
Toward Laser Ablation of Barium Ions

Authors:

Tom SONIUS (*S4393503*)

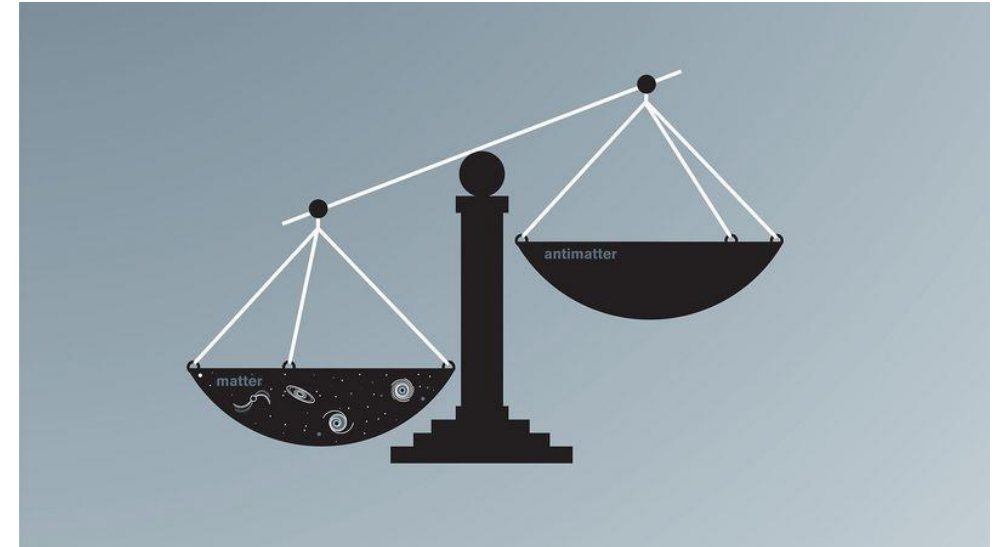
Supervisors:

Dr. Steve JONES

Dr. Lorenz WILLMANN

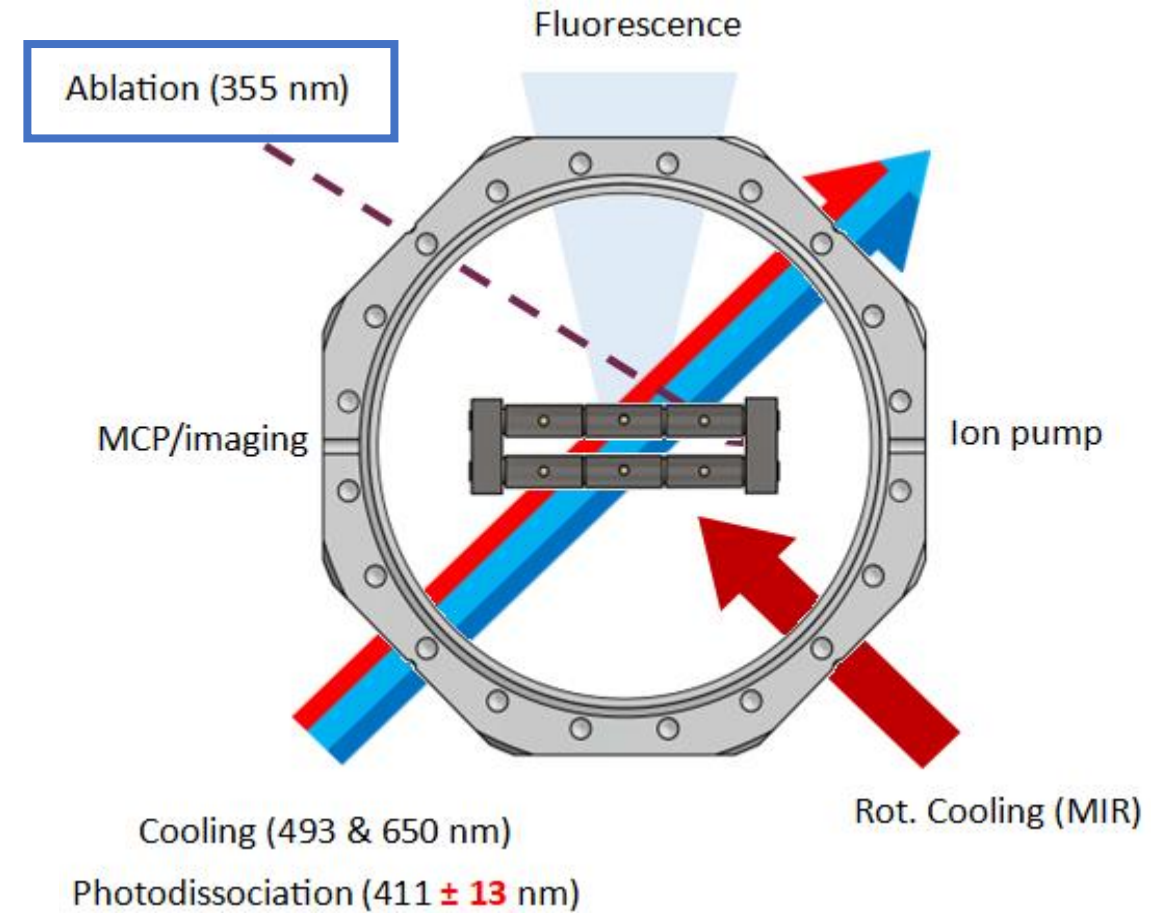
Motivation: ALPHA

- Why does matter dominate the universe?
- Transition between ground state and first excited state
- Predicted to be the same for hydrogen and anti-hydrogen
- Precision is limited



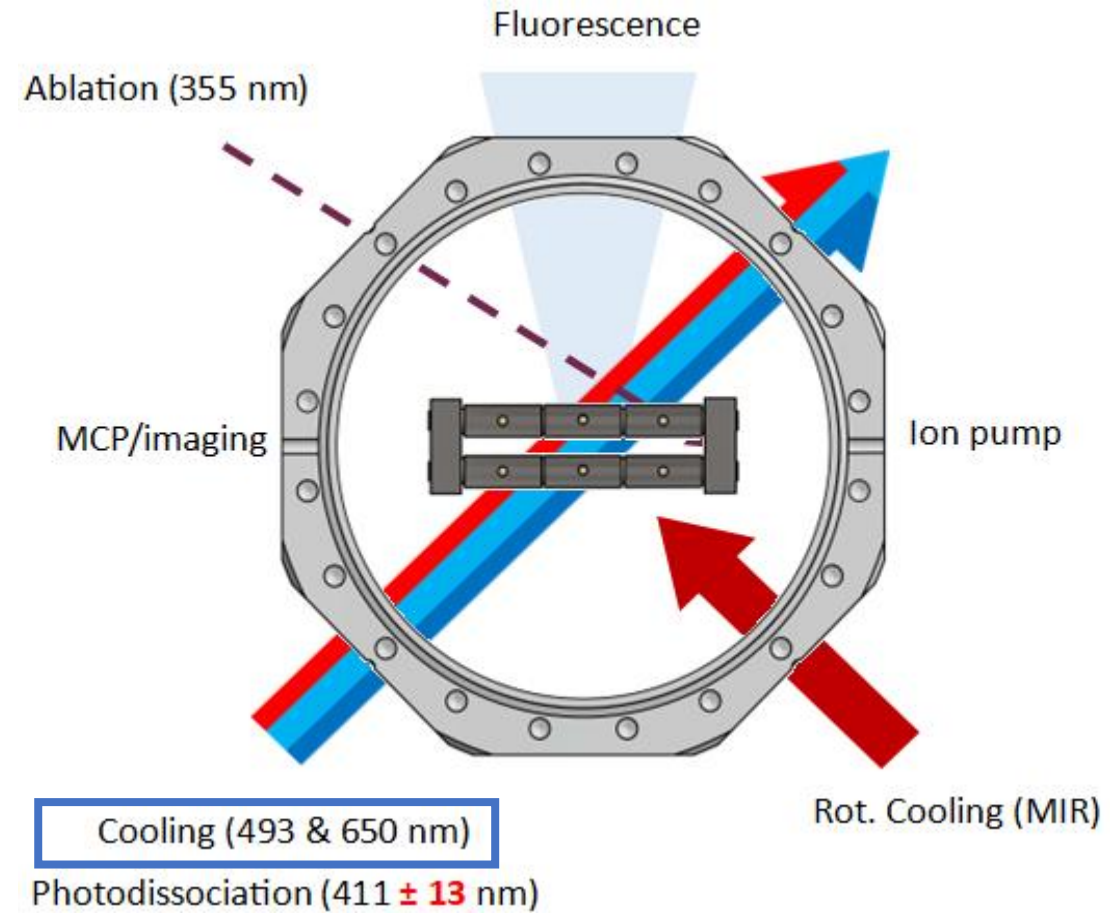
Motivation: DiCE

- Compare the two directly
- Laser ablation of $\text{BaH}_2 \Rightarrow \text{Ba}^+$ and BaH^+ ions



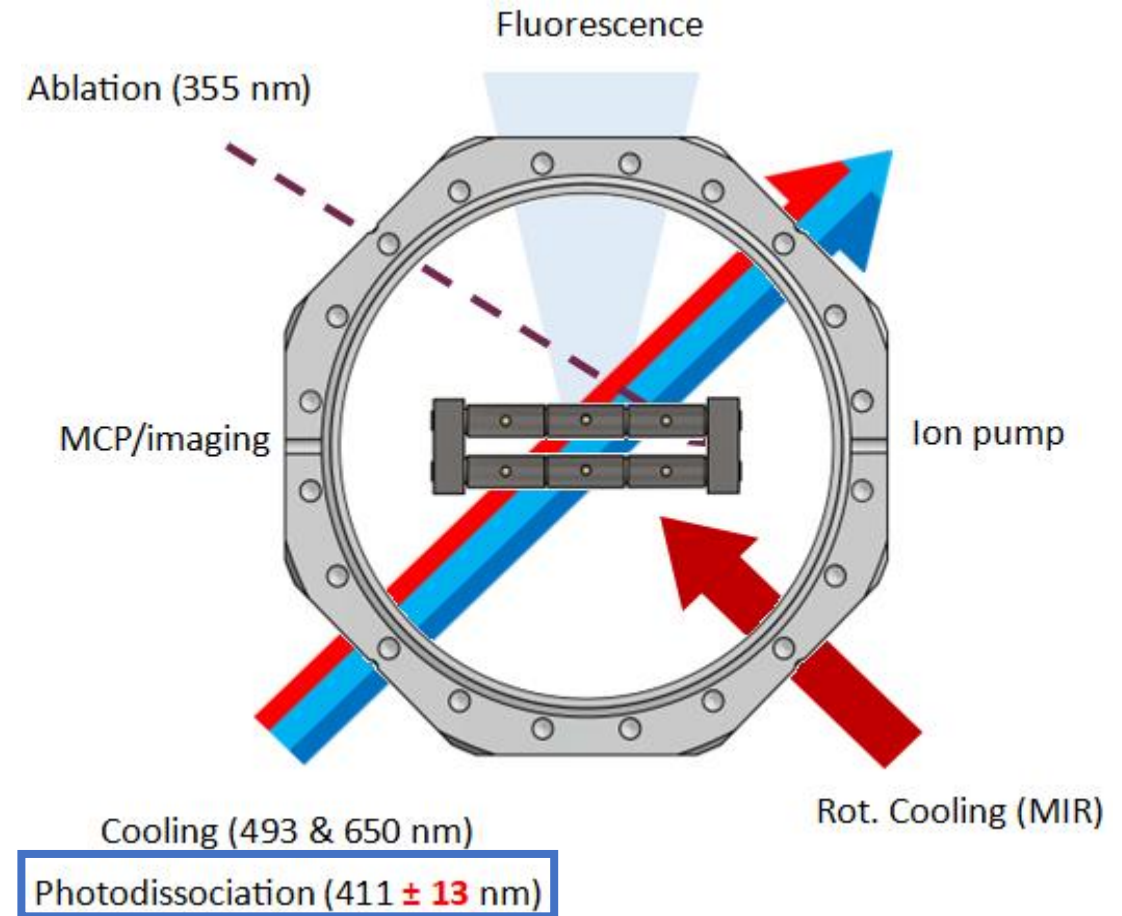
Motivation: DiCE

- Compare the two directly
- Laser ablation of $\text{BaH}_2 \Rightarrow \text{Ba}^+$ and BaH^+ ions
- Laser cool $\text{Ba}^+ \Rightarrow$ sympathetically cool BaH^+



