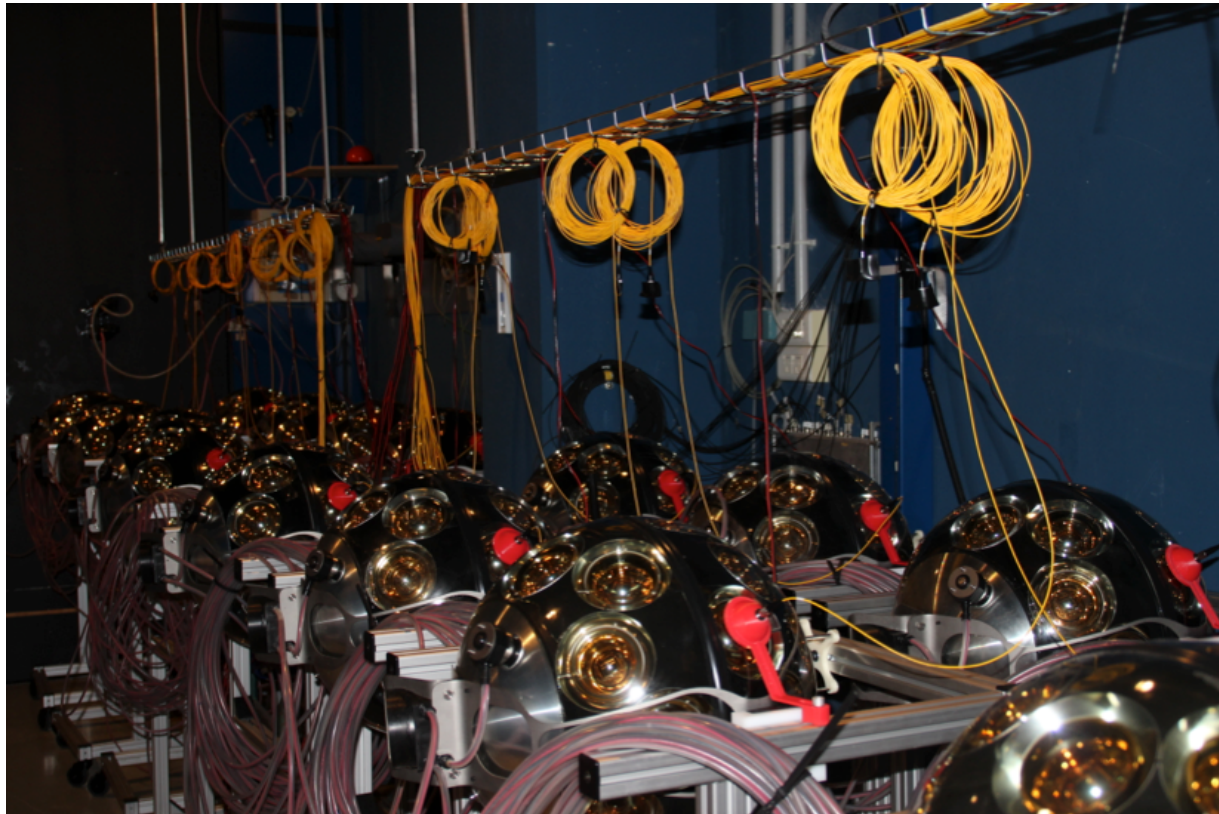


Time calibration of the KM3NeT detector in the
laboratory with cosmic ray showers

