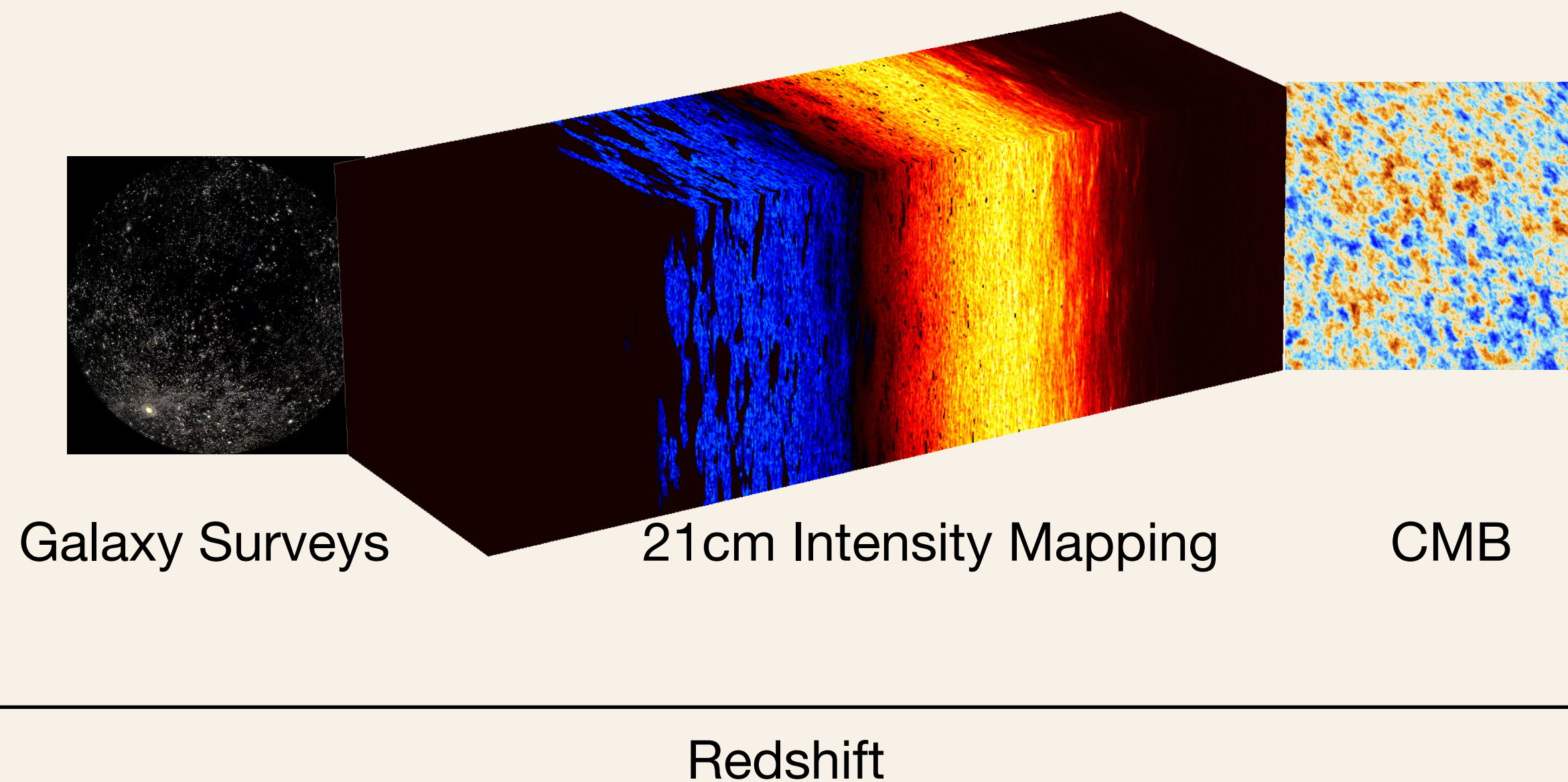
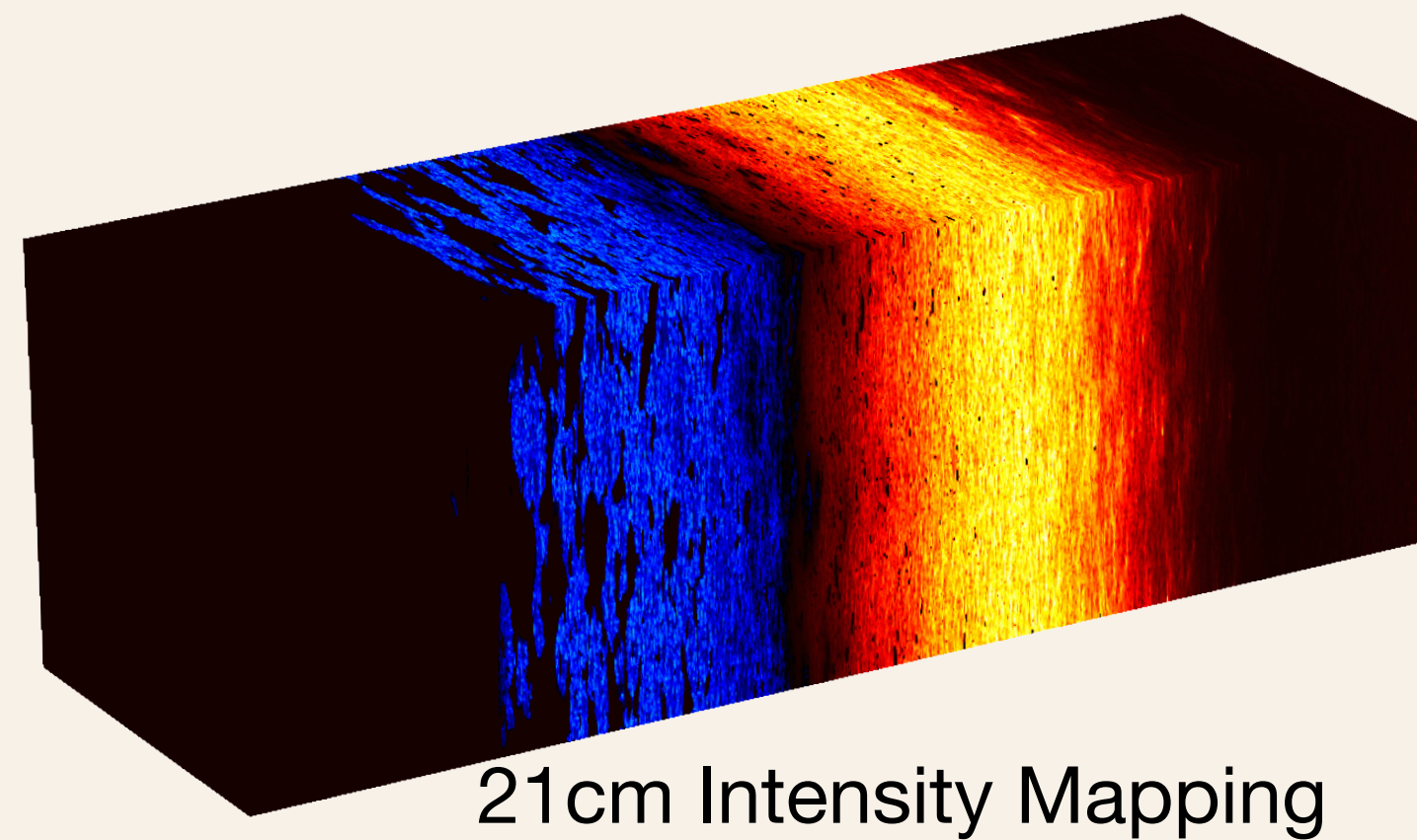