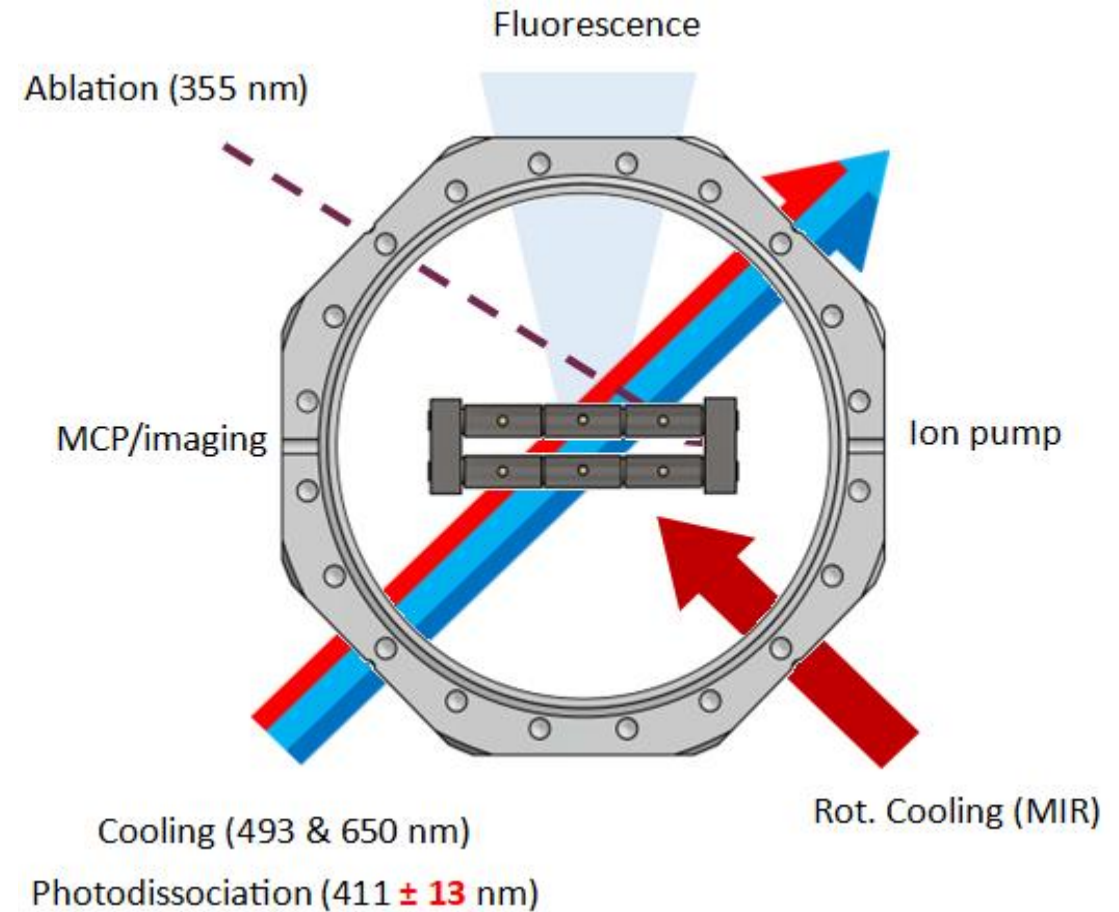
Motivation: DiCE

- Compare the two directly
- Laser ablation of $\text{BaH}_2 \Rightarrow \text{Ba}^+$ and BaH^+ ions
- Laser cool $\text{Ba}^+ \Rightarrow$ sympathetically cool BaH^+
- Photodissociate $\text{BaH}^+ \Rightarrow$ cold H



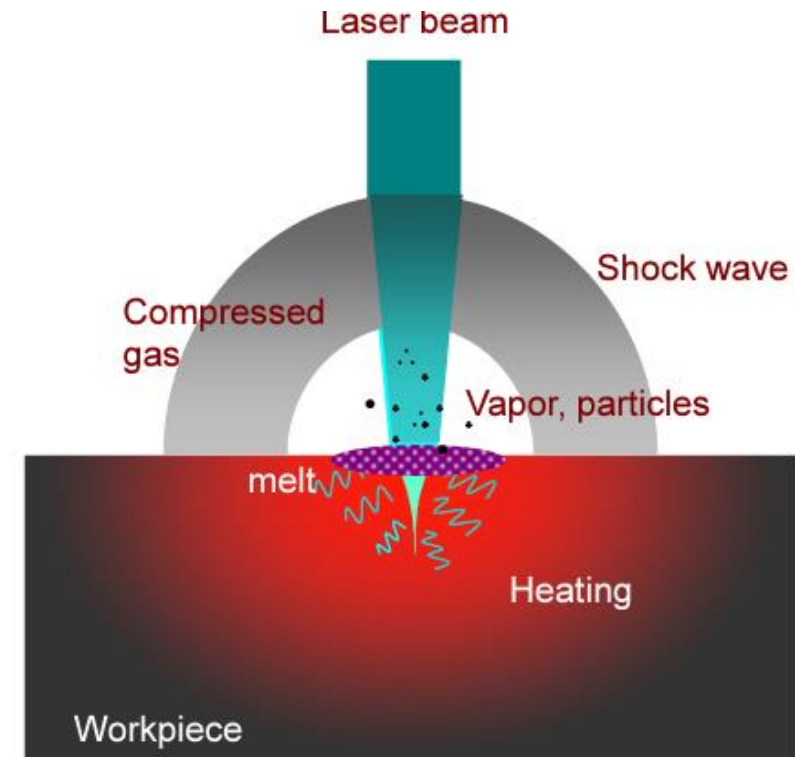
Motivation: DiCE

- Compare the two directly
- **Laser ablation** of $\text{BaH}_2 \Rightarrow \text{Ba}^+$ and BaH^+ ions
- Laser cool $\text{Ba}^+ \Rightarrow$ sympathetically cool BaH^+
- Photodissociate $\text{BaH}^+ \Rightarrow$ cold H