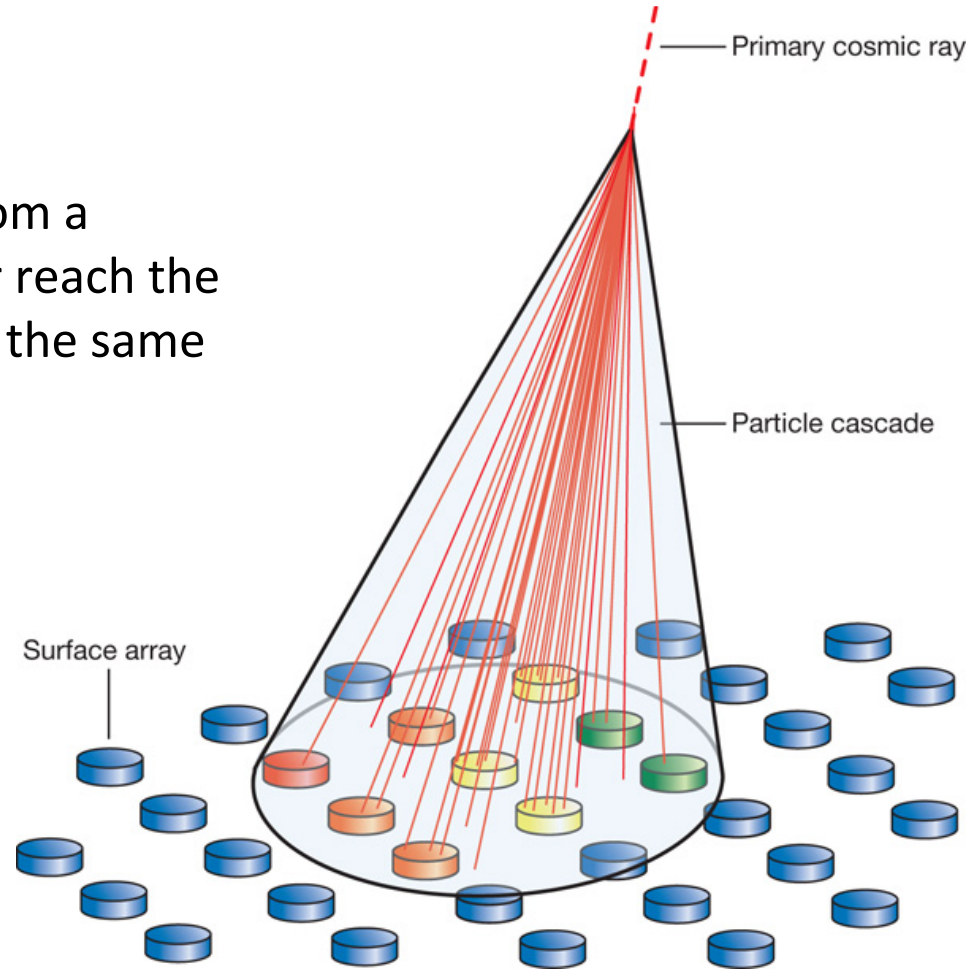
Calibration of DOMs

- Now done by laser in darkroom Marseille



Idea: use cosmic radiation

Different particles from a single cosmic shower reach the detectors at virtually the same time.



