

Azimuthal anisotropy of $R = 0.2$ charged jet production
in $\sqrt{s_{NN}} = 2.76$ TeV Pb–Pb collisions



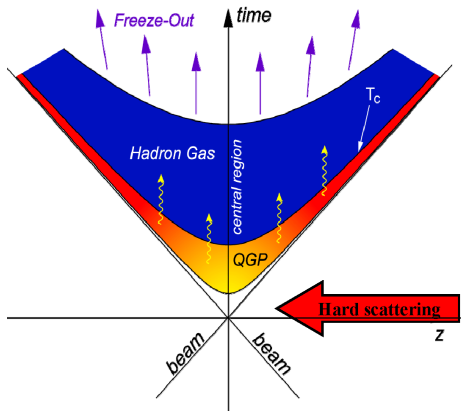
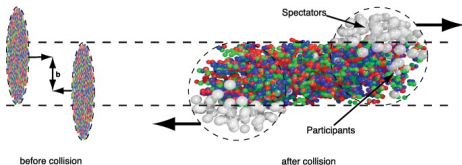
ALICE



Redmer Alexander Bertens - Utrecht University
NIKHEF Jamboree 2015

The ALICE experiment is aimed at studying the **Q**uark **G**luon **P**lasma

'Our aim is to study the physics of strongly interacting matter at extreme energy densities, where the formation of a new phase of matter, the quark-gluon plasma, is expected.'



What happens in a Pb–Pb collision?

- ① Hot, dense system is created
- ② Deconfined quarks and gluons undergo multiple interactions
- ③ Collective expansion
- ④ Chemical freeze-out to hadrons and finally kinetic freeze-out

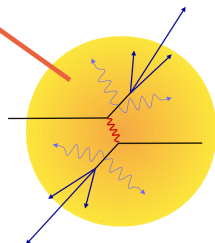
Hard scattering ($Q^2 > 1 \text{ (GeV}/c)^2$)

- Radiation of quarks and gluons
- Hadronization into colorless spray of particles: *'jets'*

Pb–Pb collisions: scattered partons interact with medium

→ *'jet quenching'*

dense QCD matter



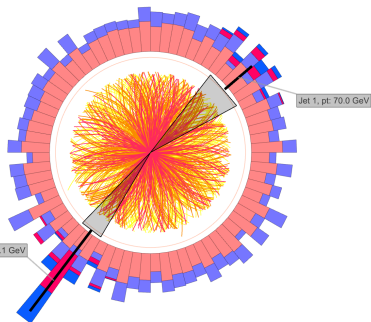
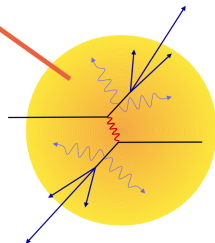
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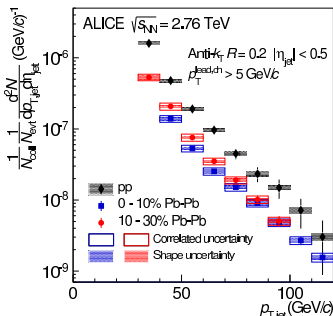
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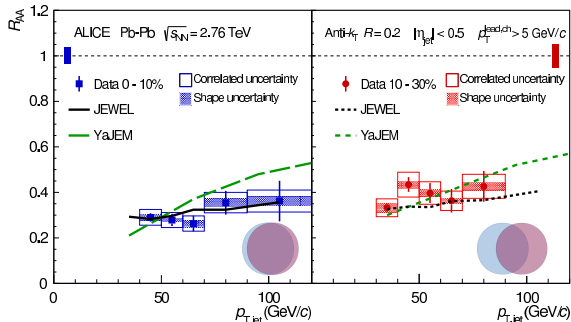
Experimental signatures of parton energy loss in Pb–Pb collisions

- Di-jet energy asymmetry
- Jet broadening
- *Suppression of yield*

This talk: *path-length dependence of parton energy loss*



ALICE, PLB 746 1-14



ALICE, PLB 746, 1-14

$$R_{AA} = \frac{d^2 N^{AA} / dp_T d\eta}{\langle T_{AA} \rangle \cdot d^2 \sigma_{pp} / dp_T d\eta}$$

- Strong suppression in central and peripheral collisions
- Model comparisons (JEWEL¹, YaJEM²): constrain energy loss mechanism

