

Angular analysis of the $B^0 \rightarrow K^{*0} e^+ e^-$ decay with the LHCb detector

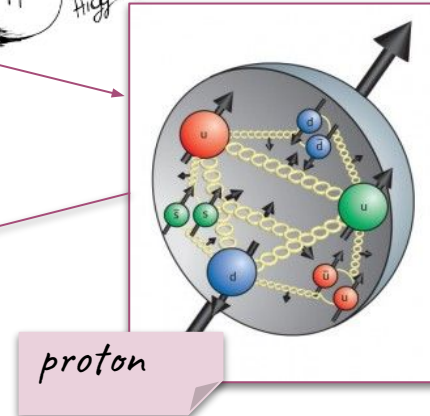
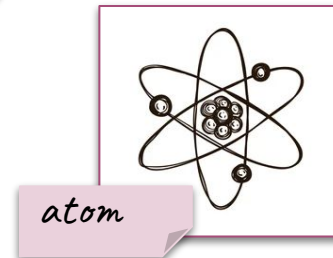
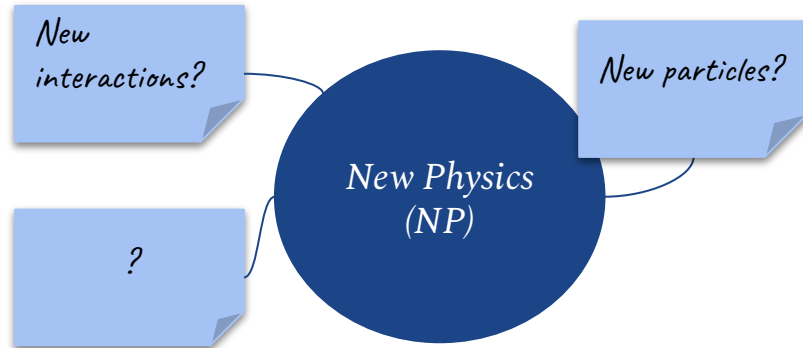
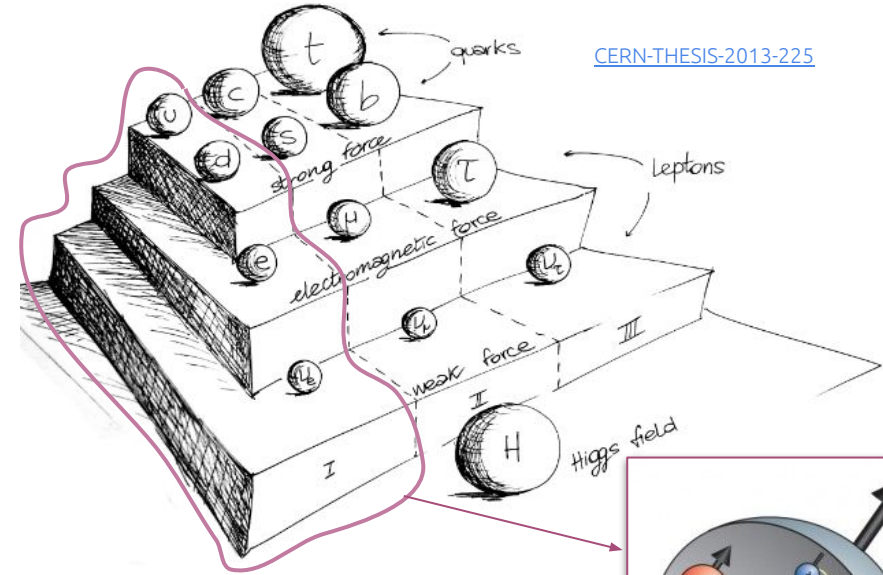


November 5, 2021
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Standard Model (SM) of particle physics

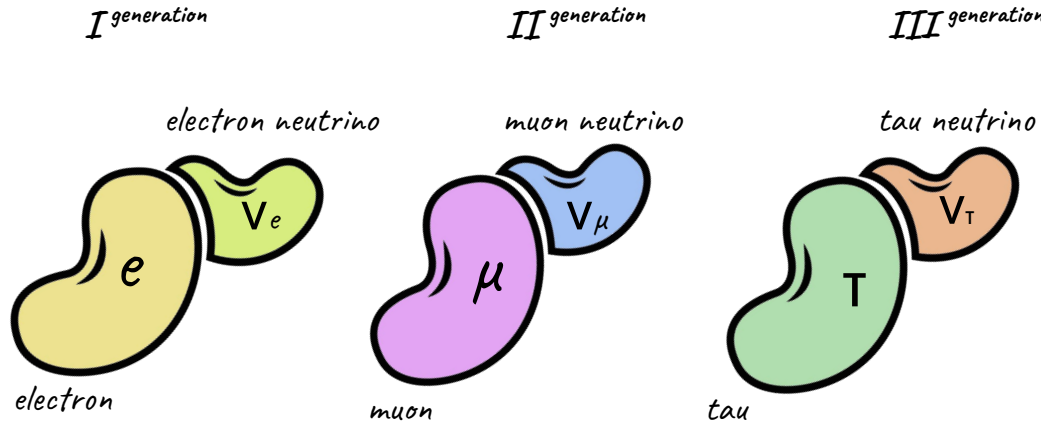
- SM is an excellent theory describing particles and their interactions
- First generation particles are *stable* : they compose the matter of our world
- The SM still leaves a lot of open questions
- Test the SM is a way to search for clues of physics beyond the SM