Goal

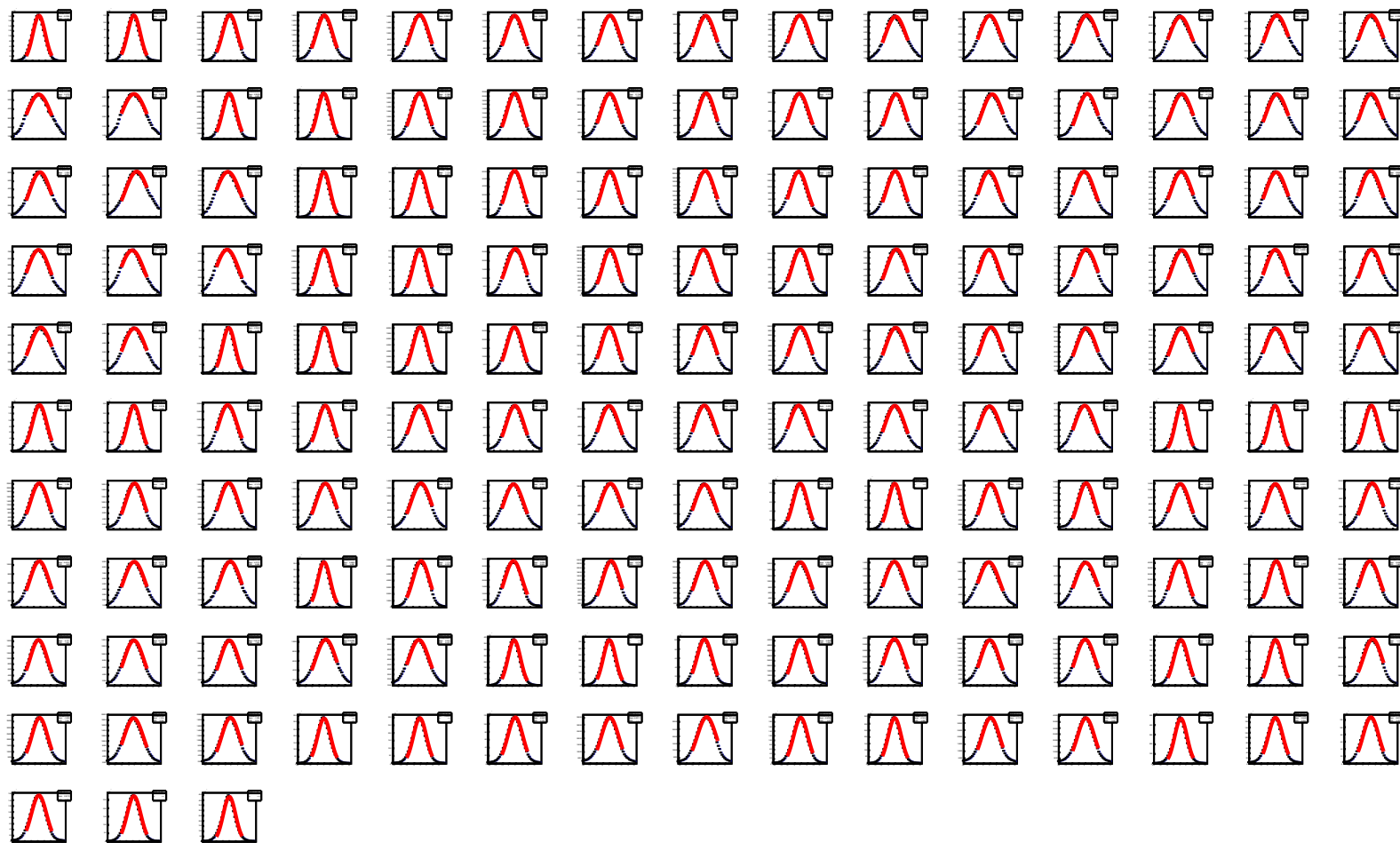
- Reproduce results achieved by laser
- Develop calibration procedure

