

## BACHELORS SYMPOSIUM 2023

# Calculation of electron affinity of polonium

Student: Supervisor:

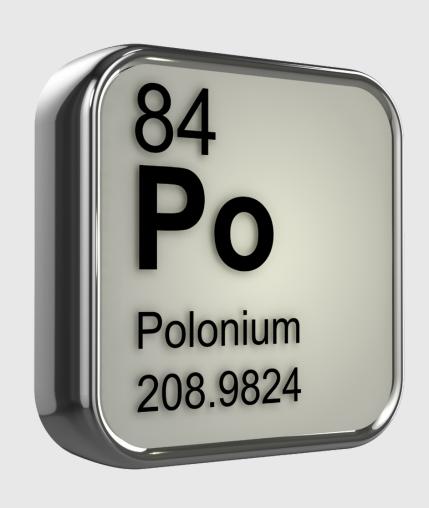
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# Outline:

- 1 Introduction
- 2 Theory and method
- 3 Results
- 4 Summary and outlook



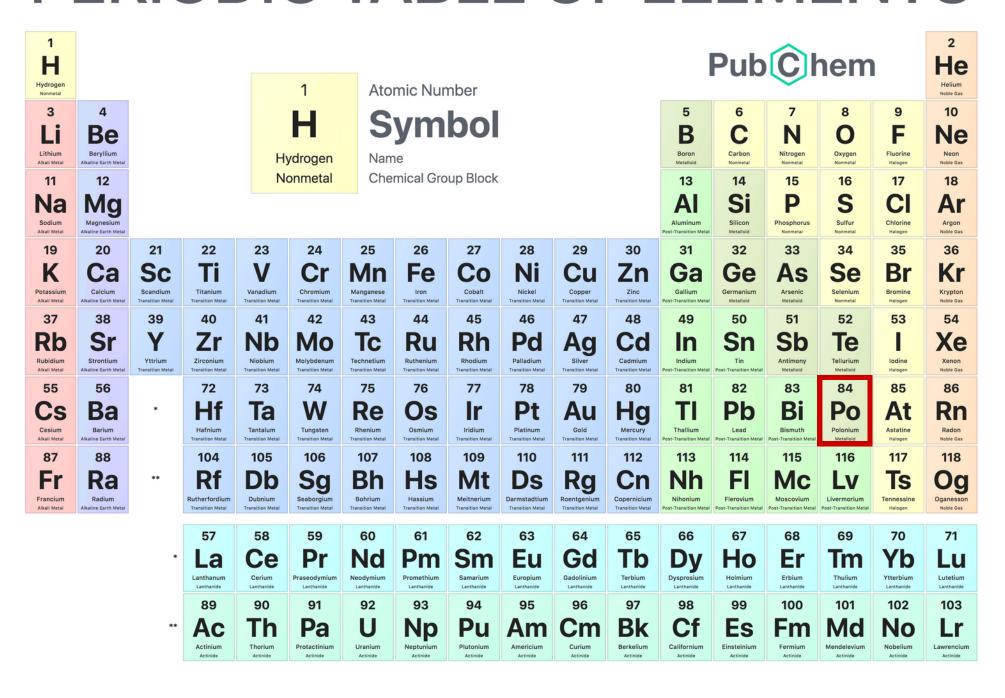
# Basic properties



[Xe] 4f<sup>14</sup>5d<sup>10</sup>6s<sup>2</sup>6p<sup>4</sup>



### PERIODIC TABLE OF ELEMENTS



# Basic properties

### ELECTRON AFFINITY (EA)

The energy change that occurs when an electron is added to the neutral atom.

EA=E(neutral atom) - E(negative ion)

### IONIZATION POTENTIAL (IP)

The energy change that occurs when an electron is removed from the neutral atom.

IP = E(positive atom)-E(neutral atom)



# Theory and method

1

2

3

Dirac-Hartree-Fock

Coupled Cluster

Basis sets



## Dirac-Hartree-Fock

HARTREE-FOCK EQUATION

DIRAC HAMILTONIAN

$$\hat{F}\chi_i = \epsilon_i \chi_i$$

$$\hat{H}\Psi = [c\alpha \cdot \hat{p} + \beta mc^2 + V]\Psi$$

#### THE SLATER DETERMINANT

# Coupled cluster

#### ELECTRONIC CORRELATION

Correlation energy describes the influence of the presence of other electrons on the movement of one electron.

