

Belle Starr atmo muon suppression

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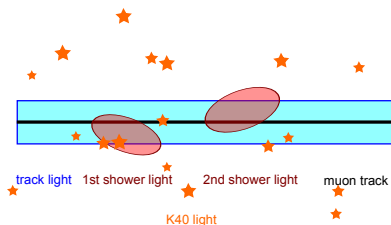
October 21, 2016



Further Muon suppression

Method

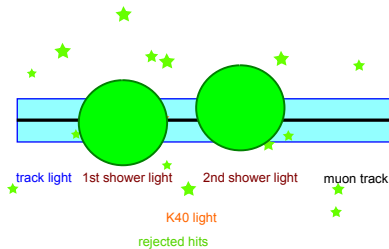
Use the fact that the muon track produces light before and after the two reconstructed showers!



Further Muon suppression

Hit Selection

- $\text{window[ns]} \geq \text{hit.residual}(\text{vertex12}) \leq -20 \text{ ns}$
- 4 fold coincidences on DOM within 20 ns



Further Muon suppression

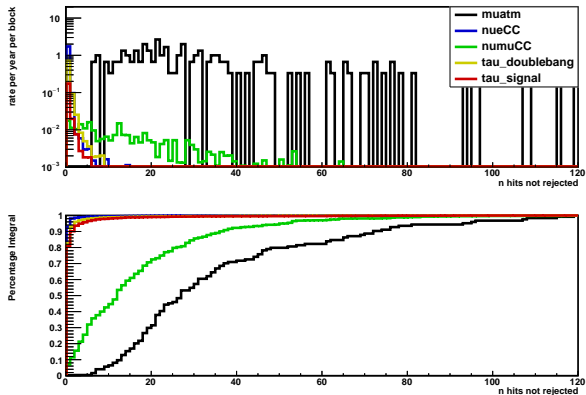


Figure : top: Number of early hits for different channels; bottom: cumulative distribution

New Idea - as suggested by Maarten

Background hypothesis test

Instead of making a coincidence selection in order to distinguish K40 hits from signal hits, count the hits and compare to background hypothesis (independent of parameter choice, almost)

- Select region of interest in detector: 200 m radius around both rec vertices
- Find number of PMTs present (on average around 2150 PMTs per 200 m radius)
- ↪ compute expected number of K40 hits:
$$n\text{PMTs} * \text{window} * \text{K40-Rate}$$
- Find number of hits recorded in 200 m radius
- ↪ use Poisson statistics to test probability of pure bkg hypothesis

Time window size

What is the maximal time a muon hit can be too early?

A: the earliest hit possible is one on the muon track on the edge of the considered region

$$\hookrightarrow \text{window} = 200 \text{ m} / 0.3 \text{ m ns}^{-1} + 200 \text{ m} / 0.2 \text{ m ns}^{-1} \approx 1700 \text{ ns}$$

For second vertex use maximal negative time window for lower edge

Cut flow

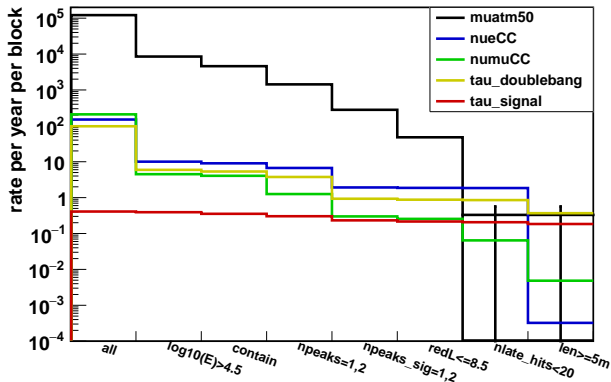


Figure : Cut flow, nlate_hits added will be replaced with new probability cut

Poisson Probability

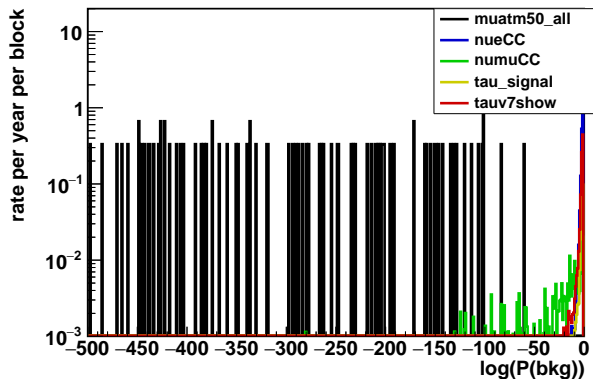


Figure : Distribution of $\log(P(\text{bkg}))$ for different channels

Poisson Probability

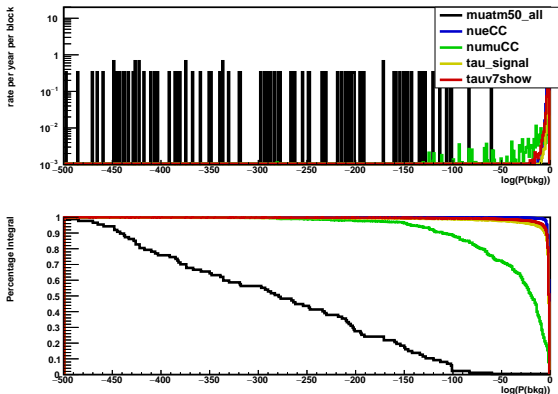


Figure : Distribution of $\log(P(\text{bkg}))$ for different channels; bottom is the cumulative distribution

Poisson Probability