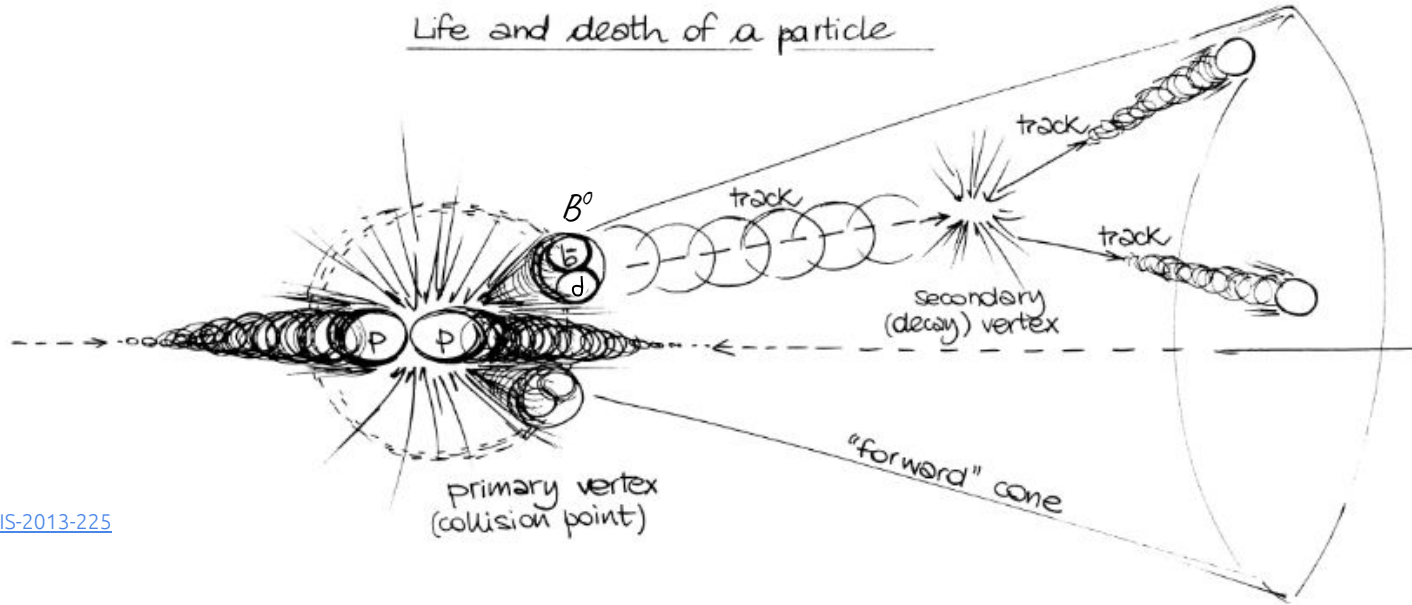
Lepton flavour universality in the SM

- Leptons are divided in 3 generations and 6 'flavours'
- Lepton flavour Universality (LFU):
leptons behave in the same way under electroweak force

LFU
tested in this analysis



How do we probe the SM?

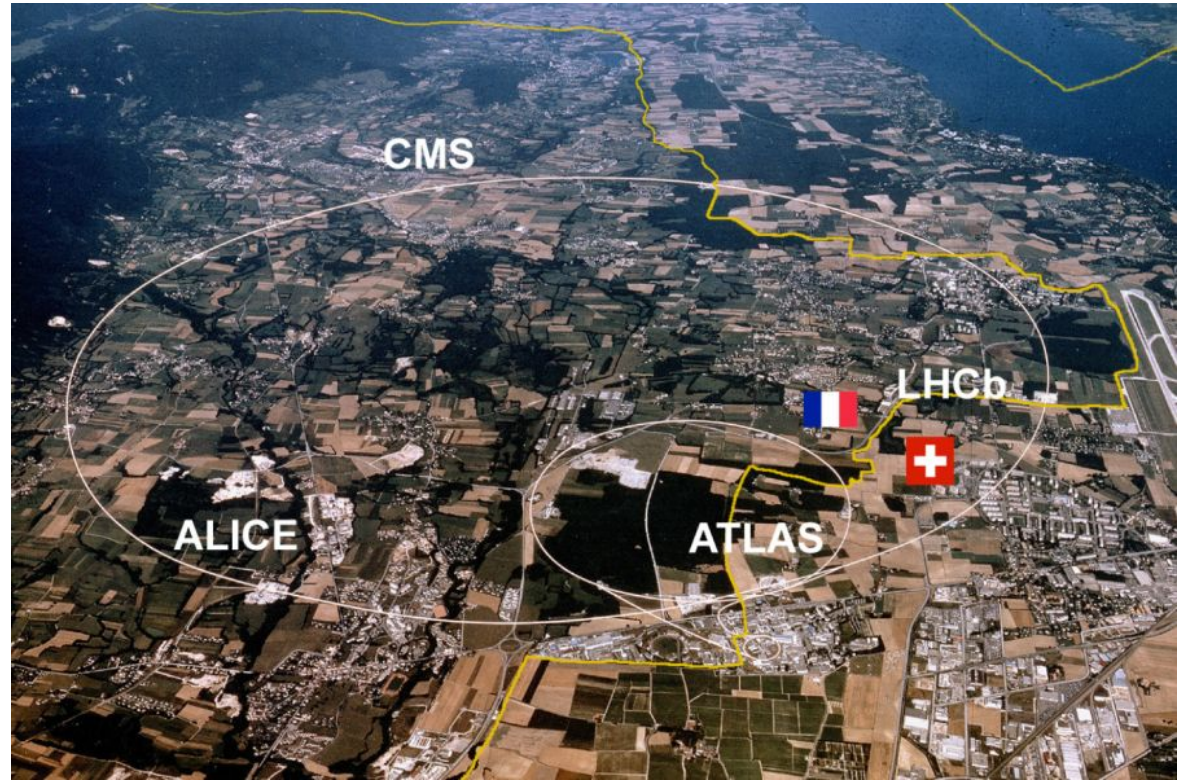


[CERN-THESIS-2013-225](#)

- Two beams of particles are accelerated and then made to collide
- At the collision point, beam constituents interact and other particles are generated from the energy transfer

