

# In-Situ Calibration



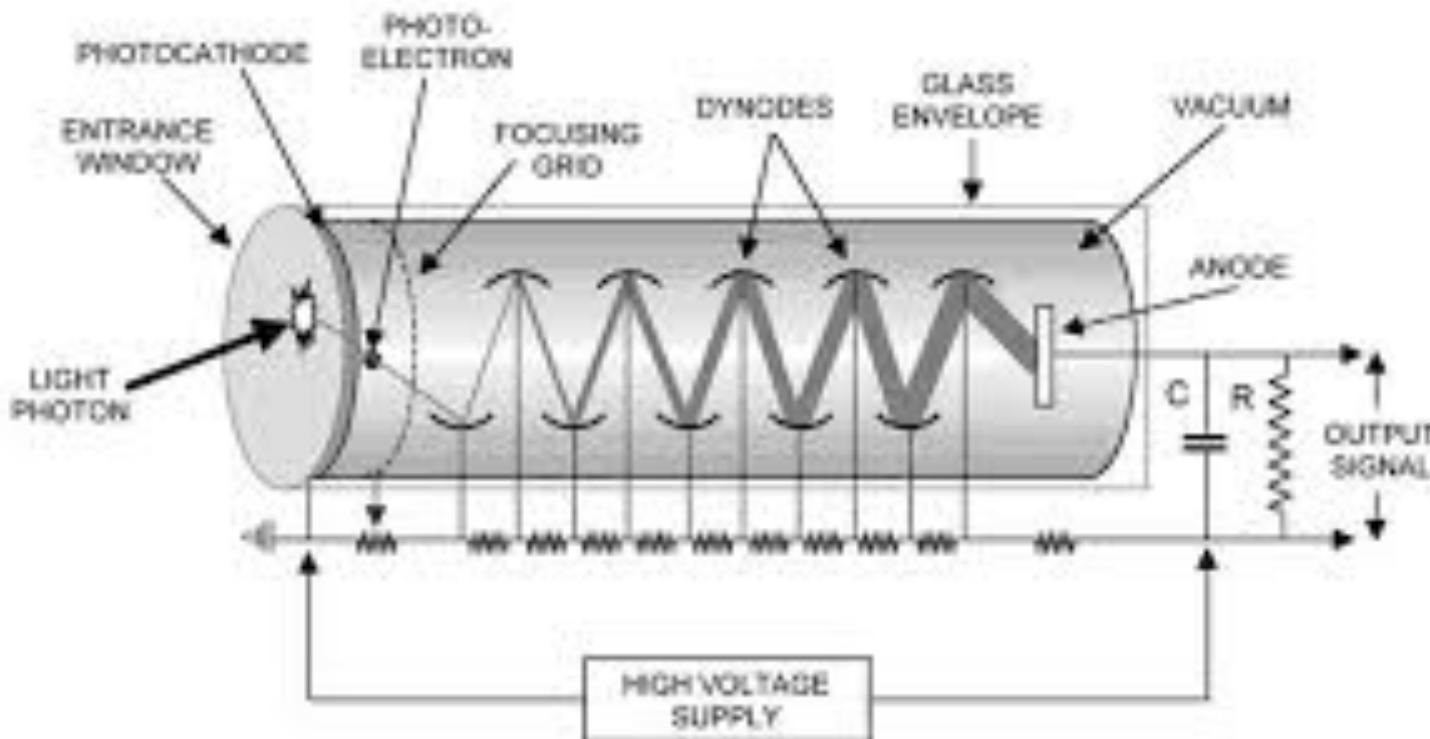
# Note for online slides

- Please see the vertical text on the right of each slide for the script(s) used to produce the plot (and if not in JPP: where to find them)

