

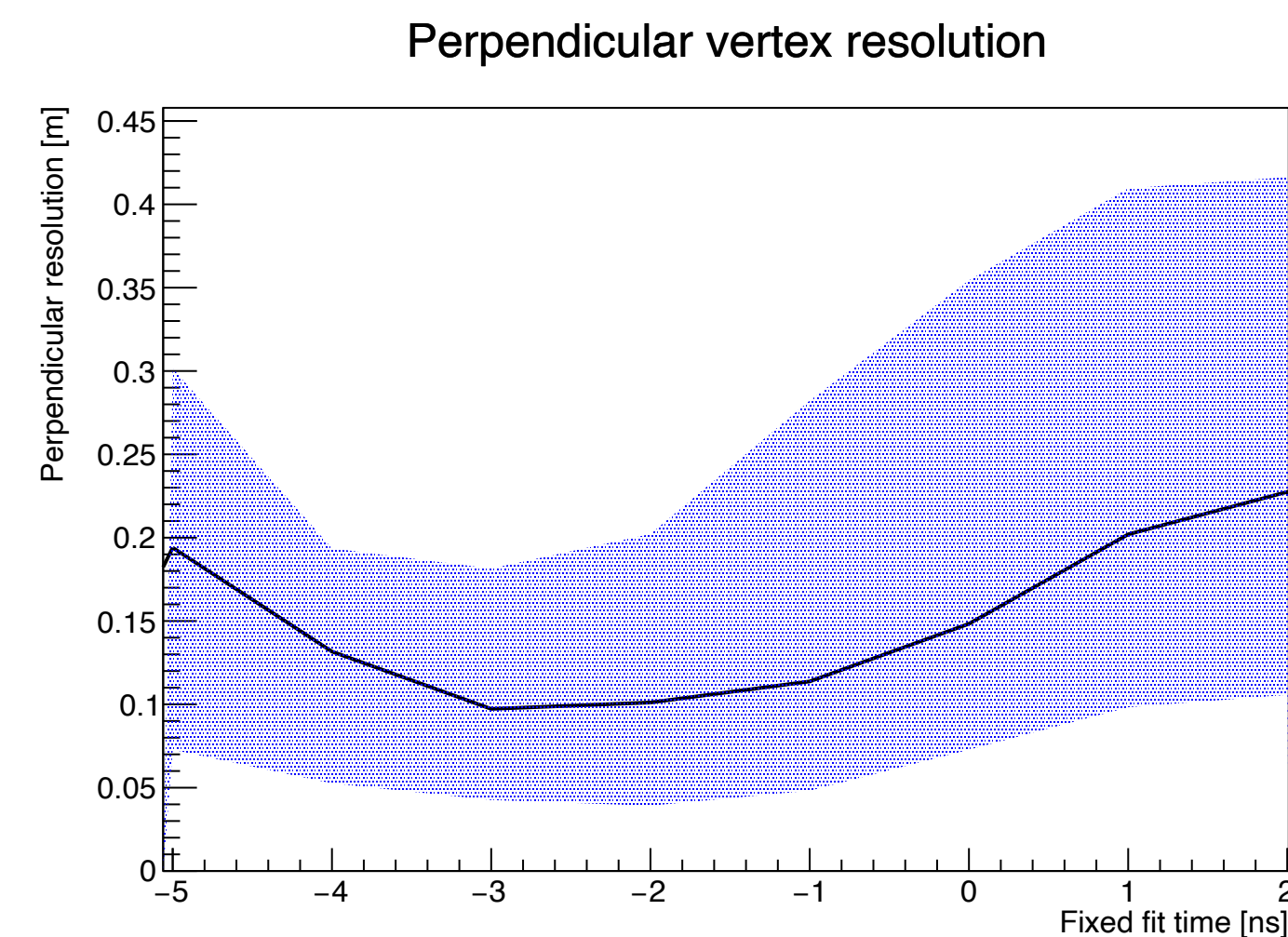
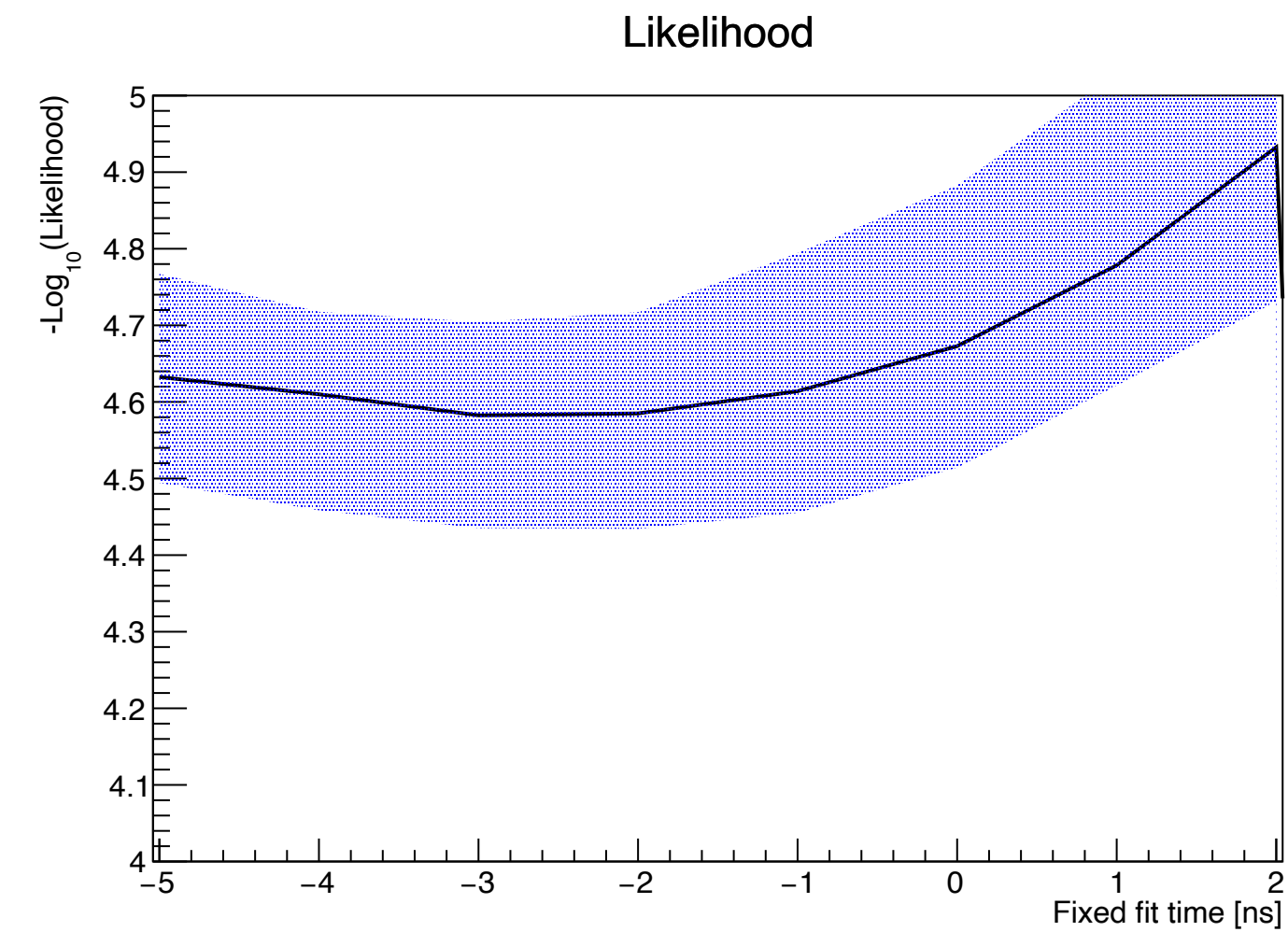
Vertex fit