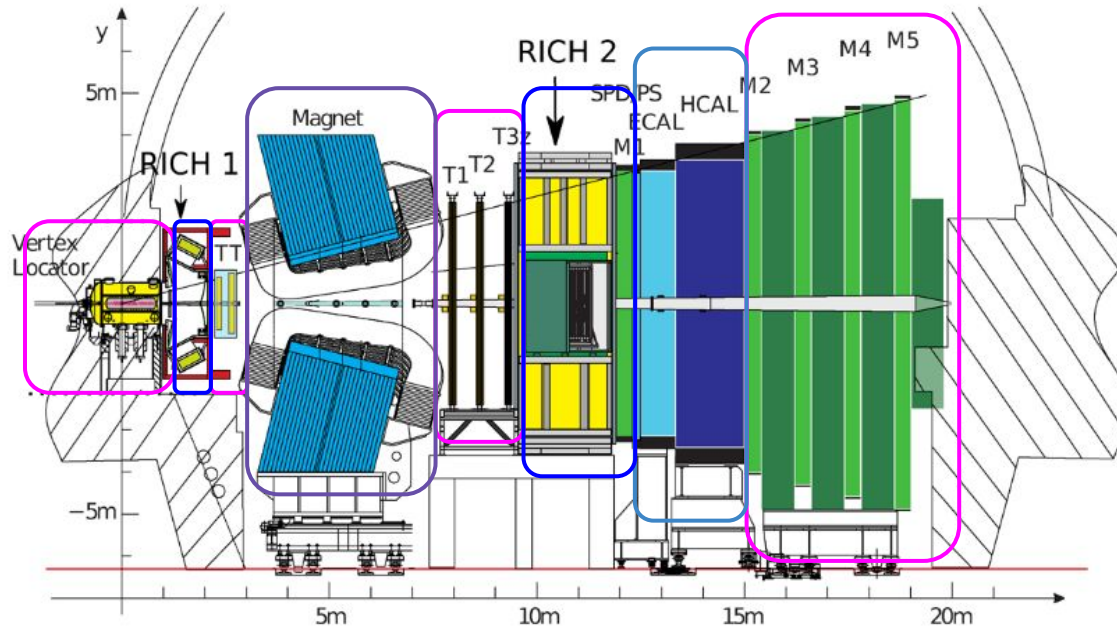
Large Hadron Collider (LHC)

- The LHC is a circular particle accelerator operating at the laboratories of CERN
- **Proton-proton collisions** occur in a 27 km tunnel sited about 100 m underground
- So far 2 run periods (Runs 1 and 2)
- 4 interaction points, where experiments are located:
 - CMS
 - ATLAS
 - ALICE
 - LHCb



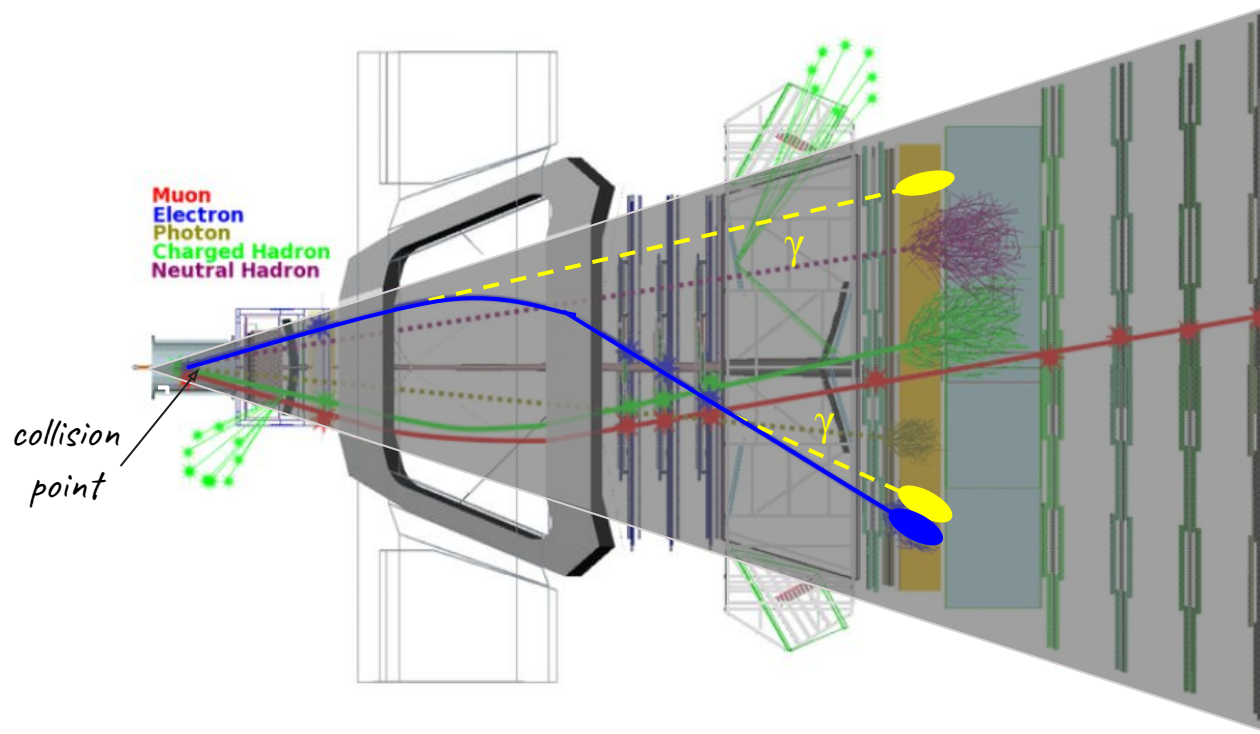
Large Hadron Collider beauty (LHCb) experiment

- Beauty (bottom) and charm quarks dedicated experiment
- Composed by several particle detectors that measure velocity, charge and lifetime of the particles



- Trackers: detect WHERE the particles passed by
- Magnet: not a detector, but it is necessary to bend particles and to measure their charge or velocity.
- Calorimeters: Energy deposit of the particles
- Cherenkov detectors (RICH): particle identification