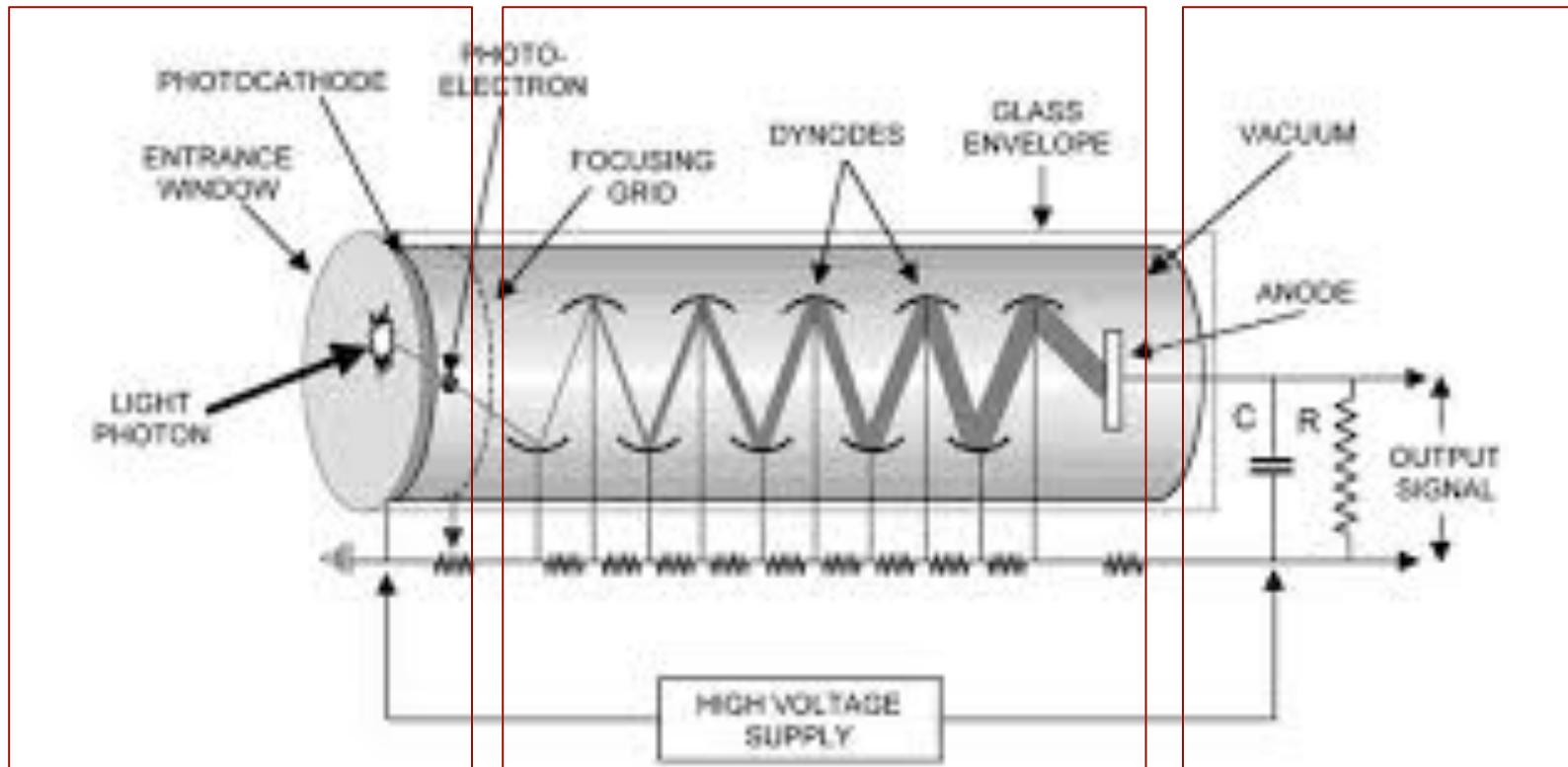
# Part 1: Introduction



# PMTs



# PMTs

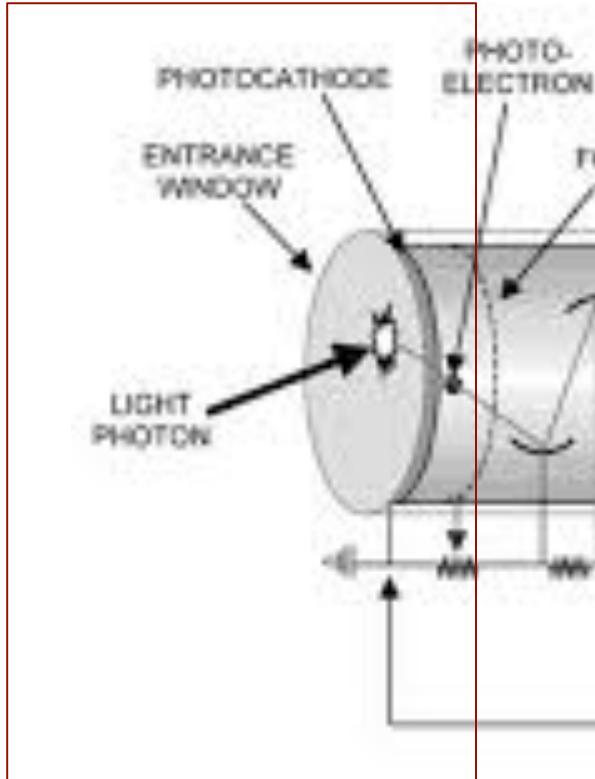


Electron emission

Amplification

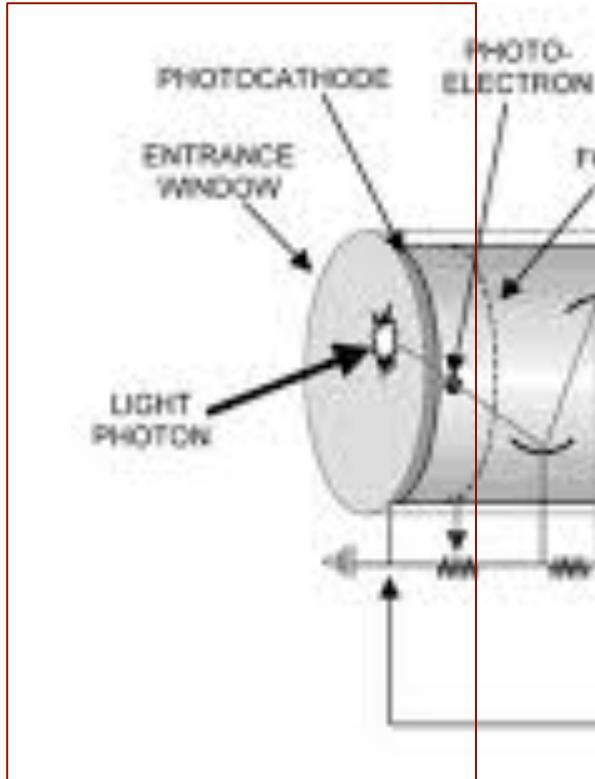
Analogue pulse

# PMTs



Electron emission

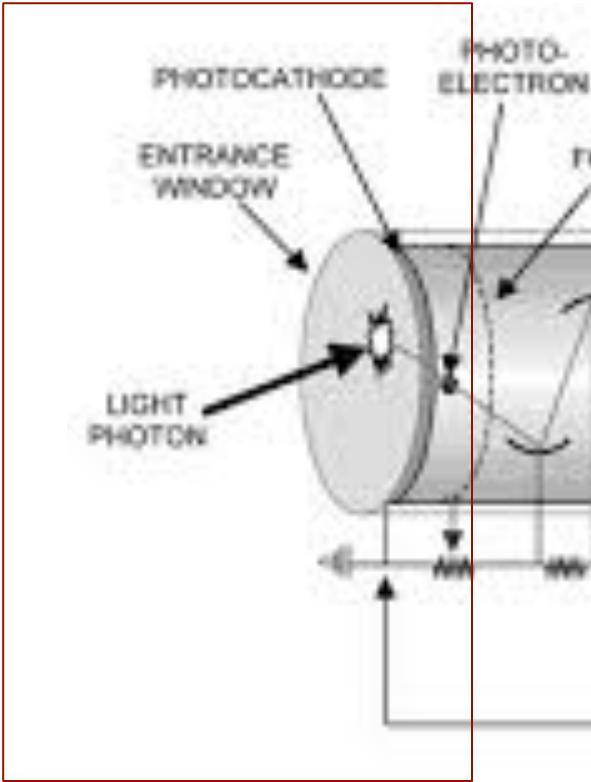
# PMTs



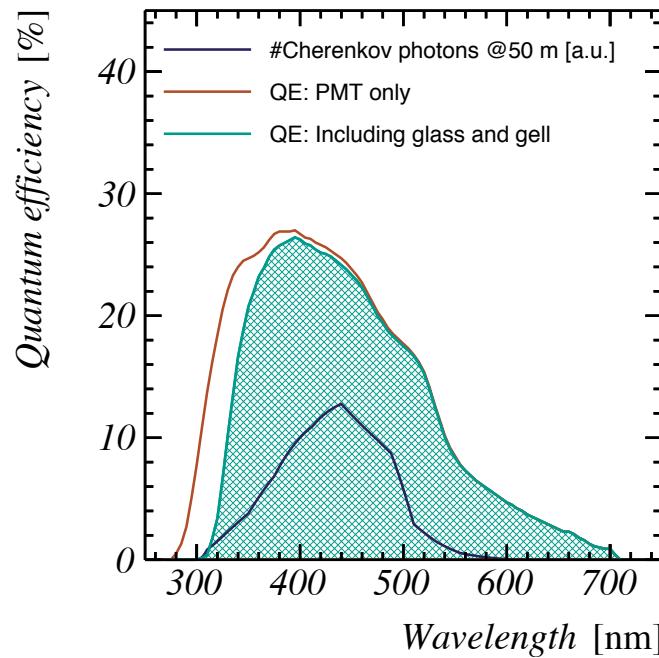
Electron emission

Quantum Efficiency  
Probability to emit an electron