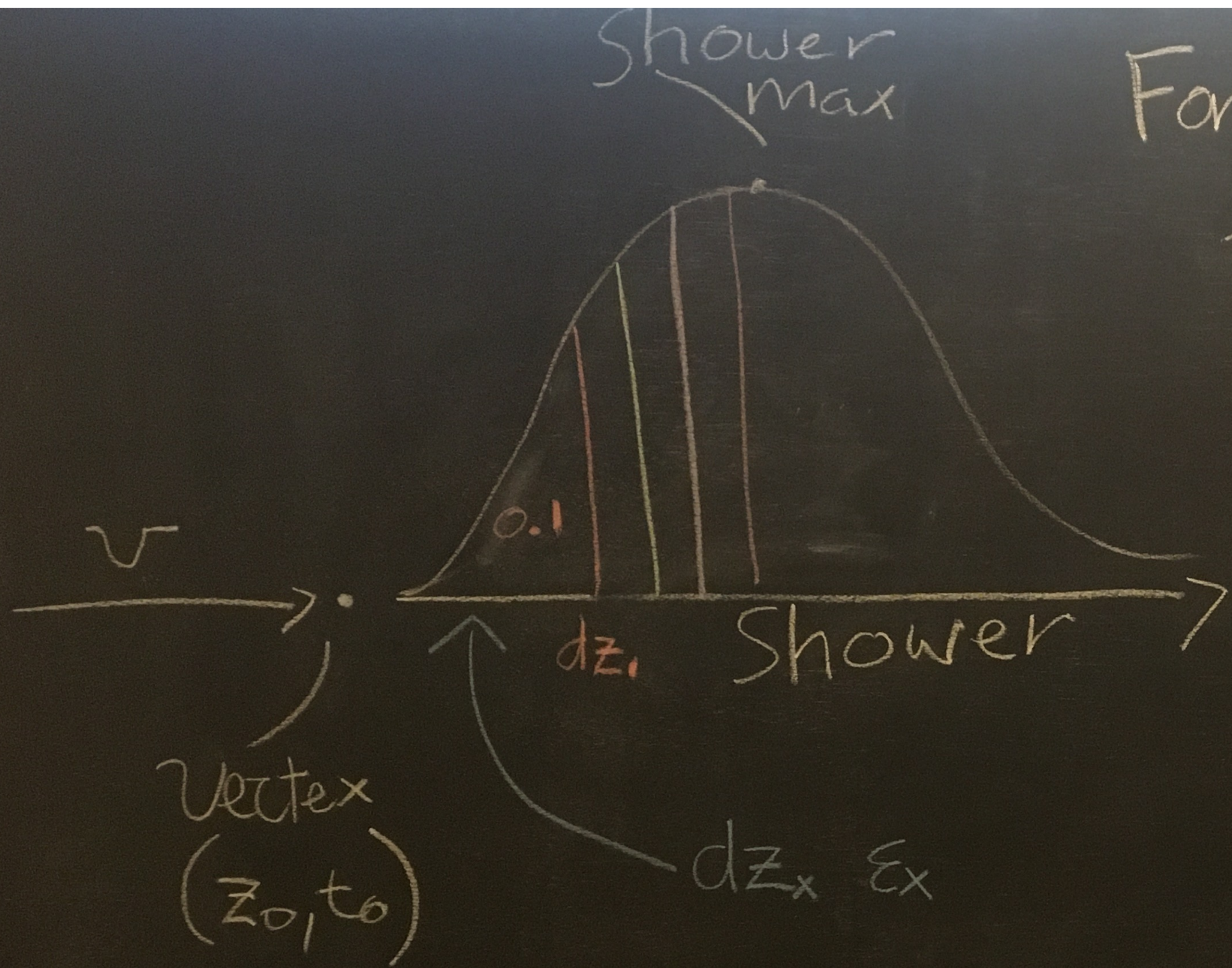
Elongation study

2020-11-13 - Thijs van Eeden

Recap

- 100 TeV shower events
- Every event is reconstructed with different starting times
- Vertex reconstructed using MC hits





For $\epsilon = 0.1$, $dz_x = 3 \text{ m}$ at 100 TeV

Two additional samples

- dz_x for $\epsilon_x < 0.1$
- Lower E contribution at vertex (z_0, t_0)