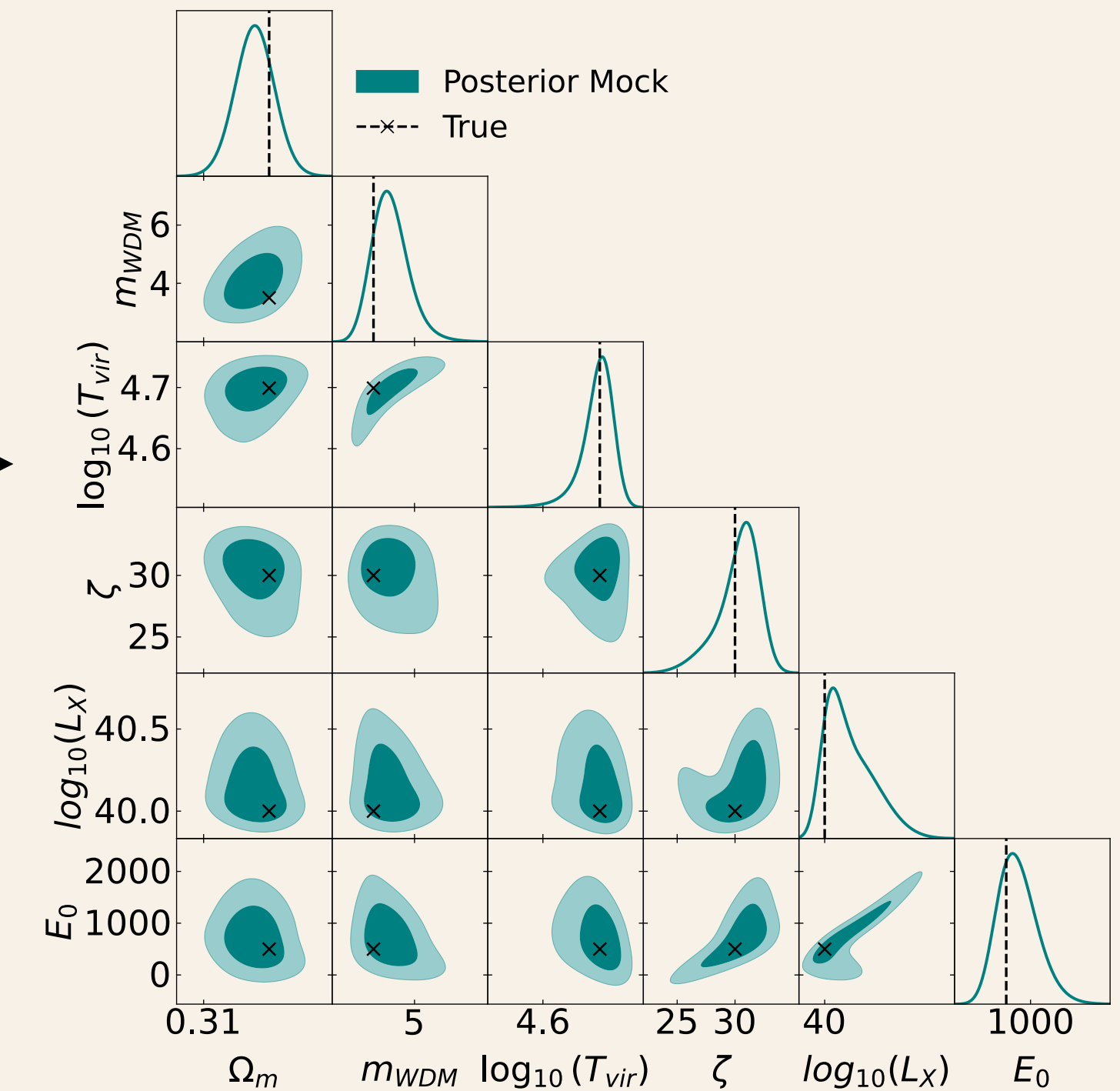
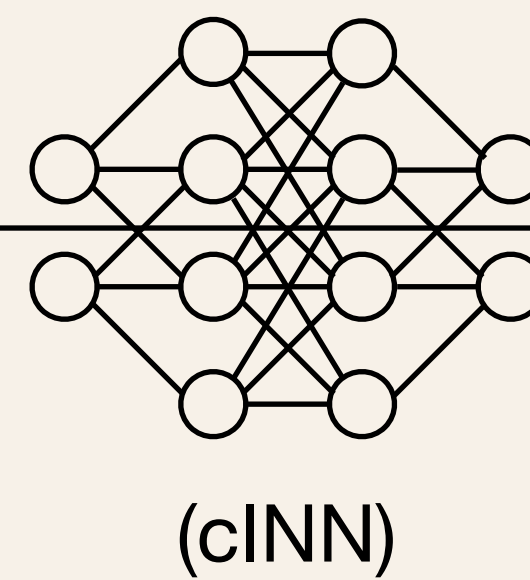
Optimal, fast, and robust inference of reionization-era cosmology with the 21cmPIE-INN



Optimal, fast, and robust inference of reionization-era cosmology with the 21cmPIE-INN



simulation-based
inference



SIMULATION-BASED INFERENCE FROM THE CD-EoR 21-CM SIGNAL

Anchal Saxena, Alex Cole, Simon Gazagnes, Daan Meerburg, Christoph Weniger, Samuel Witte