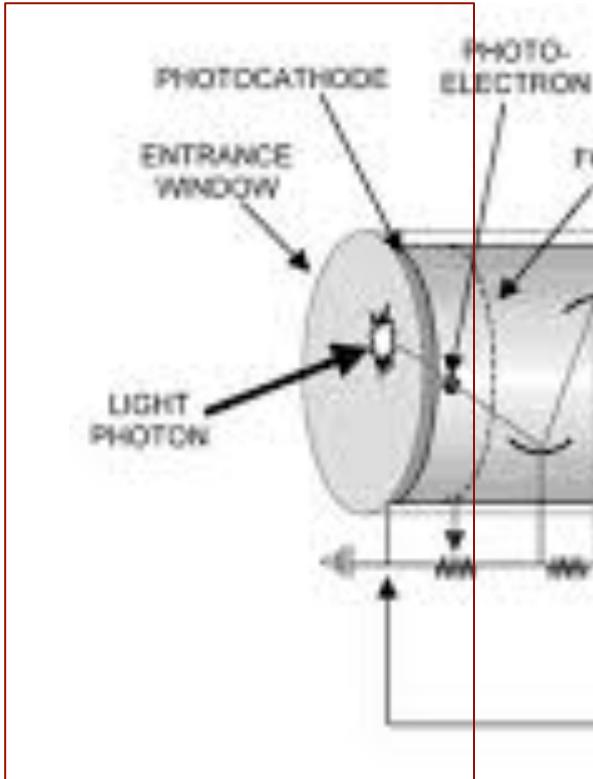
# PMTs



Quantum Efficiency  
Probability to emit an electron



# PMTs



Electron emission

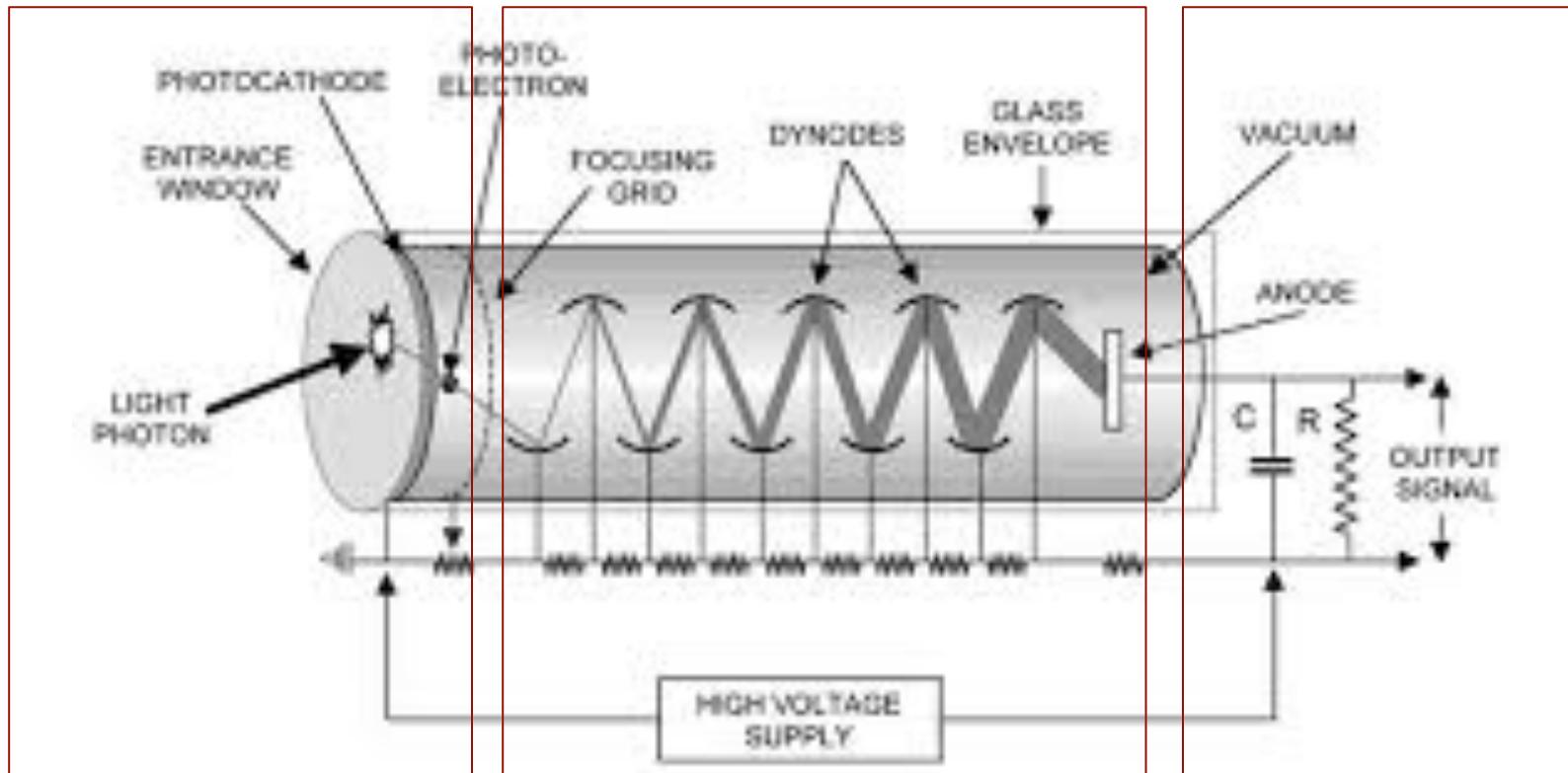
Quantum Efficiency

Probability to emit an electron

Collection Efficiency

Probability to 'catch' the electron

# PMTs



Electron emission

Amplification

Analogue pulse

# Gain & Gainspread

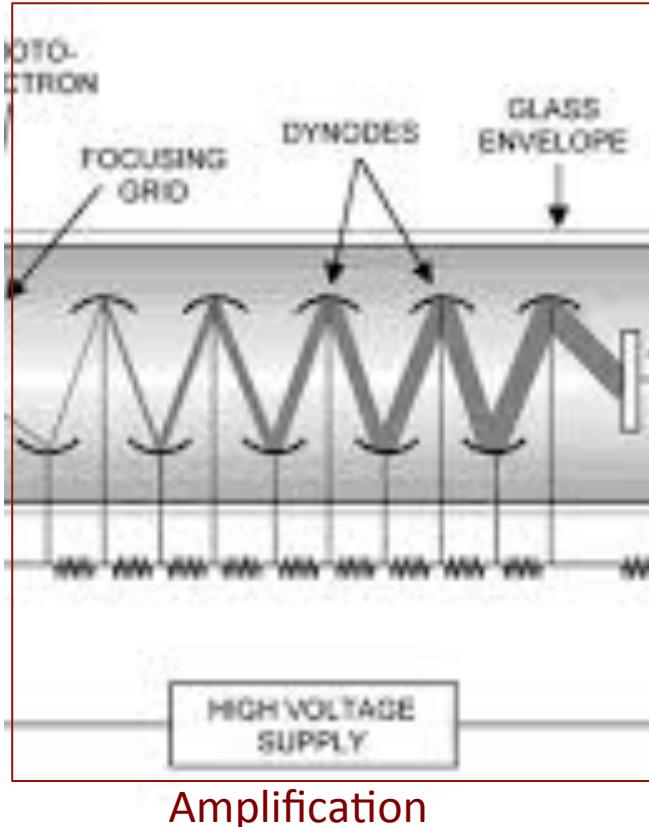
Gain:

