

Pixel TPC simulations

Kees Ligtenberg

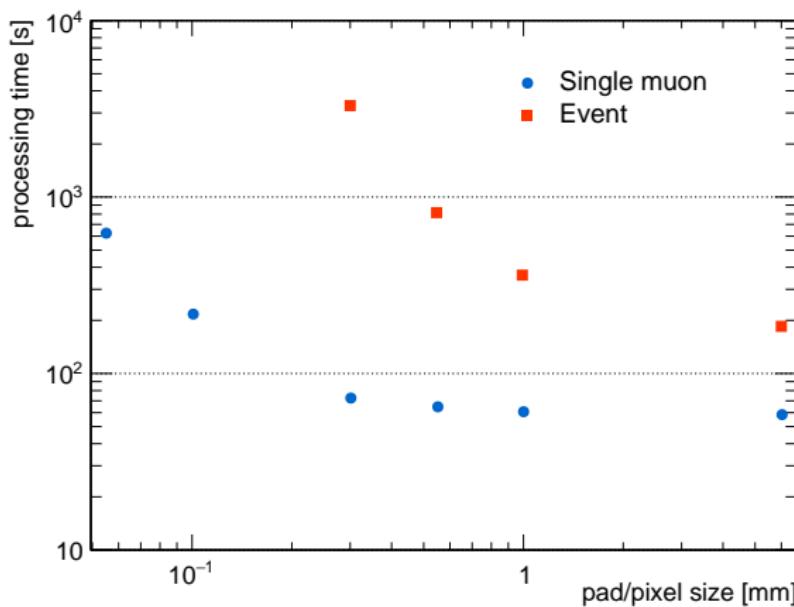
Nikhef lepcol gridpix meeting

10 october 2016

Outline

- 1 Faster pixel simulation
 - Interpolation curve
 - Deposition of hits
- 2 Updated event displays

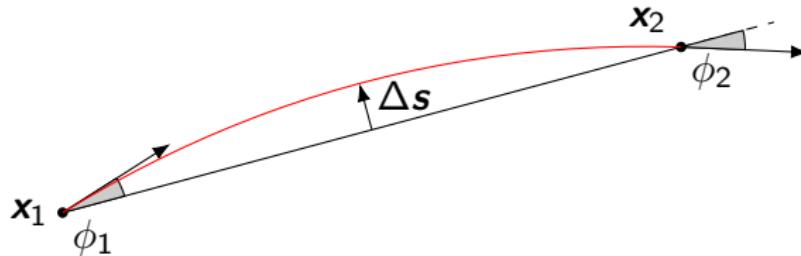
Full $55 \times 55 \mu\text{m}^2$ pixel simulation takes too much time



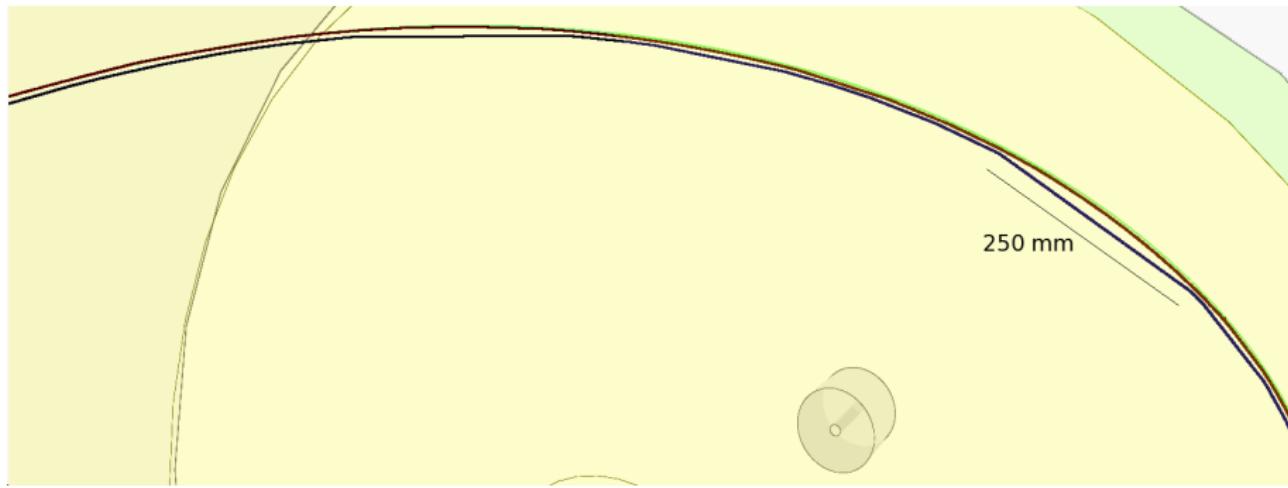
- Processing time increases rapidly at smaller pixel sizes

Interpolate pixels in larger volumes

- The processing time can be sped up by approximating the $55 \times 55 \mu\text{m}^2$ pixels over larger, e.g. $1 \times 1 \text{ mm}^2$, volumes
- Register point and direction at entry and exit of volume
- Approximate the circular track with a parabola within the volume



Linear and parabolic interpolation

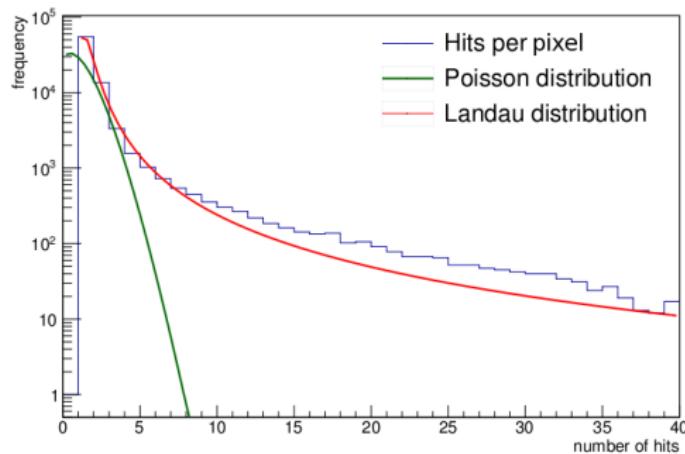


1 GeV muon with large step size for demonstration purposes

- Parabolic interpolation follows track closely

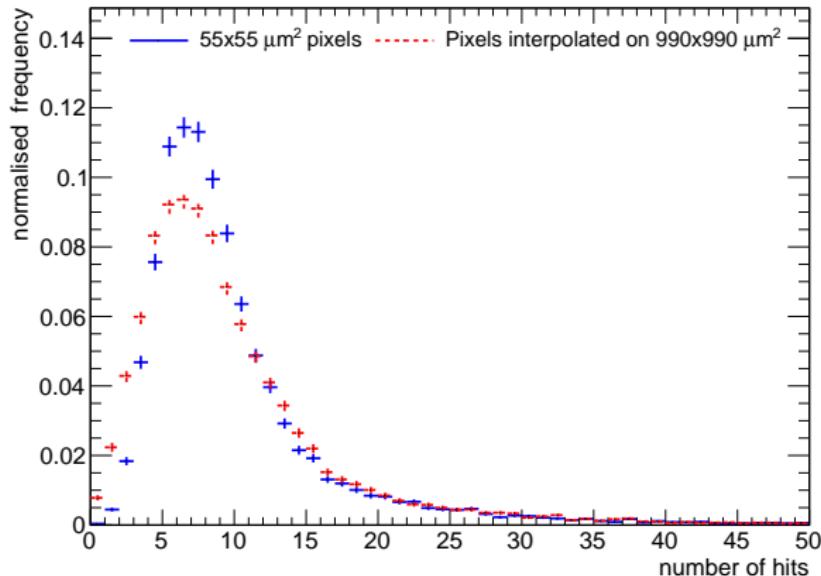
Distribution of hits along the track

- Besides shape, the distribution of hits along the track is another important parameter