GOALS

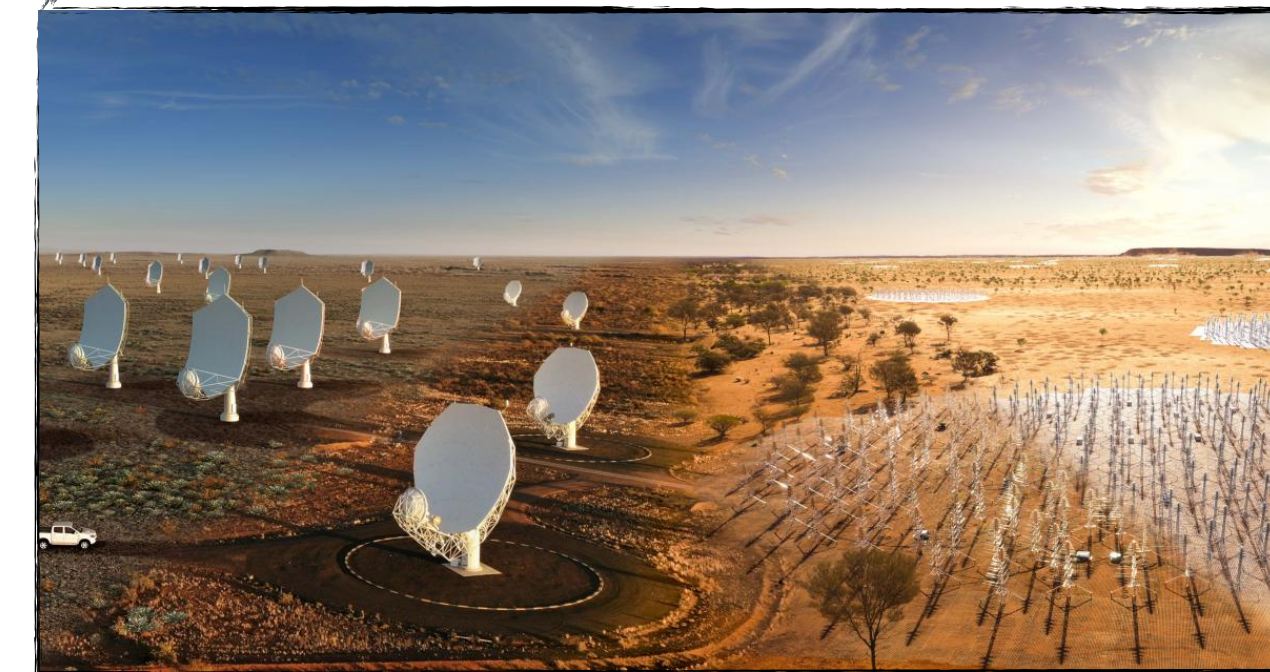
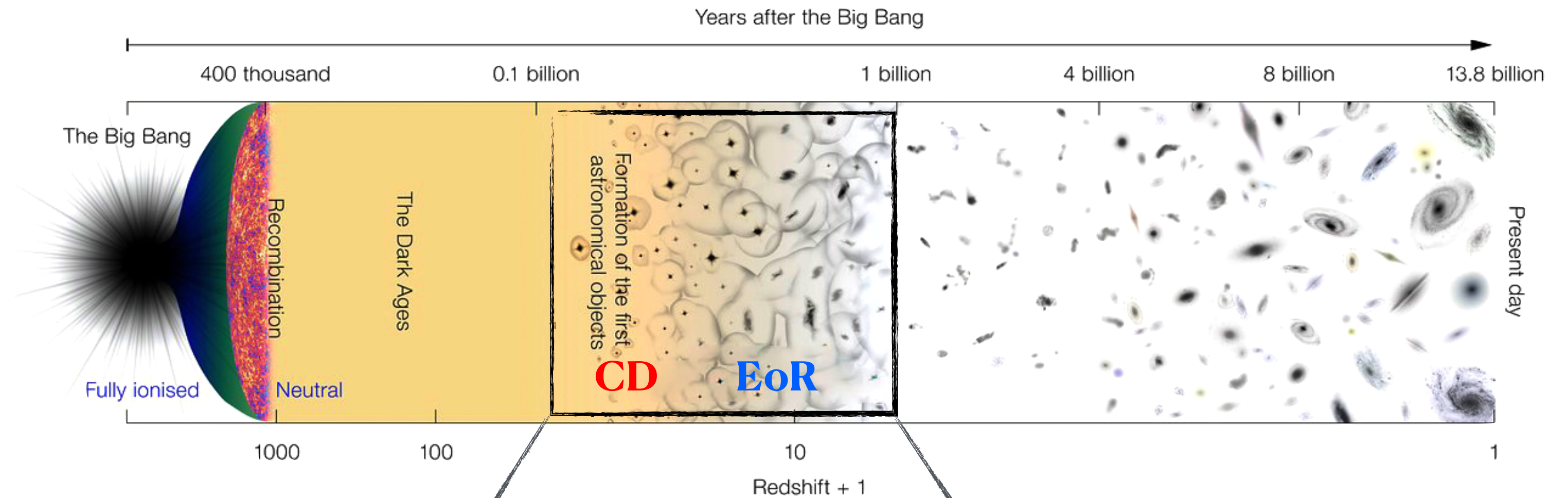
- ❖ Constrain the astrophysics of the early Universe with 21-cm line
- ❖ Solving the inverse problem!

CHALLENGES

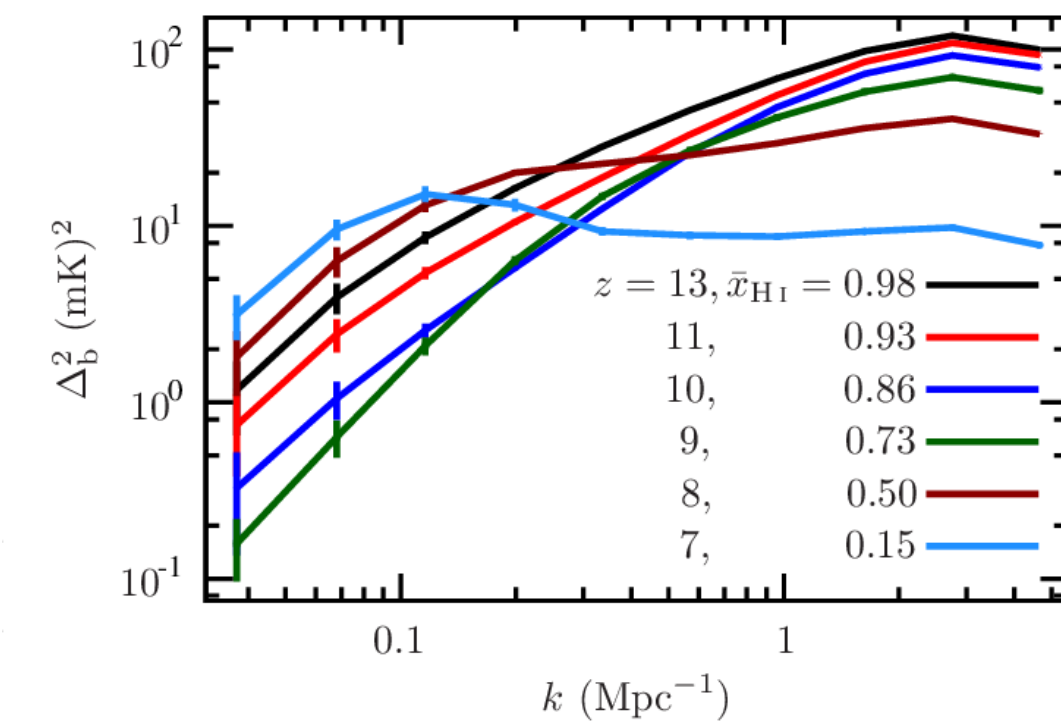
- ❖ Scalability of the conventional methods to high dimensional parameter spaces
- ❖ Expensive forward models
- ❖ Likelihood of the 21-cm power spectrum?