#electrons hitting  
anode given  
one photoelectron

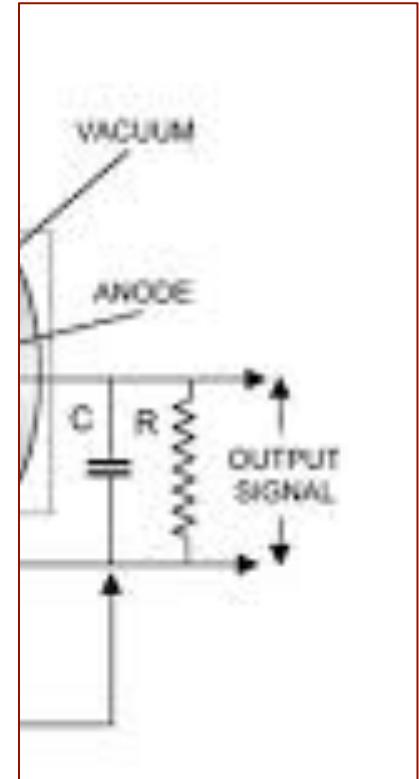
$\sim 3 \times 10^6$  in KM3NeT

Gainspread:

Statistical fluctuation  
in #electrons

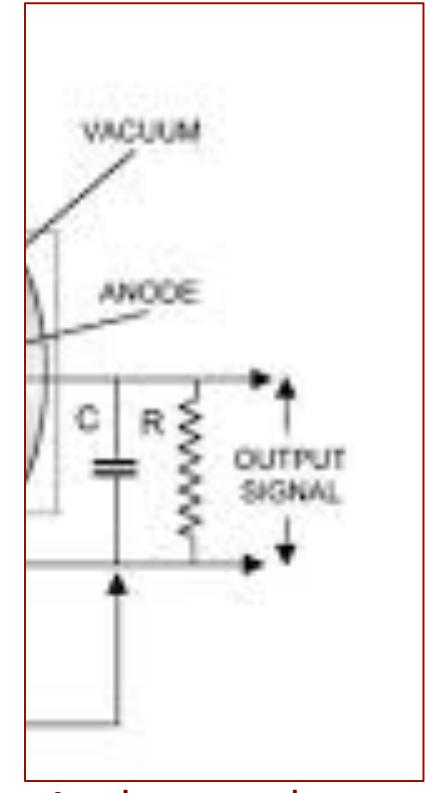
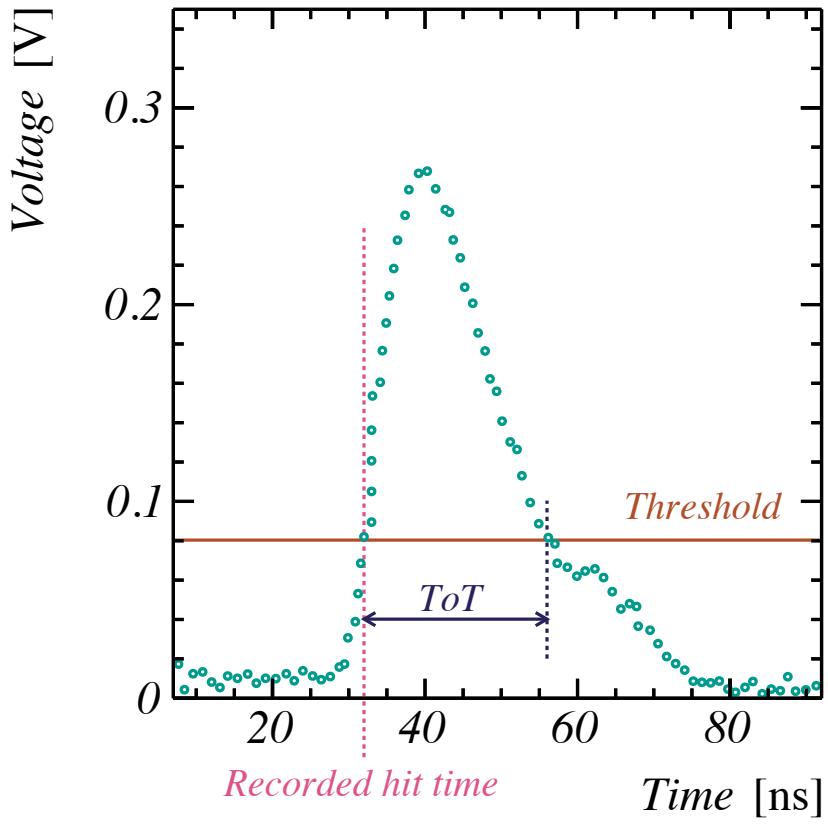


# Pulse -> L0 hit



Analogue pulse

# Pulse $\rightarrow$ L0 hit



Analogue pulse

# PMT Parameters

## **Efficiency-Related**

QE shape

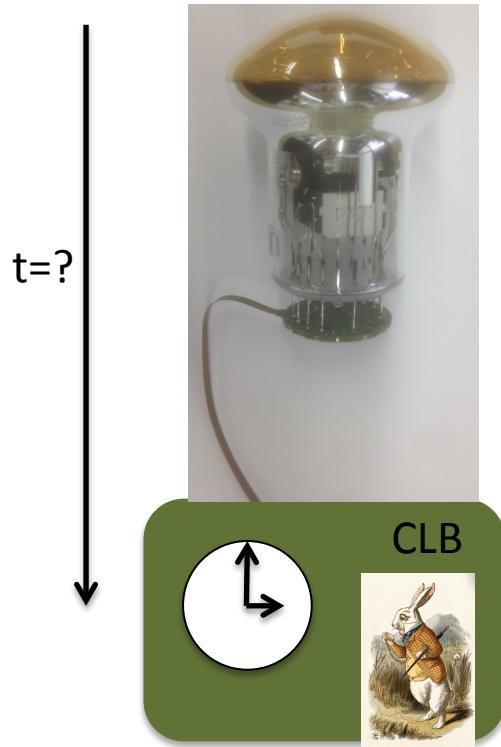
Relative PMT Efficiency

Absolute QE \* Collection eff. \* ...

