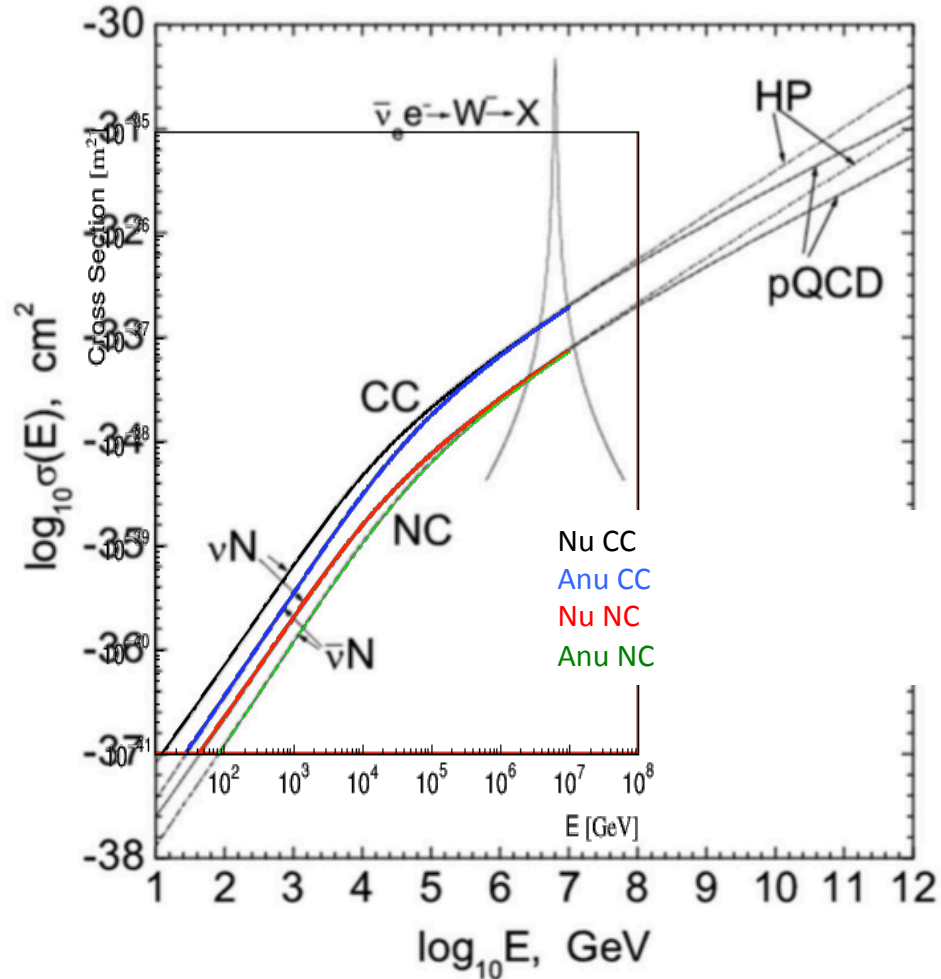




# Neutrino Cross Sections



# Neutrino Cross Sections



# Neutrino Cross Sections