$v_2^{ch,jet}$: 'differential' approach to energy loss

¹K.C.Zapp *et al.* JHEP 1303 080

²T.Renk, PRC 78 034908

$$\underbrace{\left. \frac{dN}{E} \right|_{\text{jets, Pb-Pb}}}_{\text{final state}} = \underbrace{\left. \frac{dN}{dE} \right|_{\text{jets}}}_{\text{pQCD, PDF's}} \otimes \underbrace{P(\Delta E)}_{\text{energy loss distribution}}$$

Different theoretical predictions on path-length (L) dependence of parton energy loss (ΔE)^{3,4,5}

$$\underbrace{\Delta E \propto L}_{\text{collisional}} \leftrightarrow \underbrace{\Delta E \propto L^2}_{\text{radiative}} \leftrightarrow \underbrace{\Delta E \propto L^3}_{\text{AdS/CFT}}?$$

$v_2^{\text{ch jet}}$: comparing short to long L at fixed medium density

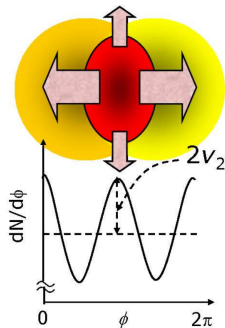
$$L_{\text{in}} \approx L_{\text{out}}$$

$$v_2^{\text{ch jet}} \approx 0?$$



$$L_{\text{in}} < L_{\text{out}}$$

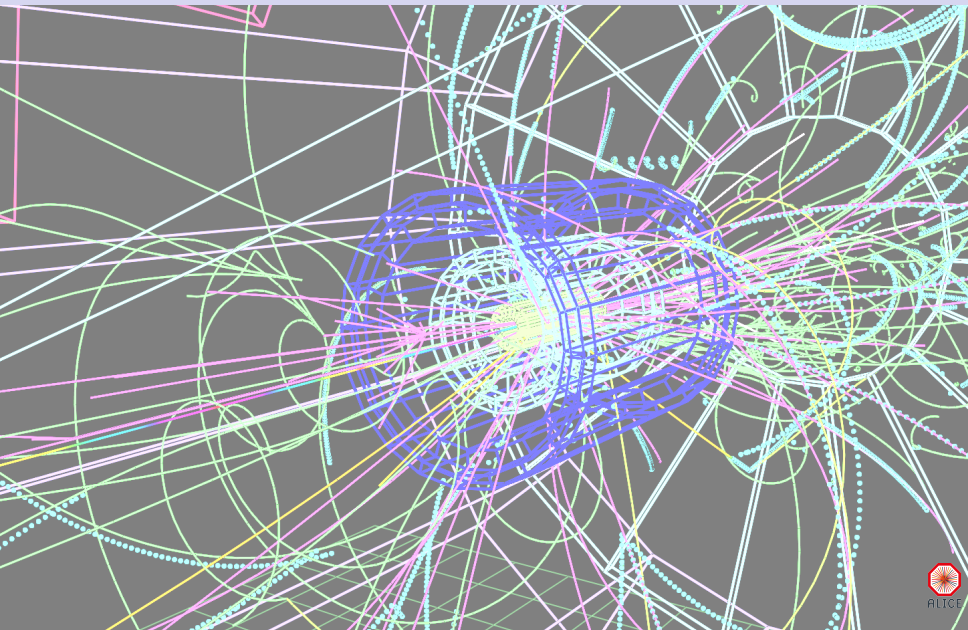
$$v_2^{\text{ch jet}} > 0?$$



³ R. Baier *et al.* NPB484 265-282 ($\propto L$)

⁴ R. Baier *et al.* NPB483 291-320 ($\propto L^2$)

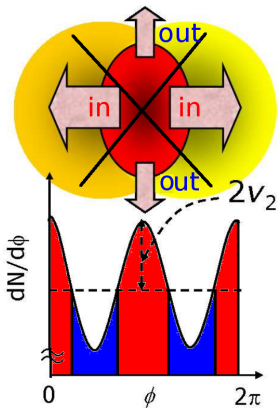
⁵ C. Marquet, T. Renk, PLB685 270-276 ($\propto L^3$)



$v_2^{\text{ch jet}}$ is measured using the 'in-plane' and 'out-of-plane' p_T -differential jet yields N_{in} , N_{out}

$$v_2^{\text{ch jet}} = \frac{\pi}{4} \frac{1}{R} \frac{N_{\text{in}} - N_{\text{out}}}{N_{\text{in}} + N_{\text{out}}}$$

resolution R corrects for the finite precision of symmetry plane estimate $\Psi_{\text{EP}, 2}$



$v_2^{\text{ch jet}}$ is measured using the 'in-plane' and 'out-of-plane' p_T -differential jet yields N_{in} , N_{out}

$$v_2^{\text{ch jet}} = \frac{\pi}{4R} \frac{N_{\text{in}} - N_{\text{out}}}{N_{\text{in}} + N_{\text{out}}}$$