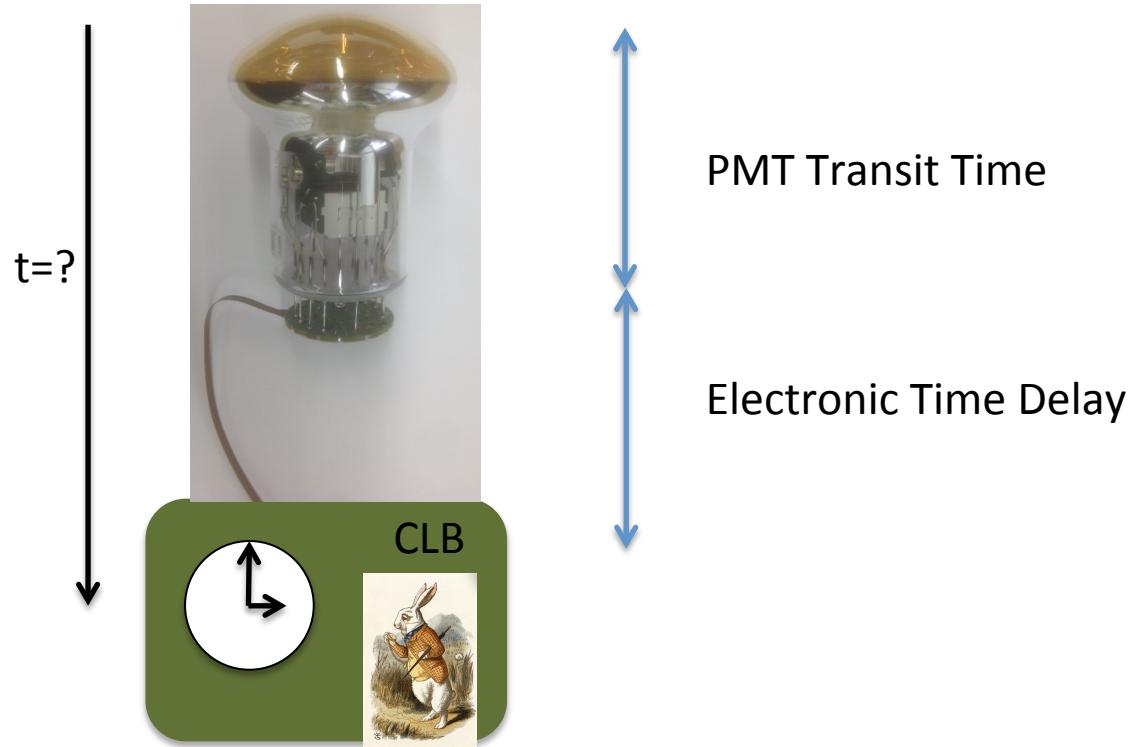
Gain

Gainspread

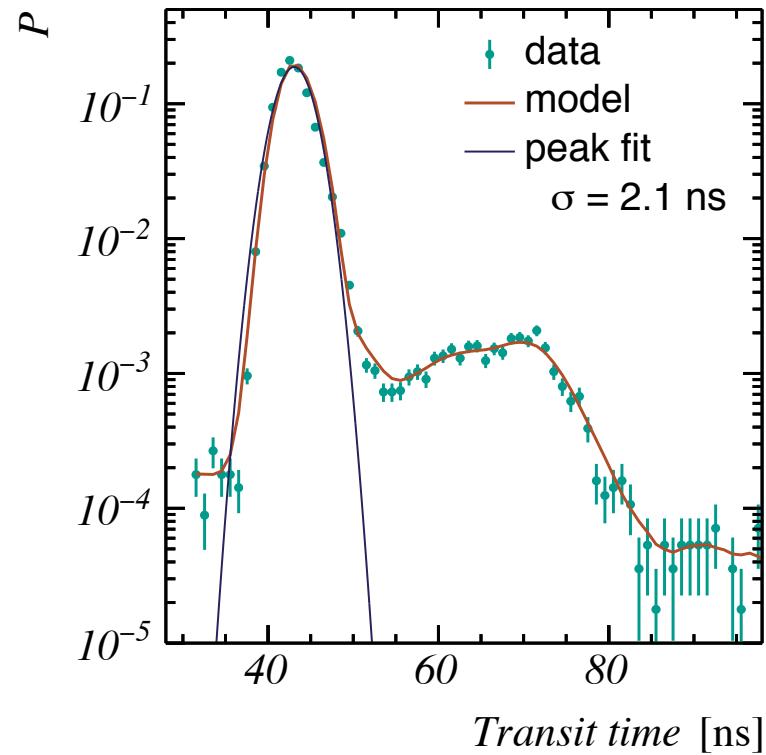
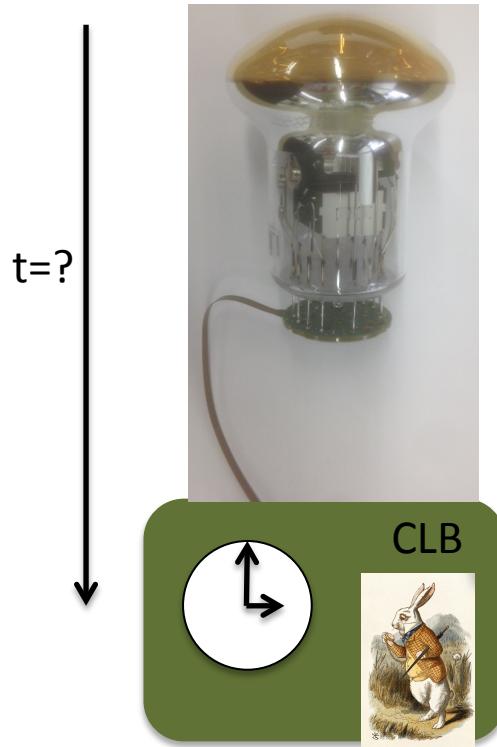
# Time-Related Parameters



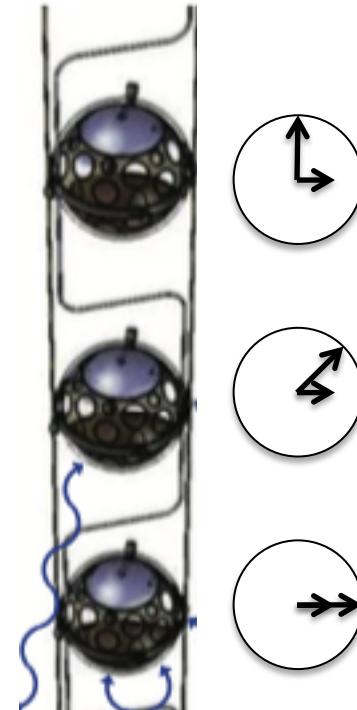
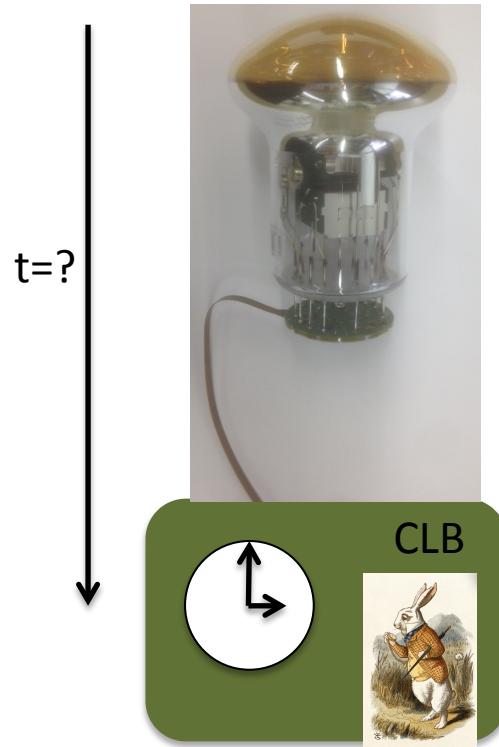
# Time-Related Parameters



# Time-Related Parameters



# Time-Related Parameters



# PMT Parameters

## **Efficiency-Related**

QE shape

Relative PMT Efficiency

Absolute QE \* Collection eff. \* ...