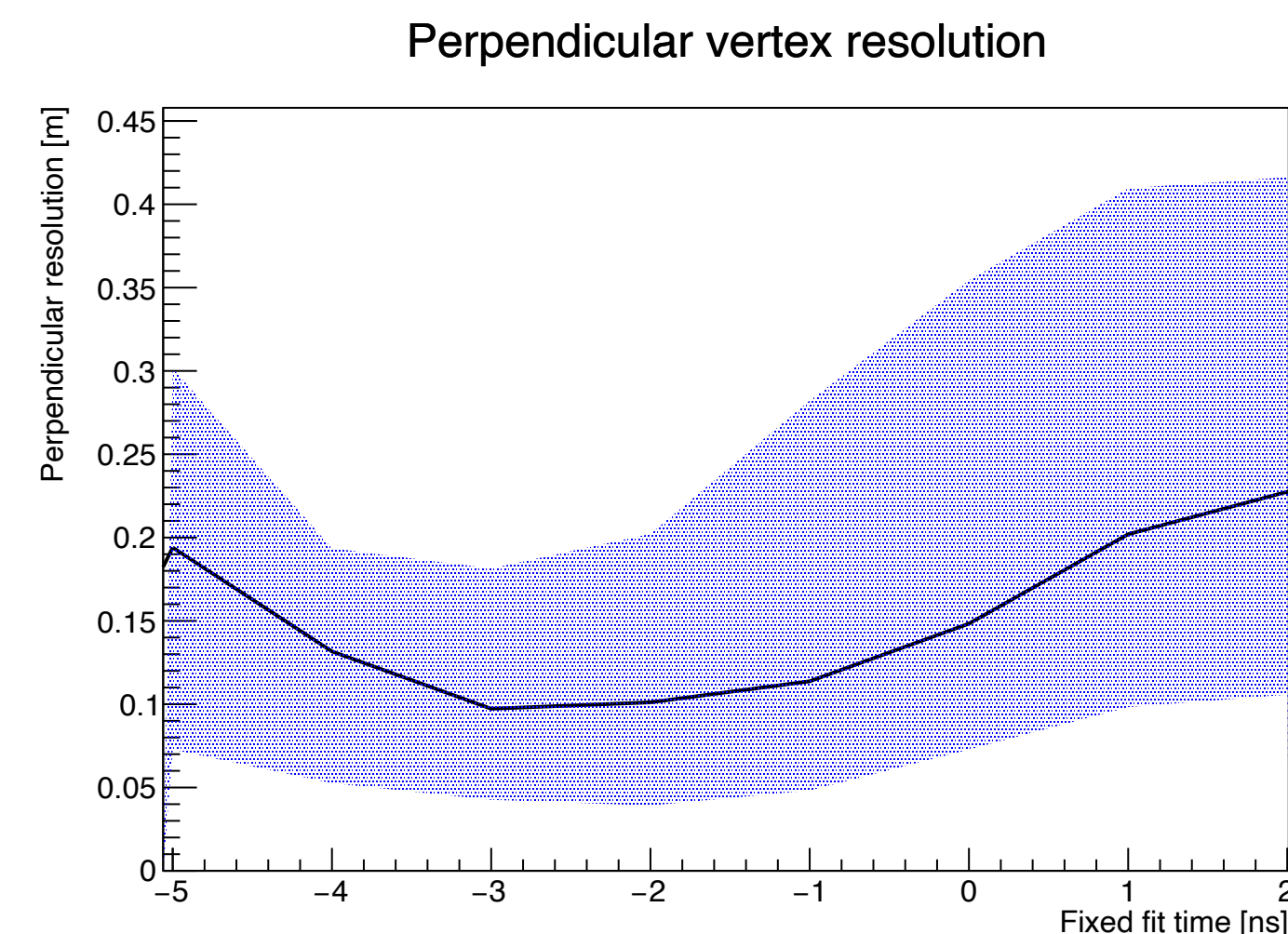
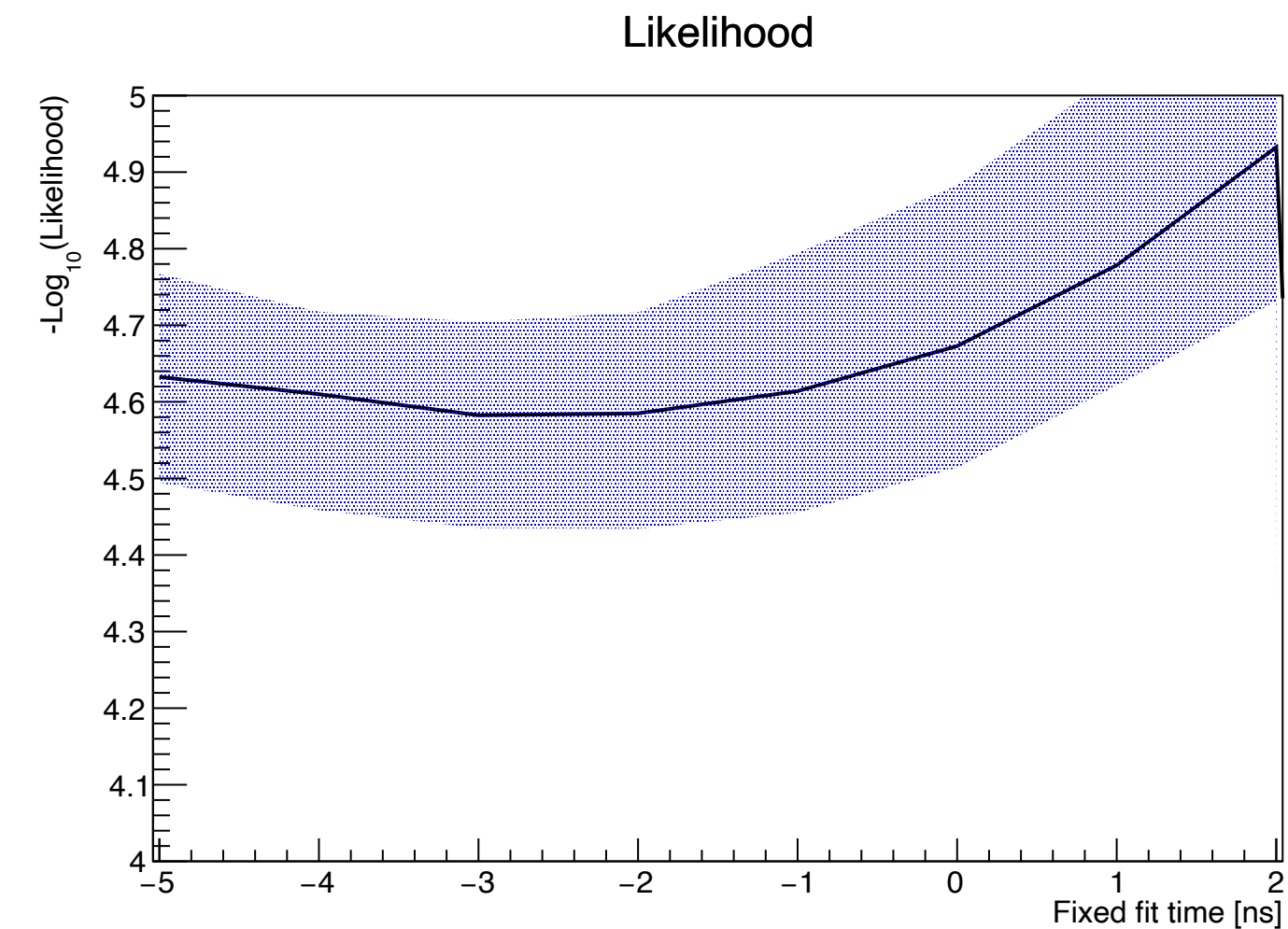
Elongation improvement

Reconstruct the same 100 events for different:

- **Energy fractions** of contribution at vertex
- **Sampling fractions** between vertex and 1st 10% sampling point

What happens to the

- Bias of the resolution
- The minimum $-\log(\text{Lik})$
- The time at which they are optimal