SOLUTION

- ❖ Simulation-Based Inference through Marginal Neural Ratio Estimation



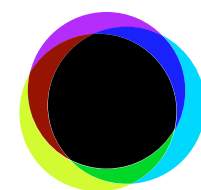
Square Kilometer Array



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GRAPPA

GRavitation AstroParticle Physics Amsterdam

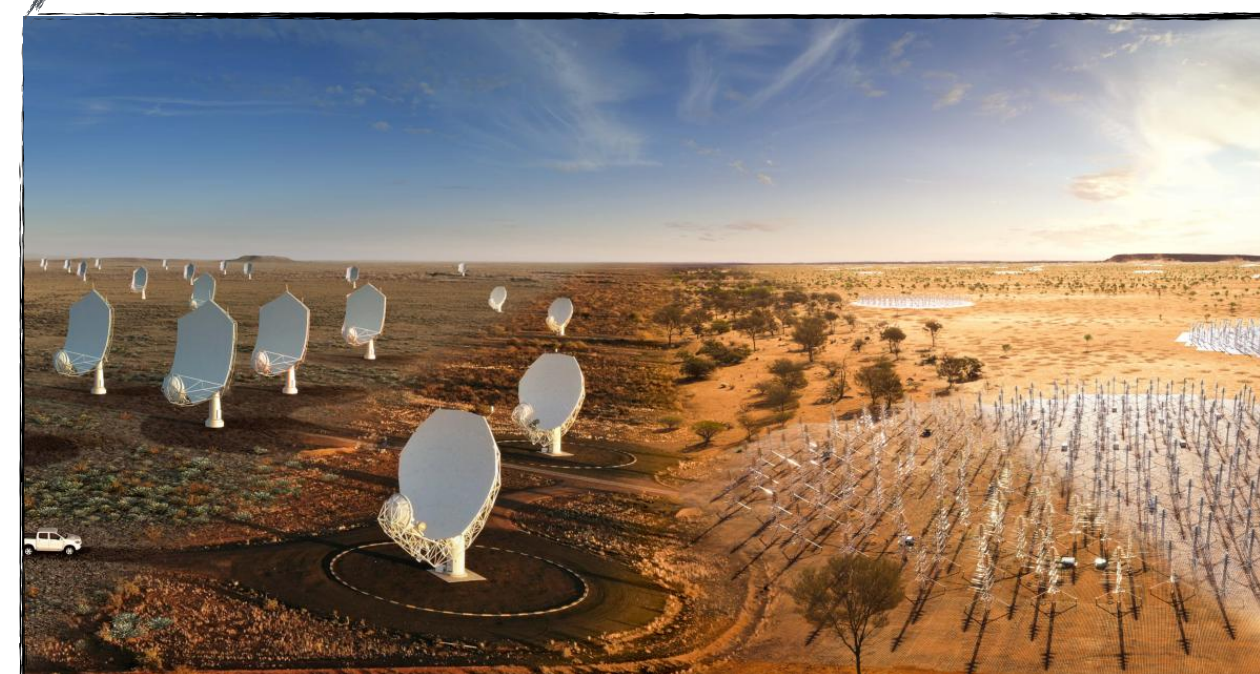
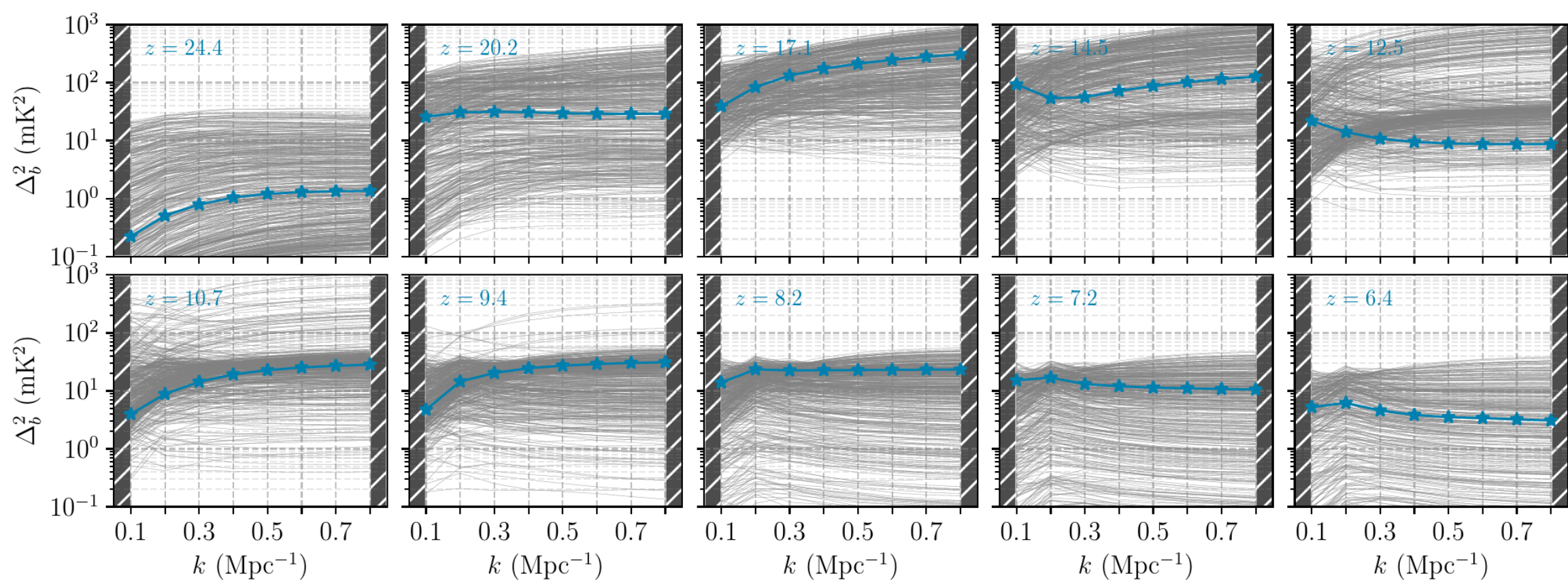
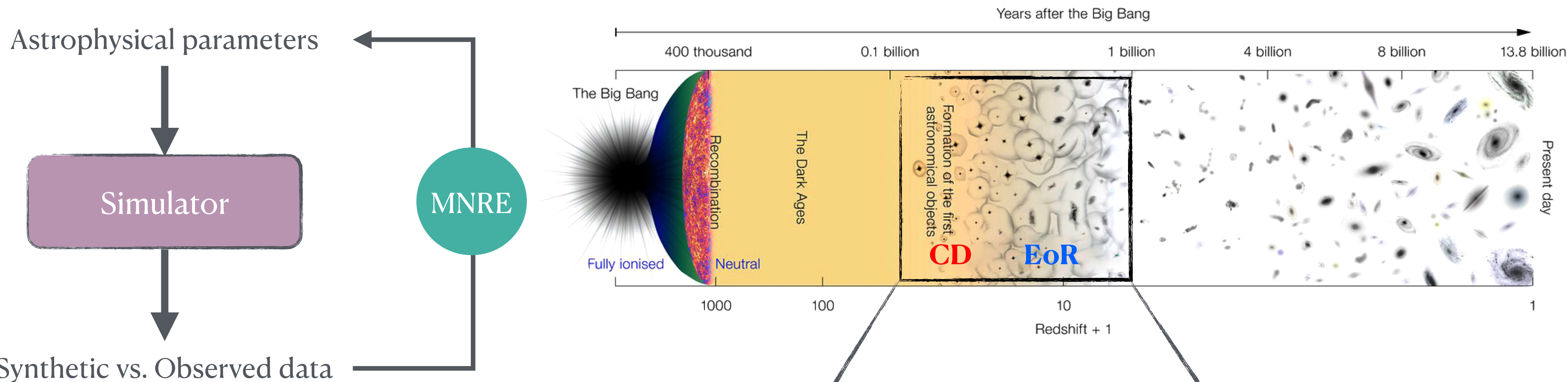