Gain

Gainspread

## **Time-Related**

Transit time

Transit time spread

Electro-Optical time delays

# PMT Parameters

## Efficiency-Related

QE shape

Relative PMT Efficiency

Absolute QE \* Collection eff. \* ...

Gain

Gainspread

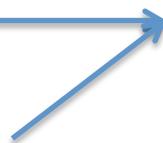
## Time-Related

Transit time

Transit time spread

Electro-Optical time delays

PMT Time Offset (detx file)



# Part 2: In-Situ Calibration



# Motivation: Why In-Situ?

$115 \times 18 \times 31 = 64170$  PMTs

-> 3.5 years of work (assuming 5min/PMT)

Detector settings and environment change over time  
HV settings, temperature, etc.

**In-situ calibration allows to monitor+calibrate all PMTs over detector livetime,  
without the need for special calibration runs (=downtime)**

# PMT Parameters

## **Efficiency-Related**

Relative PMT Efficiency

Absolute QE \* Collection eff. \* ...

Gain

Gainspread

## **Time-Related**

PMT Time offset

Transit time spread

# PMT Parameters

## Efficiency-Related

Relative PMT Efficiency

Absolute QE \* Collection eff. \* ...

Gain

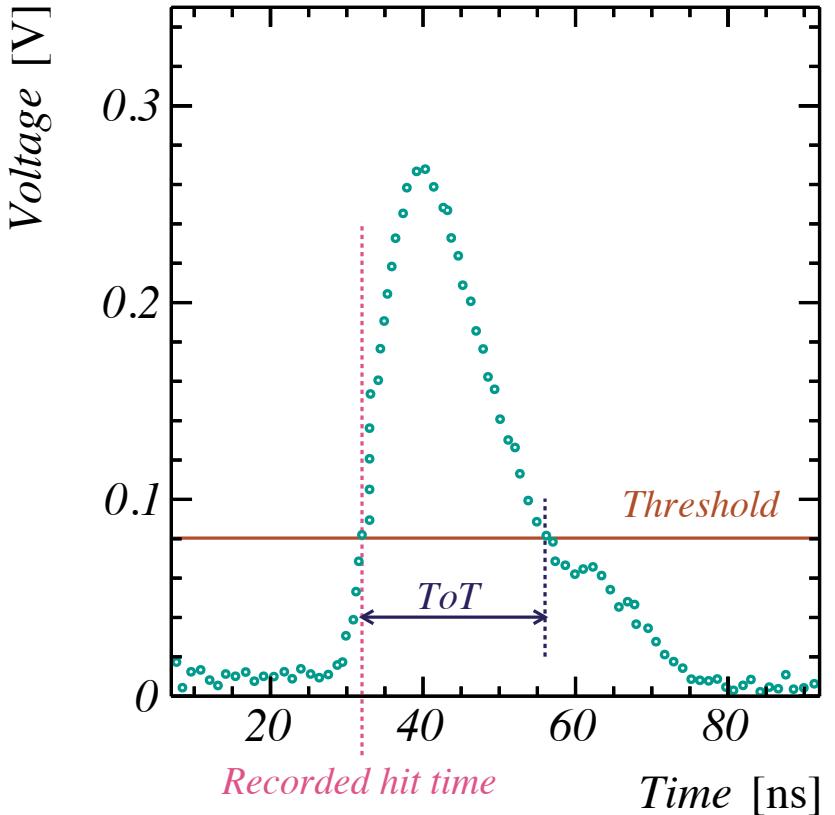
Gainspread

## Time-Related

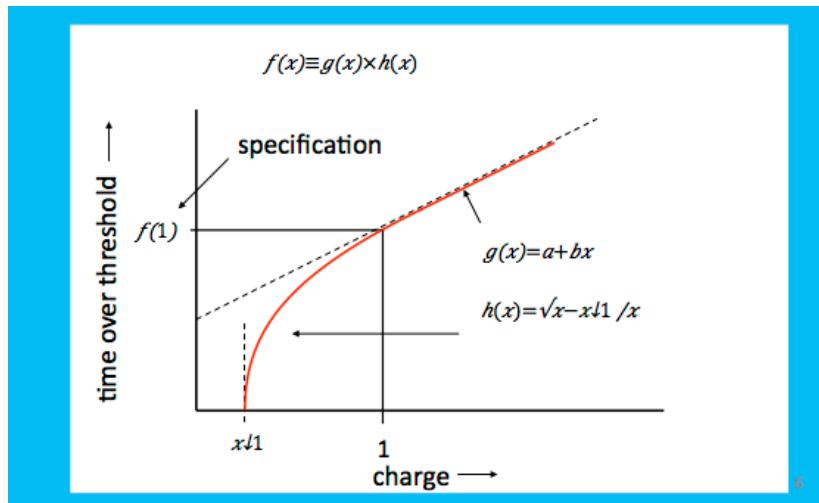
PMT Time offset

Transit time spread

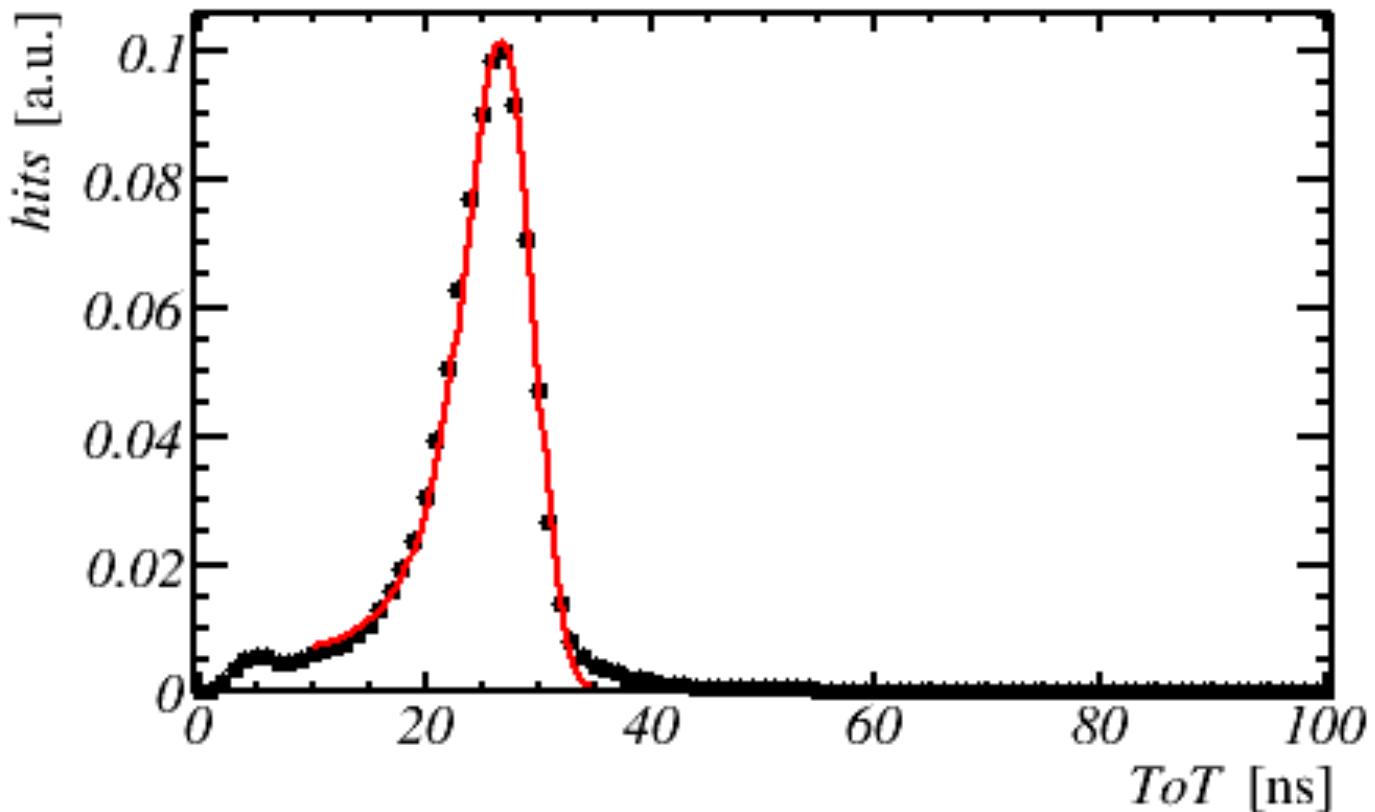
# Time-over-Threshold



Simple JPP model

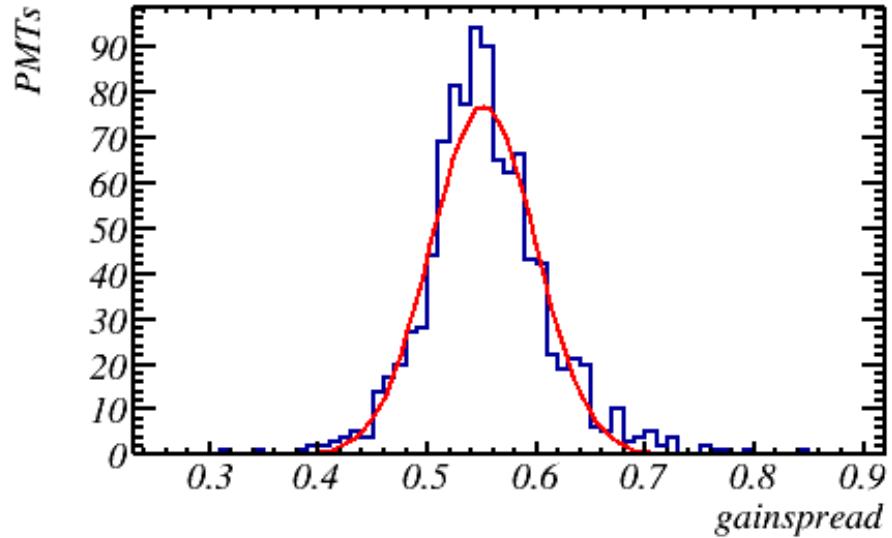
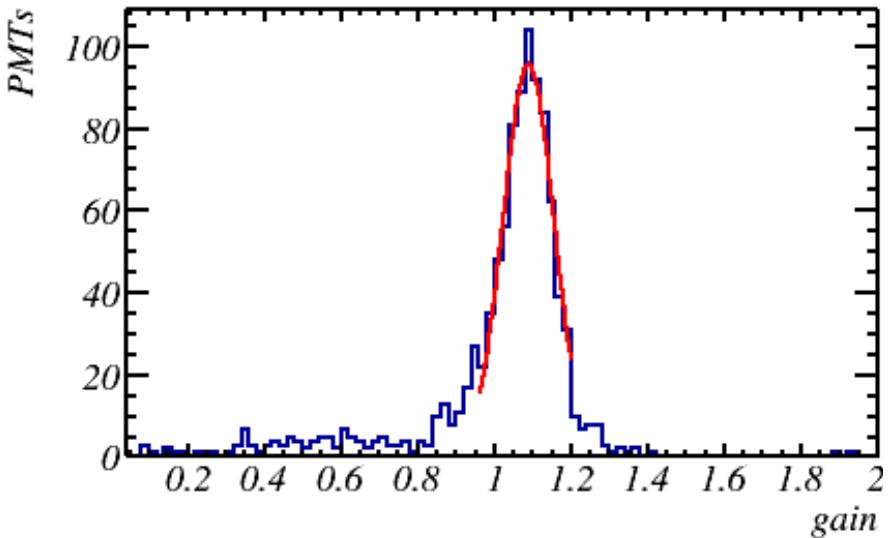


# ToT distribution



```
JMonitorToT -a <deffile> -f <datafile> -o monitor.root  
JFitToT -a <deffile> -f monitor.root -o fit.root -w -t 15+35 -P <gainfile>  
-w: write the fits to the output file  
-t 15+35: ToT-range to fit  
-P: JTE-compatible output txt file with fitted values
```

# ToT -> Gain & Gainspread



<https://elog.km3net.de/Analysis/154>

# PMT Parameters

## Efficiency-Related

Relative PMT Efficiency

Absolute QE \* Collection eff. \* ...

Gain

(ToT distribution)

Gainspread

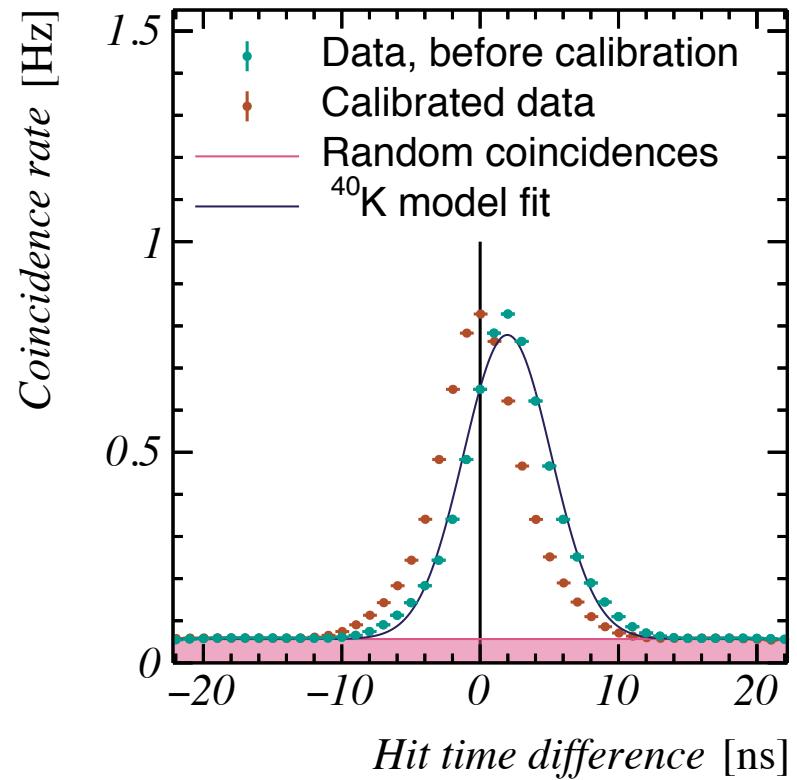
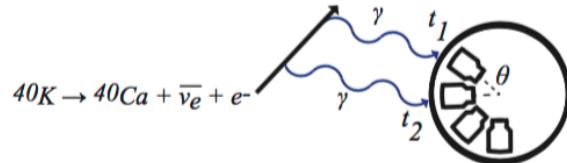
(ToT distribution)