Data collection

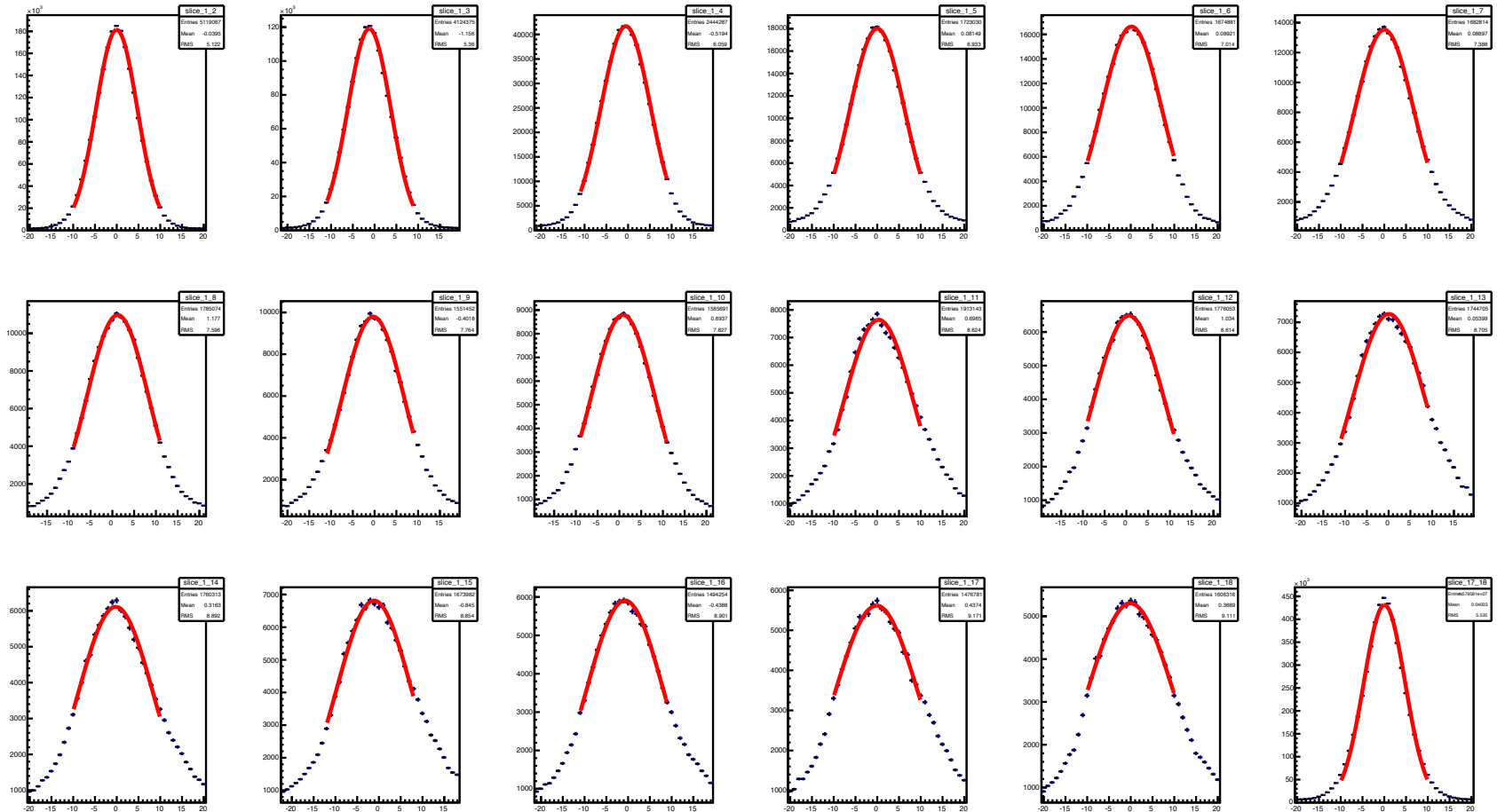
- Time difference between L1-hits of 2 DOMs are collected in a histogram.
- 18 DOMs $\rightarrow \frac{1}{2} N(N-1) = 153$ correlation histograms
- Fit histogram to Normal Distribution:

$$f(x) = \frac{A}{\sigma\sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2}$$