a.saxena@rug.nl

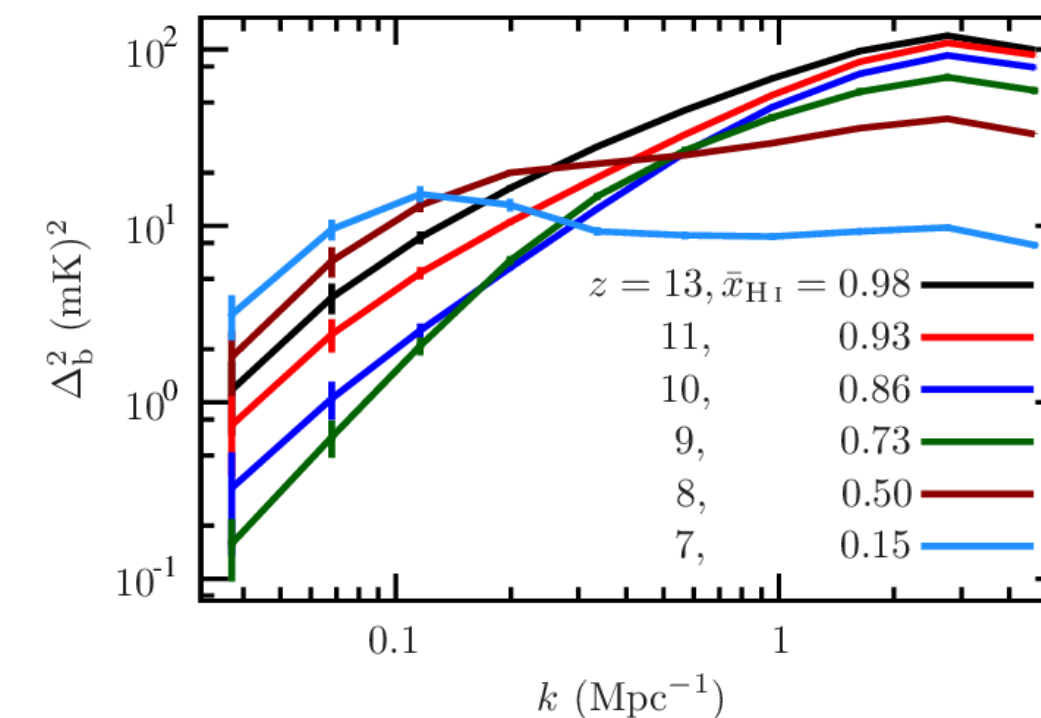
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SIMULATION-BASED INFERENCE FROM THE CD-EoR 21-CM SIGNAL

Anchal Saxena, Alex Cole, Simon Gazagnes, Daan Meerburg, Christoph Weniger, Samuel Witte



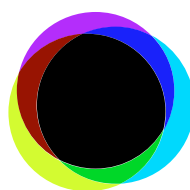
Square Kilometer Array



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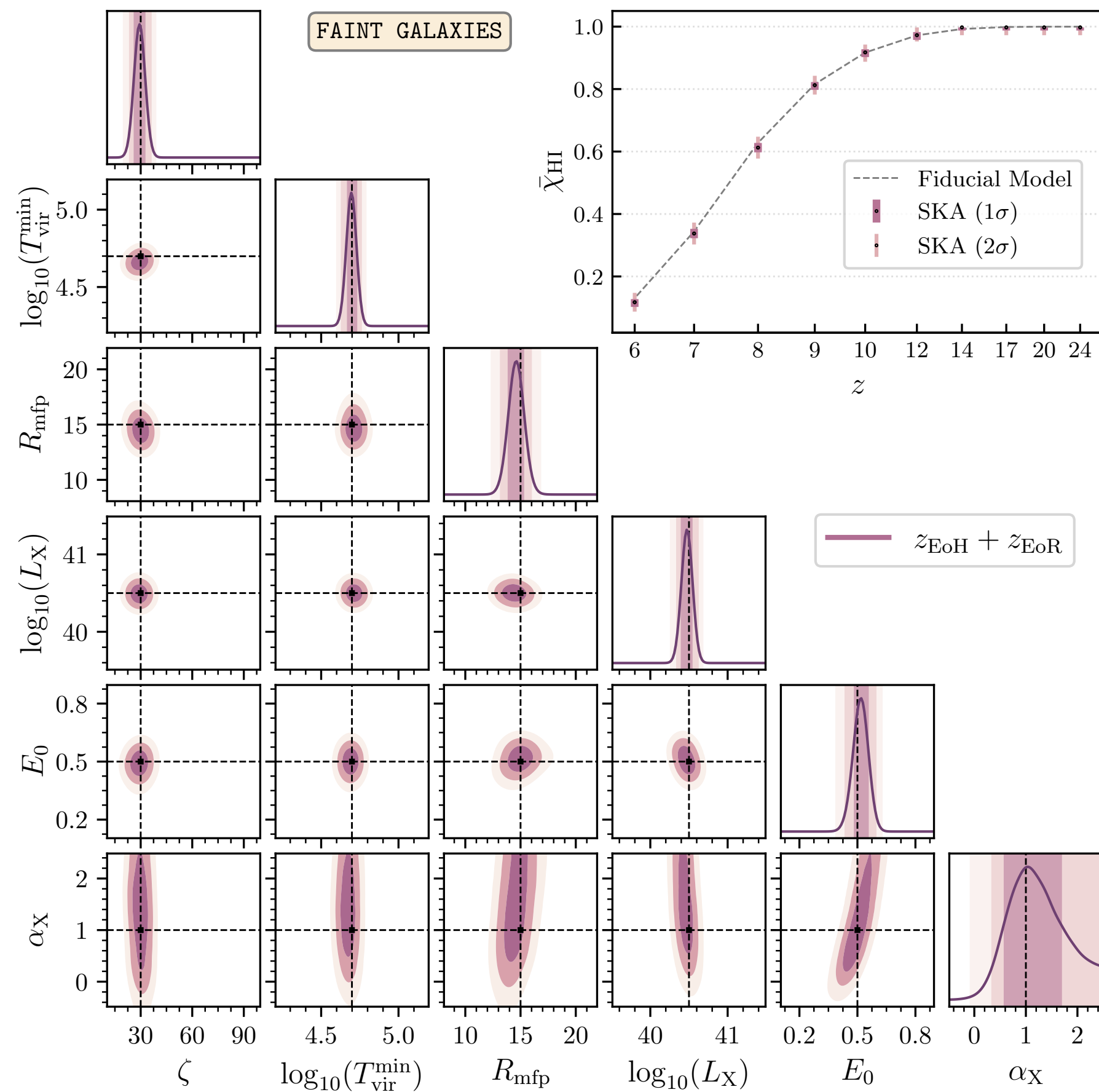