Measuring leptons (LHCb detector)



muons

Quite easy:

- Stable particles
- No significant radiation
- Clean signature

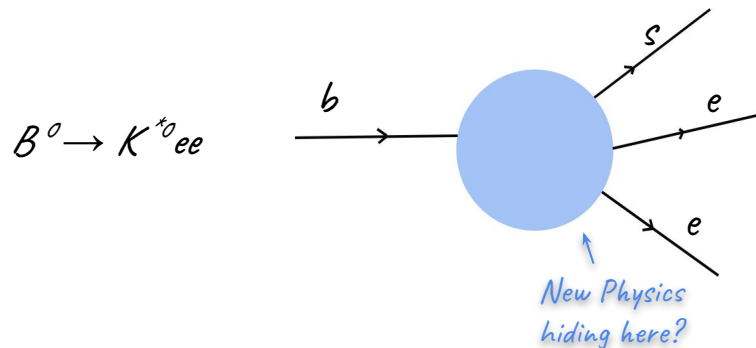
electrons

Harder

- Radiate at a rate 10^8 times greater than muons
→ complicating reconstruction
- PID and track reconstruction efficiencies lower

How do we test LFU in LHCb?

- Test the LFU comparing decay rates to electrons and muons
- Two main observables are used



- **Comparison** between SM prediction and precise measurement of these observables
- If discrepancies are observed \rightarrow NP hints

Angular coefficients
of the decay

Branching Ratios

Branching Ratio is the ‘decay frequency’ of a certain decay channel:

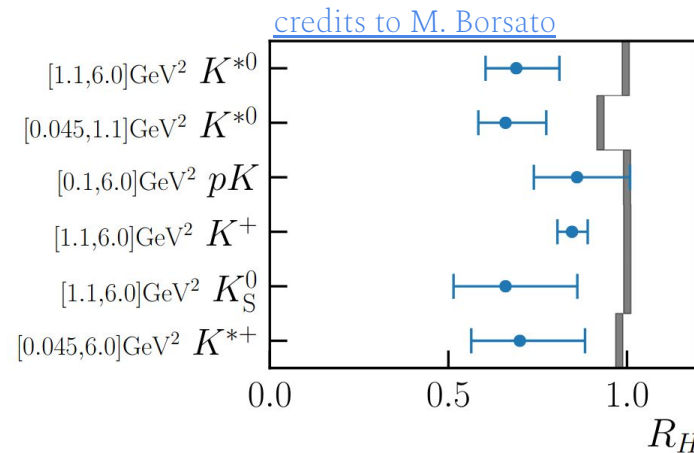
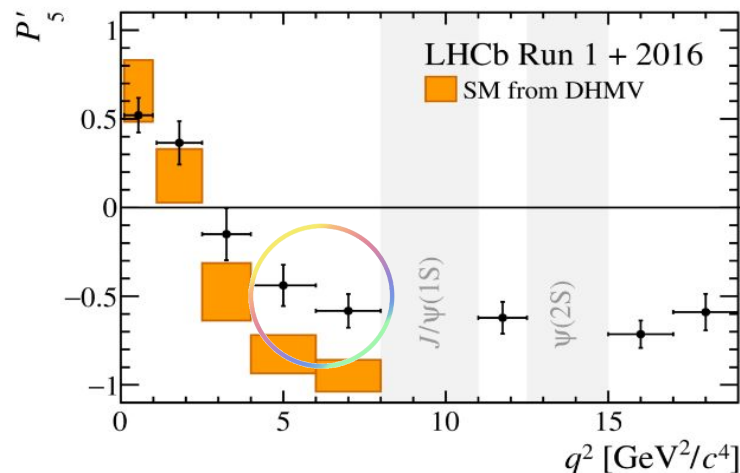
$$BR(P \rightarrow l) = \frac{N(P \rightarrow l)}{N(P \text{ decaying})}$$

Why $B^0 \rightarrow K^{*0} ee$ angular analysis

- SM predict equal BR between electron and muon

$$R(H) = \frac{\mathcal{B}(B \rightarrow H \mu^+ \mu^-)}{\mathcal{B}(B \rightarrow H e^+ e^-)} = 1$$

- Angular analysis anomalies
i.e. $B^0 \rightarrow K^{*0} \mu\mu$ angular analysis



- $B^0 \rightarrow K^{*0} ee$ angular analysis plays a very important role in understanding the hypothetical NP
- Essential result to shed light on these flavour anomalies**

$B^0 \rightarrow K^{*0} ee$ topology

- The BR of this decay is $\sim 1.03 \times 10^{-6}$ [pdg], 1 B^0 every million decays into $K^{*0} ee$

VERY RARE DECAY!

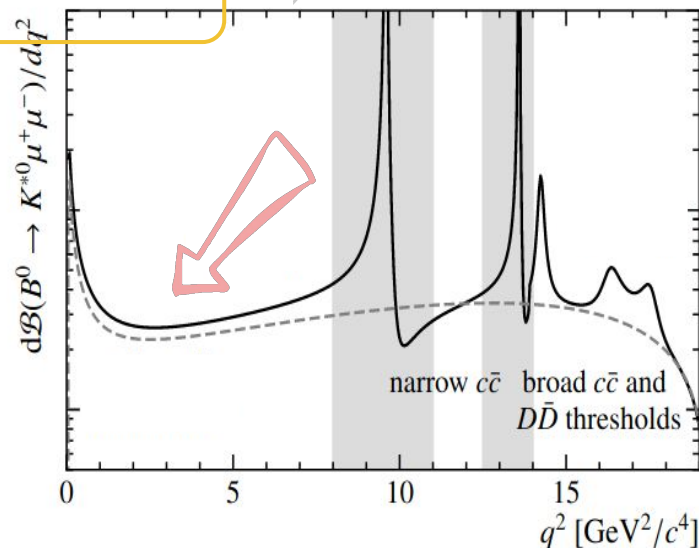
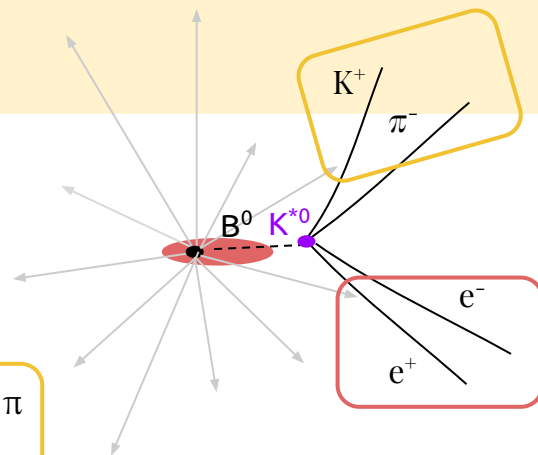
- K^{*0} is not a stable particle and immediately decays into a pair of K and π
→ laboratory decay channel is $B^0 \rightarrow K \pi e^+ e^-$