#### USE OF THE EXPONENTIAL ANSATZ

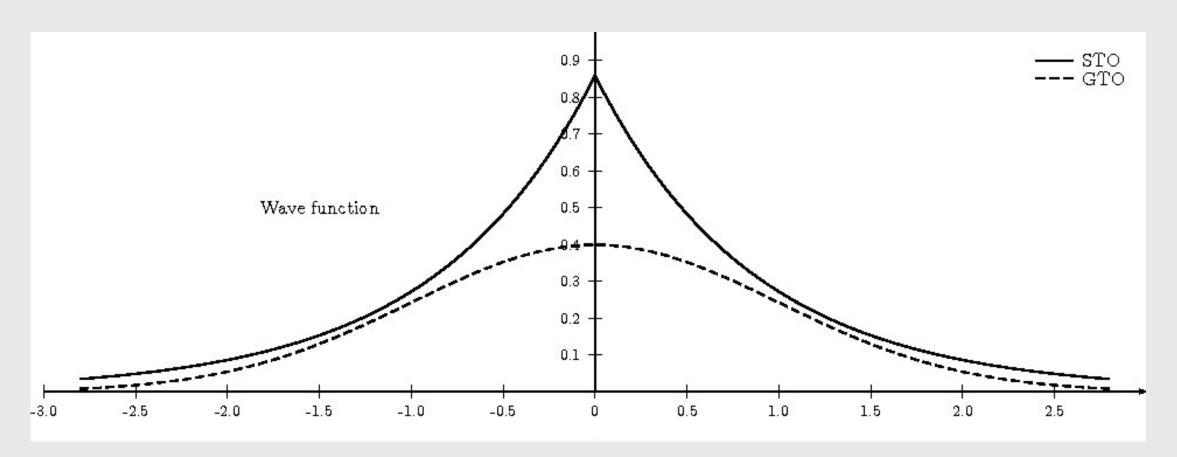
$$\Psi_{CC} = e^{\hat{T}} \chi$$

$$\hat{T} = \hat{T}_1 + \hat{T}_2 + \dots + \hat{T}_n$$

$$E_{CC} = \langle 0|\hat{H}|0\rangle \hat{H} = e^{-\hat{T}}He^{\hat{T}}$$



# Basis sets



#### SLATER TYPE ORBITALS

$$\phi_{abc}^{STO}(x,y,z) = Nx^a y^b z^c e^{-\zeta r}$$

#### GAUSSIAN TYPE ORBITALS

$$\phi_{abc}^{GTO}(x,y,z) = Nx^a y^b z^c e^{-\zeta r^2}$$

Figure 1: Comparison of the shape of a STO and GTO functions.

#### CONTRACTED GAUSSIAN TYPE ORBITALS

$$\phi_{abc}^{CGTO}(x,y,z) = N \sum_{i=1}^{r} c_i x^a y^b z^c e^{-\zeta r^2}$$



# Basis sets

#### CARDINALITY

• Double zeta: 2 functions

• Triple zeta : 3 functions

• Quadruple zeta: 4 functions

• Quintuple zeta: 5 functions

#### DIFFUSE FUNCTIONS

- 1 added layer of diffuse functions : s-aug
- 2 added layers of diffuse functions : d-aug
- 3 added layers of diffuse functions : t-aug

#### NUMBER OF CORRELATION FUNCTIONS

- Valence (v)
- Core-valence (cv)
- All-electrons (ae)

#### COMPUTATIONAL DETAILS

Usage of the K.G. Dyall basis sets

Input into the program as Dyall.vXz; Dyall.cvXz; Dyall.aeXz

Or as: s-aug-dyall.YXz; d-aug-dyall.YXz; t-aug-dyall.YXz



# What parameters can we change ?

METHODS:

DHF; CCSD; CCSD(T)