Background: Laser ablation

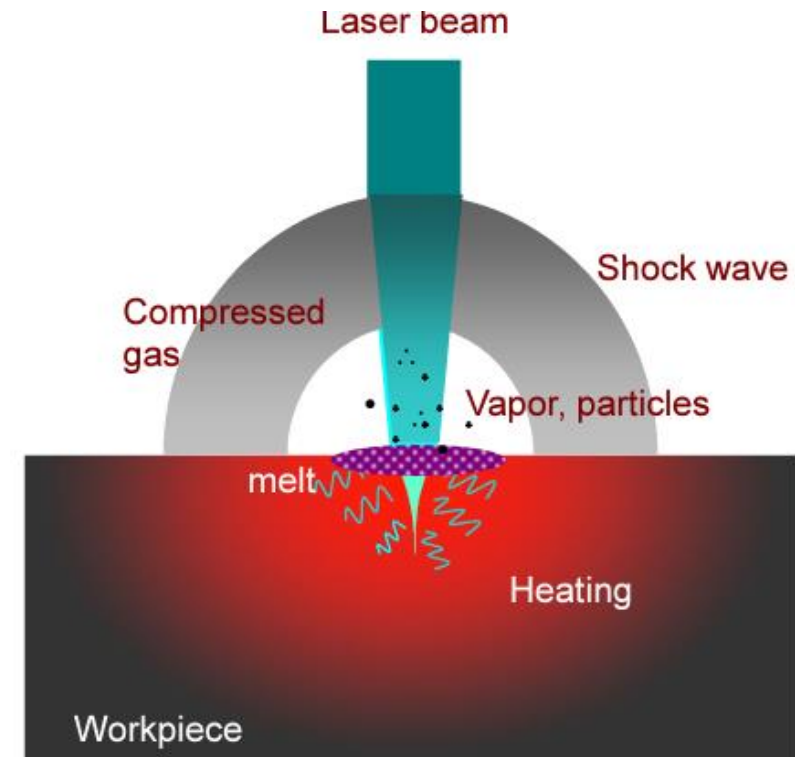
$$F_{th} \propto \sqrt{t_p T_v^2}$$



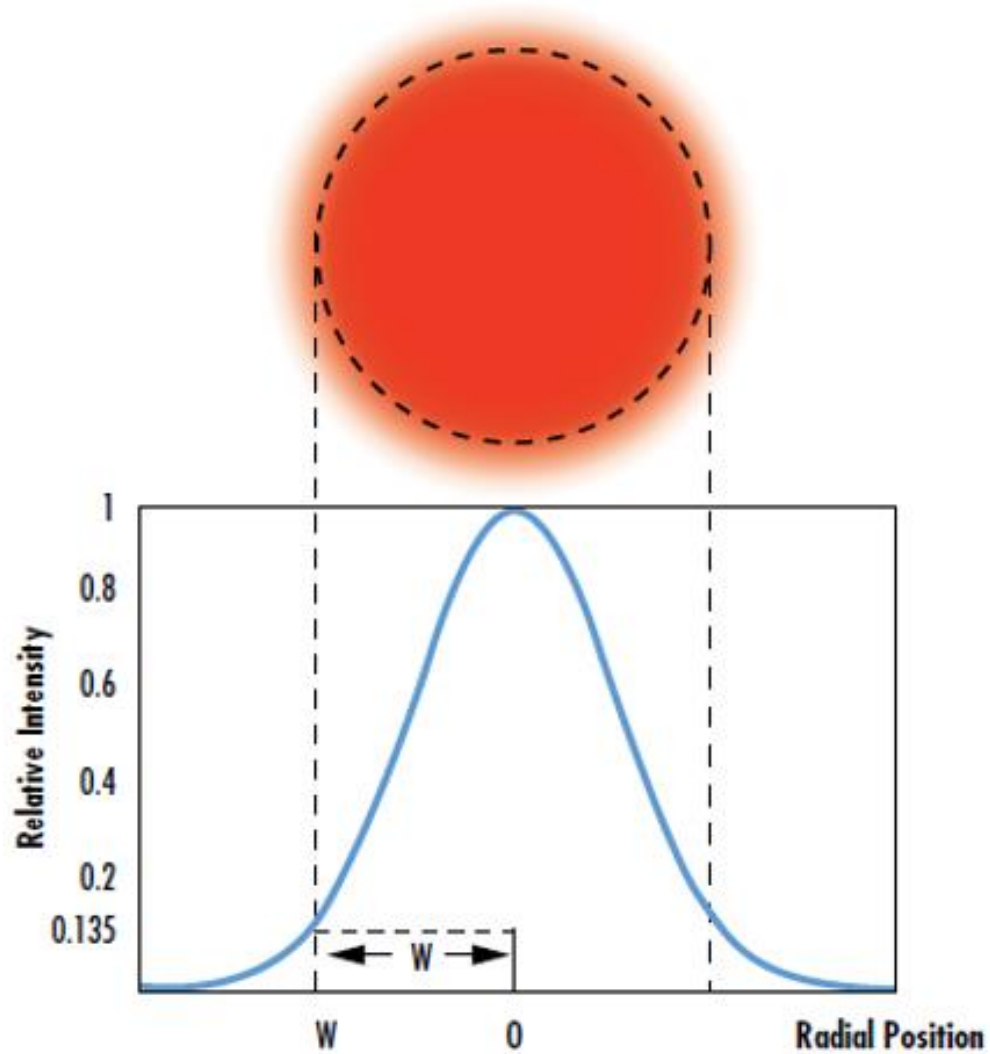
Background: Laser ablation

$$F_{th} \propto \sqrt{t_p T_v^2}$$

$$F_{th_{Barium}} \approx 0.09 \text{ J/cm}^2$$

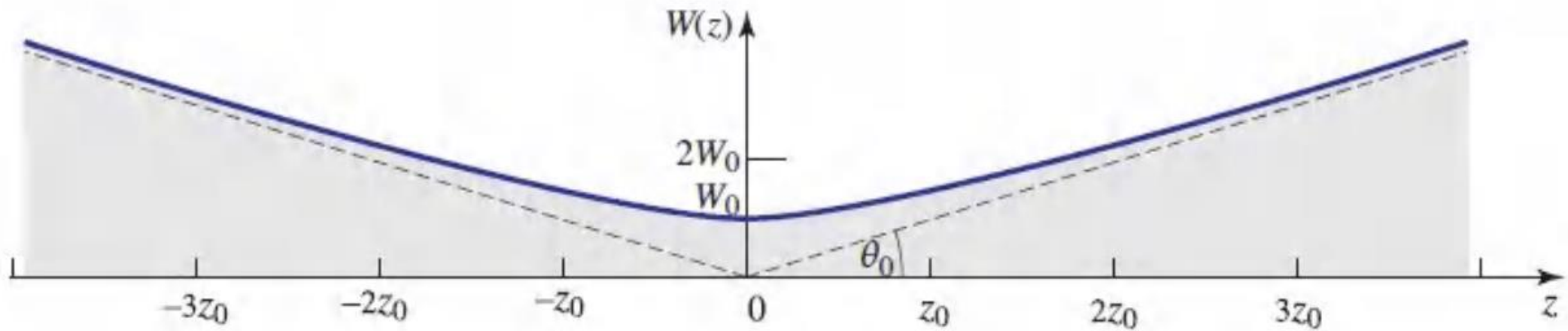


Background: Gaussian beam



$$I(x, y) = I_0 \exp\left[-\frac{2(x - x_0)^2}{w^2} - \frac{2(y - y_0)^2}{w^2}\right]$$

Background: Gaussian beam



$$w = w_0 \sqrt{1 + \left(\frac{z}{z_0}\right)^2}$$

$$z_0 = \frac{\pi w_0^2}{\lambda}$$

Goal

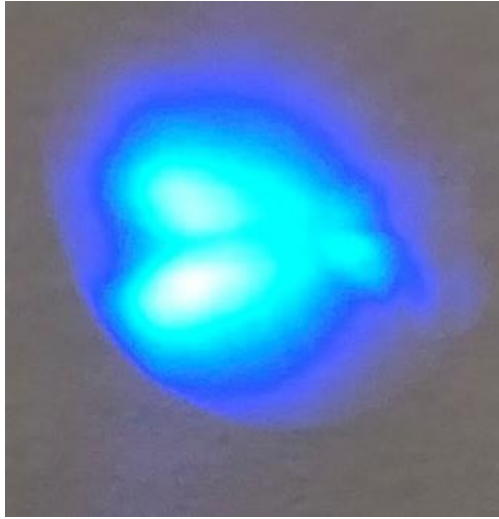
Goals:

- Focus the UV laser to a tight spot
- Approximate the energy needed to ablate barium

To do so:

- Profile the beam
- Construct optical configuration
- Measure the spot size at the focus point

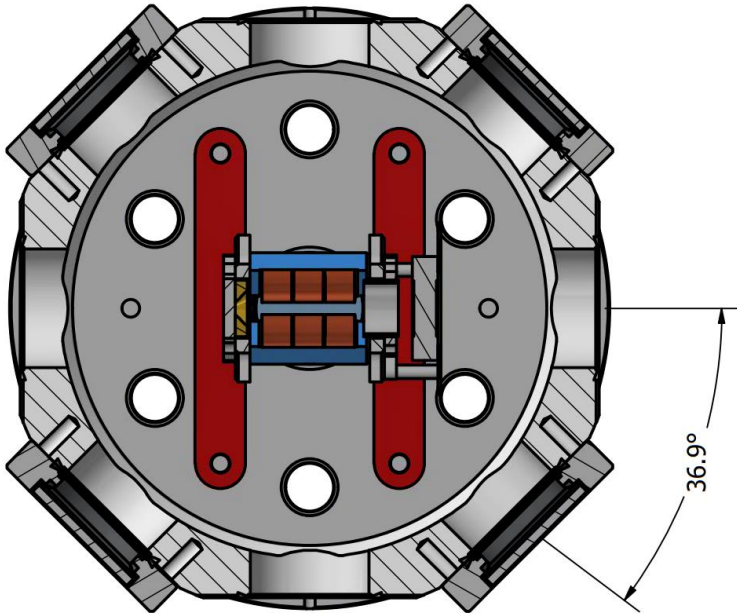
Challenges



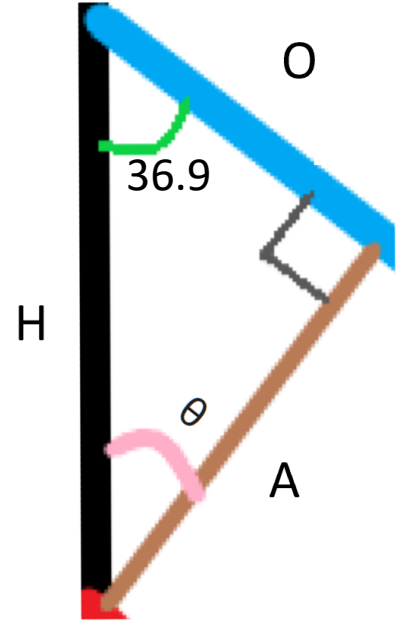
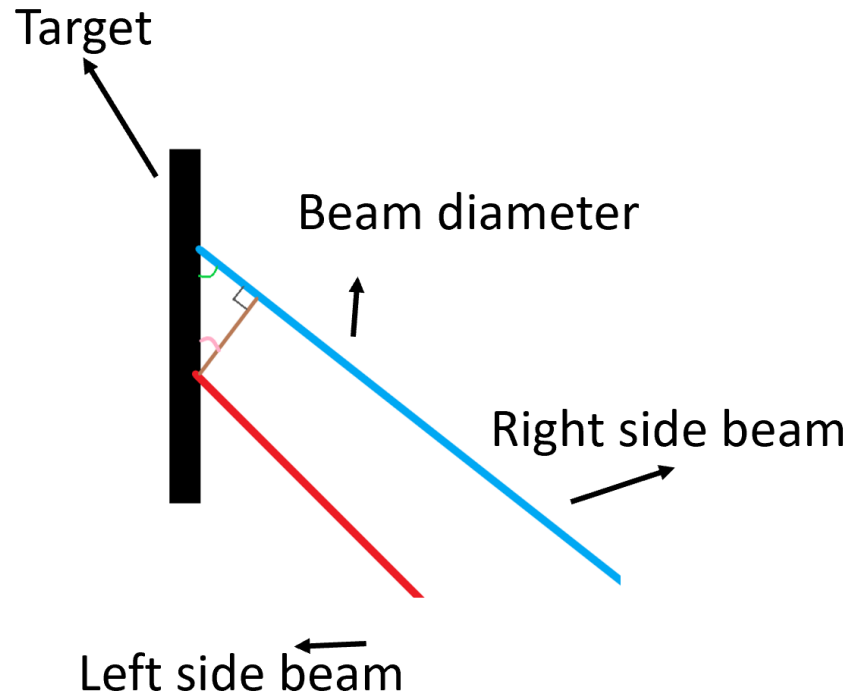
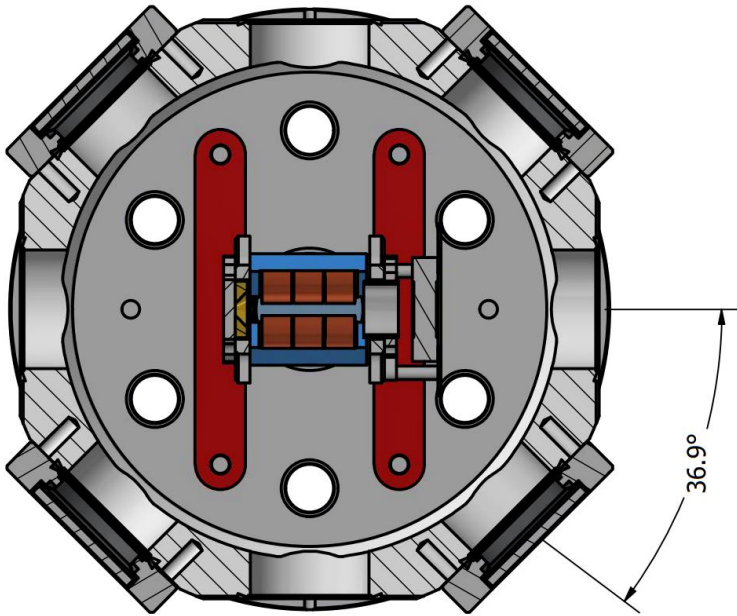
$$M^2 = \frac{w_m \cdot \theta_m}{2\lambda/\pi}$$