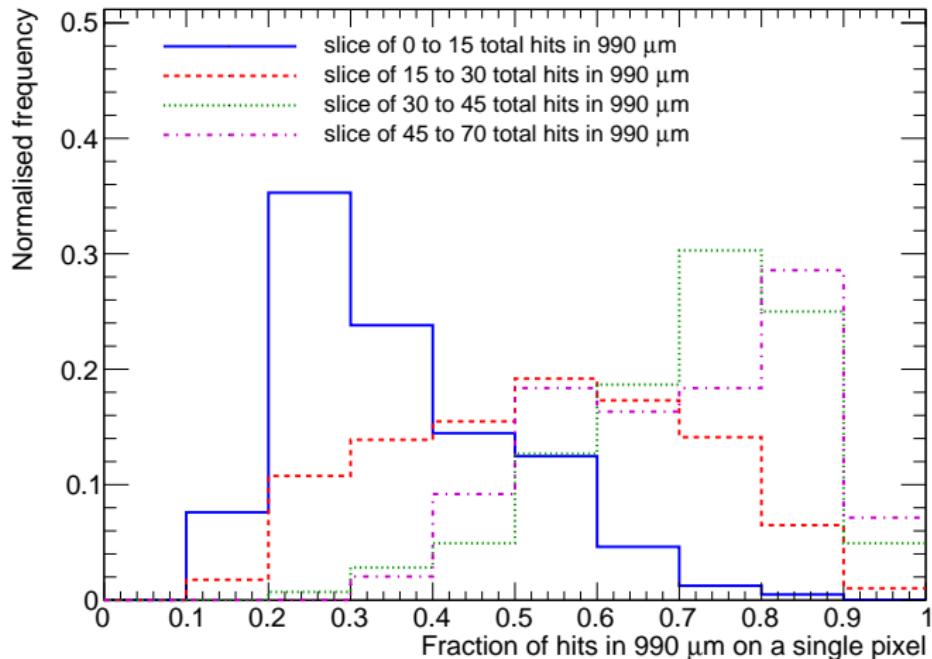
- Ionization in gas follows roughly a Landau distribution
- Hits closer than 55 μm are simulated as multiple hits per volume

Number of hits per $990 \mu\text{m}$ layer



- 18 steps of $55 \mu\text{m}$ do not have the same hit distribution as one step of $990 \mu\text{m}$
 - ▶ The larger step size has a widened distribution

Distribution of hits within 990 μm



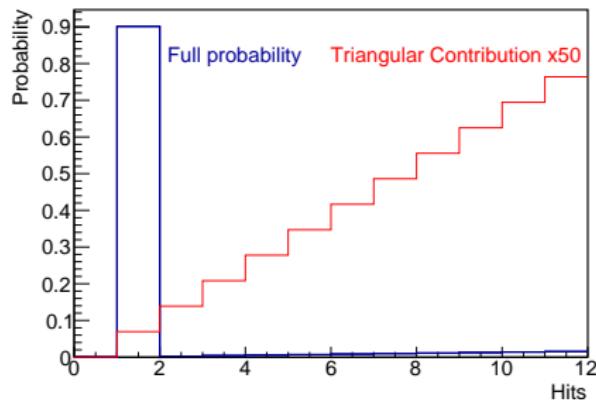
- If there are many hits in 990 μm , most of them are on a single pixel
- If there are few hits, there is a Poisson like distribution

Approximation of distribution

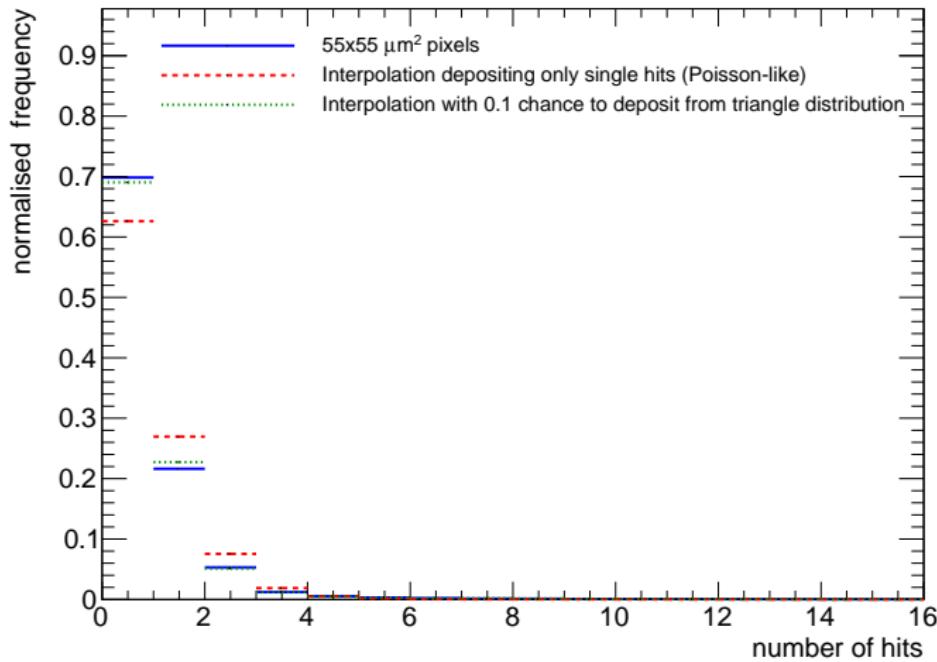
Deposit hits randomly on track segment with a small chance to deposit multiple hits. The chance to deposit N out of N_{total} hits is given by

$$P(N_{\text{hits}} = 1) = 0.9 \quad \text{Poisson like}$$

$$P(N_{\text{hits}} = N) \simeq 0.1 \cdot \frac{2N}{N_{\text{total}}^2} \quad \text{Triangle between 1 and } N_{\text{total}}$$