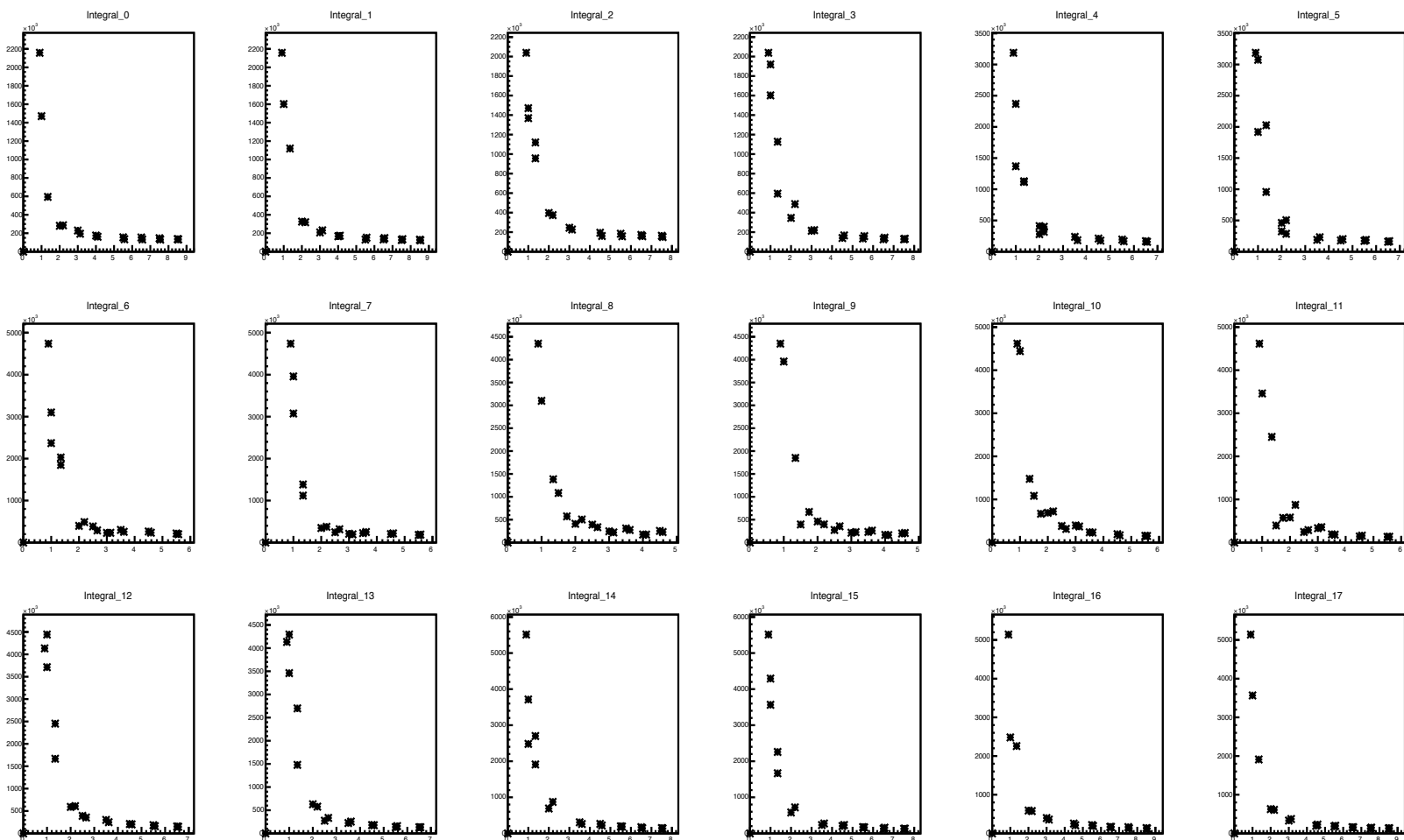
Data provided by darkroom in Marseille



Correlations DOM1 to other DOMs



Distance vs Integral



Method

- Need to find offsets of the DOMs: $t_1, t_2, \dots, t_{18}$
- Difference determined by fit: $t_i - t_j = \mu_{ij}$
- 153 equations: solve with Least Squares Approximation

- In matrix form:

$$\begin{bmatrix} 1 & -1 & 0 & \cdot \\ 1 & 0 & -1 & \cdot \\ \cdot & \cdot & \cdot & \cdot \\ 0 & 1 & -1 & \cdot \\ \cdot & \cdot & \cdot & \cdot \\ 0 & \cdot & 1 & -1 \end{bmatrix} \begin{bmatrix} t_1 \\ t_2 \\ \cdot \\ t_{18} \end{bmatrix} = \begin{bmatrix} \mu_1 \\ \mu_2 \\ \cdot \\ \mu_{18} \\ \cdot \\ \mu_{153} \end{bmatrix}$$