- q^2 is the invariant mass of the system made by the two electrons

$$q^2 = (p_{e^-} + p_{e^+})^2$$

where p stands for the 4-momenta of the particles.

- The signal (our decay) q^2 is the gray dashed line.

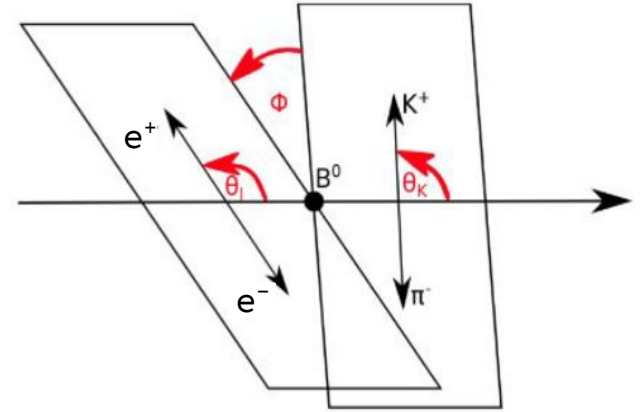


Goal of the analysis

- The decay is described by 3 angles (θ_ℓ , θ_K and ϕ)

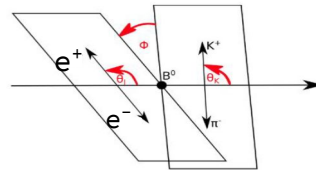
$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d^4(\Gamma + \bar{\Gamma})}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \left[\begin{aligned} &\frac{3}{4}(1 - F_L) \sin^2 \theta_K + F_L \cos^2 \theta_K \\ &+ \frac{1}{4}(1 - F_L) \sin^2 \theta_K \cos 2\theta_\ell \\ &- F_L \cos^2 \theta_K \cos 2\theta_\ell + S_3 \sin^2 \theta_K \sin^2 \theta_\ell \cos 2\phi \\ &+ S_4 \sin 2\theta_K \sin 2\theta_\ell \cos \phi + S_5 \sin 2\theta_K \sin \theta_\ell \cos \phi \\ &+ \frac{4}{3} A_{FB} \sin^2 \theta_K \cos \theta_\ell + S_7 \sin 2\theta_K \sin \theta_\ell \sin \phi \\ &+ S_8 \sin 2\theta_K \sin 2\theta_\ell \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_\ell \sin 2\phi \end{aligned} \right]$$

Angular
distribution



Goal of the analysis

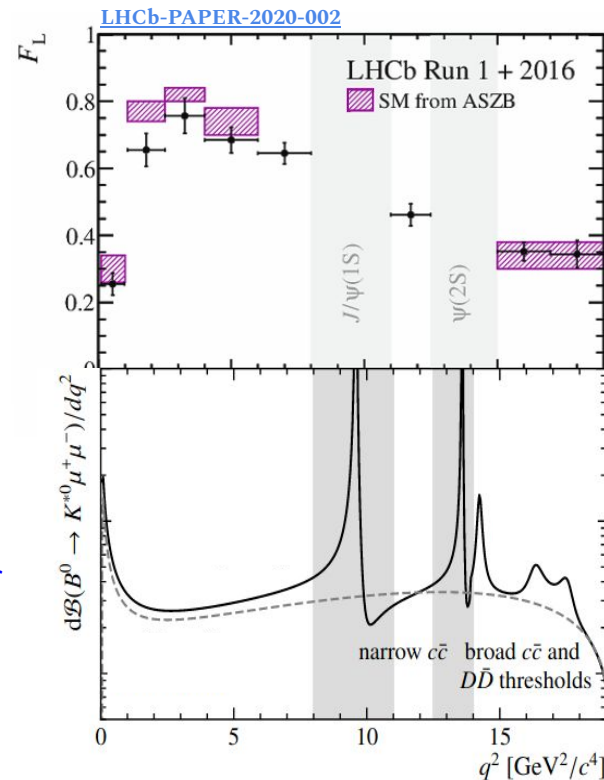
- The decay is described by 3 angles (θ_l , θ_K and ϕ)



$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d^4(\Gamma + \bar{\Gamma})}{dq^2 d\Omega} = \frac{9}{32\pi} \left[\frac{3}{4}(1 - F_L) \sin^2 \theta_K + F_L \cos^2 \theta_K \right. \\ \left. + \frac{1}{4}(1 - F_L) \sin^2 \theta_K \cos 2\theta_\ell \right. \\ \left. - F_L \cos^2 \theta_K \cos 2\theta_\ell + S_3 \sin^2 \theta_K \sin^2 \theta_\ell \cos 2\phi \right. \\ \left. + S_4 \sin 2\theta_K \sin 2\theta_\ell \cos \phi + S_5 \sin 2\theta_K \sin \theta_\ell \cos \phi \right. \\ \left. + \frac{4}{3} A_{FB} \sin^2 \theta_K \cos \theta_\ell + S_7 \sin 2\theta_K \sin \theta_\ell \sin \phi \right. \\ \left. + S_8 \sin 2\theta_K \sin 2\theta_\ell \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_\ell \sin 2\phi \right]$$