$$w = w_0 \sqrt{M^2 + M^2 \left(\frac{z}{z_0} \right)^2}$$

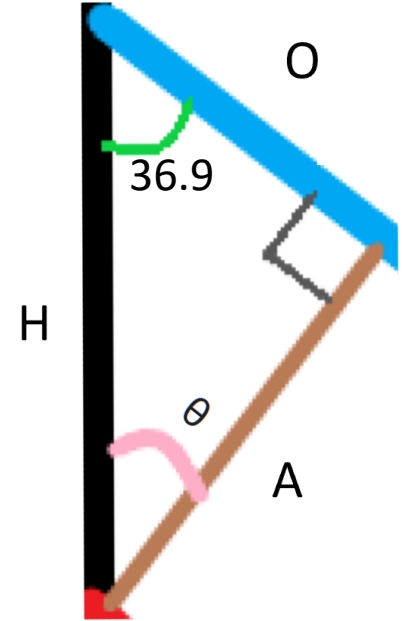
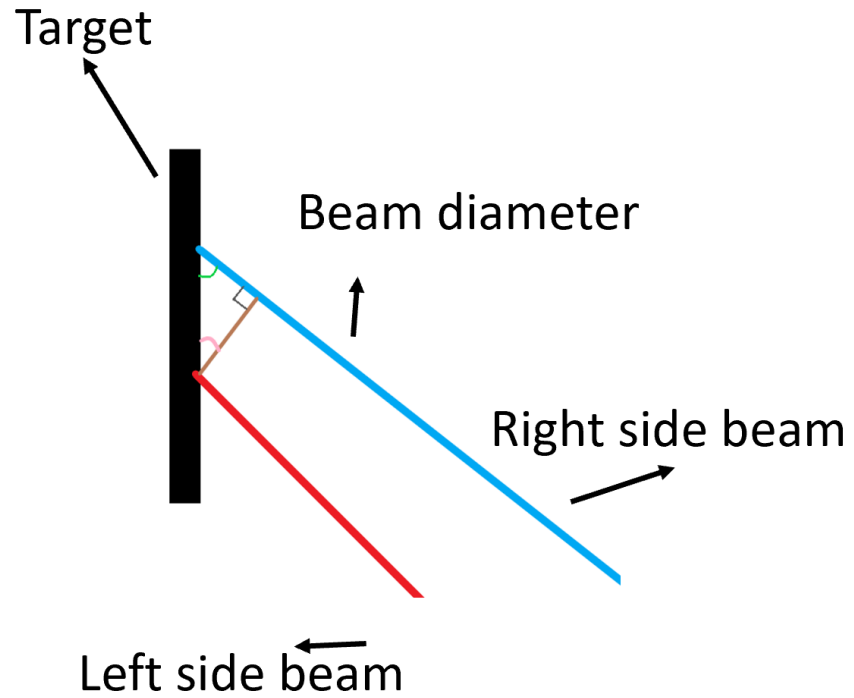
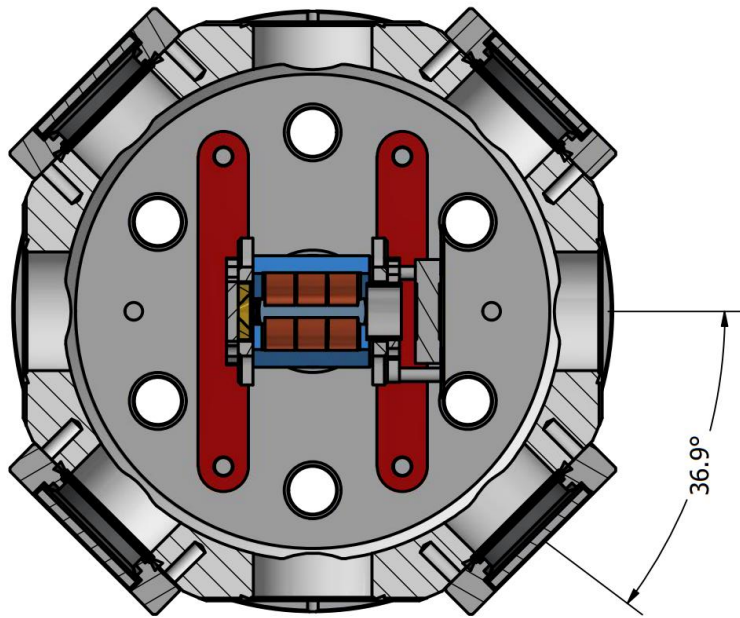
Challenges