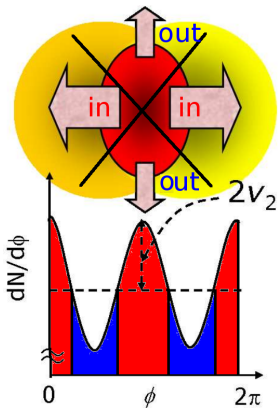
resolution R corrects for the finite precision of symmetry plane estimate $\Psi_{\text{EP}, 2}$

$v_2^{\text{ch jet}}$ is the second coefficient of a Fourier series

$$\frac{dN_{\text{jet}}}{d(\varphi_{\text{jet}} - \Psi_n)} \propto 1 + \sum_{n=1}^{\infty} 2v_n^{\text{ch jet}} \cos[n(\varphi_{\text{jet}} - \Psi_n)]$$

$$N_{\text{in}} = \int_{\text{in}} \frac{dN_{\text{jet}}}{d(\varphi_{\text{jet}} - \Psi_{\text{EP}, 2}^{\text{V0}})} = a (\pi + 4v_2^{\text{ch jet}})$$

$$N_{\text{out}} = \int_{\text{out}} \frac{dN_{\text{jet}}}{d(\varphi_{\text{jet}} - \Psi_{\text{EP}, 2}^{\text{V0}})} = a (\pi - 4v_2^{\text{ch jet}})$$



ALICE has published many times on *flow* ($v_2, v_3 \dots$)

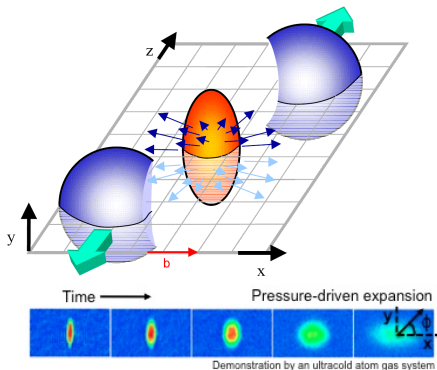
In a nutshell ...

- Almond-shaped overlap region
- Collective expansion of thermalized medium in vacuum
- Spatial anisotropy is converted to momentum-space anisotropy

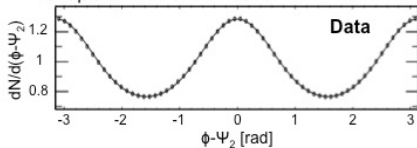
Result: cosine modulation (v_2) of azimuthal track distribution *at low* p_T

... **beware** ...: though **techniques** and **terminology** are similar

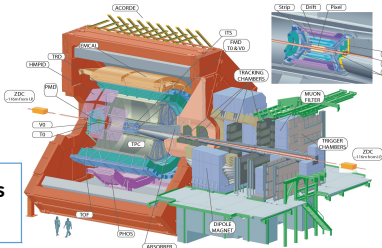
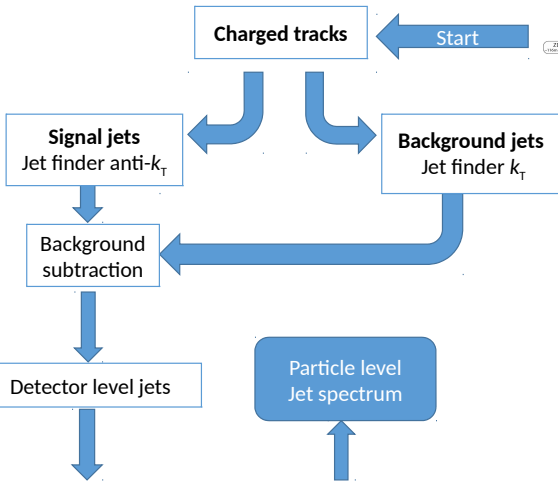
- **flow**: modulation of track azimuth *at low* p_T from collective expansion
- $v_2^{\text{ch jet}}$: azimuthal modulation of jet distribution (**high** p_T) from **energy loss**



Anisotropic azimuthal distribution:



ANALYSIS OVERVIEW



Charged particle tracks

- ITS: silicon detector
- TPC: gas detector
- $|\eta| < 0.9, 0 < \varphi < 2\pi$

Centrality and Event Plane determination

- V0: scintillator counters
- Forward rapidity
- $2.8 < \eta < 5.1, -3.7 < \eta < -1.7$

