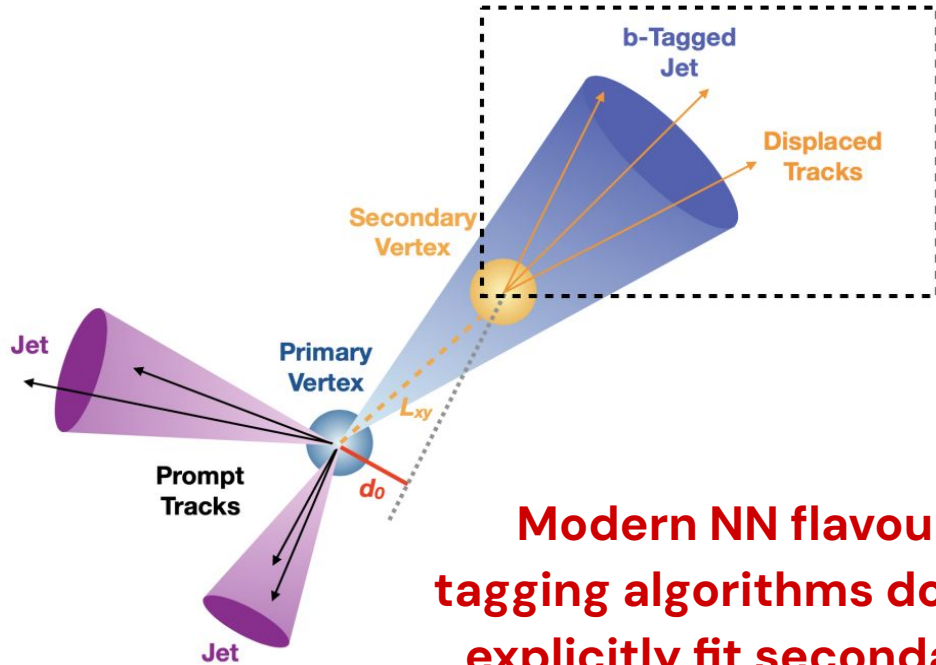

Differentiable Vertex Fitting for Jet Flavour Tagging

Rachel Smith, Inês Ochoa, Rúben Inácio,
Jonathan Shoemaker, Michael Kagan

EuCAIFCon24, Amsterdam
30 April 2024

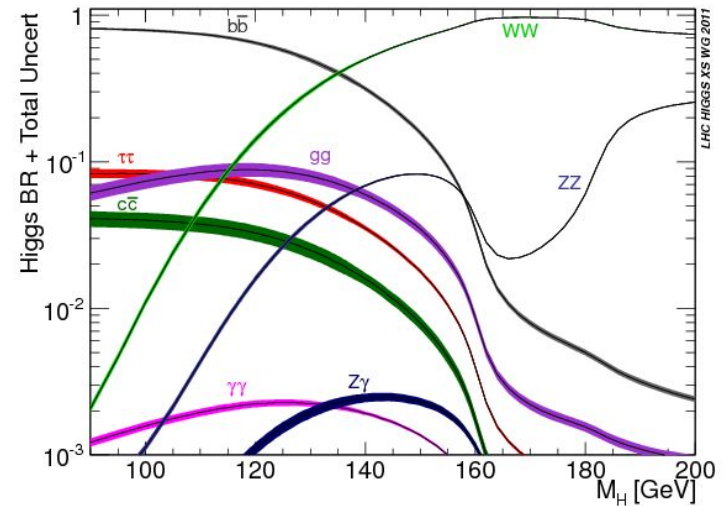


Jet flavour tagging in high energy physics