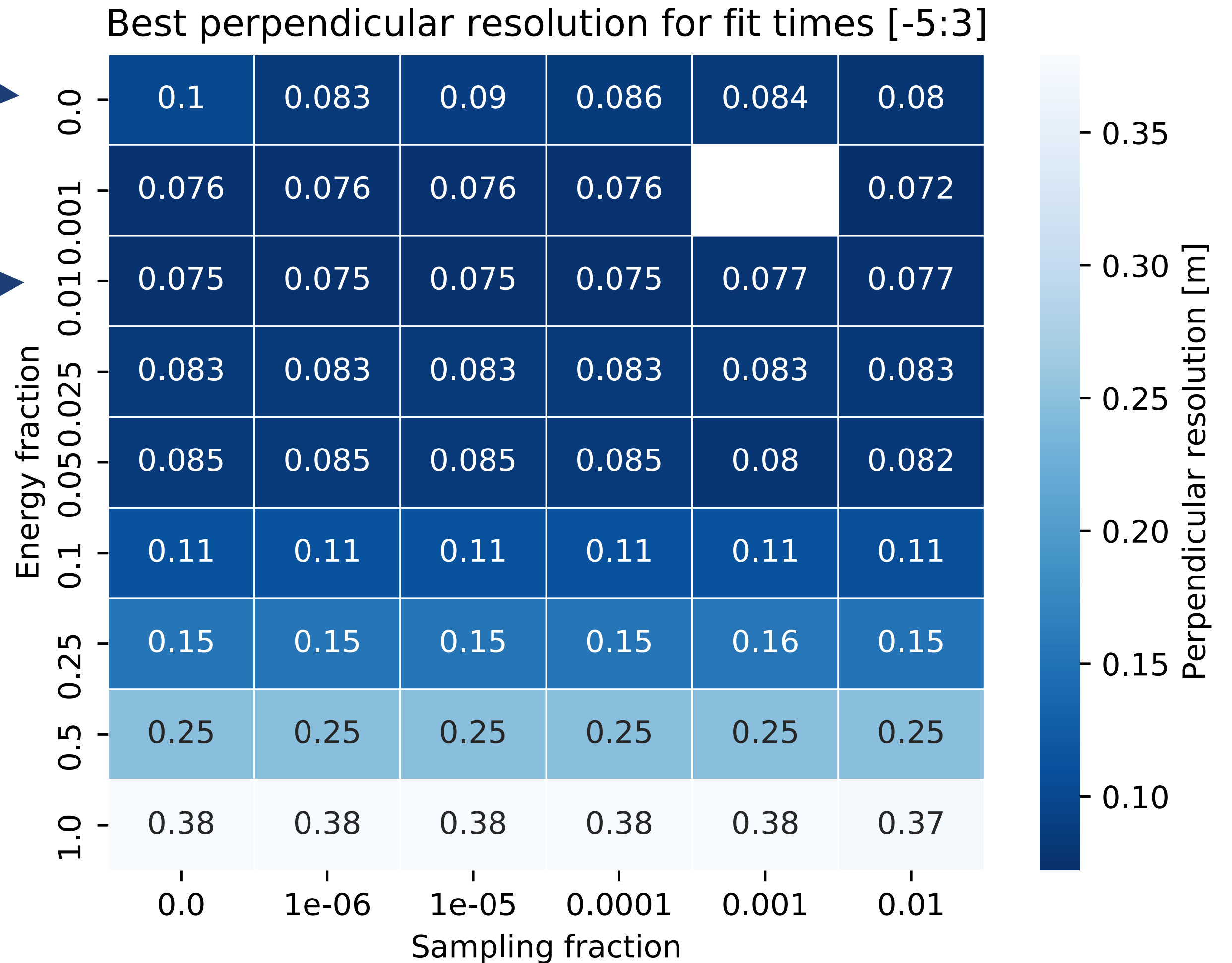
Perpendicular bias

No extra sampling (like before) →

Optimal bias for Energy fraction 0.01 (gives 7.5 cm) →

At what fitted time is the bias

Optimal?