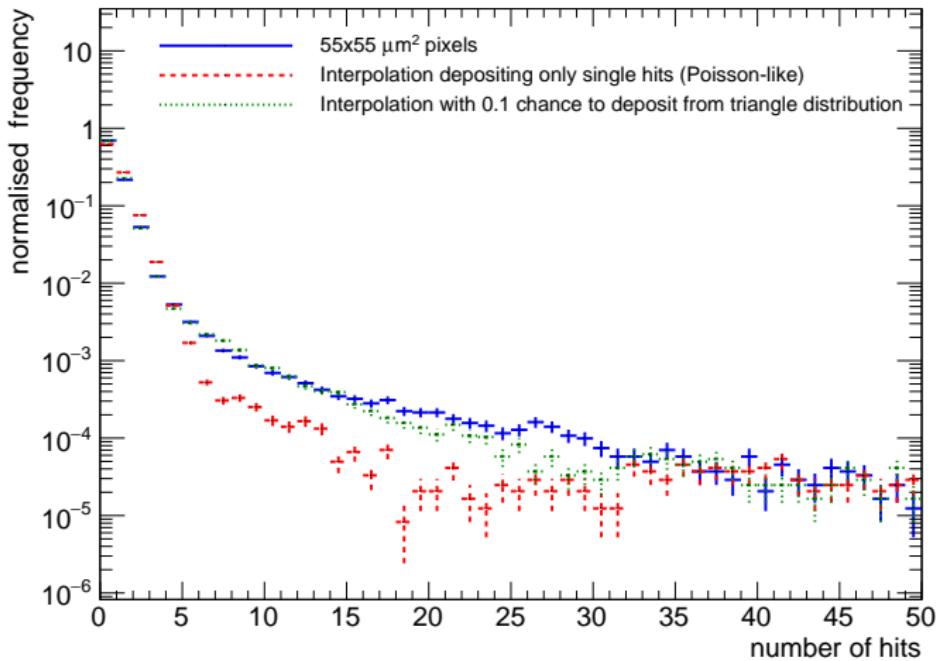


Number of hits per $55 \mu\text{m}$ layer



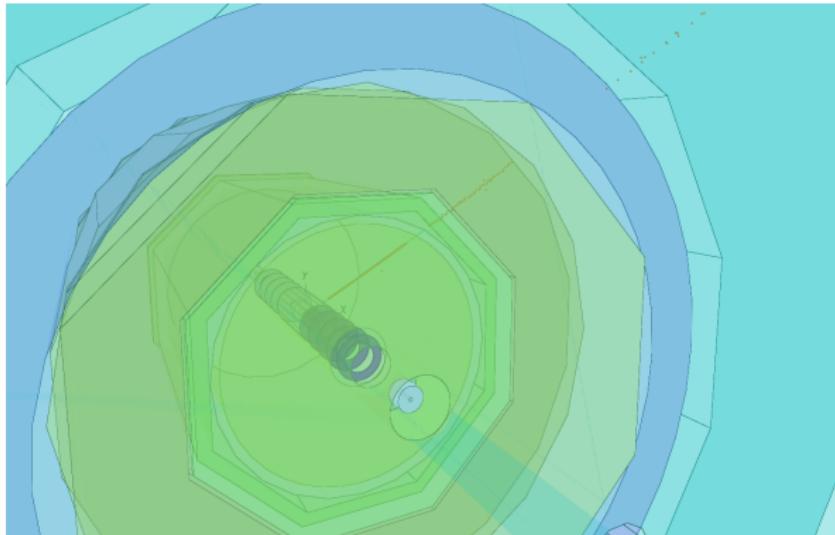
The distribution with a chance to deposit multiple hits agrees better than a pure Poisson distribution

Number of hits per $55 \mu\text{m}$ layer



The distribution with a chance to deposit multiple hits agrees better than a pure Poisson distribution