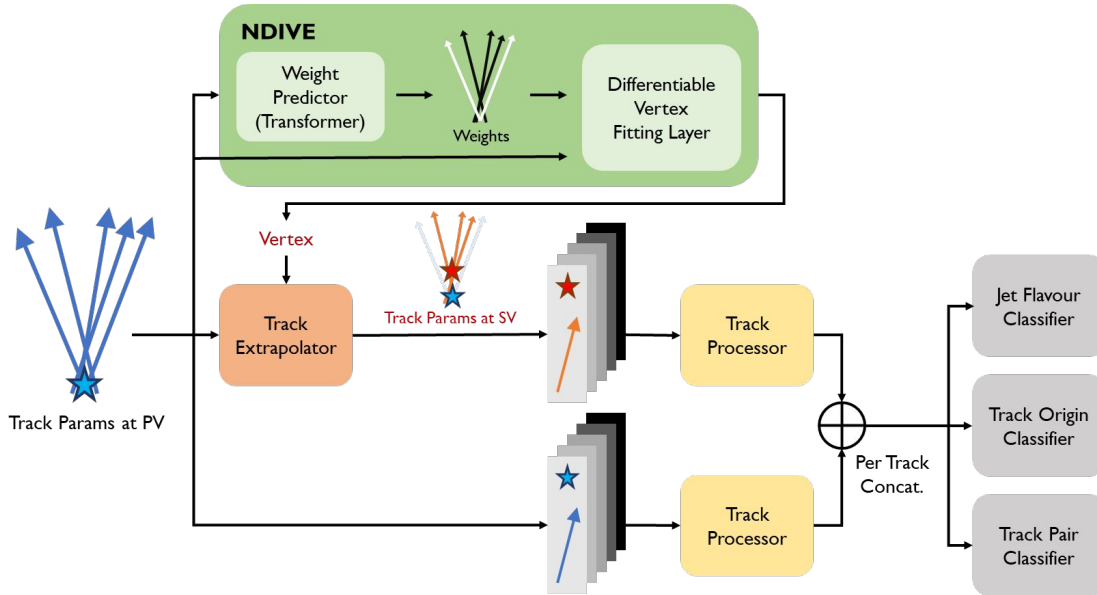


Modern NN flavour tagging algorithms do not explicitly fit secondary vertices...

Standard Model Higgs boson decays preferentially to a pair of b-quarks

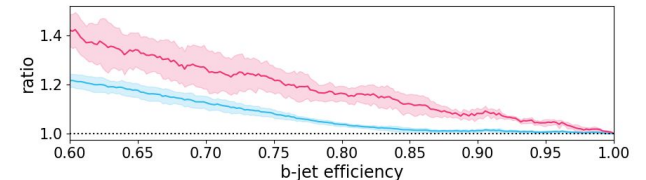
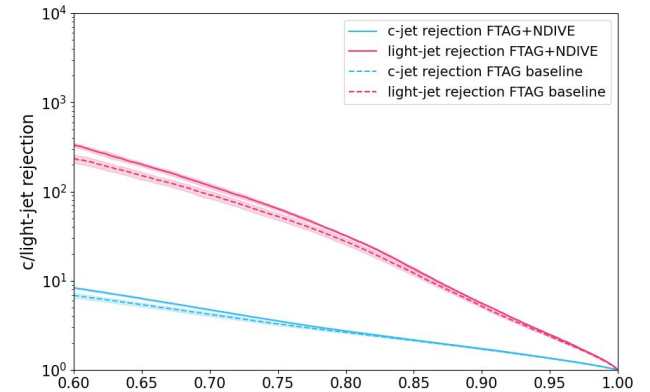


NDIVE (Neural Differentiable Vertexer)



