## A moving detector

Dynamical position and orientation calibration of the

## The KM3NeT telescope

Digital Optical Module (DOM)
31 PMTs, electronics, acoustic sensor, magnetometer and accelerometer


Sketch by Isis Hobus

Detection Unit 18 DOMs

Building block 115 Detection Units
x1 KM3NeT/ORCA (atmospheric neutrino oscillations research, GeV -TeV energy)
x2 KM3NeT/ARCA (astrophysical neutrinos research, TeV-PeV energy)



## A moving detector...

Detection units sway with the deep sea currents


If the telescope doesn't point in the direction we think is pointing to...
... we mistake the neutrino source

continuous tracking of optical module positions and orientations required

- To not compromise envisaged angular resolution $\rightarrow$ KM3NeT/ARCA 0.05 deg (highest energy events)
- To not compromise the event reconstruction quality


## Acoustic position calibration



Emitters on base modules or junction boxes
( $\sim 1$ emission $/ 30 \mathrm{sec}$ )

## Acoustic position calibration



Emitters on base modules or junction boxes
( $\sim 1$ emission / 30 sec )

- Different signal frequency for each emitter
- Correlate acoustic raw data with signal template
$\rightarrow$ ID emitter, time-of-arrival signal


## Acoustic fit



Model of the detector geometry fitted to the acoustic data every 10 min

$$
t_{A}^{c}[i, j]=t_{E}^{c}+\left|\vec{x}_{0}[i]+\Delta \vec{x}[i, j]-\vec{x}^{c}\right| v^{-1}
$$

time-of-arrival
time-of-emission
distance
speed of sound

## Acoustic fit

## Model of the detector geometry fitted to the acoustic data



$$
\begin{aligned}
t_{A}^{c}[i, j] & =\overbrace{E}^{c}+\left|\vec{x}_{0}[i]+\Delta \vec{x}[i, j]-\vec{x}^{c}\right| v^{-1} \\
& \Delta x[i, j]=T_{x}[i] z^{\prime}[i, j]+T_{x}^{(2)}[i]\left(z_{0}[i, j]\right)^{2} \\
& \Delta y[i, j]=T_{y}[i] z^{\prime}[i, j]+T_{y}^{(2)}[i]\left(z_{0}[i, j]\right)^{2} \\
& \Delta z[i, j]=f^{-1}\left((1+\alpha[i]) z_{0}[i, j]\right)
\end{aligned}
$$

Tilt vector:
Mechanical model:
$\hat{T}=\left(T_{x}, T_{y},\left(1-T_{x}^{2}-T_{y}^{2}\right)^{1 / 2}\right) \quad z^{\prime}=(1+\alpha) z_{0}+b \log \left(1-a(1+\alpha) z_{0}\right)$

What do we fit? $\rightarrow \underset{\text { (fit every } 10 \mathrm{~min})}{\text { Dynamic parameters }}\left\{\begin{array}{lll}t_{E}^{c} & \text { Time-of-emission } \\ T_{x}, T_{y} & \text { Tilt of the DU } \\ T_{x}^{(2)}, T_{y}^{(2)} & \text { Second order corrections to the tilt } \\ 1+\alpha & \text { Stretching of the DU }\end{array}\right.$

## Acoustic fit

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## What do we fit? $\quad \rightarrow \quad$ static parameters

(fitted once)

## Dynamic position calibration

From acoustic data

KM3NeT/ORCA (6 detection units)


- 4 months of data
- Coherent movement between detection units
- Highest tilts measured so far $\sim 5.7$ deg (see additional slides)


## Dynamic position calibration

From acoustic data

Independent sea current measurement


- coherent movement between the detection units and sea current speed and direction


## Dynamic position calibration

KM3NeT/ARCA (6 detection units)


- Stretching over time for $\sim 3$ months of data
- Creep of the Dyneema ${ }^{\circledR}$ ropes of the newly deployed detection units, up to $\sim 60 \mathrm{~cm}$