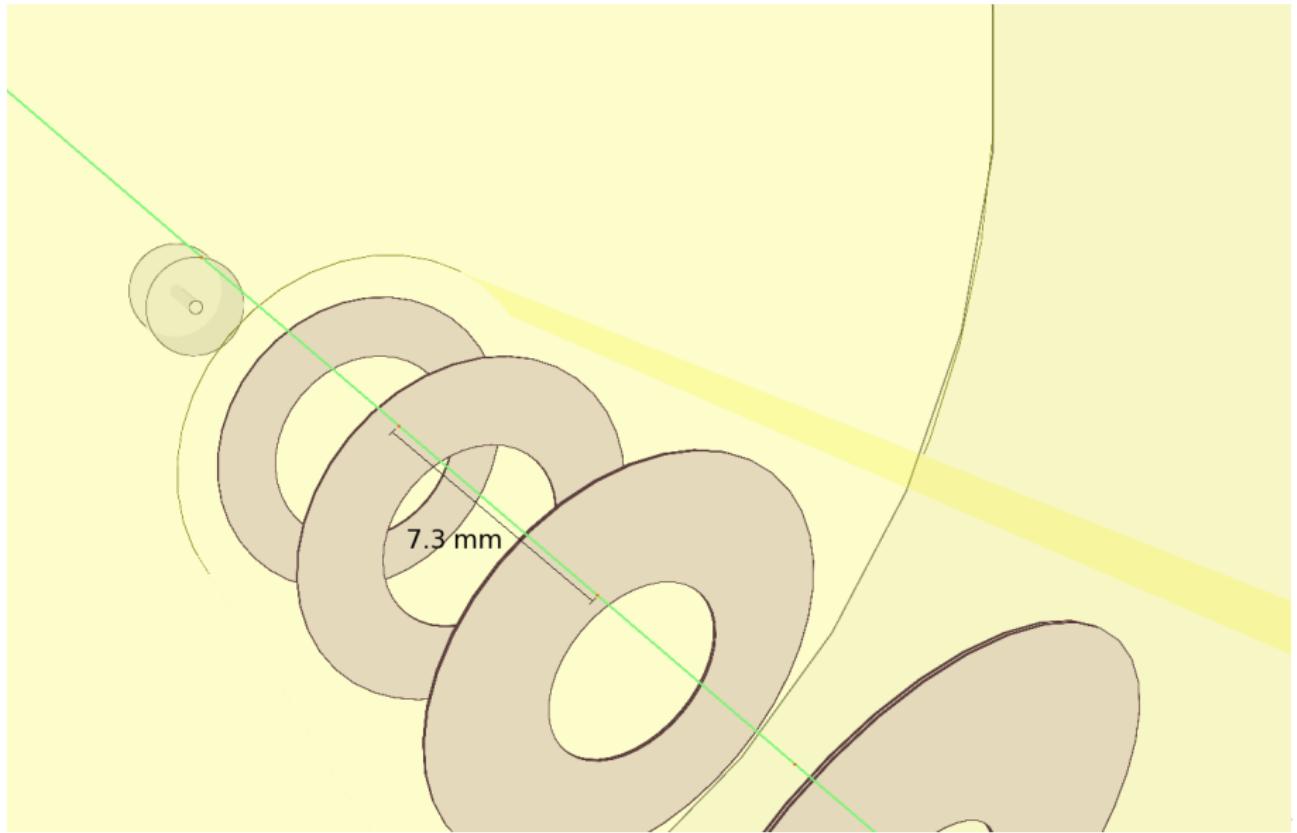
Event displays



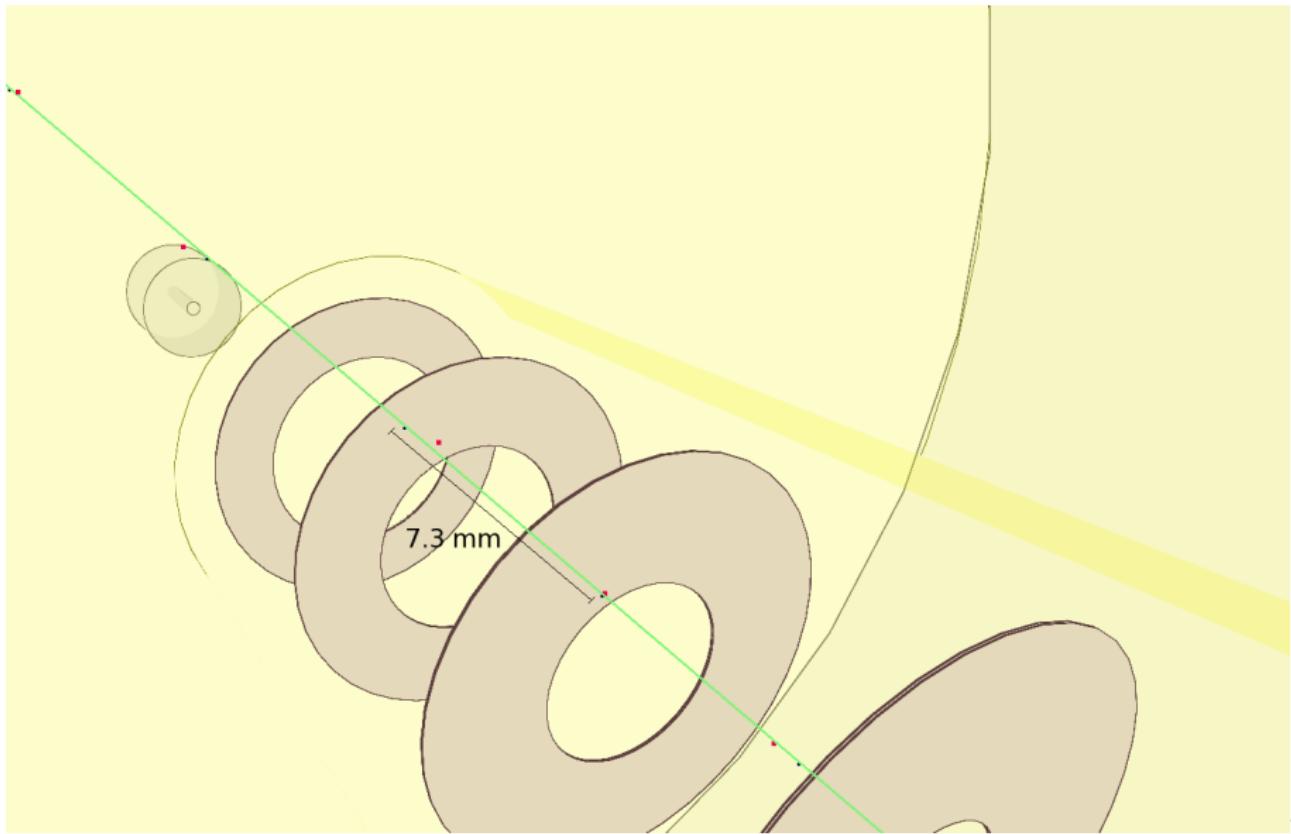
Simulate track of a 50 GeV muon for

- $6 \times 1 \text{ mm}^2$ pad simulation
- $55 \times 55 \mu\text{m}^2$ pixel simulation
- interpolation over 990 μm