Unfolding

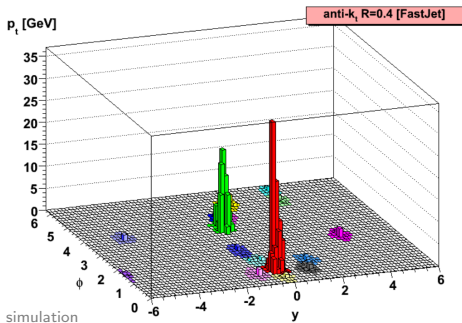
$$M(p_{T,\text{ch}}^{\text{jet,rec}}) = \int G(p_{T,\text{ch}}^{\text{jet,rec}}, p_{T,\text{ch}}^{\text{jet,gen}}) T(p_{T,\text{ch}}^{\text{jet,gen}}) \mathcal{E}(p_{T,\text{ch}}^{\text{jet,gen}}) dp_{T,\text{ch}}^{\text{jet,gen}}$$



'Jets' in heavy-ion collisions are not so easy to understand ...

- Theoretical definition of jet: colorless spray of particles emitted by parton
- Experimental definition of jet: **fully determined by jet finding algorithm**

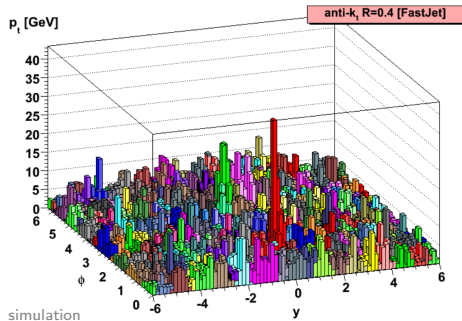
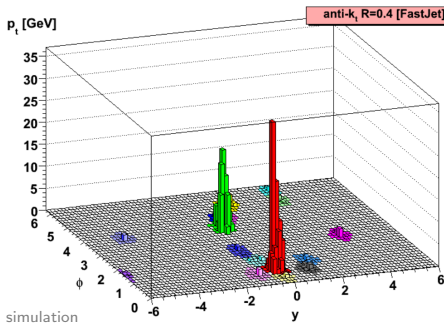
(this analysis: anti- k_T with $R = 0.2$: maximum $\eta-\phi$ distance of jet constituent tracks to jet axis)



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Main difficulties in Pb–Pb jet analyses

- ‘Background’ (*Underlying Event*) large [1] compared to jet energy
- UE is *not uniform* (hydrodynamic flow [2], statistical fluctuations [3])

[1] UE energy $\langle \rho_{ch} \rangle$

Event-by-event estimate of energy density of UE

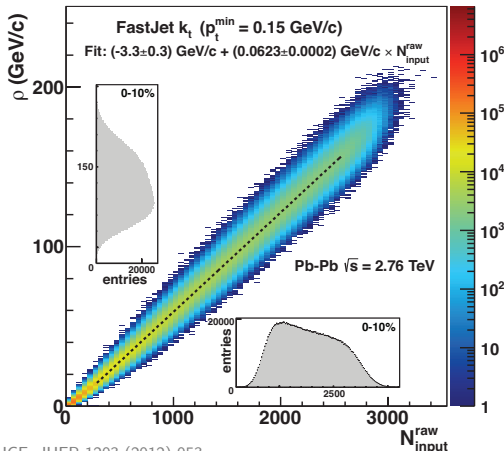
$$\langle \rho_{ch} \rangle = \text{median} \left(\frac{p_{T, ch}^{\text{jet}}}{A^{\text{jet}}} \right)$$

Linear dependence of $\langle \rho_{ch} \rangle$ on multiplicity

Quick example: 0–10% centrality

- $\langle \rho_{ch} \rangle \approx 140 \text{ GeV}/c A^{-1}$
- $A \propto \pi R^2$

$\propto 20 \text{ GeV}/c$ background for a $R = 0.2$ jet



ALICE, JHEP 1203 (2012) 053

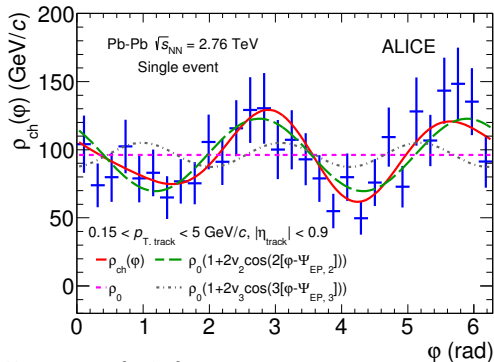


[2] Jet-by-jet UE subtraction

Jet energy in Pb–Pb is adjusted for **underlying event** (UE) energy jet-by-jet

$$p_{T, \text{ch}}^{\text{jet}} = p_{T, \text{ch}}^{\text{raw}} - \rho_{\text{ch local}} A$$

using jet **area** A and **flow-modulated** UE energy density $\rho_{\text{ch local}}$