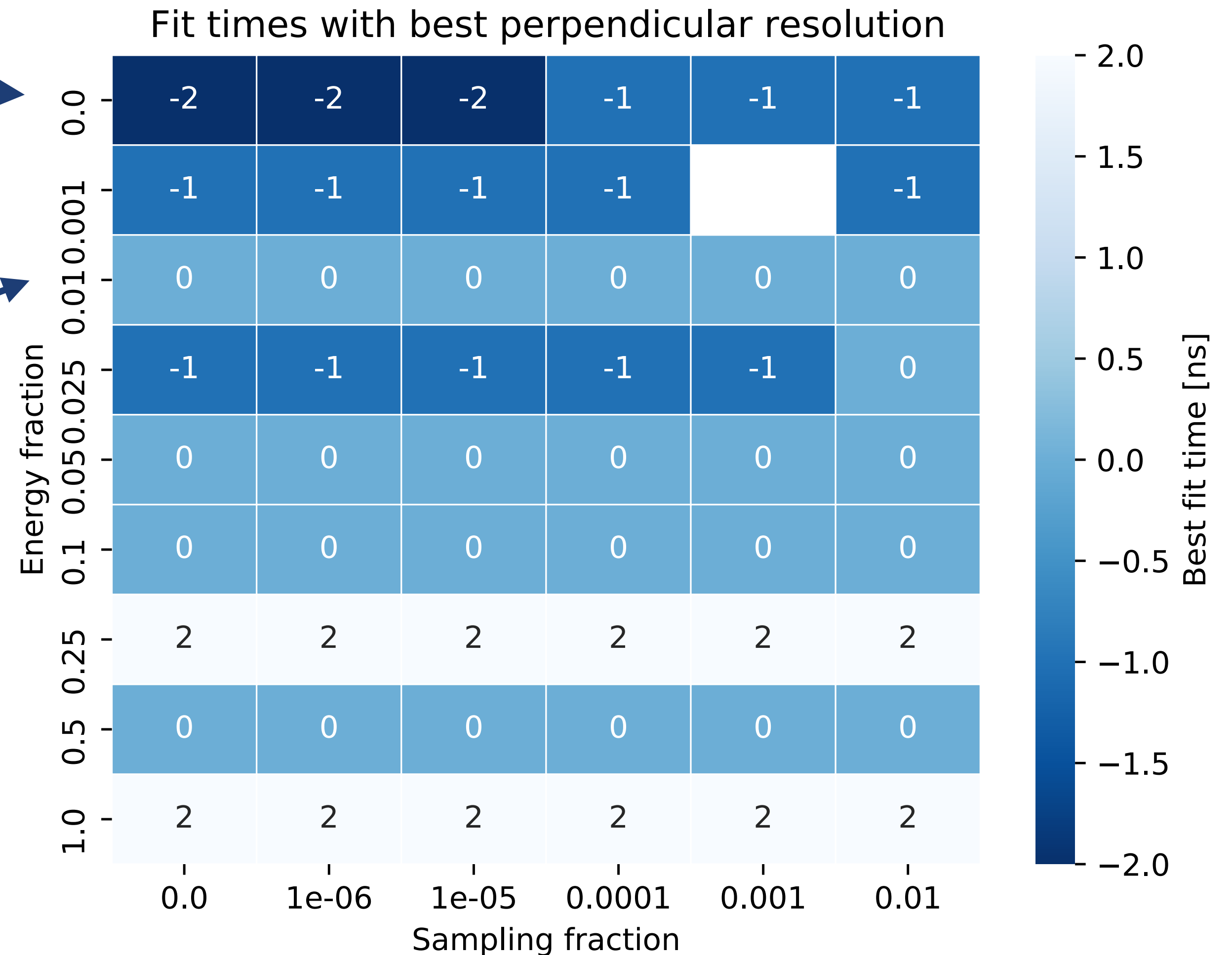


Fitted time

No extra sampling (like before) →
Best bias found at negative times

Optimum in perpendicular bias →
found at fitted time = 0

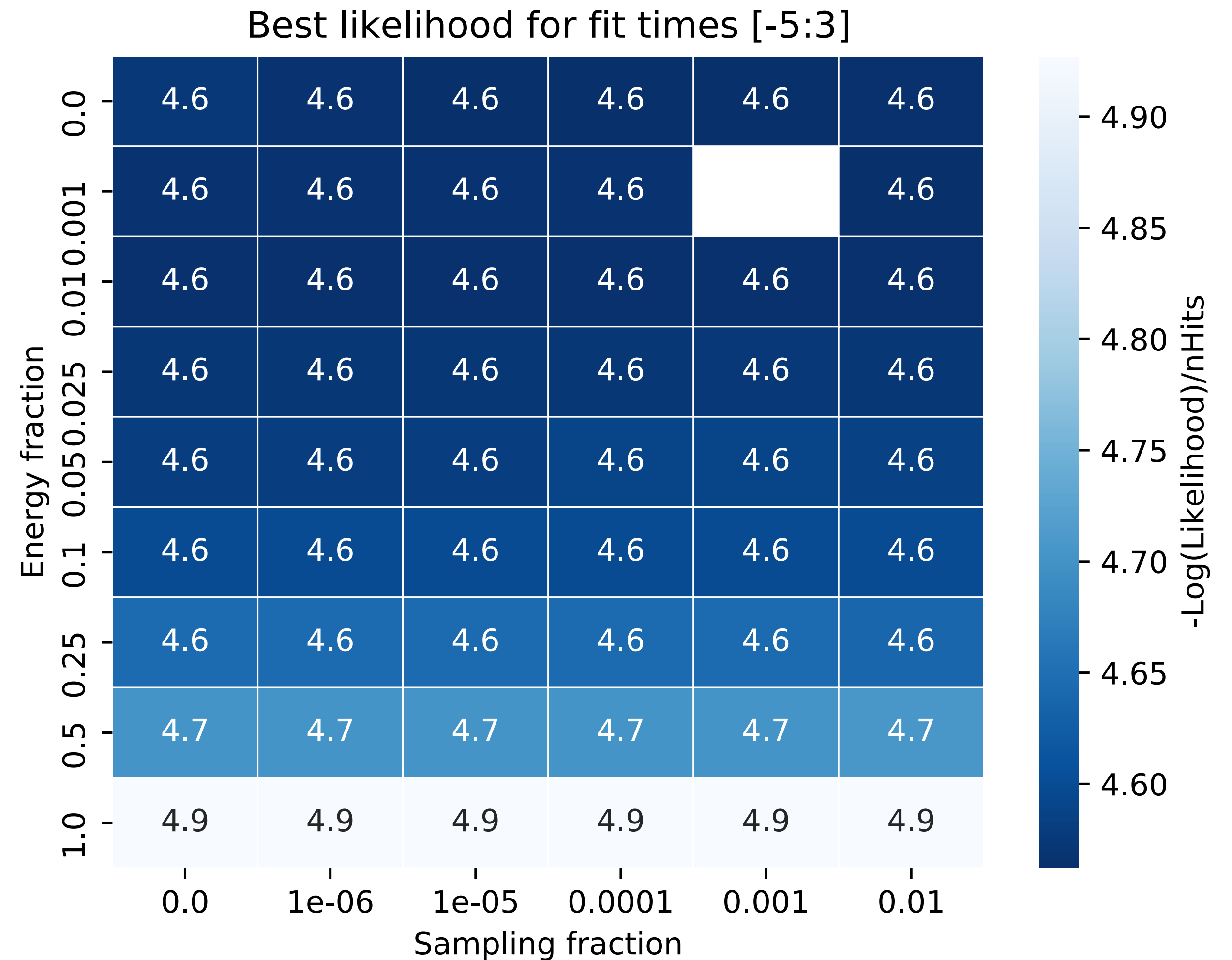
What happens to the likelihood?