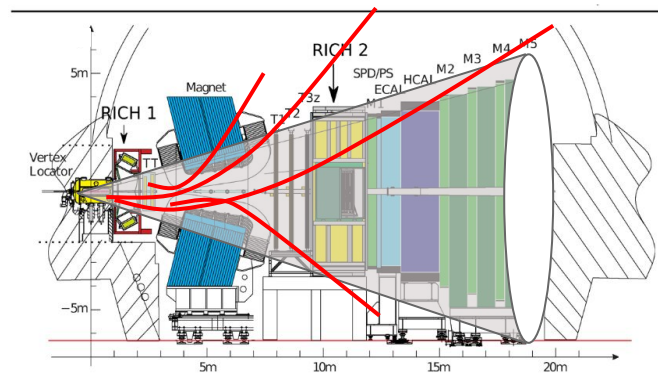
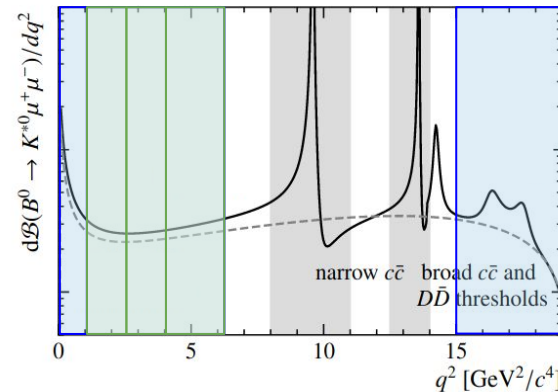
Angular
distribution

- Goal of the analysis: Measure the coefficients describing the angular distribution and comparing them with SM predictions in each q^2 bin
- A 3D fit on the angular variables (θ_l , θ_K and ϕ) in several q^2 bins is performed



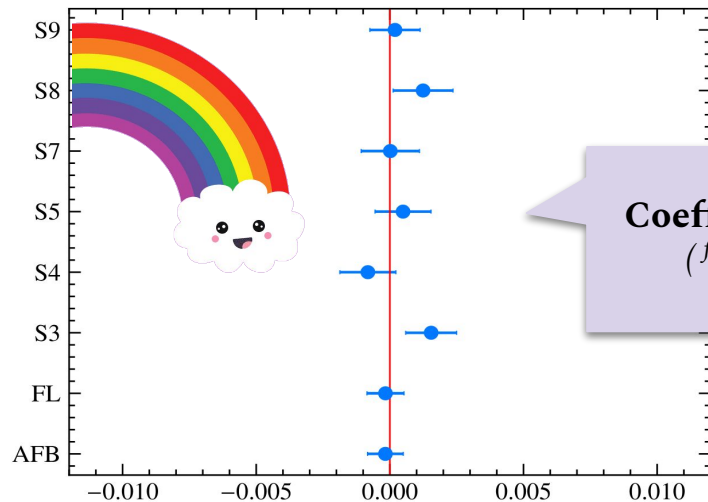
Analysis strategy of the ongoing analysis

- Full Run1 and Run2 LHCb data are going to be used
- The analysis is planned to be performed in several q^2 bins
- The **selection** is the very first step in the analysis, it's important to separate signal from backgrounds
- A $B^0 \rightarrow K^{*0} e e$ **Monte Carlo (MC) simulation** is used in order to
 - study *detector efficiency*
 - irreducible backgrounds components
 - **test our fitting strategy**
- MC simulations are tricky we often need to **correct** them
- *How do we know that we have everything under control?*

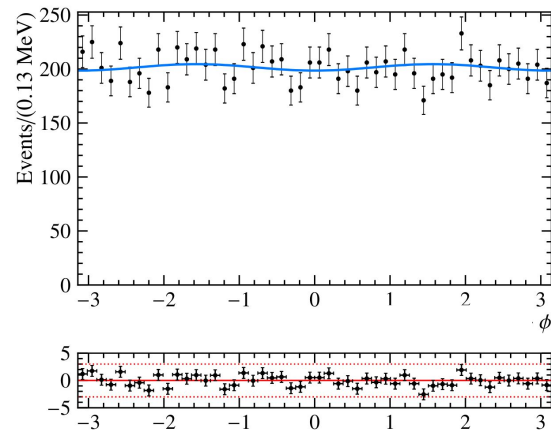
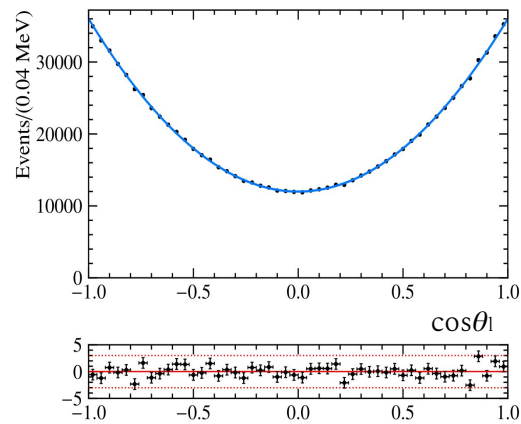
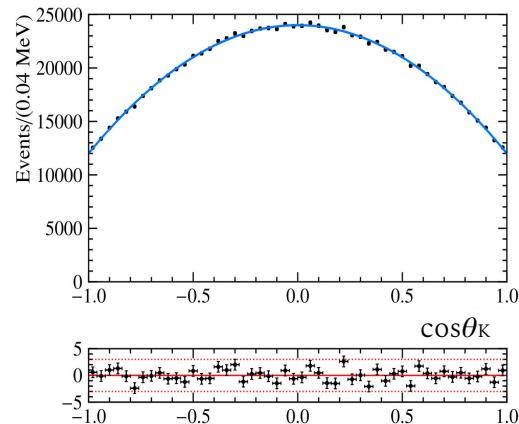