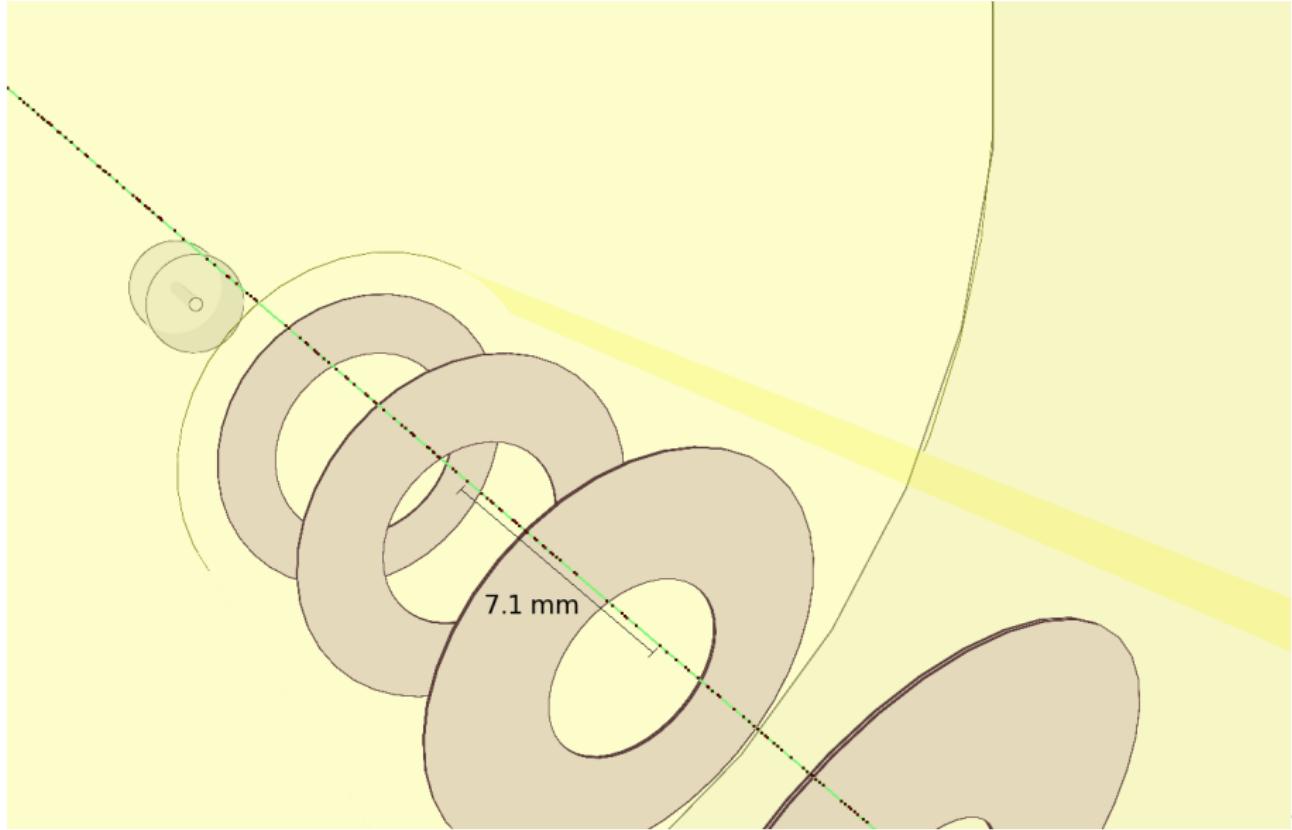
$6 \times 1 \text{ mm}^2$ pads



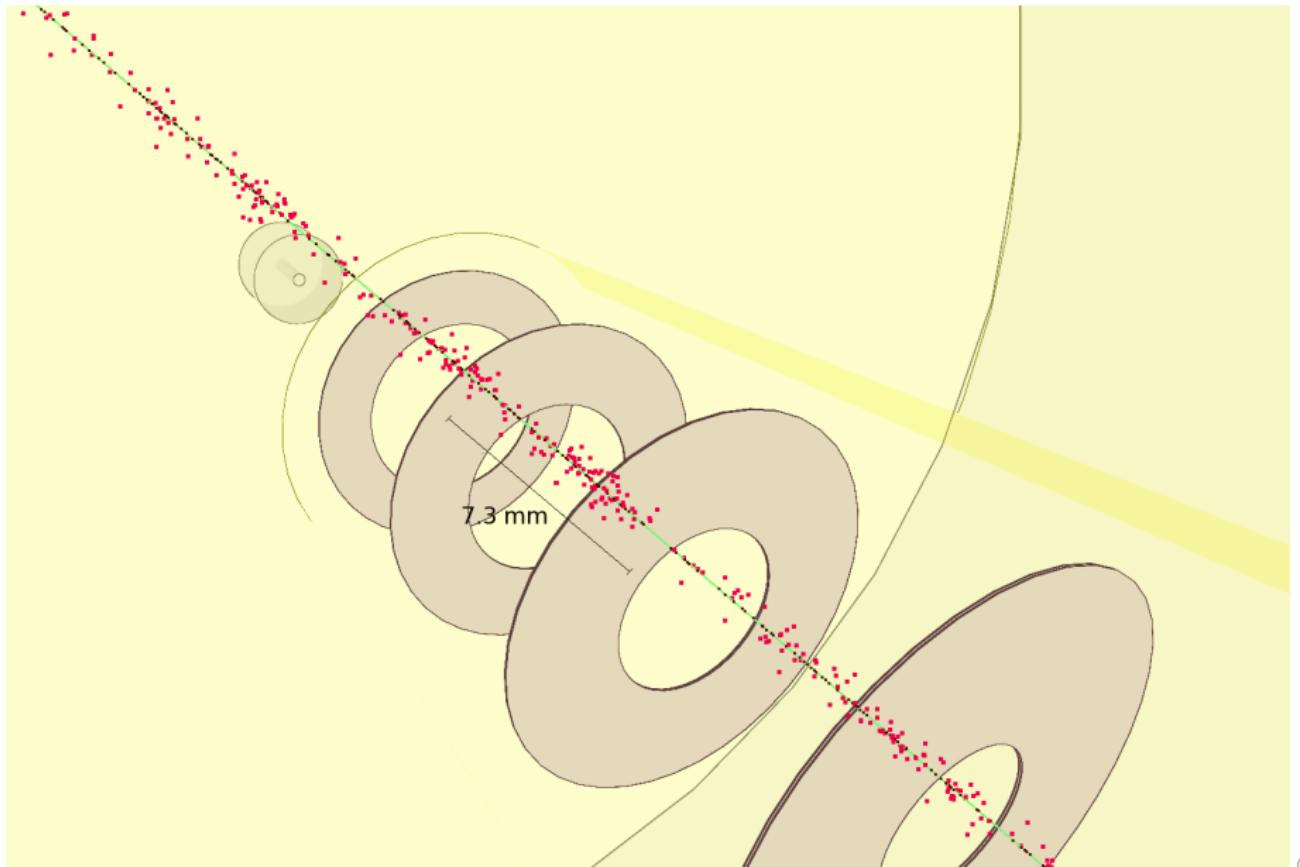
$6 \times 1 \text{ mm}^2$ pads



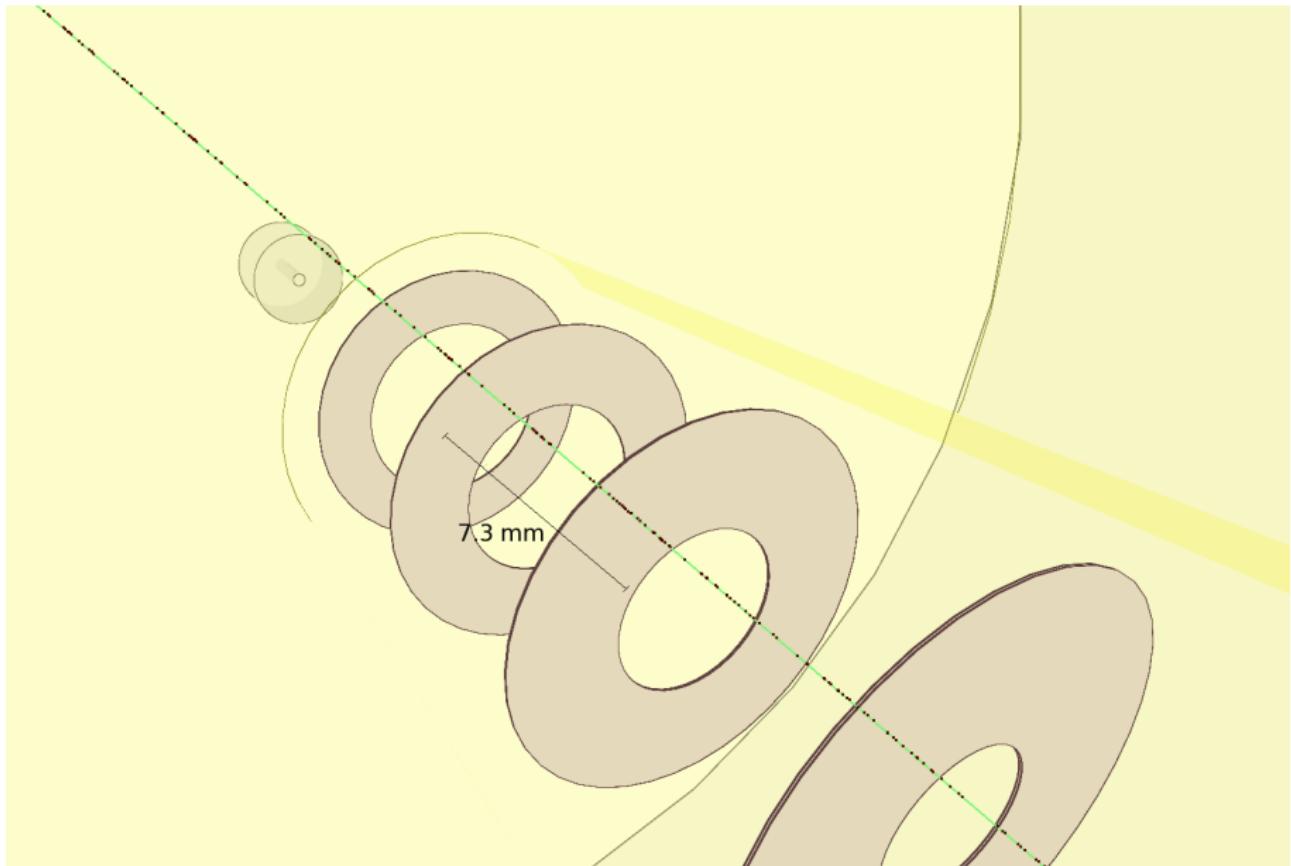
$55 \times 55 \mu\text{m}^2$ pixel



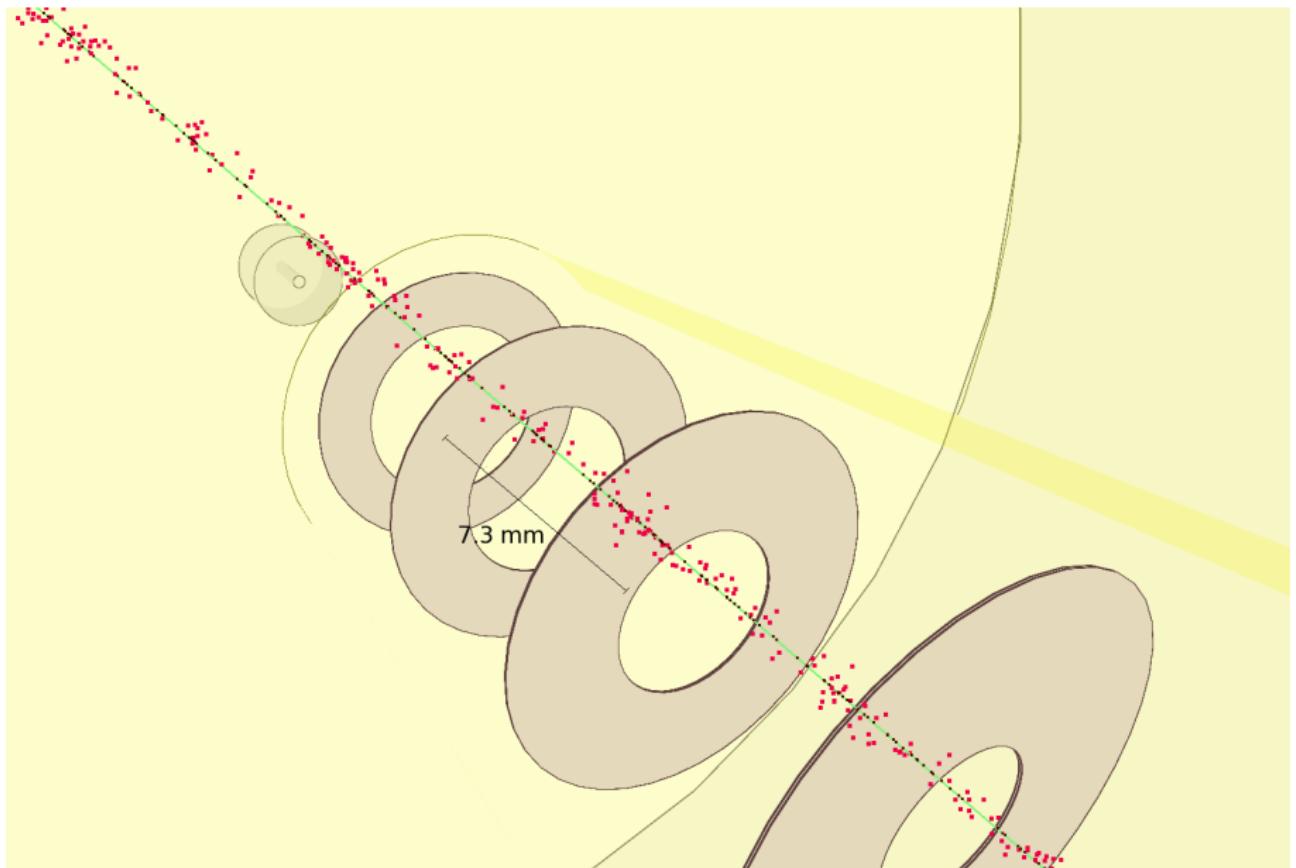