Likelihood

$-\log(\text{Likelihood}) / \text{len}(\text{hits})$ is comparable for all experiments

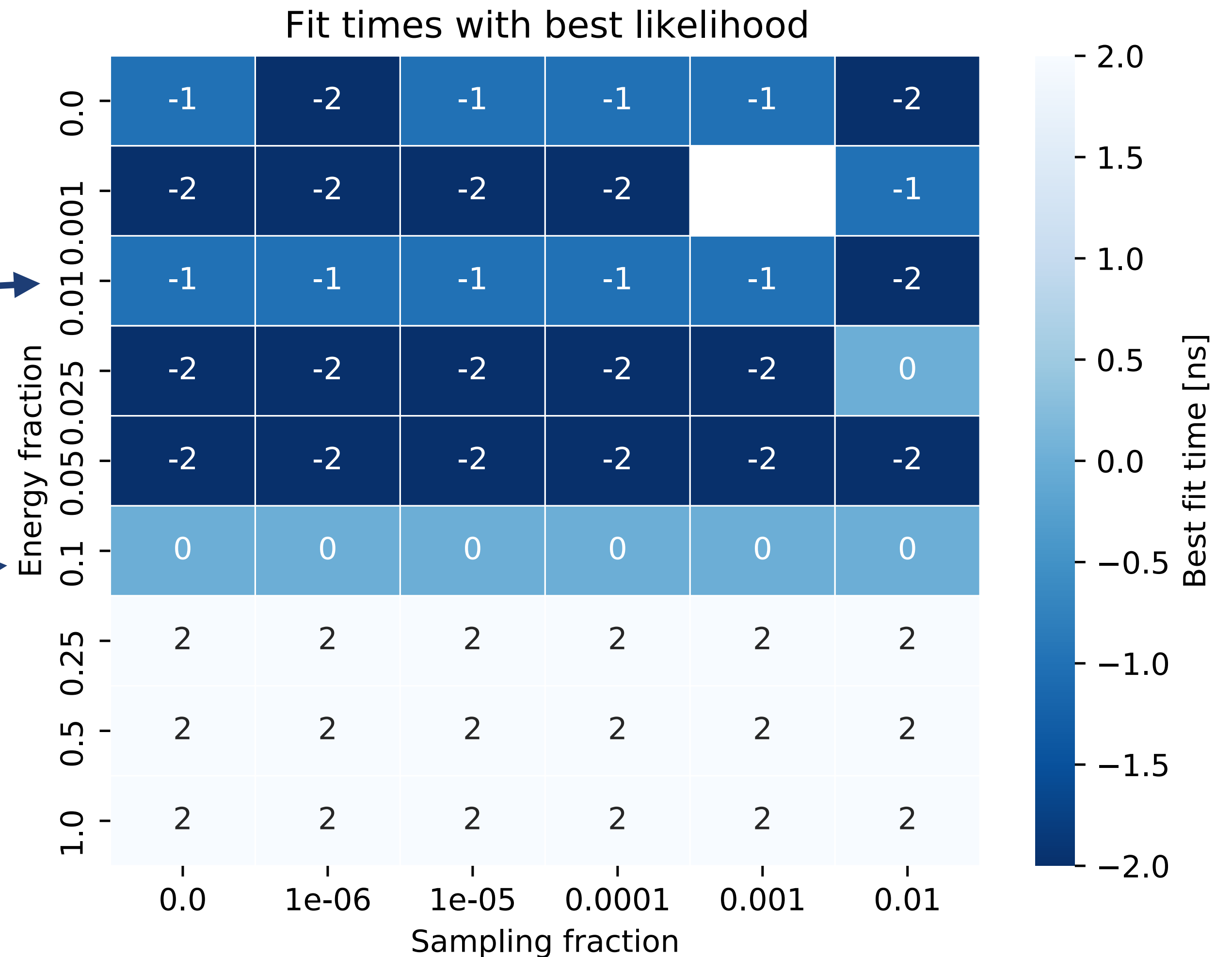
At which fitted time is the $-\log(\text{Likelihood})$ at a minimum?