UE **flow** (v_2 and v_3) is **accounted for** in $\rho_{\text{ch local}}$ by fitting a Fourier expansion to the azimuthal p_T distribution event-by-event:

arXiv:1509.07334 [nucl-ex]

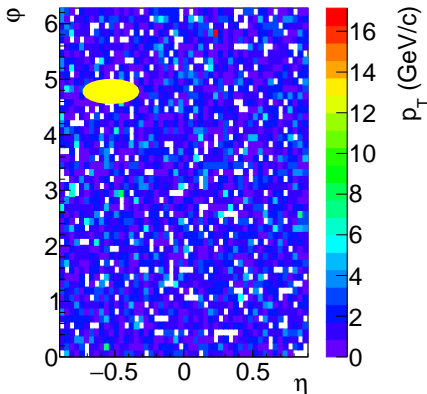
$$\rho_{\text{ch}}(\varphi) = \rho_0 \left(1 + 2 \{ v_2 \cos[2(\varphi - \Psi_{EP,2}^{V0})] + v_3 \cos[3(\varphi - \Psi_{EP,3}^{V0})] \} \right)$$

Note: maxima of v_2 , v_3 naturally indicate symmetry angles $\Psi_{EP,2}$ and $\Psi_{EP,3}$!

[3] Fluctuations of UE

UE **fluctuations** in φ , η around $\langle \rho_{\text{ch}} \rangle$

- A jet of $p_{\text{T}} = x$ sitting on an **upward** fluctuation of magnitude **a** will be reconstructed at $p_{\text{T}} = x + a$...
- ... likewise a jet of $p_{\text{T}} = x$ sitting on a **downward** fluctuation of magnitude **a** will be reconstructed at $p_{\text{T}} = x - a$



Random cone procedure to determine magnitude fluctuations

$$\delta p_{\text{T}} = \underbrace{\sum p_{\text{T}}^{\text{track}}}_{\text{cone } p_{\text{T}}} - \underbrace{\rho \pi R^2}_{\text{expectation}}$$

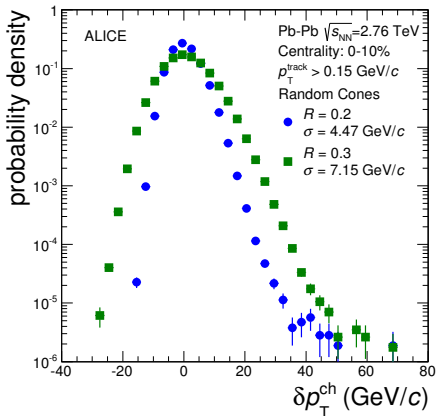
δp_{T} distribution used to **unfold** jet spectra:

$$M(p_{\text{T, ch}}^{\text{jet, rec}}) = \int G(p_{\text{T, ch}}^{\text{jet, rec}}, p_{\text{T, ch}}^{\text{jet, gen}}) T(p_{\text{T, ch}}^{\text{jet, gen}}) \mathcal{E}(p_{\text{T, ch}}^{\text{jet, gen}}) dp_{\text{T, ch}}^{\text{jet, gen}}$$

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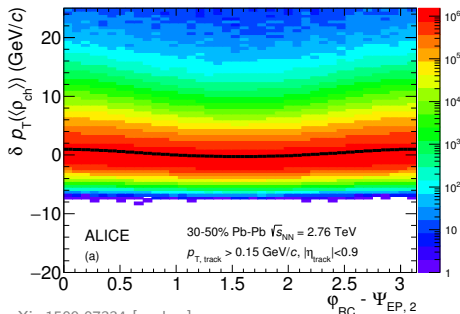