Challenges

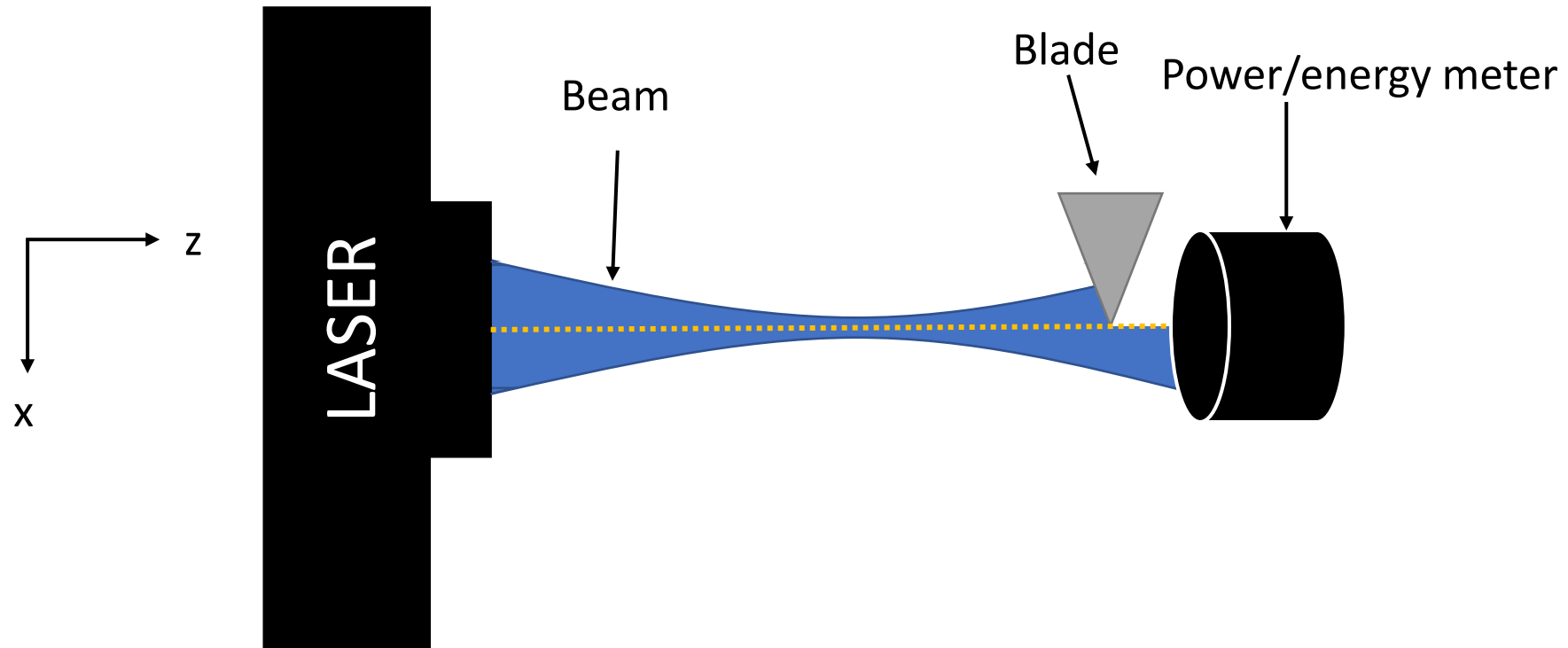


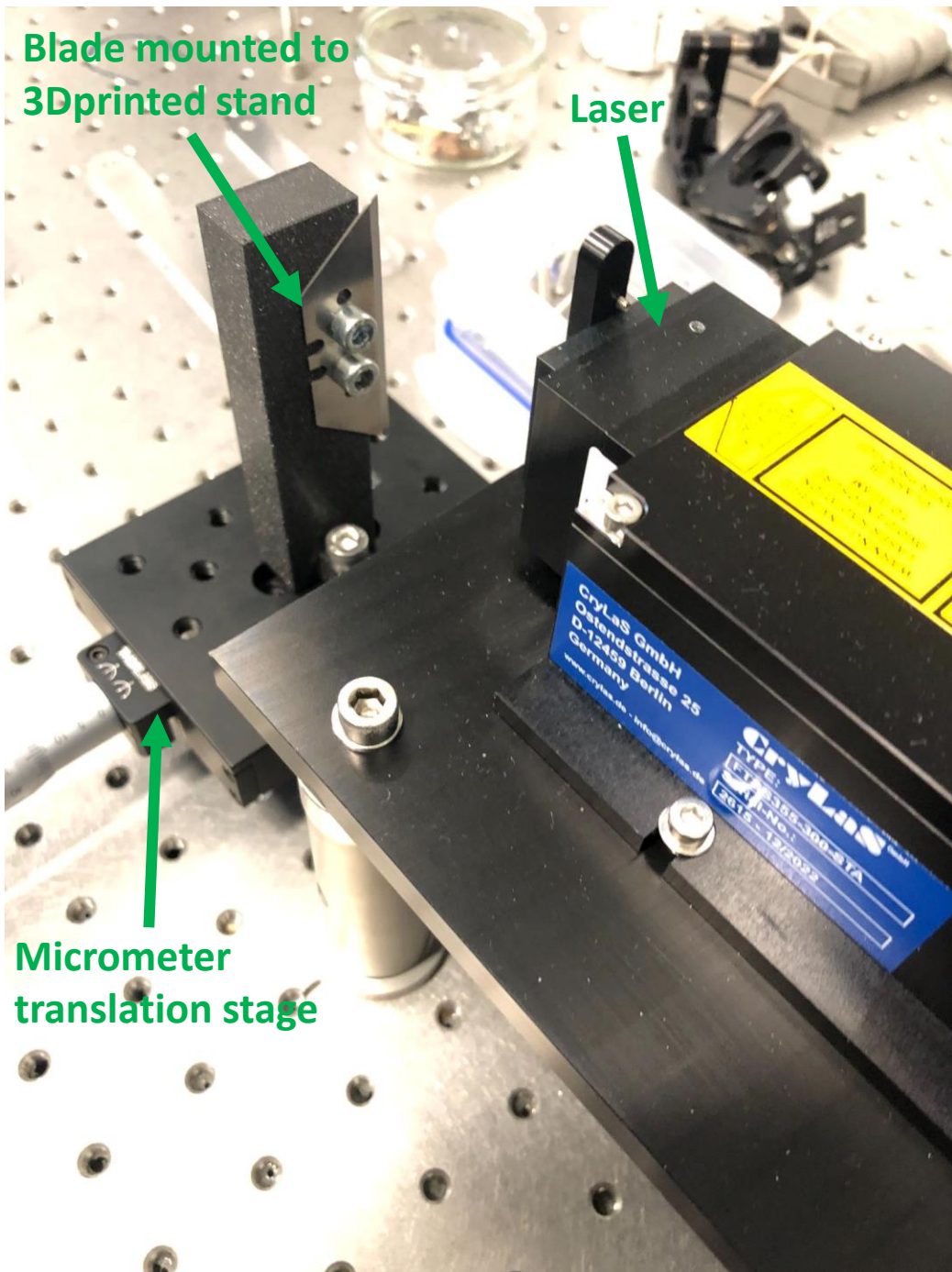
Challenges



$$H = \frac{A}{\cos(\theta)} = \frac{A}{\cos(90 - 36.9)} \approx 1.67 \times A$$

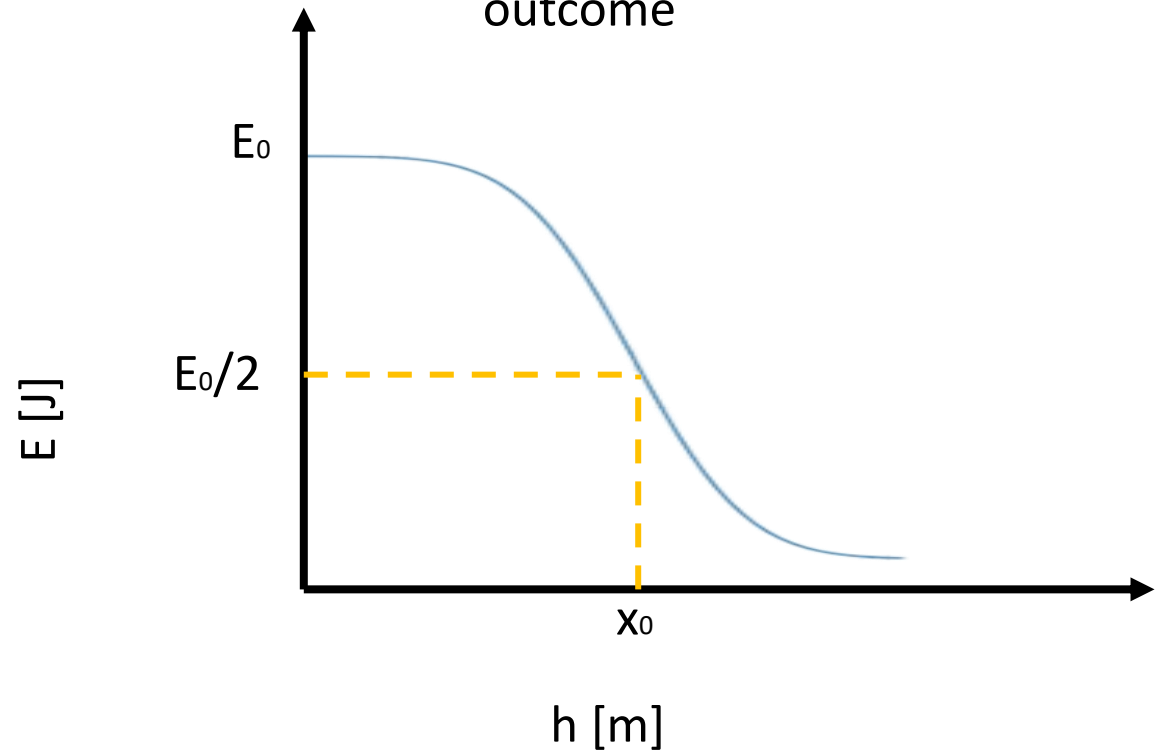
Methods: Knife-edge method



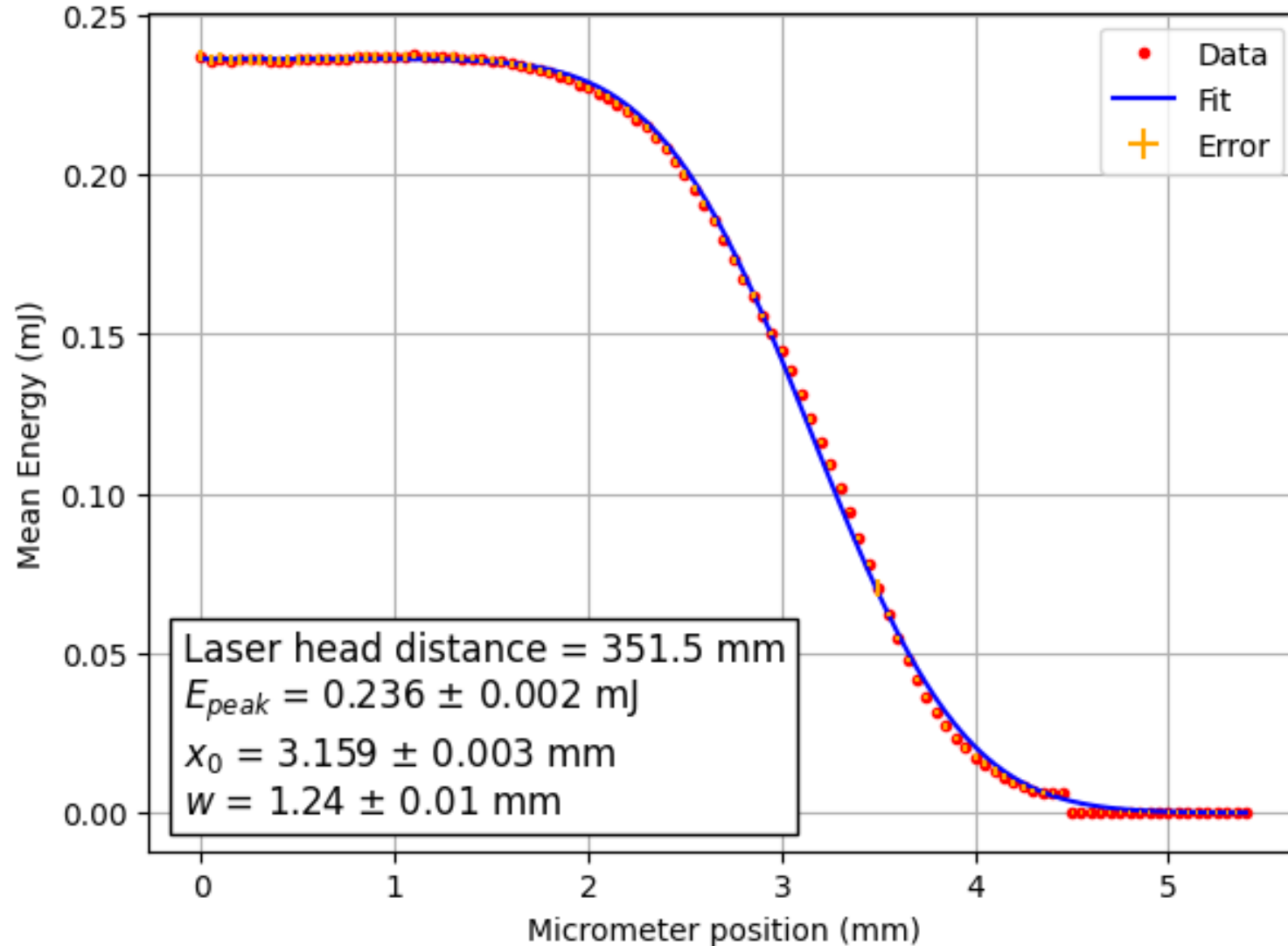