## Dynamic position calibration



- Stretching over time for $\sim 3$ months of data
- Creep of the Dyneema ${ }^{\circledR}$ ropes of the newly deployed detection units, up to $\sim 60 \mathrm{~cm}$
- Residuals of the acoustic fit for 1 detection unit (lower module $=1$, top module $=18$ )
- Residuals contained within $\pm 100 \mu s(\sim 15 \mathrm{~cm})$


## Orientation calibration



Magnetometer and accelerometer in each $\rightarrow$ Continuous data taking every 10 sec optical module (a.k.a. "compass")

After some corrections
(Correction for magnetic declination and meridian convergence angle + in-lab calibration)
Conversion to quaternions
$Q \equiv(\cos (\theta / 2), \sin (\theta / 2) \hat{u})$

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Conversion to quaternions

$$
Q \equiv(\cos (\theta / 2), \sin (\theta / 2) \hat{u})
$$

Static calibration: alignment of the optical modules of each detection unit during a period in which the sea current is low

Model of the DU twist fitted to the compass data
for each DU (every 5 min )

$$
Q=Q_{0} Q_{1}^{z_{j}}
$$

$$
Q_{0}: \text { Tilt DU }
$$

$$
Q_{1}^{z_{j}}: \text { Twist DOM J }
$$

## Dynamic orientation calibration

Orientation updated very 5 min

- Optical modules move coherently among themselves
- as well as with the tilt derived from the acoustic data and the sea current measurements

Independent
sea current measurement


From acoustic

Compass

## Final check of the calibration $\rightarrow$ muon calibration



Muon calibration $\longrightarrow$ exploits muon track reconstruction to find optimal orientation and position of the optical modules.

- Positions agree with the muon calibration within a range of $\pm 10 \mathrm{~cm}$


Plots for 5000 consecutive events
boxes $\equiv 50 \%$ of entries (between $1^{\text {st }}$ and 3rd quartiles)
whiskers $\equiv$ minimum and maximum values

## Final check of the calibration $\rightarrow$ muon calibration



Muon calibration $\longrightarrow$ exploits muon track reconstruction to find optimal orientation and position of the optical modules.

- Orientations show an agreement within a range of less than $\pm 3$ deg


Plots for 5000 consecutive events
boxes $\equiv 50 \%$ of entries (between $1^{\text {st }}$ and 3 rd quartiles)
whiskers $\equiv$ minimum and maximum values

## Conclusion

- Acoustic positioning method in place to determine optical module positions
- Method to calibrate orientations of the optical modules in-situ-and determine their dynamic-orientation
- Methods agree with the muon calibration technique:
- Positions $\pm 10 \mathrm{~cm}$
- Orientations $\pm 3$ deg
- Agreement within required specifications to achieeve
- Envisaged angular resolution of the KM3NeT/ARCA telescope of 0.05 deg
- Not compromise event reconstruction quality


## KM3NeT calibration is ready to point back at neutrino sources!

For more details see PoS(ICRC2023)1033

## Additional slides: Dynamic position calibration

KM3NeT/ARCA (21 detection units)


- Highest tilts measured so far $\sim 5.7 \mathrm{deg}$


## Additional slides: acoustic fit



Model of the detector geometry fitted to the acoustic data
(every 10 min )

$$
t_{A}^{c}[i, j]=t_{E}^{c}+\left|\vec{x}_{0}[i]+\Delta \vec{x}[i, j]-\vec{x}^{c}\right| v^{-1}
$$

Number of data points: $n_{p}=\sum_{i=1}^{M} n_{i} \cdot N \cdot 18$
M = \# emitters

$$
N=\# D U s
$$

Number of free parameters: $n_{f}=\sum_{i=1}^{M} n_{i}+5 N$

$$
n_{i}=\# \text { emissions in } 10 \mathrm{~min}
$$

$$
\chi^{2}=\frac{\sum_{n_{p}}\left(t_{A}^{\text {measured }}-t_{A}^{\text {modelled }}\right)}{\sigma}, \sigma=50 \mu s(\sim 8 \mathrm{~cm})
$$