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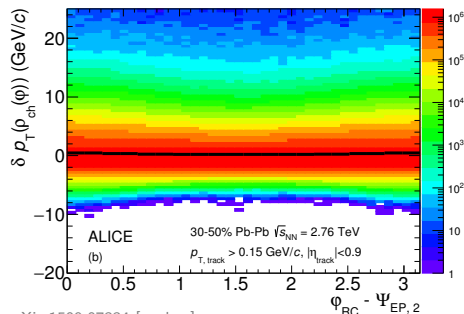
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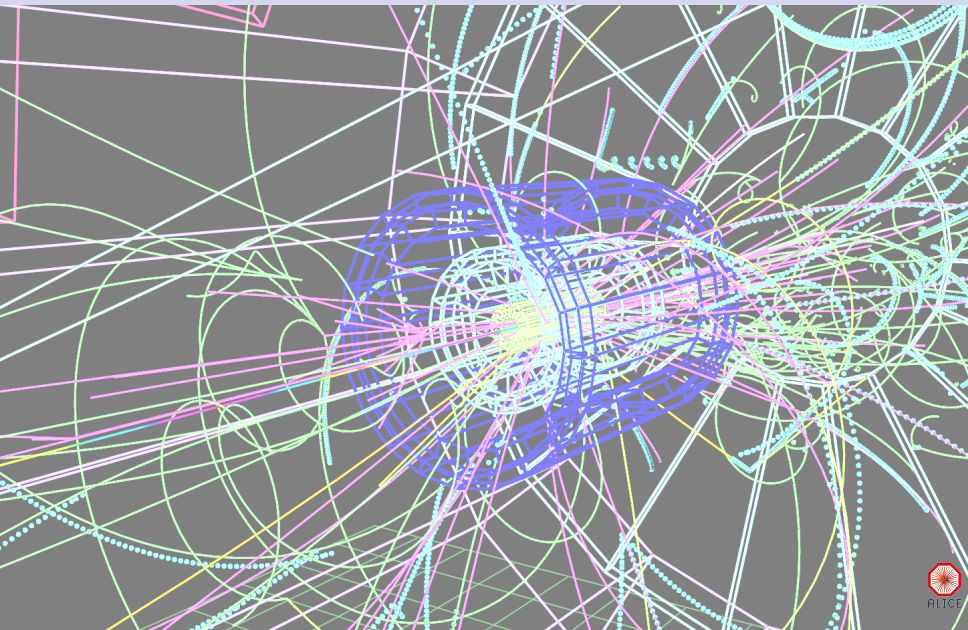
$\delta\rho_T$ distribution built using $\langle \rho_{ch} \rangle$



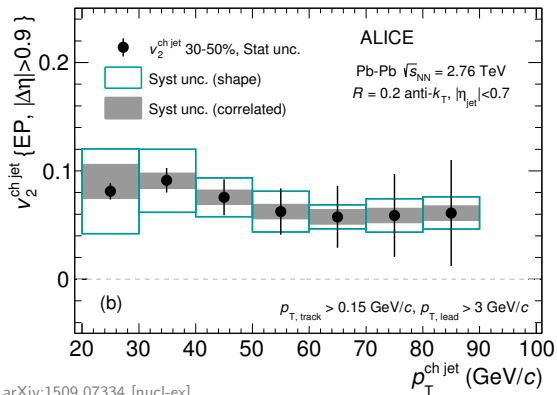
$\delta\rho_T$ distribution built using ρ_{ch} local

UE subtraction technique **successfully** removes **flow bias** from UE

- Modulation of **mean** $\delta\rho_T$ decreases strongly
- Width of $\delta\rho_T$ **in-plane** is larger than **out-of-plane**
- In-plane and out-of-plane jet spectra need to be unfolded **independently** to properly treat UE **fluctuations**



$v_2^{\text{ch jet}}$ in 30–50% collision centrality

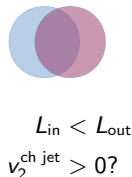
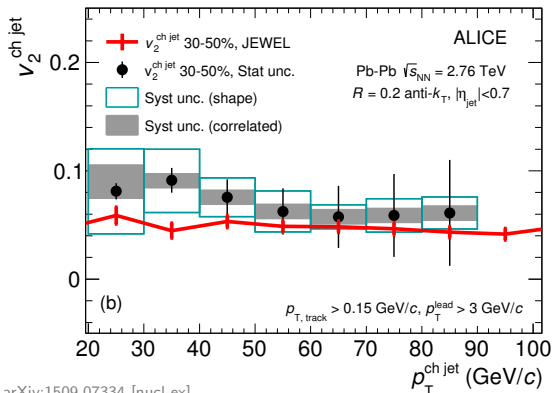


$$L_{\text{in}} < L_{\text{out}}$$

$$v_2^{\text{ch jet}} > 0?$$

arXiv:1509.07334 [nucl-ex]

- **Non-zero** $v_2^{\text{ch jet}}$ over entire p_T range
- Confirmation of jet energy loss in the collision medium
- Energy loss sensitive to **collision geometry** up to high p_T