$55 \times 55 \mu\text{m}^2$ pixel



Interpolation over 990 μm



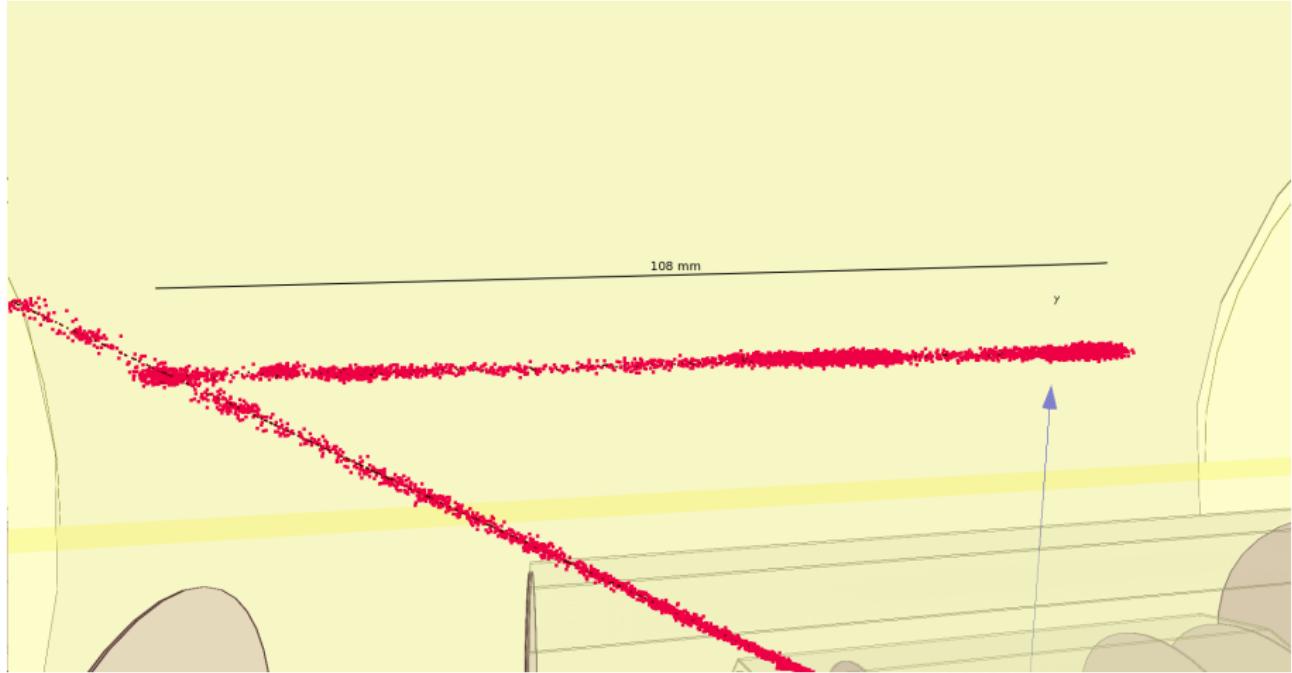
Interpolation over 990 μm



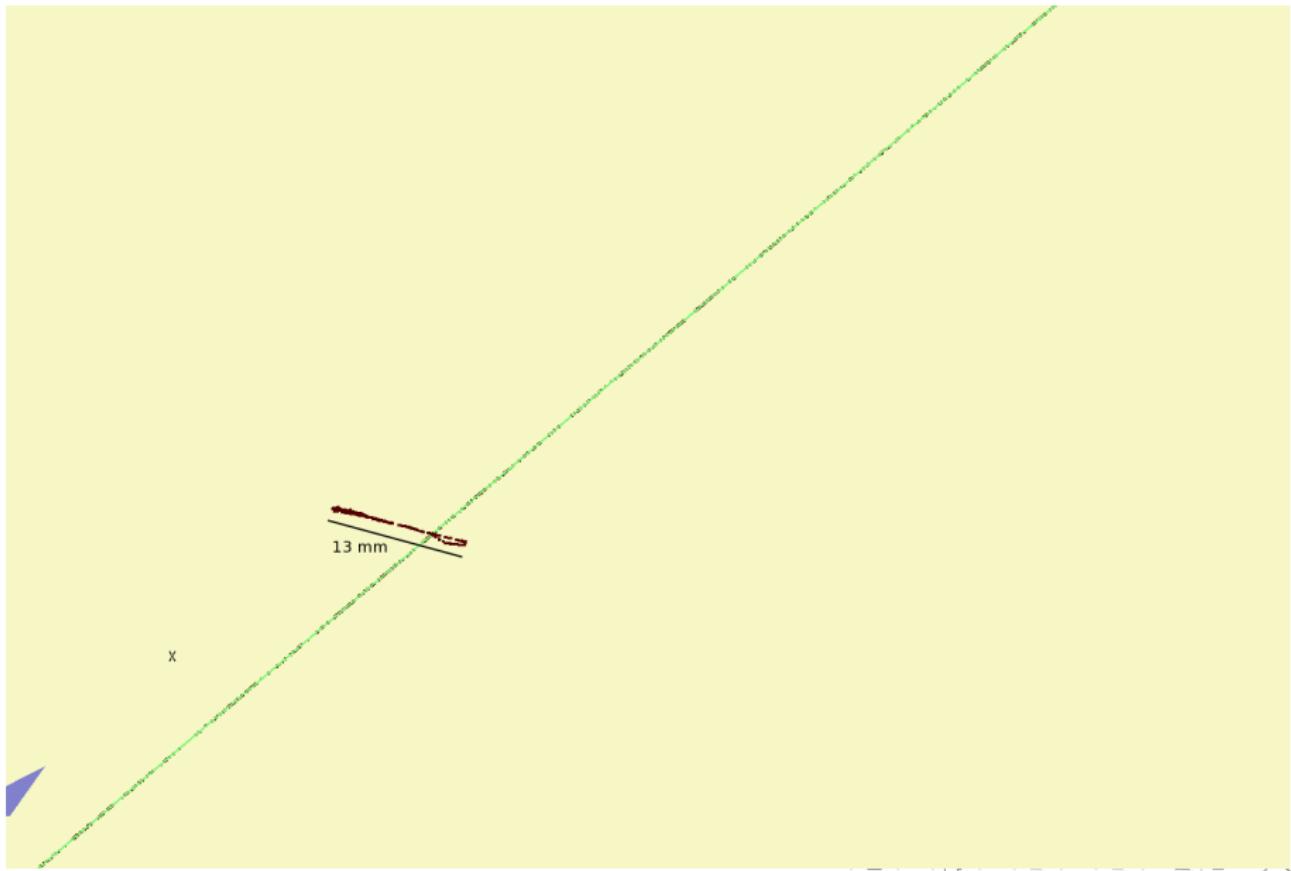
Delta particle in $55 \times 55 \mu\text{m}^2$ pixel simulation