MC Generator level fit: before detector effects

- A 3D fit to the complete MC Generator level sample is performed
- We retrieve the correct values of the coefficients



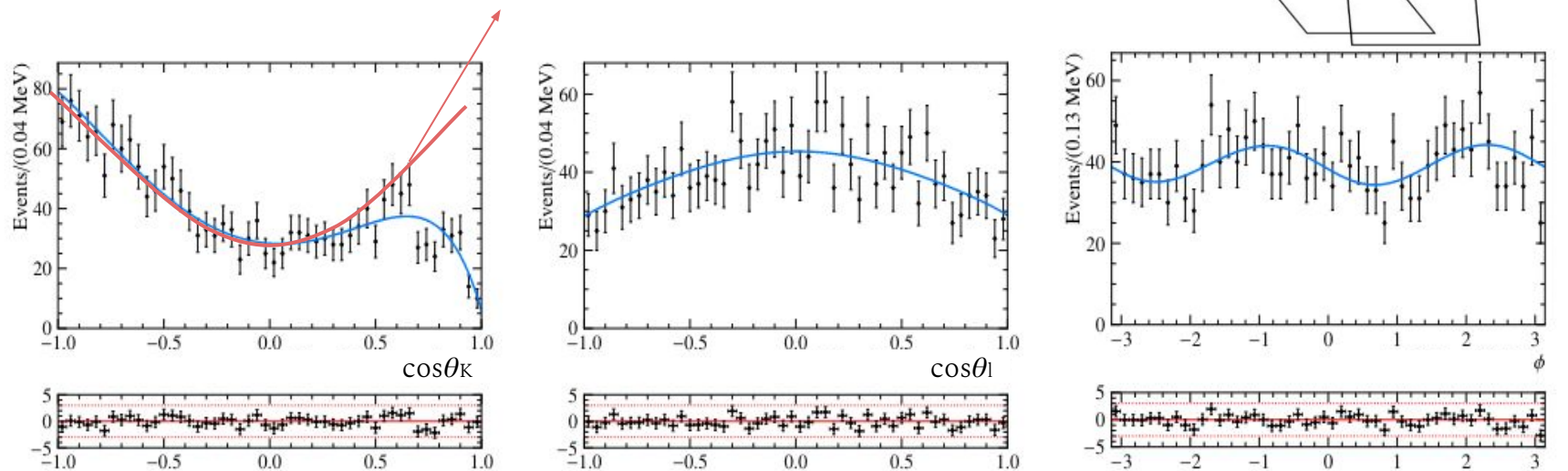
Coefficient residual:
 $(^{fit}Val - ^{gen}Val)$



Detector efficiency

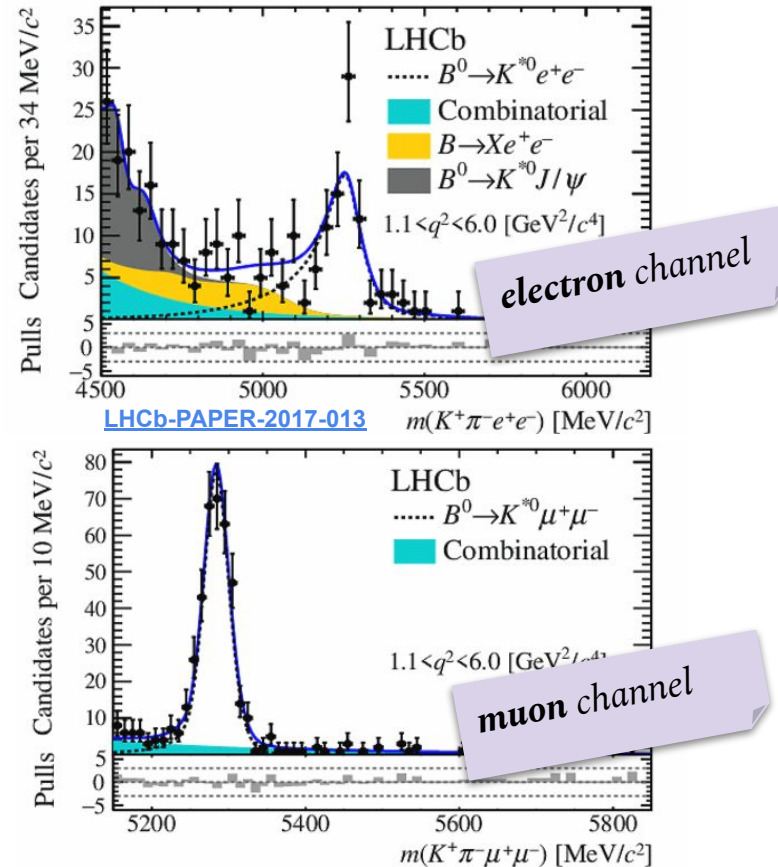
- The information of the detector efficiency has been added
- It **changes the shape of the angular distributions**, in particular $\cos\theta_k$ shape.

before



Low statistic available

- Low statistic = few events available
- Less than 500 events are expected in Run1 and Run2 data
- Perform an angular analysis with so few events is very challenging
- Final state invariant mass distribution (Run1 only)
 - Poor signal statistic
 - A lot of backgrounds
- Same decay channel but with muons → much cleaner