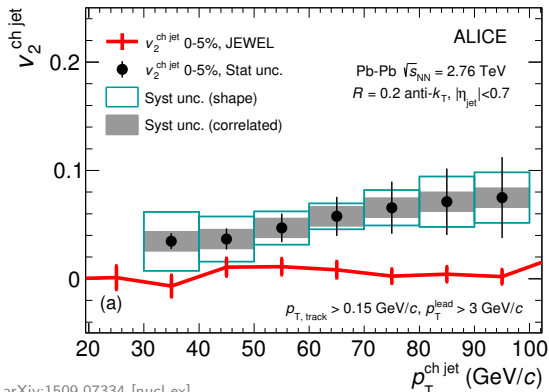
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JEWEL⁶: energy loss in presence of QCD medium

- Good agreement with model prediction (effective L^2 dependence of energy loss)
- Additional modeling and high-precision measurements necessary to truly constrain energy loss mechanisms

⁶ K.C.Zapp *et al.* JHEP 1303 080

What about central collisions ?



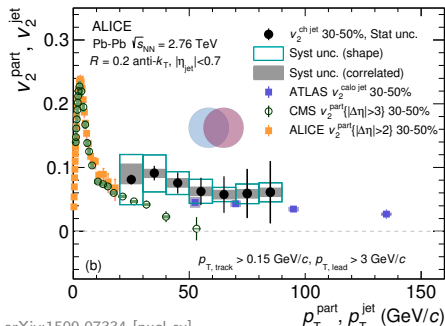
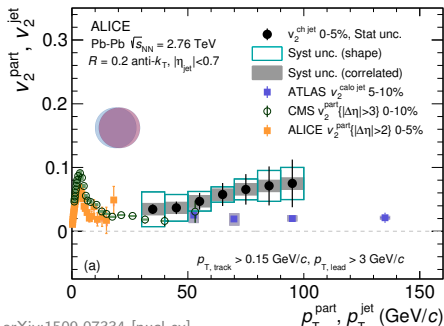
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Non-zero $v_2^{ch jet}$ **also** observed in central (0–5%) collisions

- (Correlated) uncertainties on the measurement preclude a strong statement
- Non-zero $v_2^{ch jet}$ as result of **fluctuations** in the density of nuclei?
- JEWEL (homogeneous nuclei) **underestimates** $v_2^{ch jet}$

Other observables sensitive to parton energy loss

- High- p_T single particle v_2^{part} (ALICE⁷, CMS⁸)
- $v_2^{\text{ch+emjet}}$ of jets comprising charged and neutral fragments (ATLAS⁹)



arXiv:1509.07334 [nucl-ex]

arXiv:1509.07334 [nucl-ex]

Different energy scales for v_2^{part} , $v_2^{\text{ch jet}}$ and $v_2^{\text{ch+emjet}}$, qualitative comparison only

- Non-zero v_2^{part} , $v_2^{\text{ch jet}}$ and $v_2^{\text{ch+emjet}}$ up to high p_T
- Qualitatively consistent picture in central and semi-central collisions

⁷ ALICE, PLB719 (2013) 18-28

⁸ CMS, PRL 109 (2012) 022-301

⁹ ATLAS, PRL 111 (2013) 152-301

$v_2^{\text{ch jet}}$ measured in Pb–Pb collisions at $\sqrt{s_{\text{NN}}} = 2.76$ TeV by ALICE

[analysis] Main difficulty in jet analyses in Pb–Pb collisions

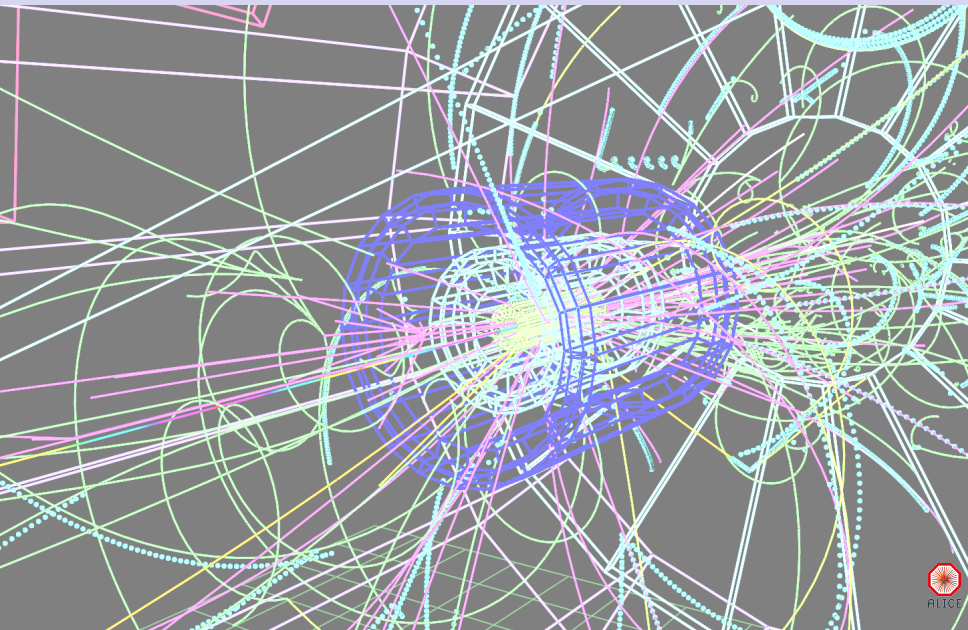
- Large, non-uniform background (UE)
- UE treatment successfully accounts for fluctuations and flow