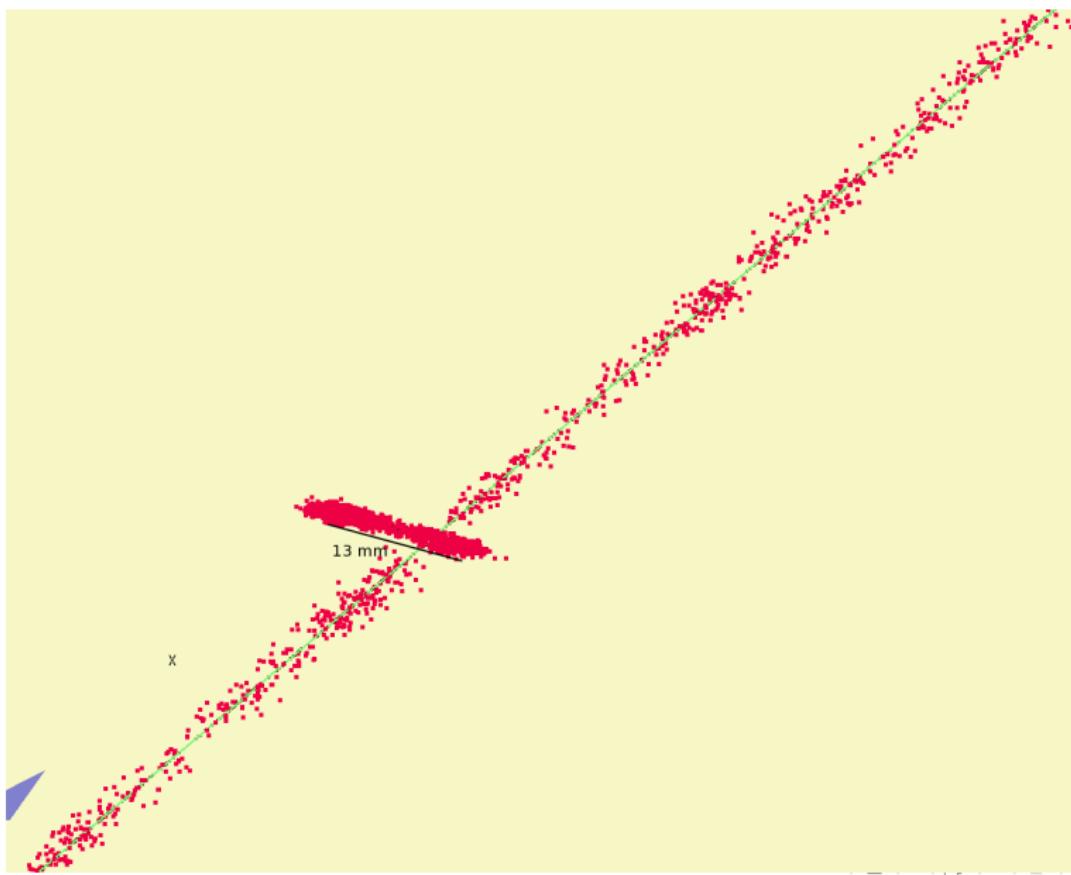
Delta particle in $55 \times 55 \mu\text{m}^2$ pixel simulation



Delta particle in interpolation over 990 μm



Delta particle in interpolation over 990 μm



Conclusion

- Approximated pixel simulation is made with interpolation
 - ▶ parabolic segments make a smooth track
 - ▶ The distribution of hits from the full pixel simulation is parametrized
- Next steps:
 - ▶ Summarize and document steps until now
 - ▶ Look further into reconstruction
 - ▶ Go from single particles towards events

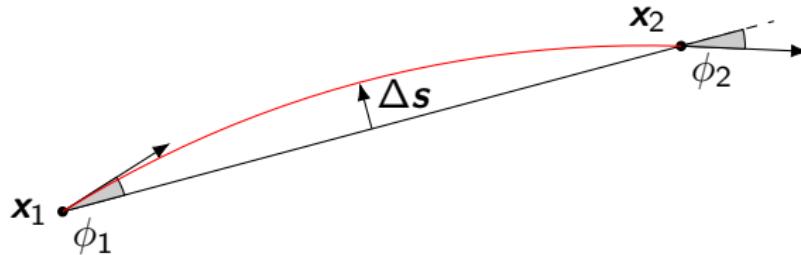
Parabolic interpolation

The position $\mathbf{x}(t)$ between the points \mathbf{x}_1 and \mathbf{x}_2 is parametrised as a function of $0 \leq t \leq 1$

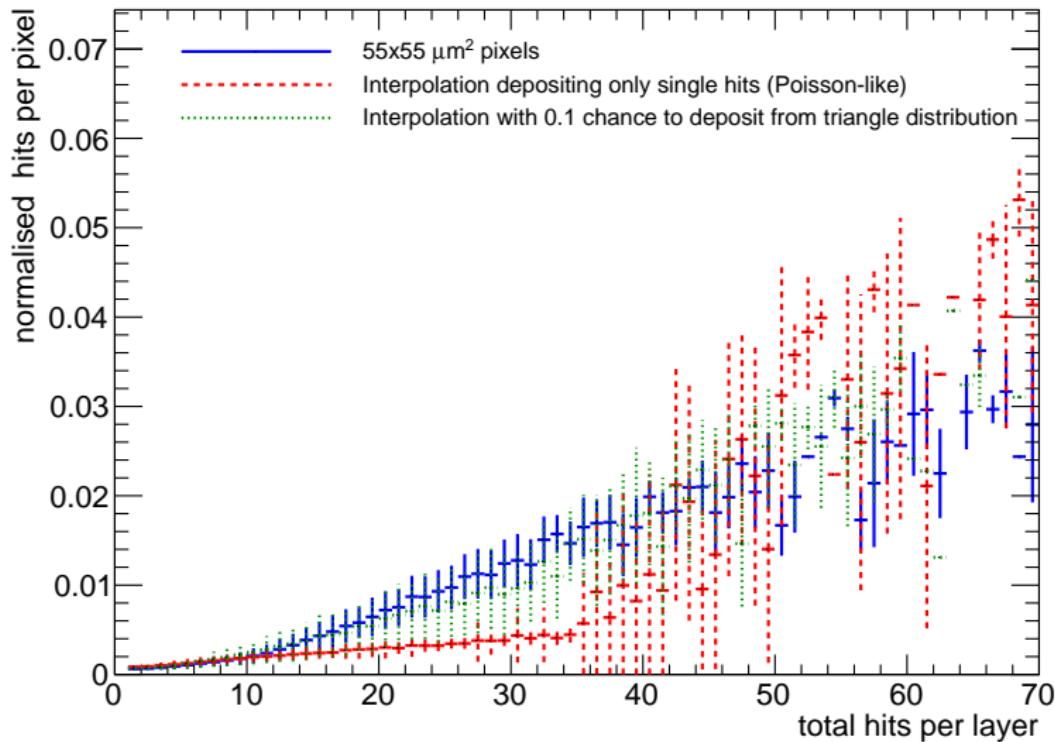
$$\mathbf{x}(t) = \mathbf{x}_1 + t(\mathbf{x}_2 - \mathbf{x}_1) + 4t(1-t)\Delta\mathbf{s}, \quad (1)$$