VIRTUAL CUT-OFF

NUMBER OF CORRELATED ELECTRONS

**BASIS SETS:** 

Cardinality

Correlation functions

Diffuse functions



# Results

1

DHF VS CC

2

Varying basis sets

3

Most accurate final result

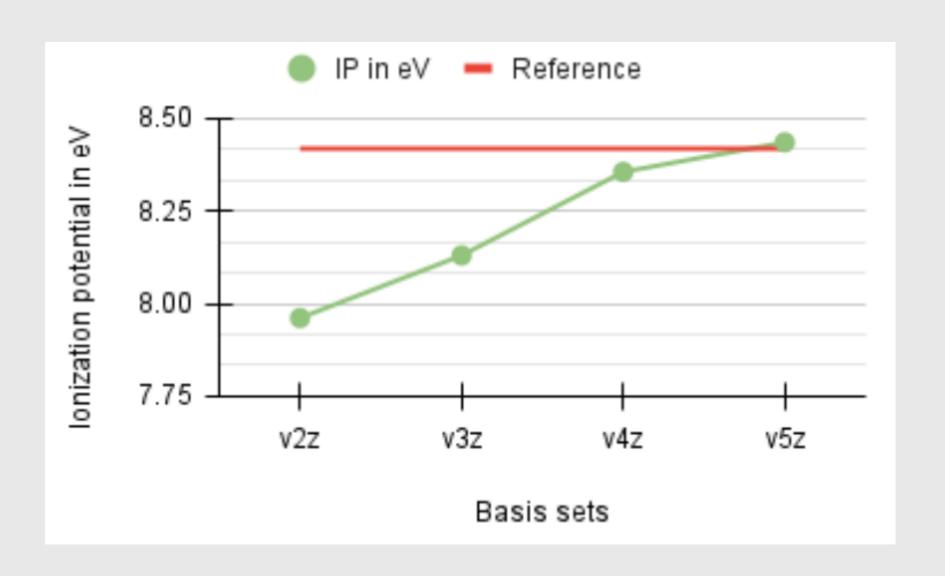


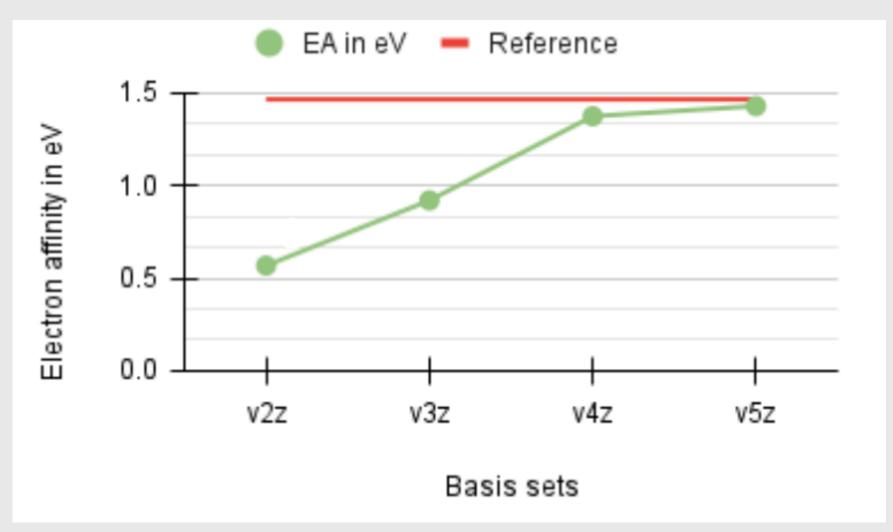
# DHF VS CCSD and CCSD(T)

DHF VS CCSD(T)	DHF	Error	CCSD	Error	CCSD(T)	Error	Reference
IP in eV	7.810	0.608	8.357	0.061	8.407	0.011	8.418
EA in eV	0.628		1.355		1.456		1.461



# Influence of basis set cardinality







# Influence of correlation functions

Importance of correlated electrons	v5z	cv5z	ae5z	Reference
IP in eV	8.435	8.401	8.401	8.418
EA in eV	1.428	1.422	1.422	1.461

# Influence of diffuse functions

Importance of augmentation	ae5z	s-aug-ae5z	d-aug-ae5z	t-aug-ae5z	Reference
IP in eV	8.401	8.404	8.404	8.404	8.418
EA in eV	1.422	1.453	1.454	1.454	1.461