Fitted time

Optimum in likelihood with best found at fitted time = -1

Row where likelihoods are optimal at $t = 0$ had a resolution of 11 cm instead of 7.5 cm

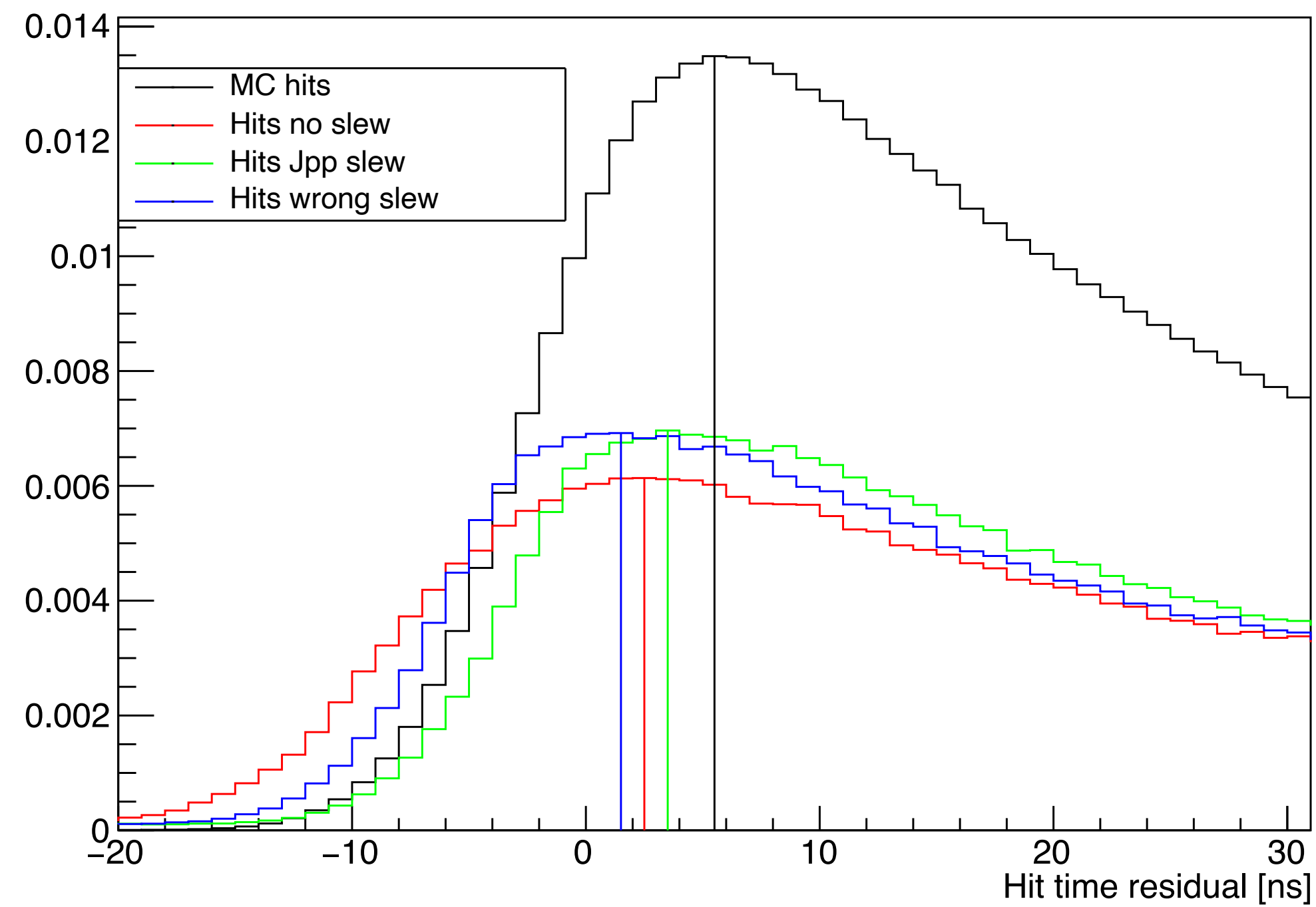


Conclusion

- Optimum in perpendicular bias when putting contribution with 1% of the energy at the vertex, found at true event time
- No extra sampling necessary
- BUT: likelihood is at a minimum at $t = -1$, so fit will pull to $t = -1$

Real hits problem

All hits



First hits