a.saxena@rug.nl

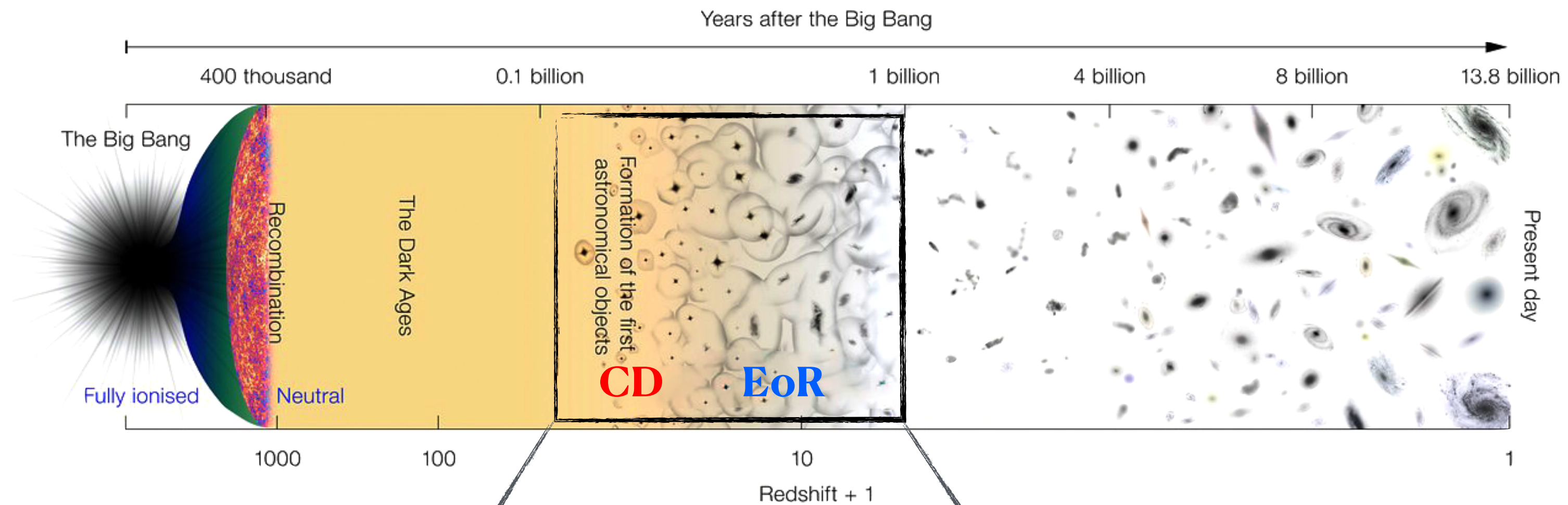
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SIMULATION-BASED INFERENCE FROM THE CD-EoR 21-CM SIGNAL

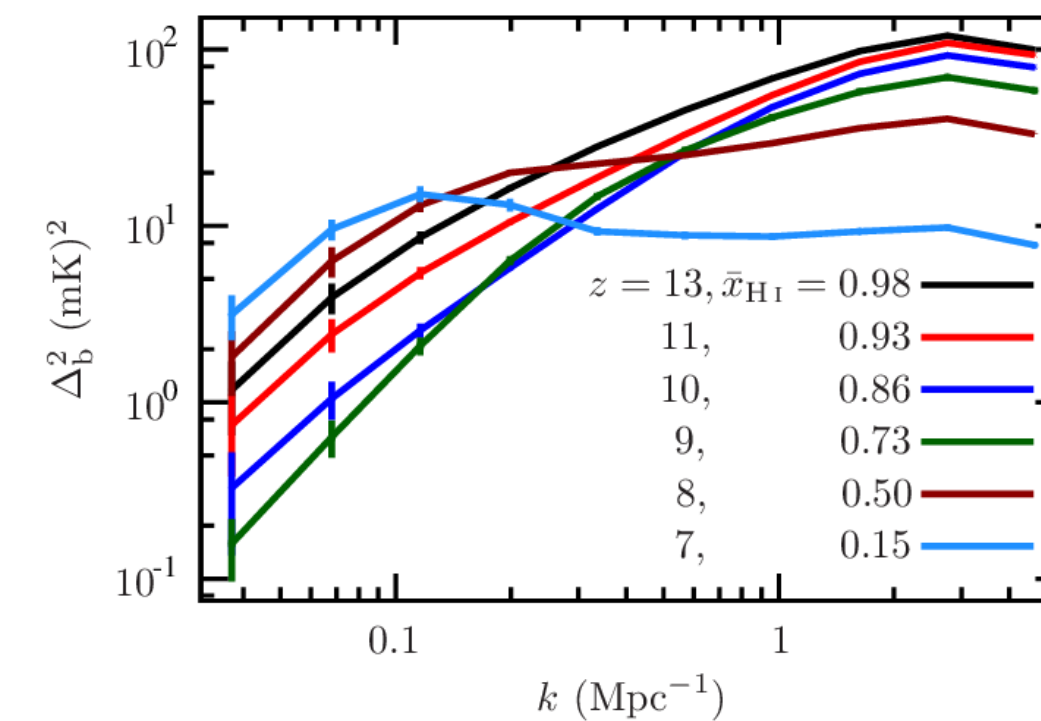
Anchal Saxena, Alex Cole, Simon Gazagnes, Daan Meerburg, Christoph Weniger, Samuel Witte



Posterior on the astrophysical parameters with an order of magnitude fewer samples than MCMC



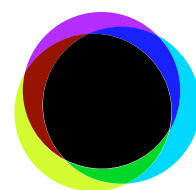
Square Kilometer Array



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Flexible conditional normalizing-flow distributions over manifolds: the jammy-flows toolkit