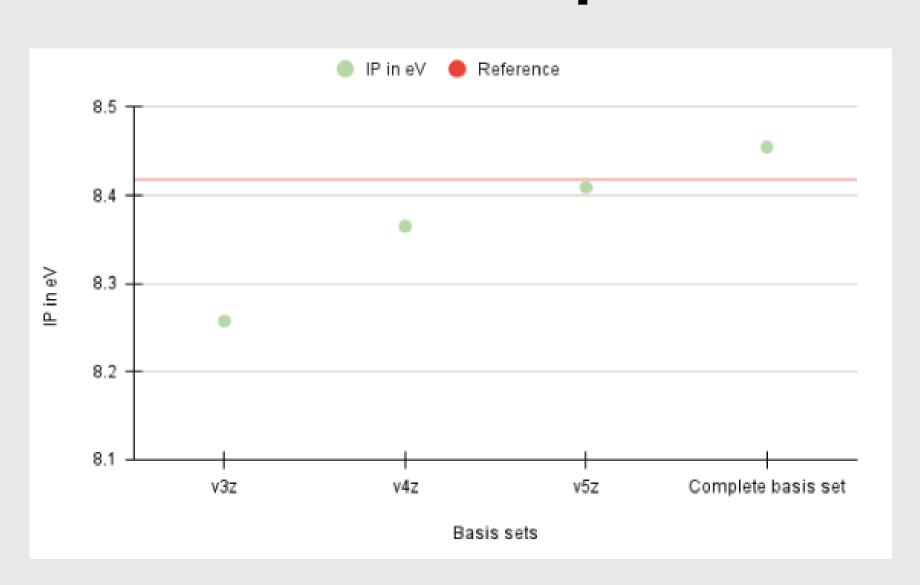
# Extrapolation to the complete basis set limit

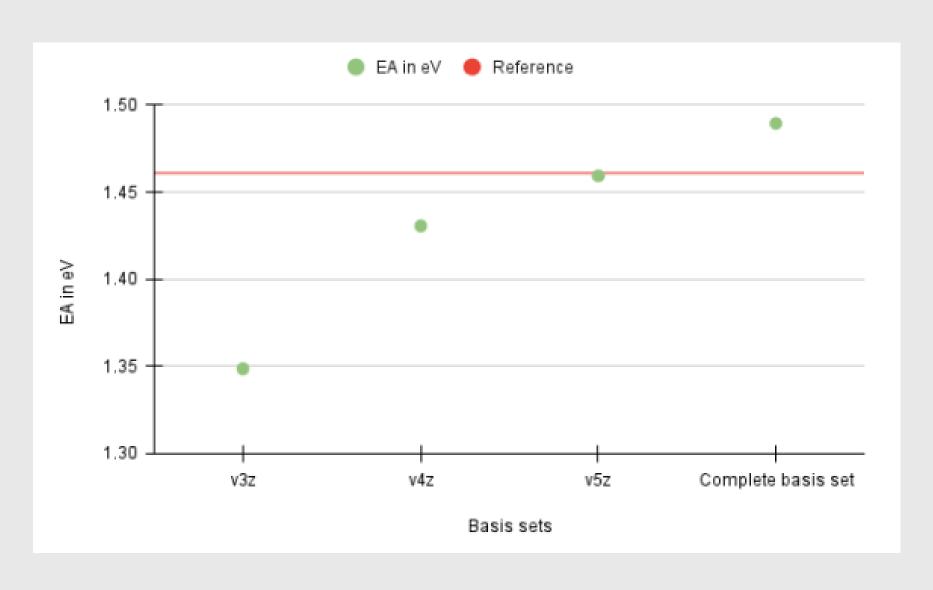
$$E_{CBS1} = -\frac{E_{4z}^2 + E_{3z} * E_{5z}}{E_{3z} - 2 * E_{4z} + E_{5z}}$$

$$E_{CBS2} = \frac{4^3 * E_{4z} - 5^3 * E_{5z}}{4^3 - 5^3}$$



# Extrapolation to the complete basis set limit







# Most accurate final result of EA and IP

Basis set	ae5z	s-aug-ae5z	CBS	Reference
IP in eV	8.401	8.404	8.455	8.418
EA in eV	1.422	1.453	1.489	1.461



#### Katie Piner

# Thank you for your attention

Any questions?