**fully integrated and jointly optimizable;
explicitly introduce physics knowledge into NNs!**

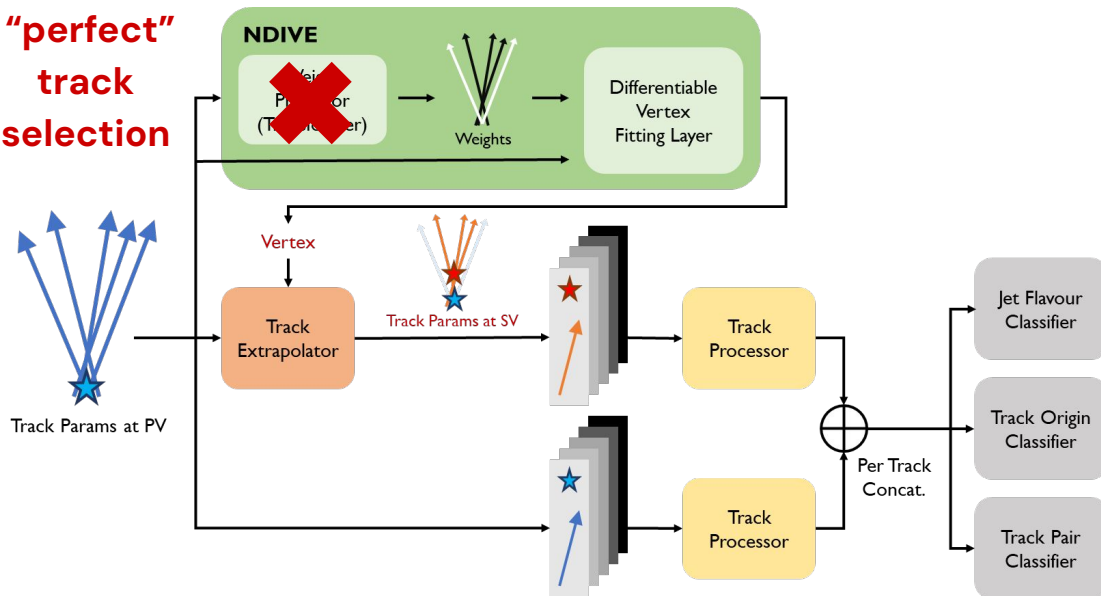
**NDIVE integration into NN
flavour tagging model
improves performance:**



NDIVE (Neural Differentiable Vertexer)

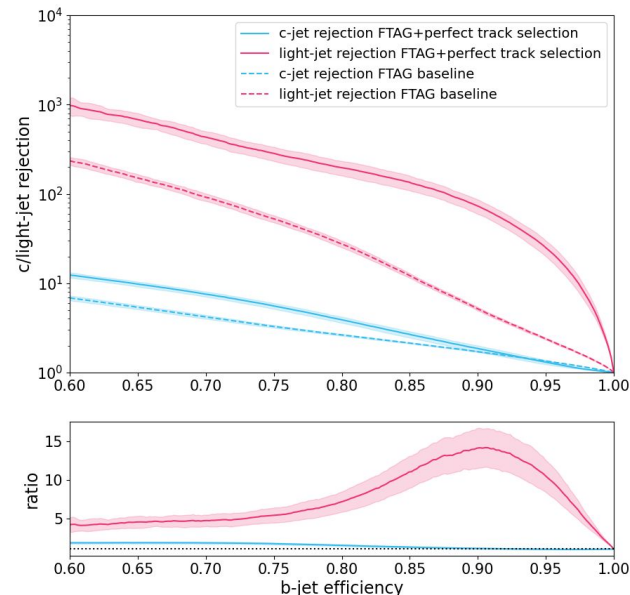


**"perfect"
track
selection**



**Significant improvements possible
with better track selection!**

**NDIVE integration into NN
flavour tagging model
improves performance:**



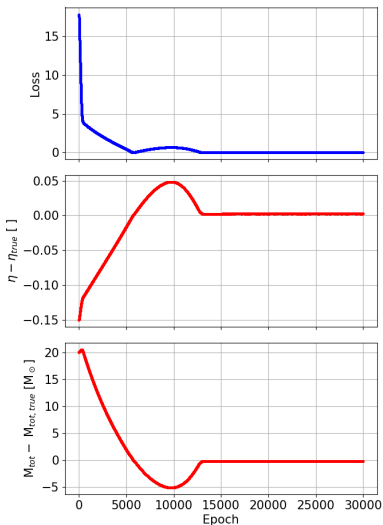
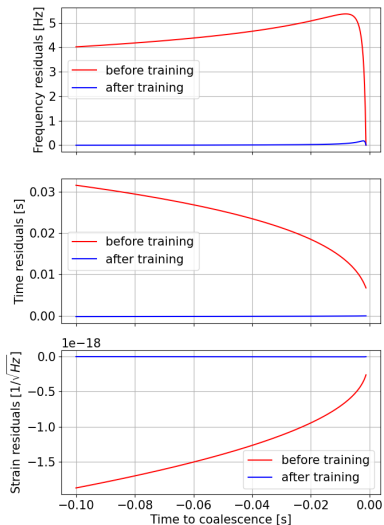
Introduction