where $\Delta\mathbf{s}$ is the deflection midway given by

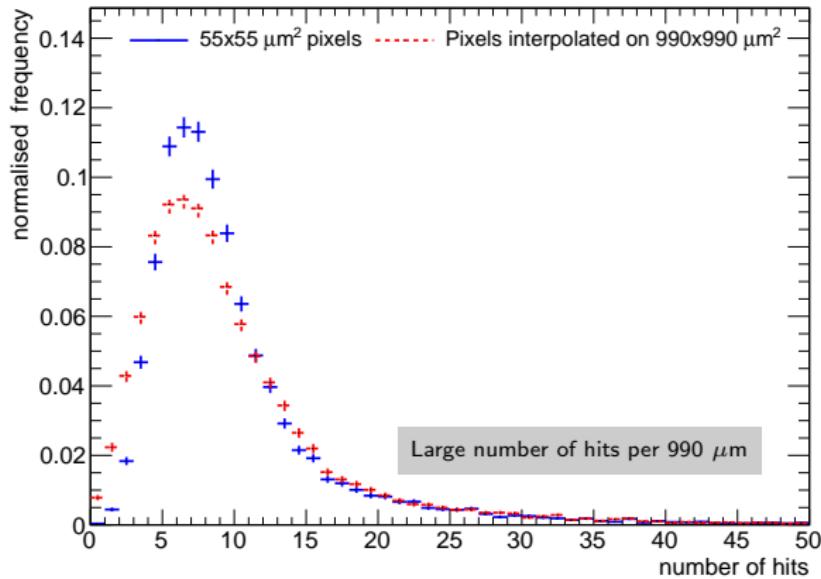
$$|\Delta\mathbf{s}| = \frac{|\mathbf{x}_2 - \mathbf{x}_1|}{4} \sin(\Delta\phi_{12}/2). \quad (2)$$



Profile of maximum 1 against total hits per 990 μm

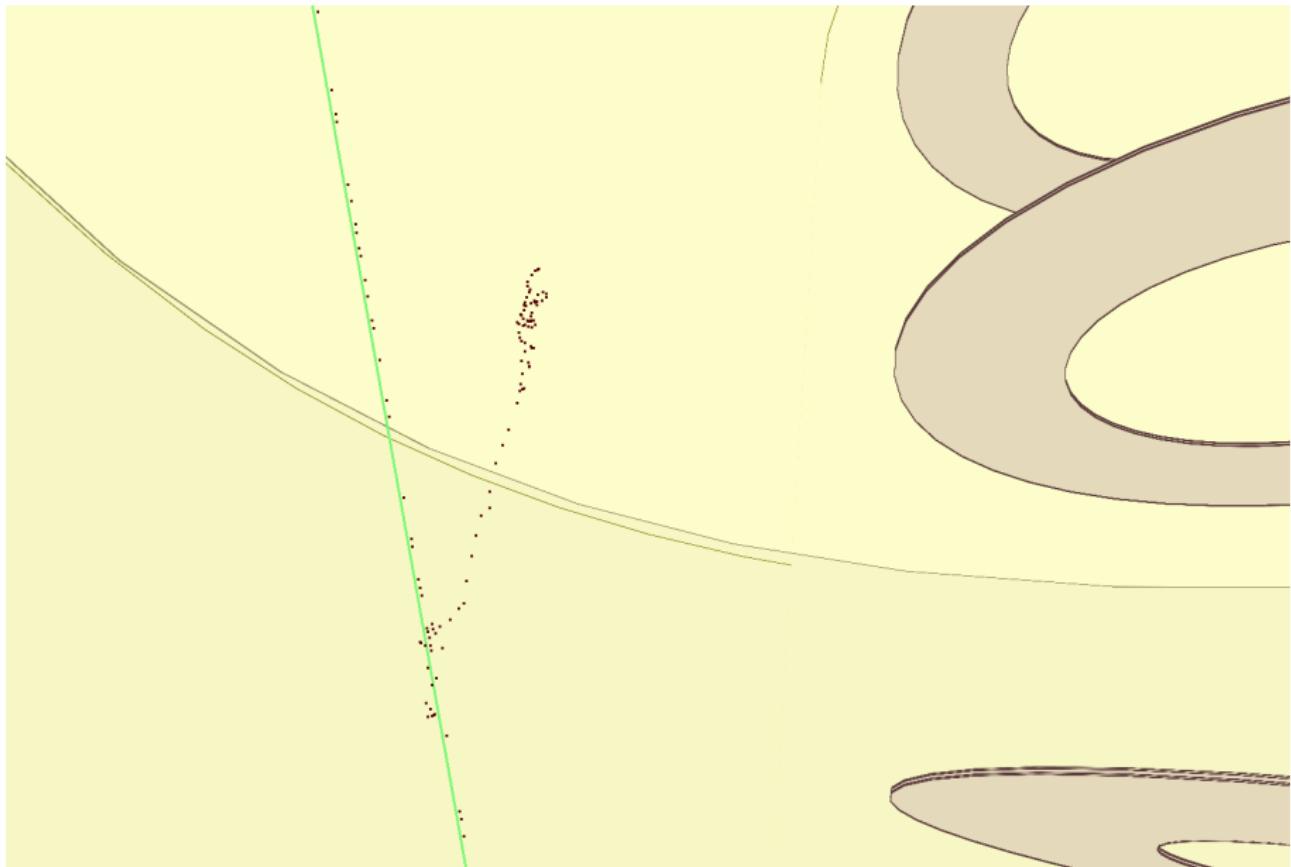


Number of hits per $990 \mu\text{m}$ layer



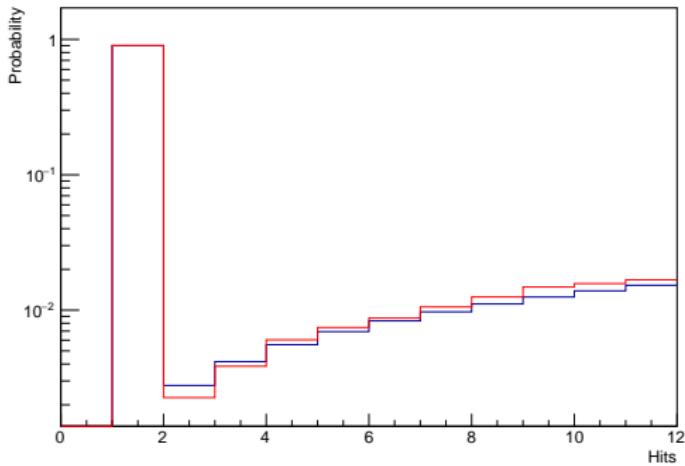
- A large number of hits per $990 \mu\text{m}$ is can be from many hits in one pixel.

Delta particle in pixel simulation



Hit distribution is actually not a function but generated by the statement:

$$N_{\text{hits}} = \text{int}(N_{\text{min}} + (N_{\text{max}} - N_{\text{min}}) \cdot \text{random}()) \quad (3)$$



To do:

find function that agrees with generated distribution