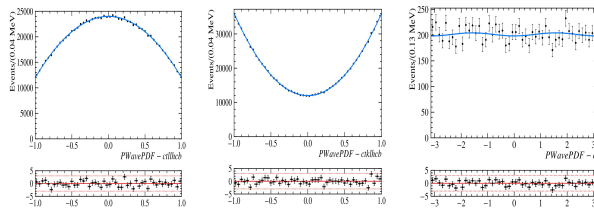


Fit behaviour at low statistic

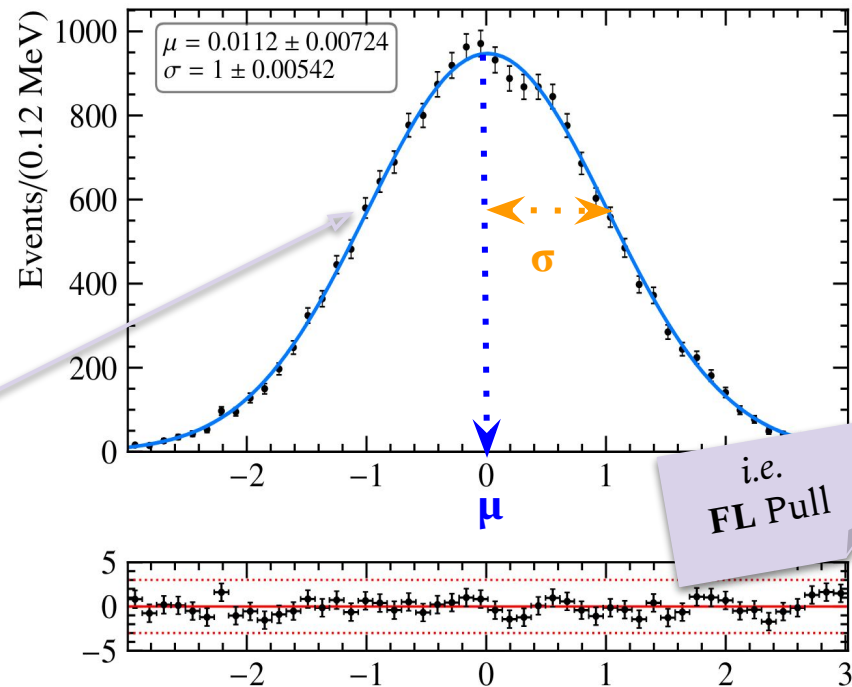
- Pseudo-experiments are performed

Samples are generated from the angular distribution with known coefficients values

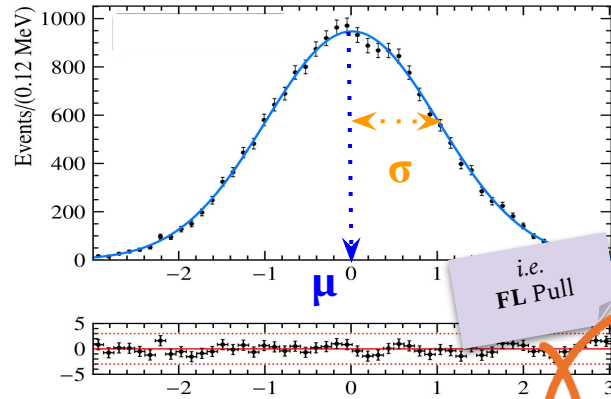
- A fit to each sample is performed:



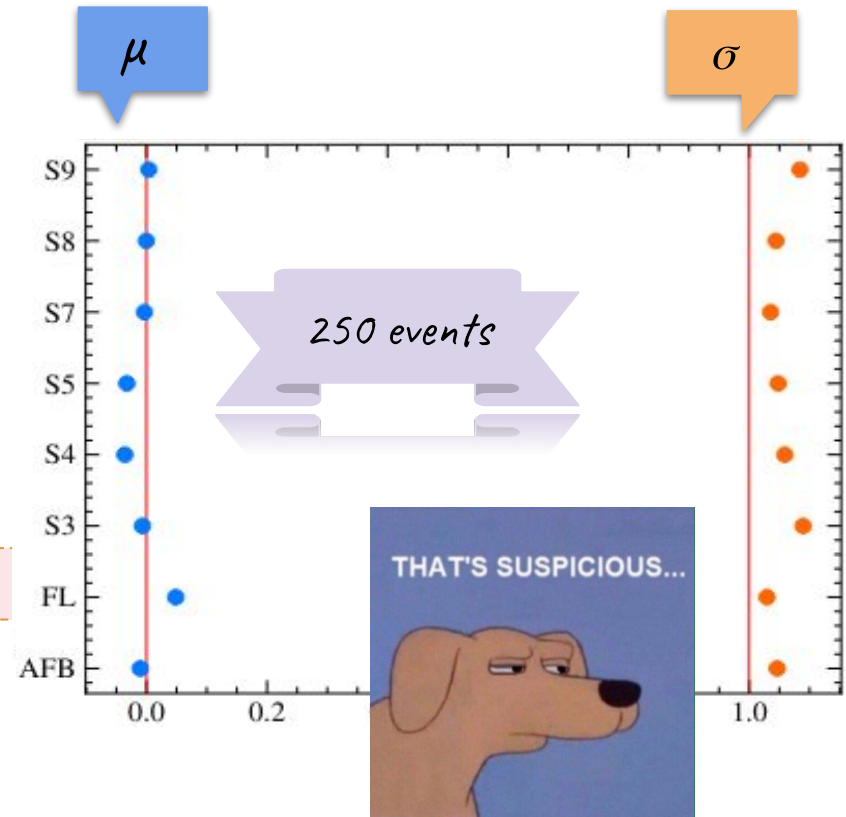
- The pull distributions $[(^{fit}Val - ^{gen}Val) / ^{fit}Error]$ must be Normal distributed $\rightarrow \mu = 0, \sigma = 1$



Fit behaviour at low statistic (cont'd)



- We are investigating this behaviour of the fit at low statistic
- So unfortunate that we are studying a rare decay!!
- *work in progress*



Conclusions

- We will perform an angular analysis of the $B^0 \rightarrow K^{*0} e e$ decay using the full available statistical power (LHCb Run1 and Run2 data)

Main challenges

- ★ The presence of electrons
- ★ The very low statistic of this channel
- ★ Multiple backgrounds need to be modeled

- We aim at reaching high accuracy to compare our results with that of the $B^0 \rightarrow K^{*0} \mu \mu$ analysis

***This will be a very
important result given the
latest LFU tensions***



Thanks for the attention