- PINNGraPE is a PyTorch algorithm which does PE for a Gravitational-Wave (GW) signal's source thanks to a Physics-Informed Neural Network (PINN) [?].
- We solve (1) thanks to a Recurrent Neural Network (RNN) with a Runge-Kutta integrator at 4th order implemented inside.

$$\frac{df}{dt} = \mathcal{F}[f, \eta, M_{tot}] \quad (1)$$

$$\begin{aligned} \mathcal{L} = & \frac{\beta_f}{N} \sum_{k=1}^N |f_k - f(t_k)| + \\ & + \frac{\beta_t}{N} \sum_{k=1}^N |t_k - t(f(t_k))| + \\ & + \frac{\beta_h}{N} \sum_{k=1}^N |h_k - h(f(t_k))| \end{aligned} \quad (2)$$

Results

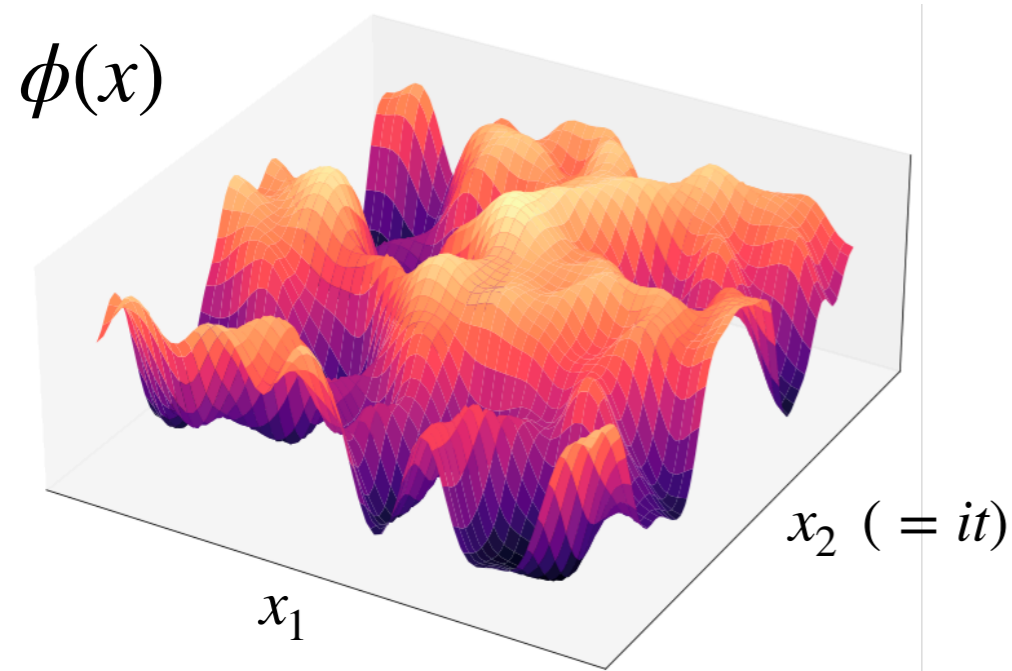
guesses: $\eta = 0.1$, $m_{\text{tot}} = 80.0 M_{\odot}$ guesses: $\eta = 0.1$, $m_{\text{tot}} = 80.0 M_{\odot}$ 

Conclusions

- PINNGraPE is able to infer η and M_{tot} values with 10^{-2} relative error from frequency and strain data, implementing 1.5PN formalism.
- Near future steps:
 - to build a real dataset spanning a physical parameter space;
 - to test robustness against noise and glitches;
 - to extend the number of parameters to infer.
- (Not so) remote future step:
 - use of cWB real outputs,
 - apply PINNs approach to TOV equations, in order to constrain NS's equation of state.