$$P(h) = \frac{P_{peak}}{2} \operatorname{erfc}\left(\frac{h - x_0}{\frac{w}{\sqrt{2}}}\right).$$

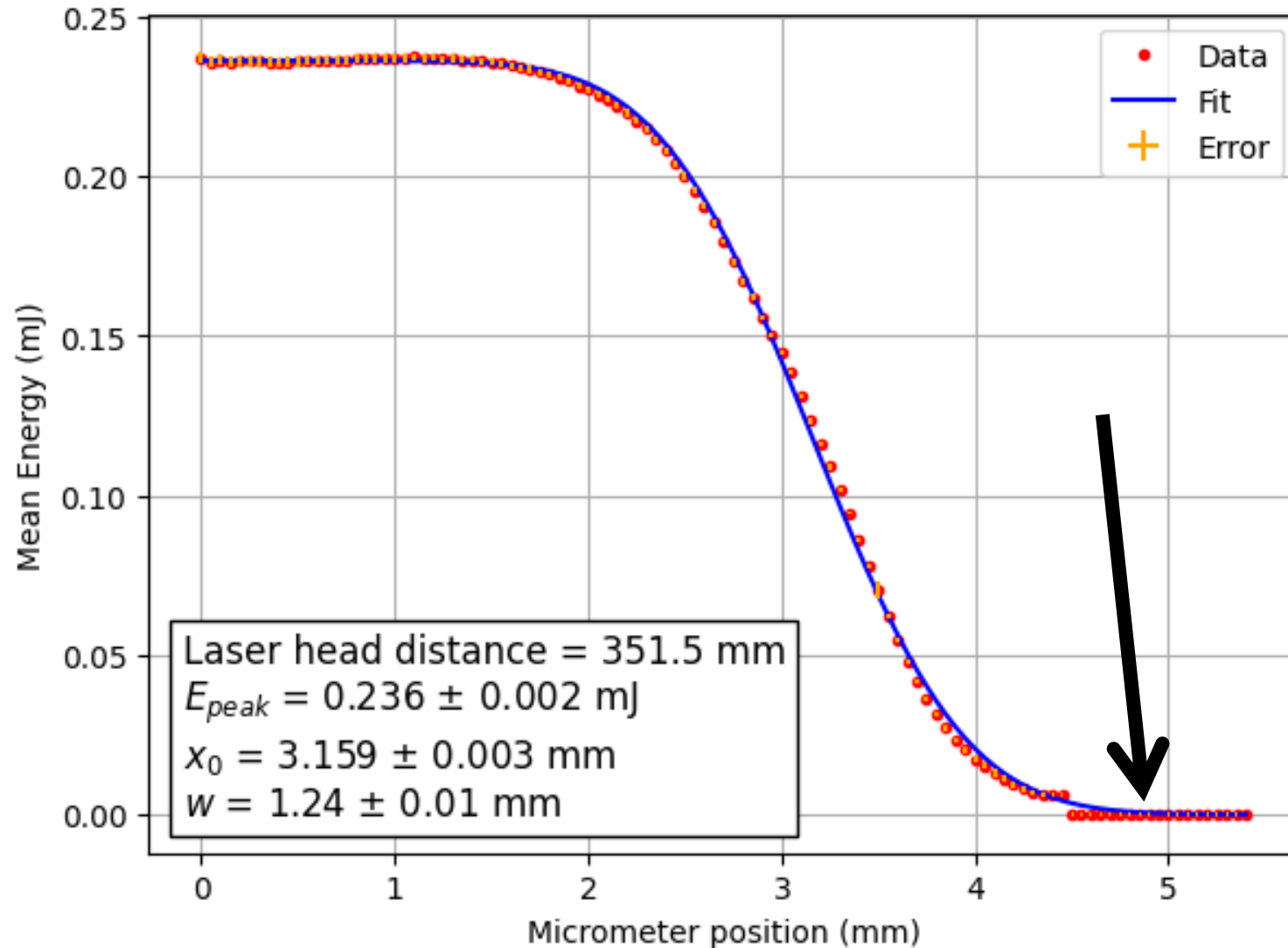
Expected energy vs distance
outcome



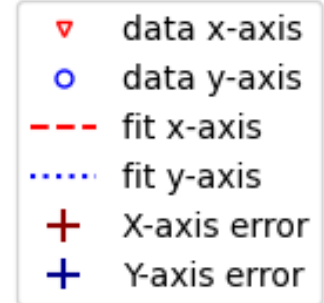
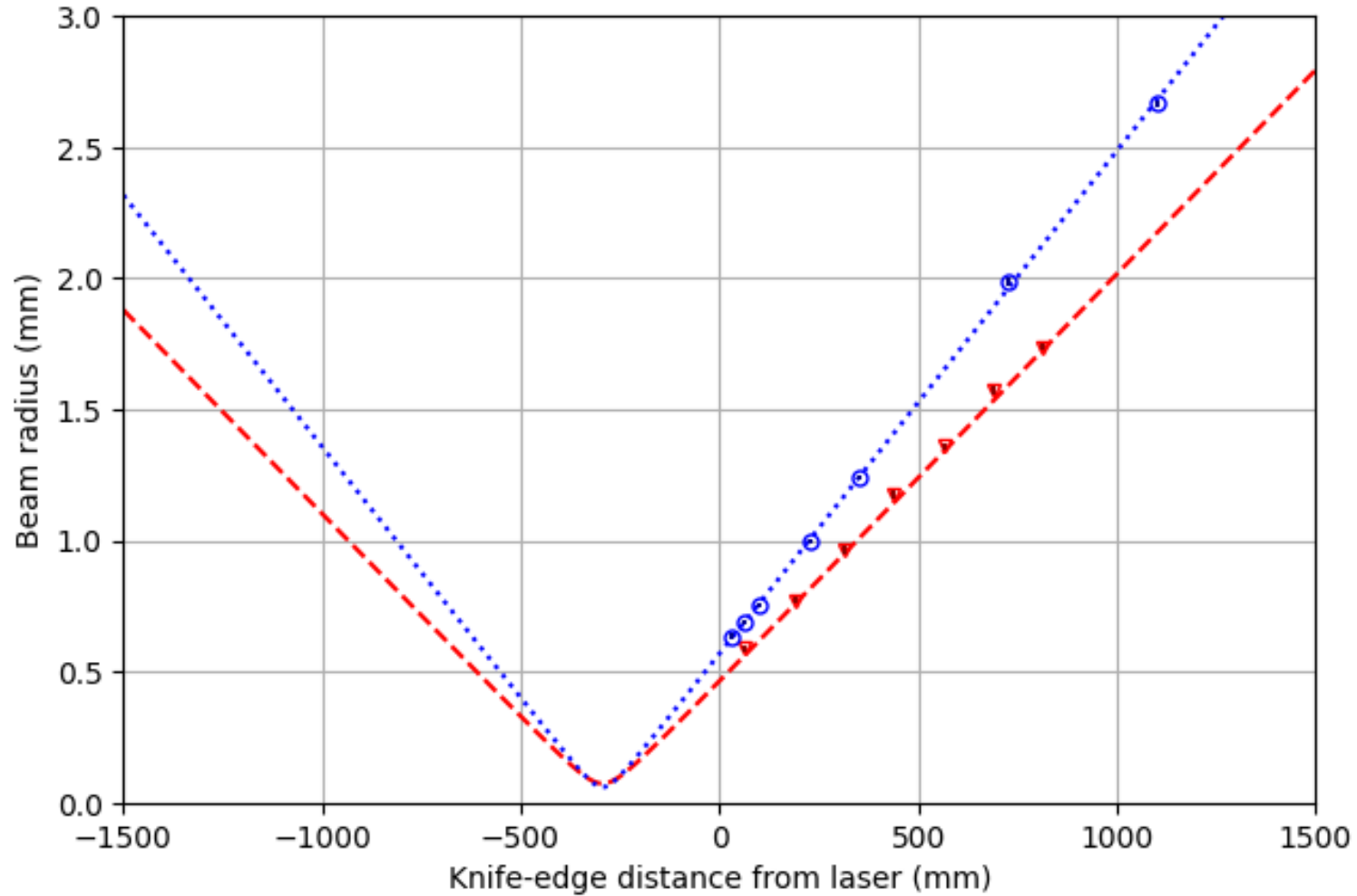
Results: Profiling