[observations] Non-zero $v_2^{\text{ch jet}}$

- Strong parton energy loss
- Sensitive to the collision geometry up to high p_{T}

Thank you for your attention



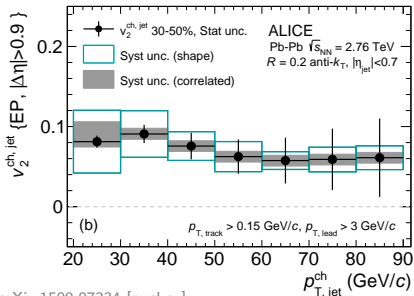
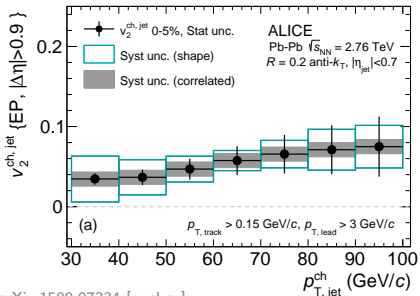


$v_2^{\text{ch, jet}}$ in 0-5% and 30-50% collision centrality



$v_2^{\text{ch, jet}}$ is measured in 0-5% (left) and 30-50% (right) collision centrality

- [0-5%] $\approx 2 \sigma$ deviation from 0
- [30-50%] $\approx 3 - 4 \sigma$ deviation from 0



arXiv:1509.07334 [nucl-ex]

p -value is derived from minimizing a modified χ^2 -function w.r.t. $\epsilon_{\text{corr}}, \epsilon_{\text{shape}}$

arXiv:1509.07334 [nucl-ex]

$$\tilde{\chi}^2(\epsilon_{\text{corr}}, \epsilon_{\text{shape}}) = \left[\left(\sum_{i=1}^n \frac{(v_2 i + \epsilon_{\text{corr}} \sigma_{\text{corr}, i} + \epsilon_{\text{shape}})^2}{\sigma_i^2} \right) + \epsilon_{\text{corr}}^2 + \frac{1}{n} \sum_{i=1}^n \frac{\epsilon_{\text{shape}}^2}{\sigma_{\text{shape}, i}^2} \right]$$

¹⁰ Phys.Rev. C77, 064907 (2008), 0801.1665

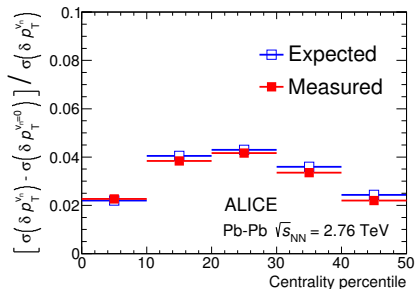


Expected δp_T width **without** flow from charged particles from N_A (multiplicity in a cone) $\langle \rho_T \rangle$ (mean ρ_T of particle spectrum) $\sigma(\rho_T)$ (width of particle spectrum)

$$\sigma(\delta p_T^{v_n=0}) = \sqrt{N_A \sigma^2(\rho_T) + N_A \langle \rho_T \rangle^2}$$

Adding v_n by introducing non-Poissonian fluctuations $\sigma_{NP}^2(N_A) = 2N_A^2(v_2^2 + v_3^2)$

$$\sigma(\delta p_T^{v_n}) = \sqrt{N_A \sigma^2(\rho_T) + (N_A + \sigma_{NP}^2(N_A)) \langle \rho_T \rangle^2}$$



- 'expected' as above: from N_A and $\langle \rho_T \rangle$, etc.
- 'measured': from δp_T distributions
 - $\sigma(\delta p_T^{v_n})$ from $\langle \rho_{ch} \rangle$
 - $\sigma(\delta p_T^{v_n=0})$ from ρ_{ch} local

arXiv:1509.07334 [nucl-ex]

ρ_{ch} local gives expected reduction of flow contribution to the δp_T width