Lattice Quantum Field Theory

as a sampling problem



(Euclidean) action

$$S[\phi] = \int d^D x \frac{1}{2} \left((\partial_\mu \phi)^2 + m^2 \phi^2 \right) + \lambda \phi^4$$

$$p(\phi) \propto e^{-S[\phi]}$$

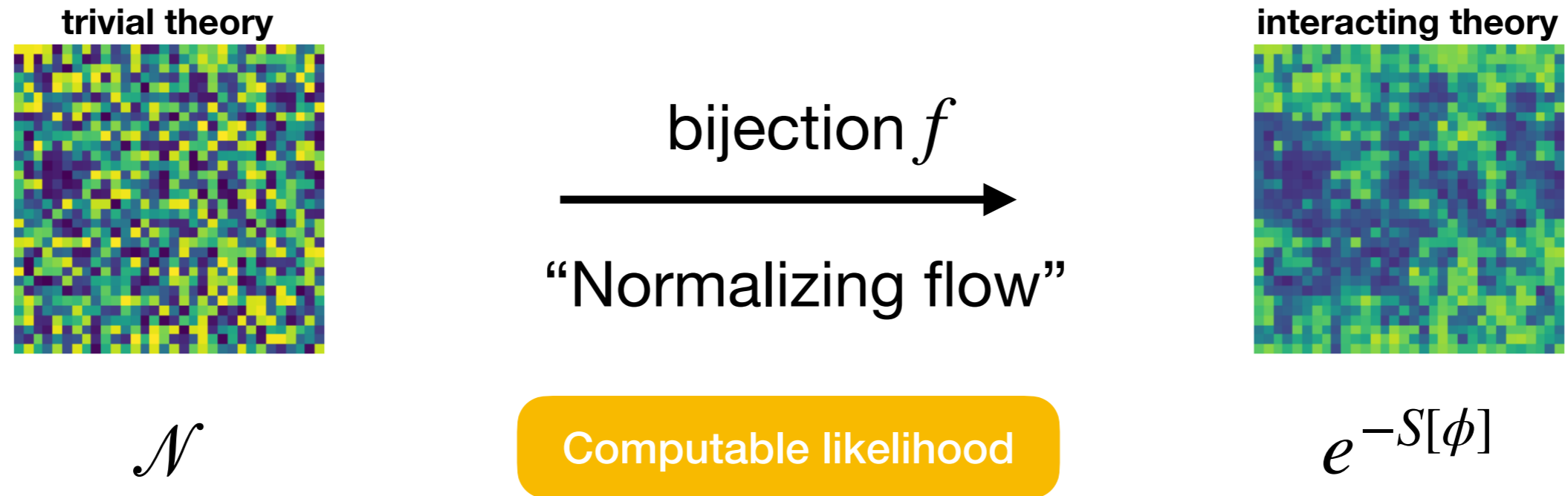
Samples: $\phi \sim e^{-S[\phi]}$

estimate observables



$\langle \mathcal{O}[\phi] \rangle$

Generative models

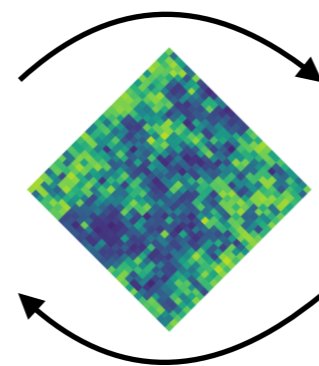


continuous
flow

$$\dot{f} = g_{\theta}[\phi]$$

$$\phi_0 \longrightarrow \phi_1$$

built-in
symmetry



transfer
learning

$$\lambda = 0.7 \quad L=6$$

$$\downarrow \quad \downarrow$$

$$\lambda = 0.8 \quad L=12$$

Importance nested sampling with normalizing flows

(for gravitational-wave
inference)

Michael J. Williams, John
Veitch, Chris Messenger
arXiv:2302.08526



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Can we accelerate nested sampling with machine learning?



nessai

Nested sampling + normalizing flows

- + Improved sampling efficiency
- Limited by nested sampling design

Poster 38

Importance nested sampling with normalizing flows

(for gravitational-wave inference)

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arXiv:2302.08526



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What if we design a nested sampling algorithm around normalizing flows?



i-nessai

Importance nested sampling +
normalizing flows



Addresses the main bottlenecks
Further improvements to sampling
efficiency

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