Thorsten Glüsenkamp, May 1st 2024, EuCAIFCon flash talk



UPPSALA
UNIVERSITET



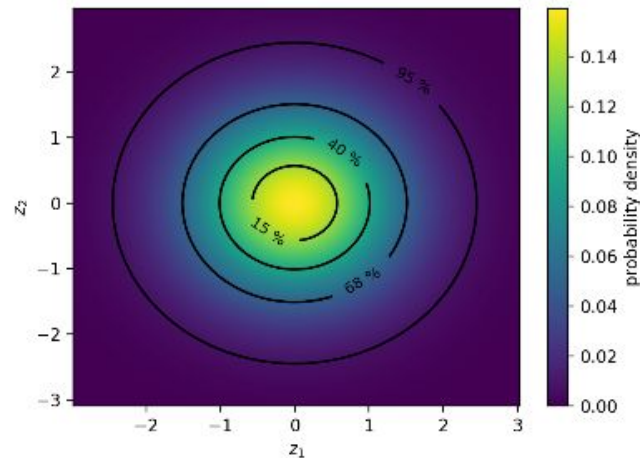
CARL TRYGGERS
STIFTELSE

FÖR VETENSKAPLIG FORSKNING



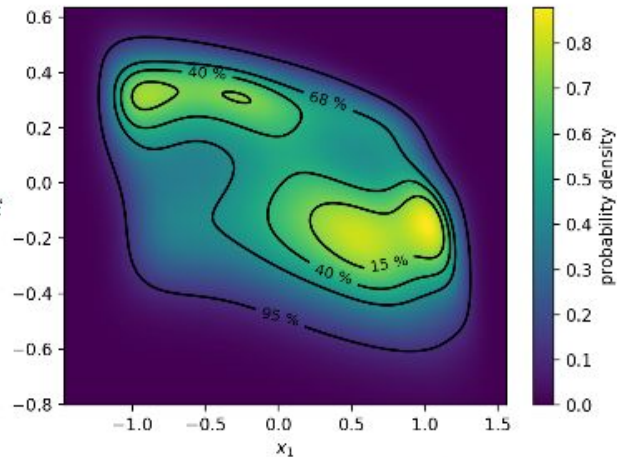
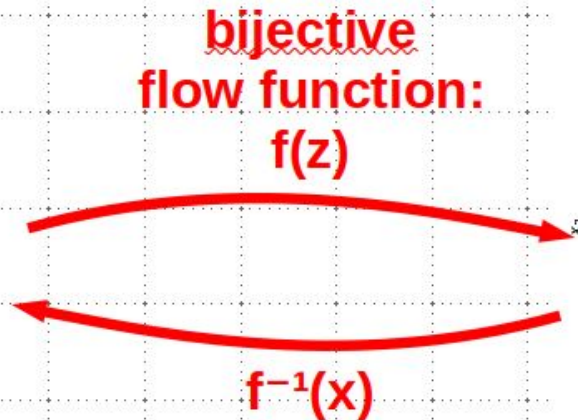
EUROPEAN AI FOR
FUNDAMENTAL PHYSICS
CONFERENCE
EuCAIFCon 2024

Normalizing flows are great, but....



Auxiliary base space “z”:

$$p_0(z) = \mathcal{N}(z; \mathbf{0}, \mathbf{1})$$



Target space “x”:

$$p_\theta(x|y) = p_0(f_{g_\theta(y)}^{-1}(x)) \cdot |\det J_{g_\theta(y)}^{-1}(x)|$$

- ... implementations are
- often scattered around in their own repositories
- often not really suited for physics (“image-focused flows”)
- often complicated to set up, especially the conditioning

Jammy Flows

([1] https://github.com/thoglu/jammy_flows)

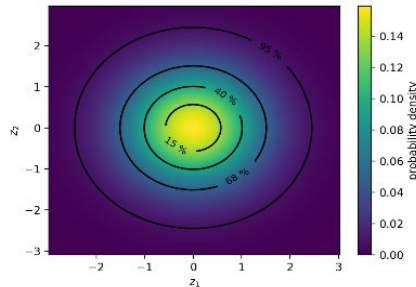
**Joint Autoregressive M(MY)anifold normalizing flows
setup complex normalizing flows in 1 line of code [1]**

Euclidean (\mathbb{R}^1)

Arg 1: Manifold $f(\vec{z}) = \Phi_t(\Phi_g(\Phi_g(\vec{z})))$

Arg 2: Flow function $f(z)$

`pdf=jammy_flows.pdf("e4", "ggt")`

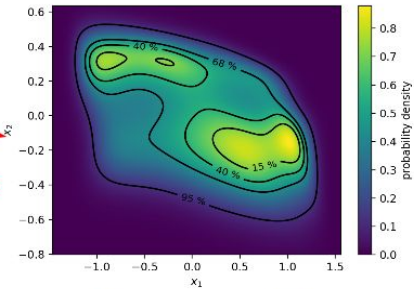


Auxiliary base space "z":

$$p_0(z) = \mathcal{N}(z; 0, \mathbb{1})$$

bijective
flow function:
 $f(z)$

$f^{-1}(x)$



Target space "x":

$$p_\theta(x|y) = p_0(f_{g_\theta}^{-1}(x)) \cdot |\det J_{g_\theta}^{-1}(x)|$$

Poster No: 110

Supports various manifolds + autoregressive linking

Joint Autoregressive M(MY)anifold normalizing flows
setup complex normalizing flows in 1 line of code [1]

Euclidean (\mathbb{R}^1)

Arg 1: Manifold $f(\vec{z}) = \Phi_t(\Phi_g(\Phi_g(\vec{z})))$
`pdf=jammy_flows.pdf("e4", "ggg")`

Autoregressive ($S^2 \times \Delta^2 \times \mathbb{R}^3$)

Arg 2: Flow function $f(z)$
 $f(\vec{z}) = \begin{bmatrix} \Phi_n(\Phi_n(\vec{z}_1)) \\ \Phi_w, x1(\vec{z}_2) \\ \Phi_{g, x1, x2}(\Phi_{g, x1, x2}(\Phi_{g, x1, x2}(\Phi_{g, x1, x2}(\vec{z}_3)))) \end{bmatrix}$
`pdf=jammy_flows.pdf("s2+c2+e4", "nn+w+gggg")`

2-sphere (S^2)

$f(\vec{z}) = \Phi_v(\Phi_v(\Phi_v(\vec{z})))$
`pdf=jammy_flows.pdf("s2", "vvv")`

Interval (-3 to 3)

$f(\vec{z}) = \Phi_r(\Phi_r(\Phi_r(\Phi_r(\Phi_r(\vec{z}))))$
`pdf=jammy_flows.pdf("i1_-3_3", "rrrrr")`

Probability simplex (Δ^3)

$f(\vec{z}) = \Phi_w(\Phi_w(\vec{z}))$
`pdf=jammy_flows.pdf("c3", "ww")`

Syntax reflects normalizing
flow-defining function $f(z)$

Flow abbreviations:

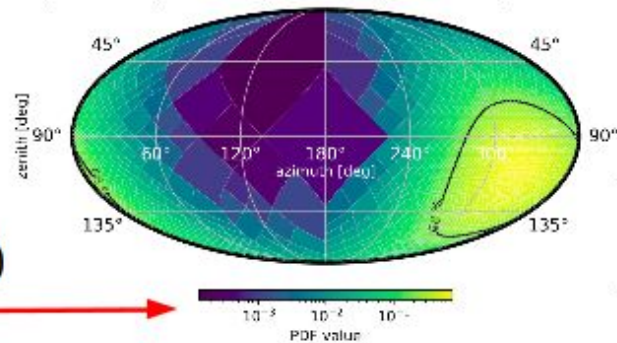
- 't' - affine flow
- 'g' - Gaussianization flows [2]
- 'v' - Exponential map flows [3]
- 'n' - Recursive flows on the 2-sphere [5]
- 'w' - Simplex flow [6]
- 'r' - neural spline flows [4]
- + a few more in the package

Features

Many state-of-the-art normalizing flows that can be autoregressively linked, customized, and made conditional. Autoregressive routing generalizes structure from inverse autoregressive flows [7].