Or : $A.t = \mu$

Then: $t = (A^T A)^{-1} A^T \mu$

With variance matrix: $C = \text{diag}(1/\sigma^2)$

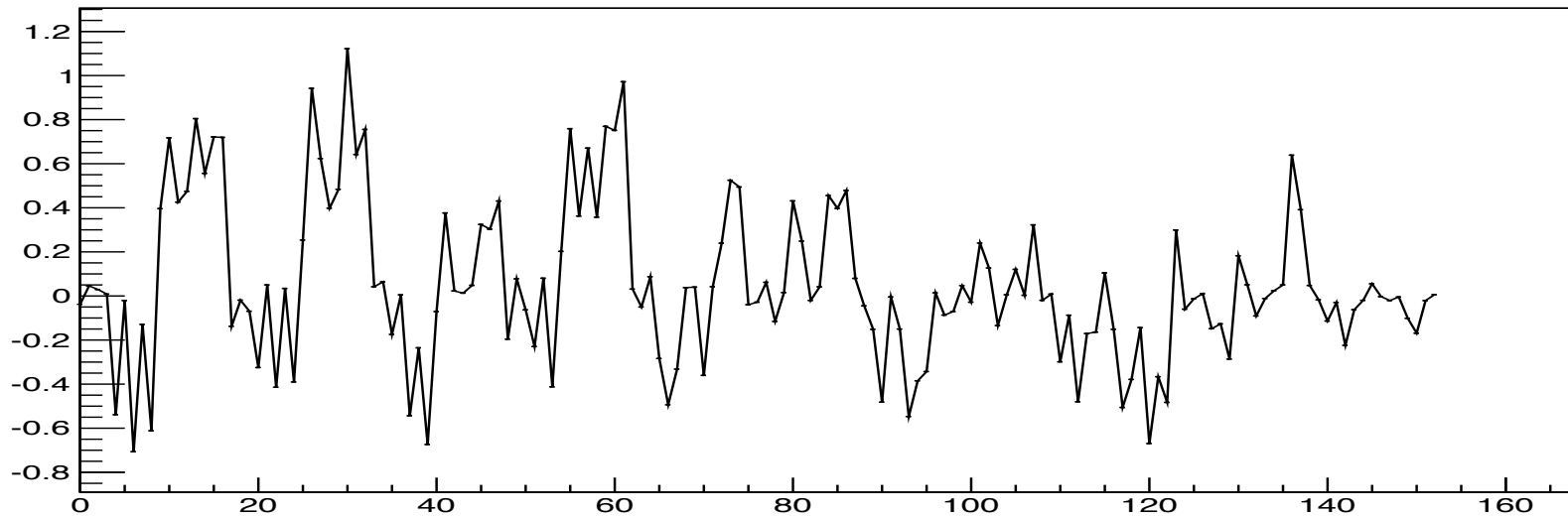
$$t = (A^T C A)^{-1} A^T C \mu$$

Absolute difference laser- and shower calibration

1		-0.01556	±	2.67e-07
2		1.32752	±	3.305e-07
3		0.43312	±	3.674e-07
4		0.15060	±	4.234e-07
5		0.37332	±	4.269e-07
6		0.29005	±	4.478e-07
7		-0.48400	±	4.494e-07
8		0.65829	±	4.627e-07
9		-0.07985	±	4.614e-07
10		-0.56297	±	5.127e-07
11		-1.0447	±	5.161e-07
12		-0.21689	±	5.198e-07
13		-0.11049	±	5.235e-07
14		0.53656	±	5.280e-07
15		0.46197	±	5.304e-07
16		-0.14841	±	5.410e-07
17		-0.22814	±	5.413e-07

Residues

With found values for offsets: determine residues of
Least Square Approximation $t_i - t_j = \mu_{ij}$



Calibration is optimized by minimizing Chi-squared of
residues and errorbars:

$$\chi^2 = \sum_{i,j} \frac{((t_i - t_j) - \mu_{ij})^2}{\sigma^2}$$

Advantage Muon-shower Calibration

- Redundancy of laser
- Improve results of laser
- Not dependent of functioning of single PMT