Results: Profiling



Results: Profiling



X-axis
Beam waist = $72.6 \pm 0.9 \mu\text{m}$
Waist position = $-307 \pm 10 \text{ mm}$

Y-axis
Beam waist = $58.9 \pm 0.4 \mu\text{m}$
Waist position = $294 \pm 4 \text{ mm}$

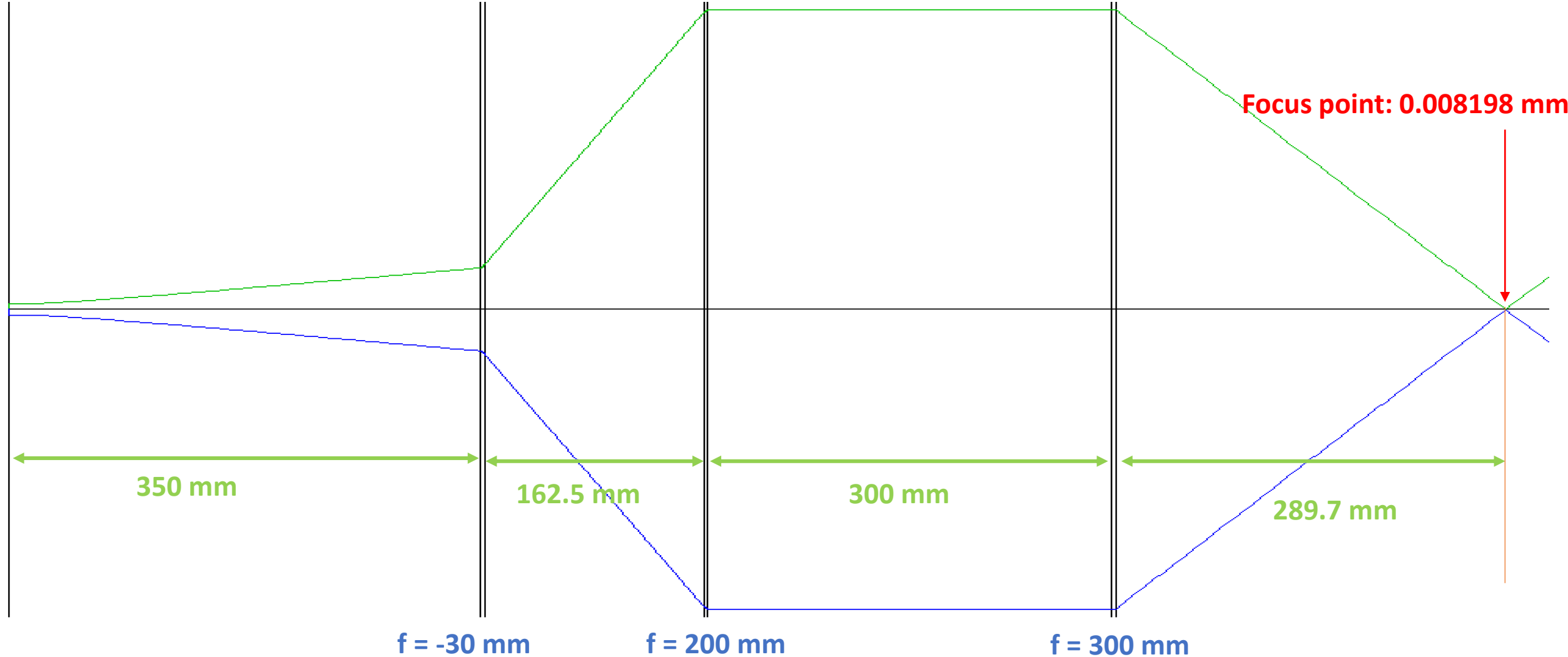
Results: Simulations

Beam waist: 0.072 mm

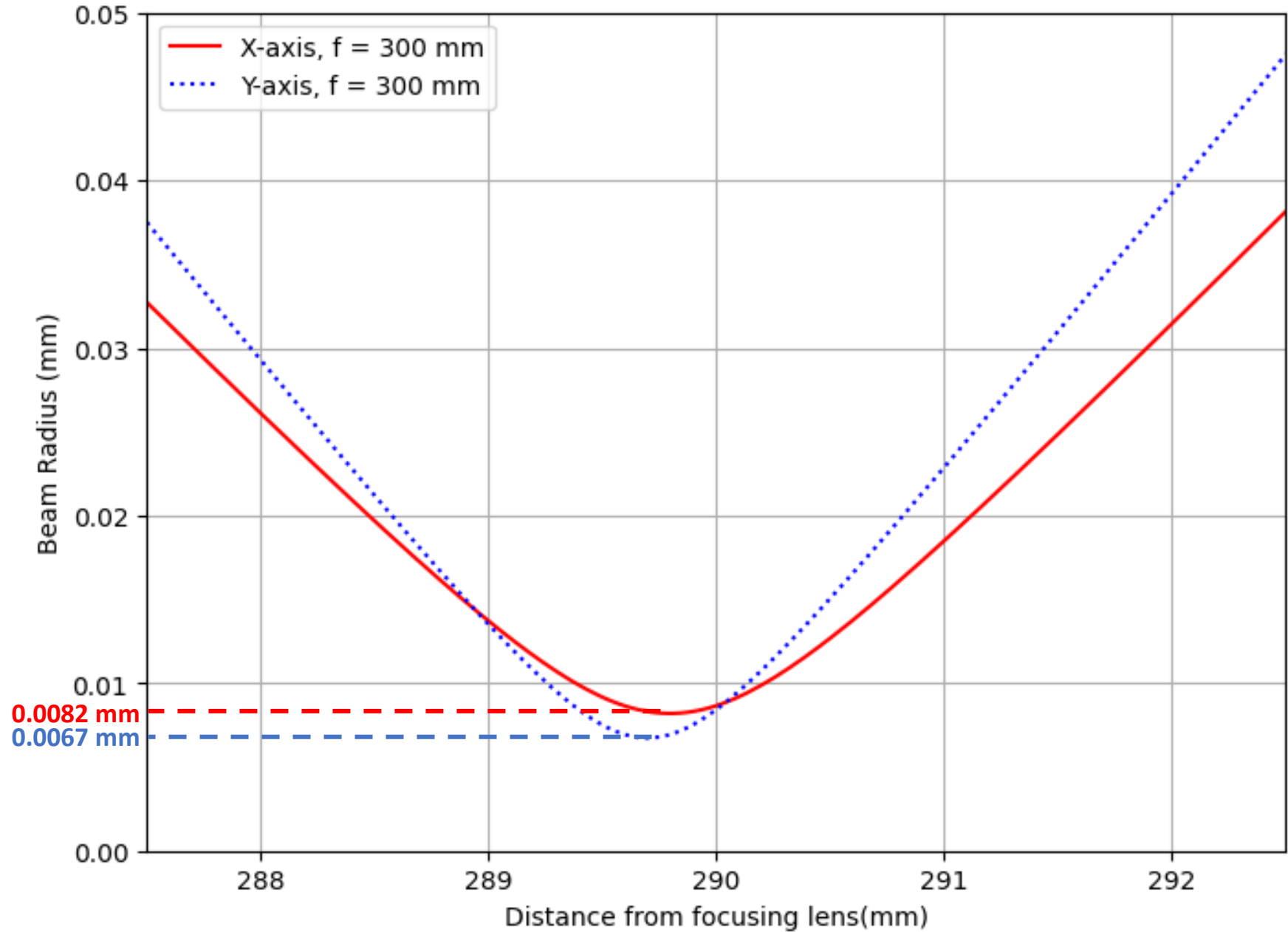
Lens 1 arrive: 0.55 mm

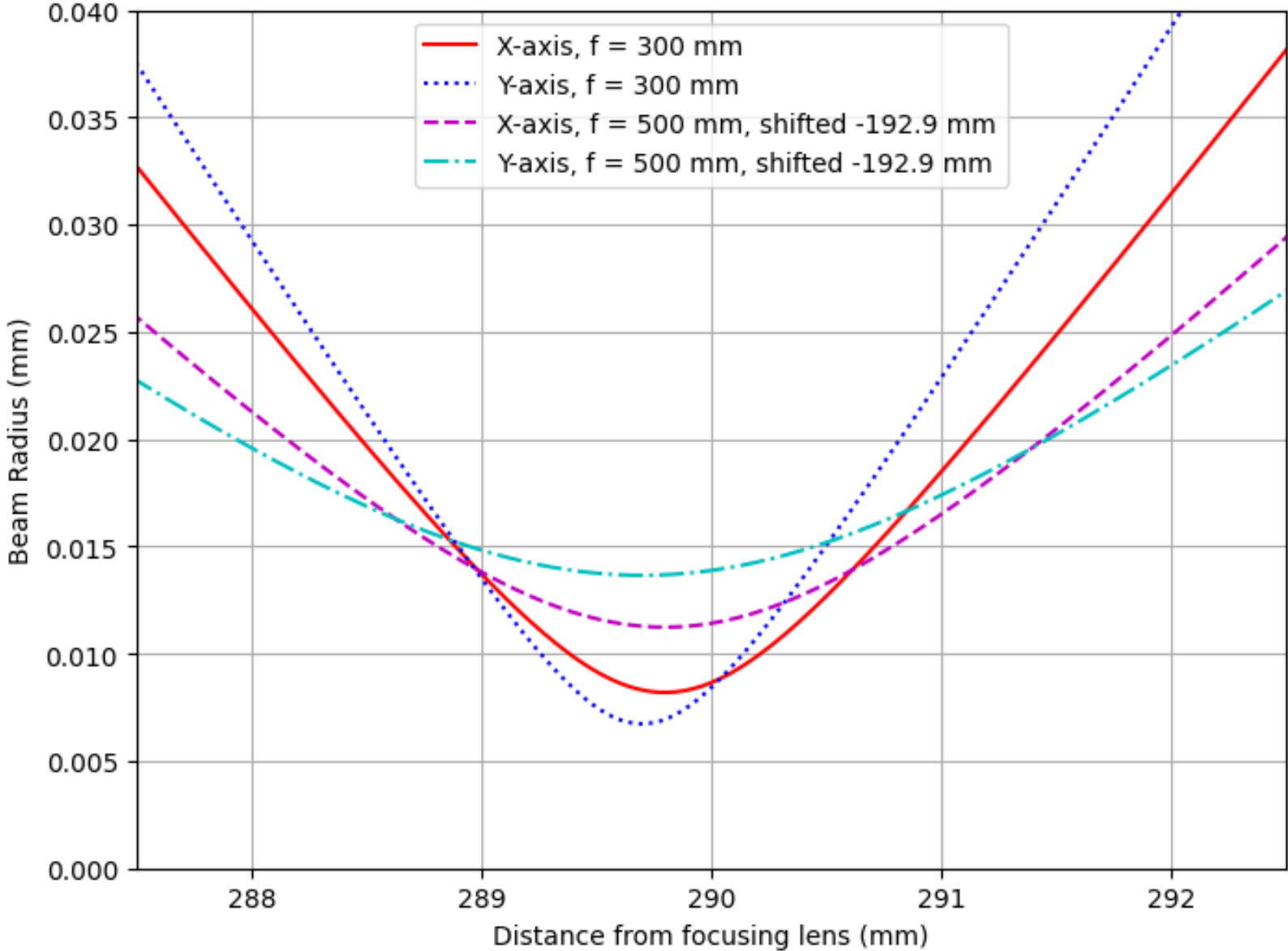
Lens 2 exit: 3.996 mm

Lens 3 arrive: 3.994 mm

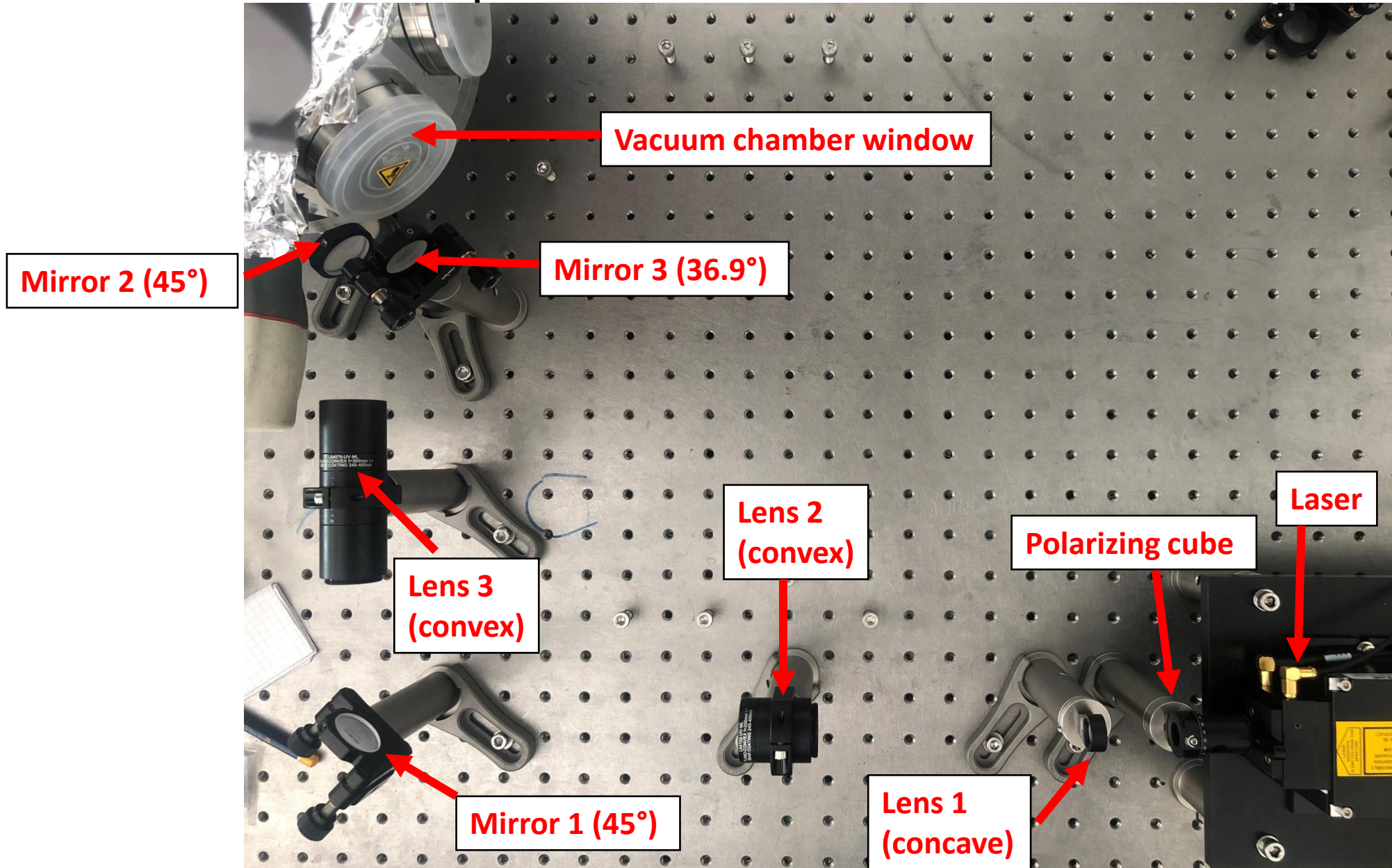


Results: Simulations

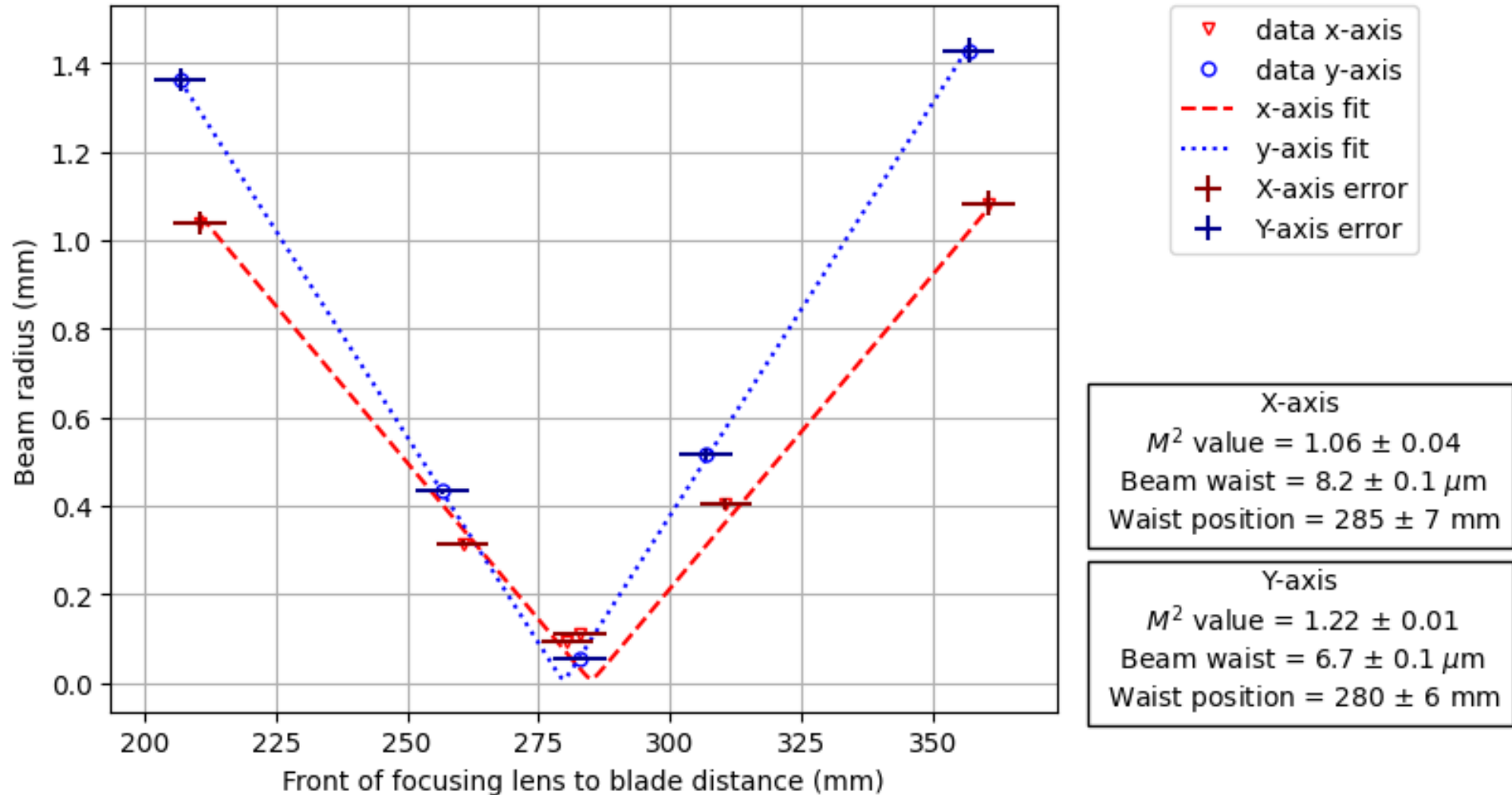




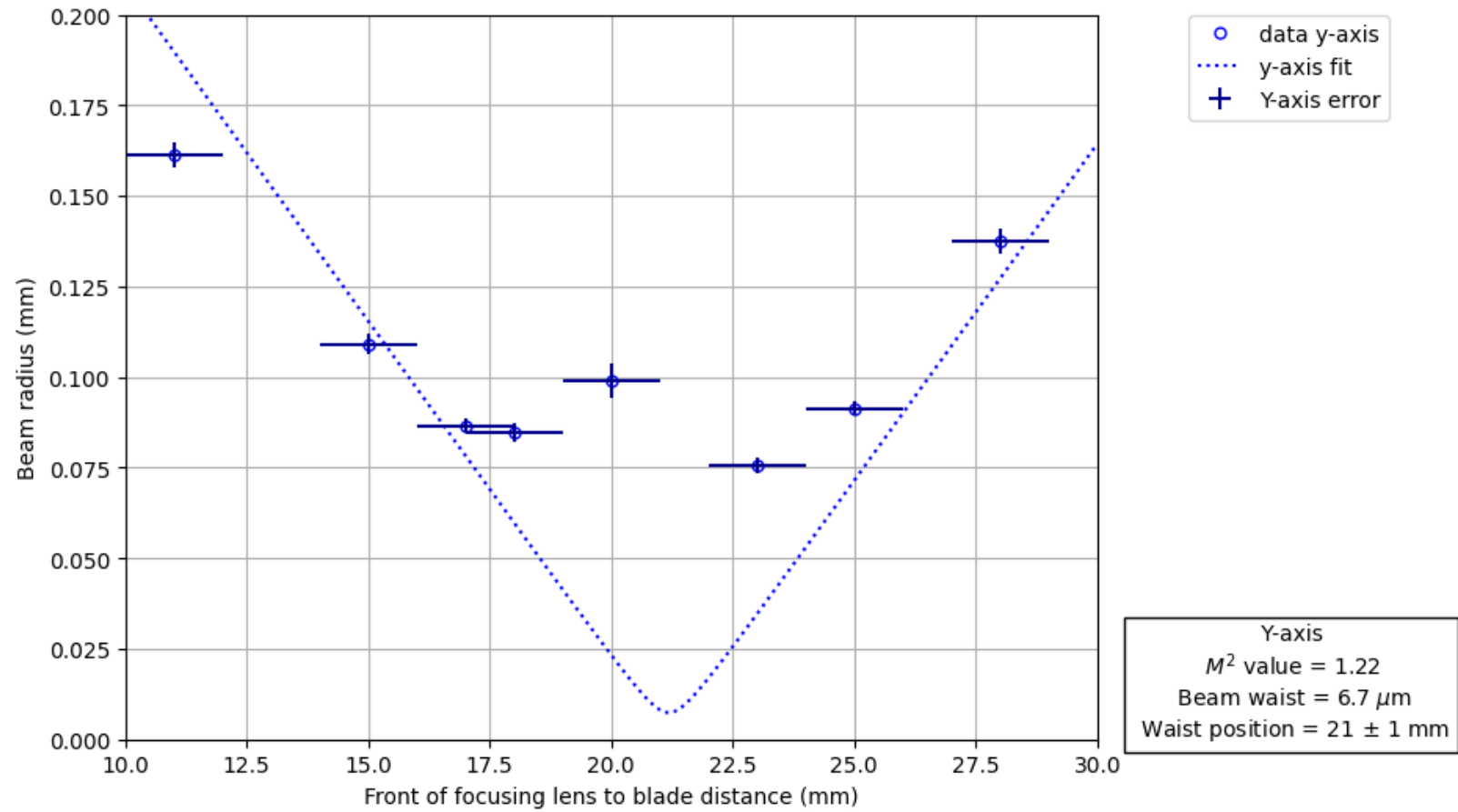
Results: Beam path



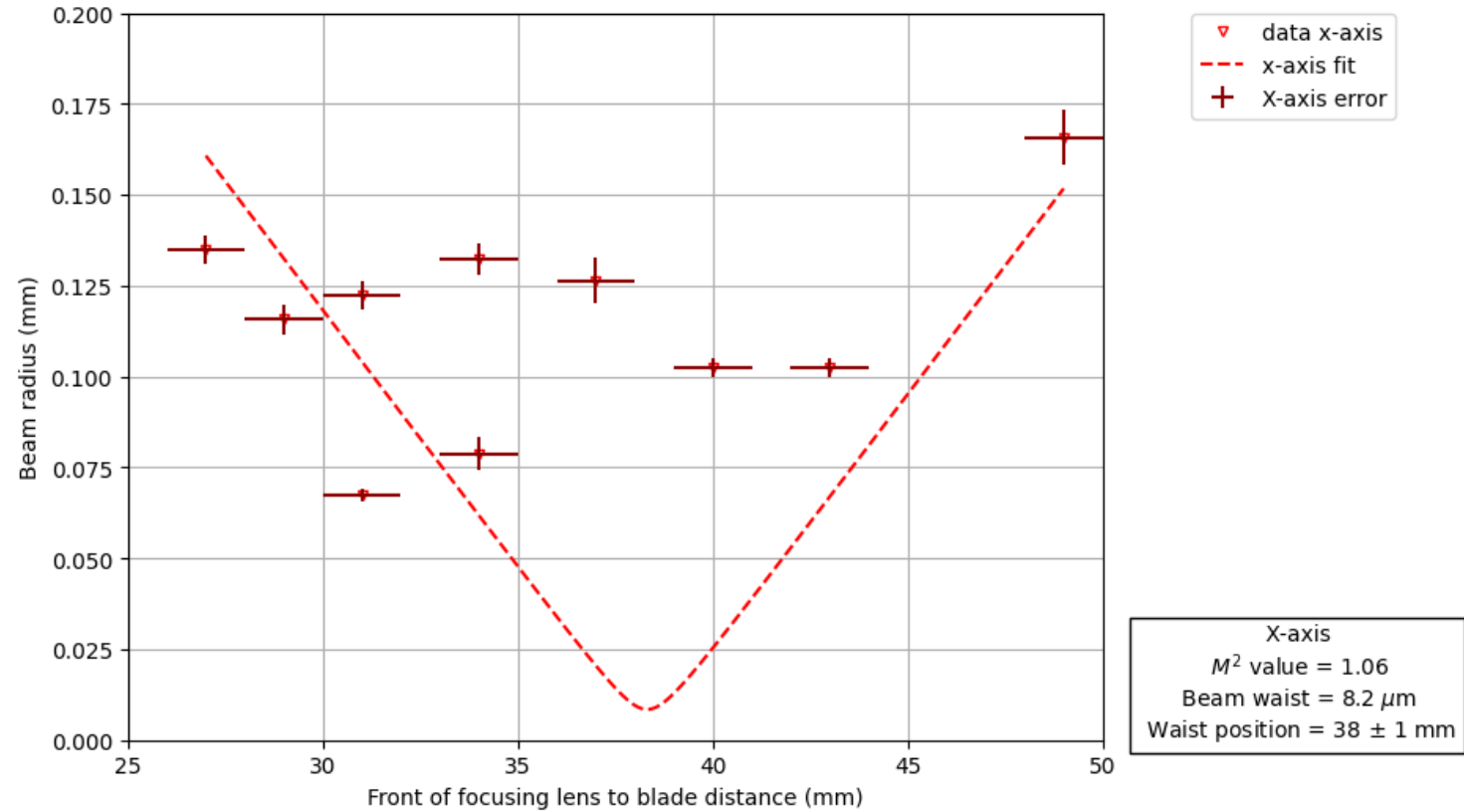
Results: Focus



Results: Focus



Results: Focus





Conclusion

- Profiled the beam

Conclusion

- Profiled the beam
- Constructed optical configuration and focused the beam

Conclusion

- Profiled the beam
- Constructed optical configuration and focused the beam
- Measured the beam near the focus

Conclusion

- Profiled the beam
- Constructed optical configuration and focused the beam
- Measured the beam near the focus

$$E_{th} \approx 0.00042 \times 0.09 \approx 37 \mu J$$

Outlook

Measure the focused spot size more precisely:

Outlook

Measure the focused spot size more precisely:

- Lower the energy

Outlook

Measure the focused spot size more precisely:

- Lower the energy
- Reduce pulse frequency

Outlook

Measure the focused spot size more precisely:

- Lower the energy
- Reduce pulse frequency
- Switch blade material

Acknowledgements

Steve

Nikos

Sam

Joel

Bart

Backup slides:

$$2r_x = 2w_x \times 1.67$$

$$2r_x = 2 \times 0.01 \times 1.67 = 0.0334$$

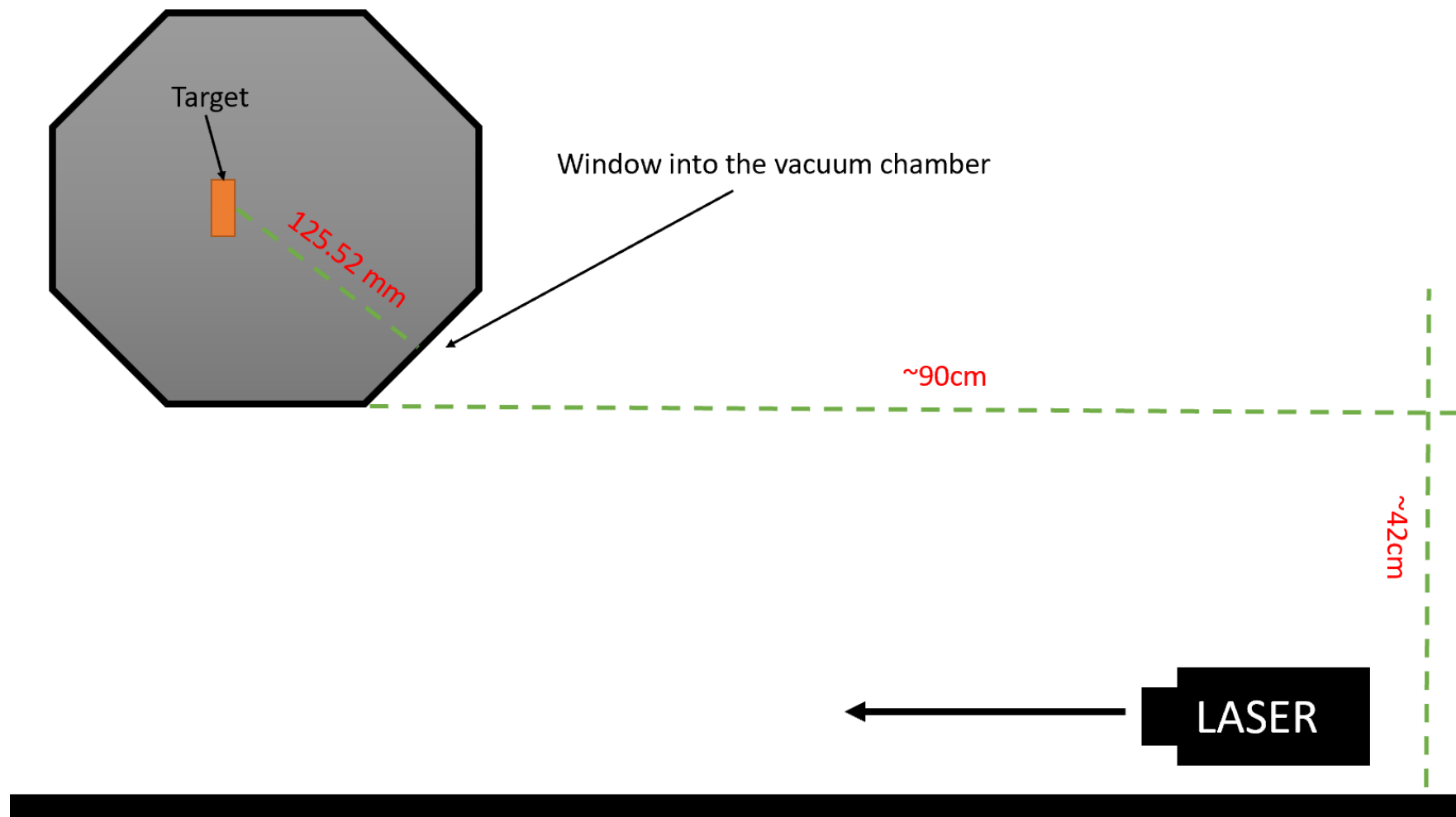
$$A = \pi \times r_x \times r_y$$

$$A = \pi \times 0.0167 \times 0.008 \approx 0.00042 \text{ cm}^2$$

$$F_{th_{Barium}} \approx 0.09 \text{ J/cm}^2$$

$$E_{th} \approx 0.00042 \times 0.09 \approx 37 \text{ } \mu\text{J}$$

Methods: Optics path



$$F_{th} = \frac{\sqrt{\chi t_v \rho C_p T_v^2}}{(1 - R)}$$

Where χ is the thermal conductivity, t_v is the time taken to reach the vaporization threshold temperature, ρ is the target density, C_p is the specific heat, T_v is the temperature reached, and R is the reflectivity of the material [11]. An estimate of the threshold fluence for barium can then be found by setting T_v to be the vaporization temperature of barium, and assuming the t_v to be the pulse duration [11].