Convenience functions for ...

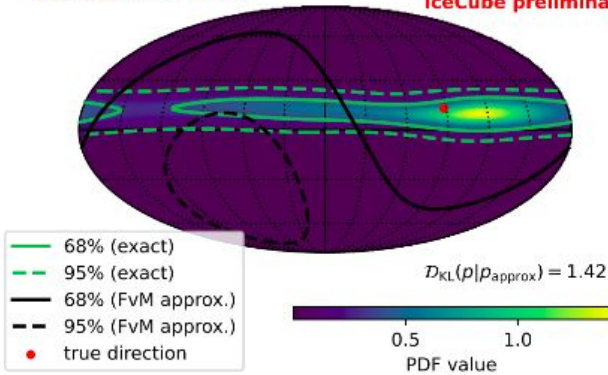
- 1st + 2nd moments
- asymmetry measure (higher order moments) (see [9])
- entropy
- coverage (Gaussian base used for all manifolds – see [8])
- plotting (adaptive healpix for spherical PDFs)
- easy to add new layers



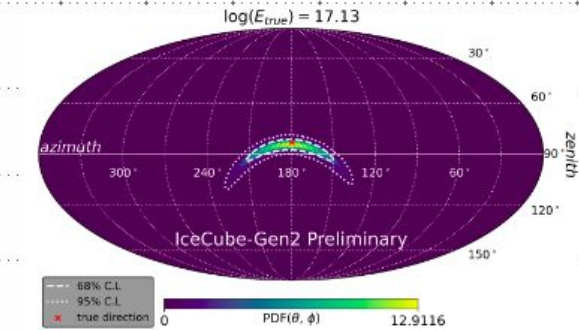
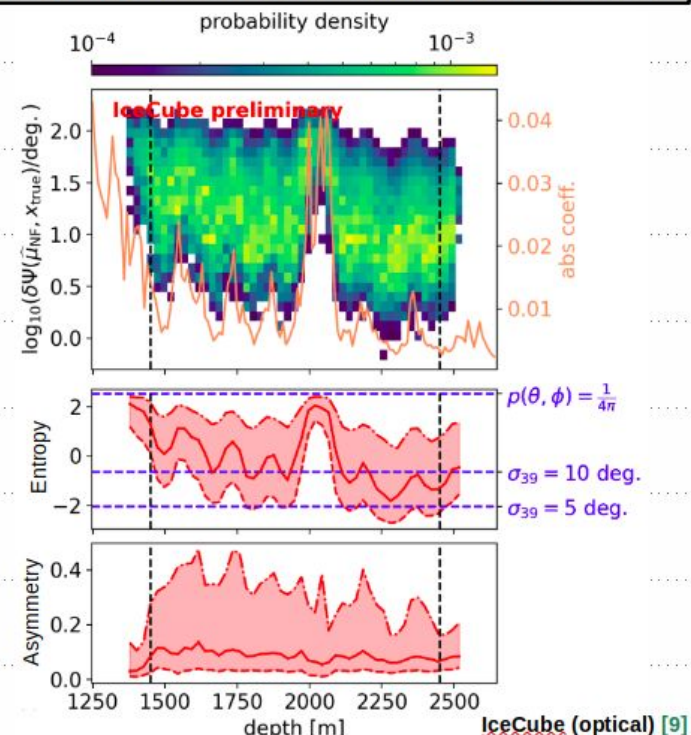
Applied in IceCube and IceCube-Gen2 for per-event posterior inference

IceCube (optical) [9]

IceCube preliminary



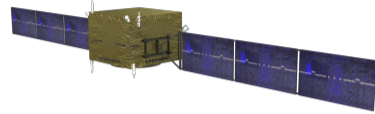
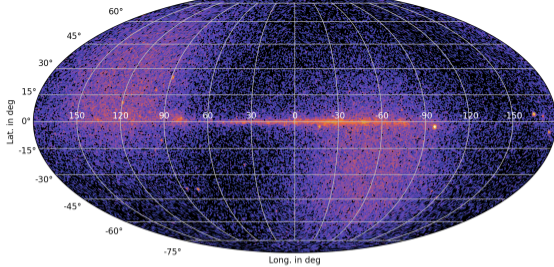
Directional posterior resolution vs depth (~50k electron neutrinos)



IceCube-Gen2 (radio) [10]

Posterior properties reflect detector properties (South Pole ice properties vary with depth)

Poster No: 110



A deep learning method for the trajectory reconstruction of gamma rays with the DAMPE space mission

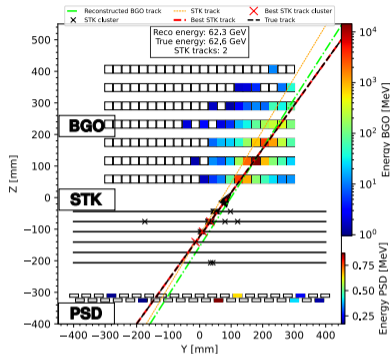
Parzival Nussbaum, Chiara Perrina, Jennifer Frieden
01.05.2024 EuCAIFCon

EPFL



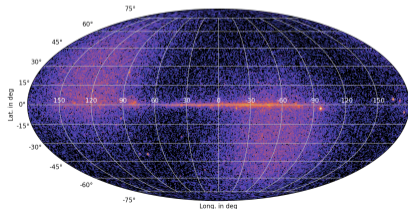
Standard approach to trajectory reconstruction

- 1 Shower profile \implies BGO reco track
- 2 Clustering the STK hits
- 3 Track-finding algorithm on clusters in the STK:
 - Seeding (calorimeter-seed or blind-seed).
 - Propagating using a **Kalman Filter**.
 - Filtering based on χ^2 and cluster count.
- 4 Multiple track candidates
 \implies metric (TQ) to choose the best track



Next generation experiments

Standard reco is more challenging at higher energies since systematic uncertainties increase



CNN approach to trajectory reconstruction

- 1 Shower profile \implies BGO reco track
- 2 Clustering the STK hits
- 3 Hough transform of STK hits
- 4 CNN model prediction
 - Seeding (calorimeter-seed or blind-seed).
 - Propagating using a **Kalman Filter**.
 - Filtering based on χ^2 and cluster count.
- 5 ~~Multiple track candidates~~
 \implies ~~metric (TQ) to choose the best track~~

Results

- 300 times faster than standard reco
- One third of standard method precision
- Successful proof of concept on flight data