## Time-Related

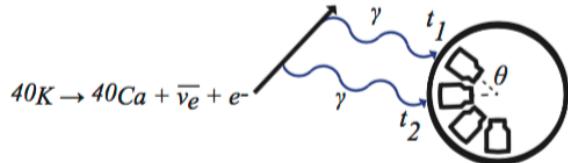
PMT Time offset

Transit time spread

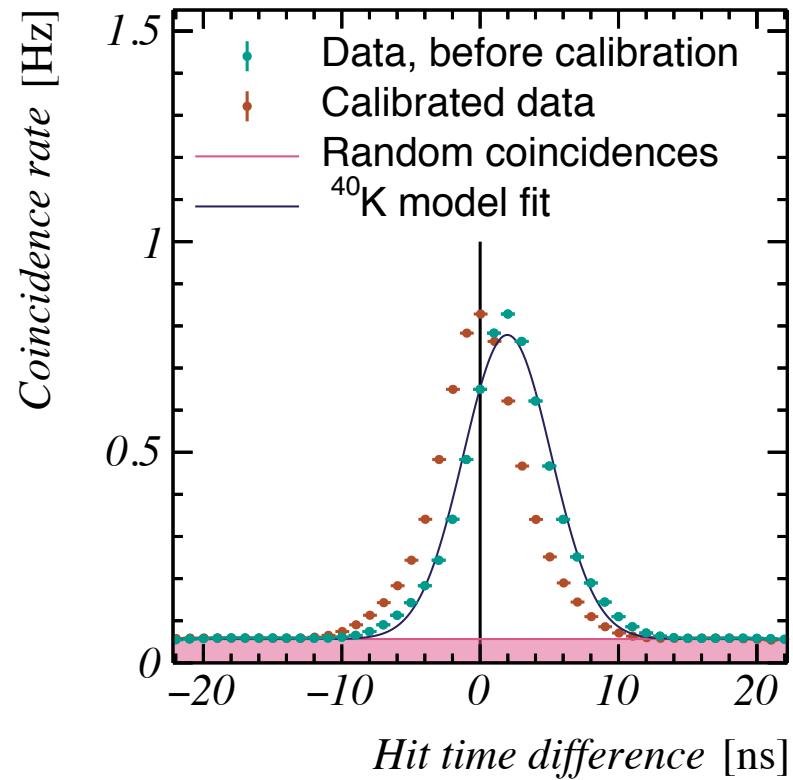
# $^{40}\text{K}$ fit method



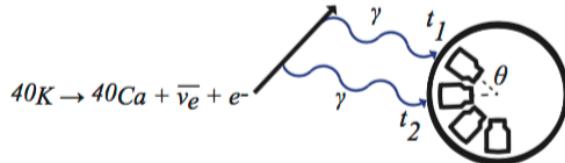
# $^{40}\text{K}$ fit method



Mean	$\leftrightarrow$ PMT time offsets	$(t_0)$
Width	$\leftrightarrow$ PMT transit time spreads	$(\text{TTS})$
Amplitude	$\leftrightarrow$ PMT efficiencies	$(\varepsilon)$



# $^{40}\text{K}$ fit method



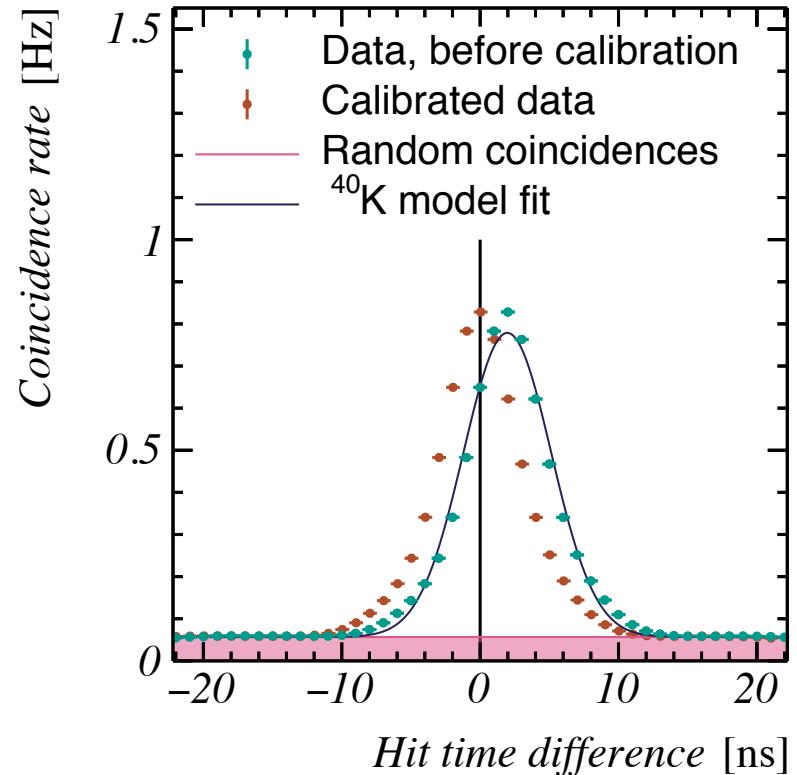
Mean	$\leftrightarrow$ PMT time offsets	$(t_0)$
Width	$\leftrightarrow$ PMT transit time spreads	$(\text{TTS})$
Amplitude	$\leftrightarrow$ PMT efficiencies	$(\varepsilon)$

$$R_{i,j}(\Delta t) = \frac{A_{i,j}}{\sqrt{2\pi}\sigma_{i,j}} \cdot \exp\left[-\frac{(\Delta t - \mu_{i,j})^2}{2\sigma_{i,j}^2}\right]$$

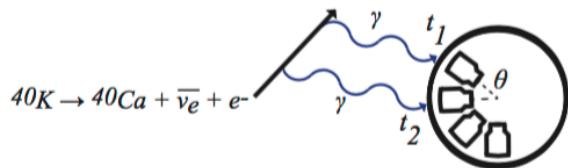
$$A_{i,j} = \epsilon_i \cdot \epsilon_j \cdot R(\theta_{i,j})$$

$$\mu_{i,j} = t_{0,i} - t_{0,j}$$

$$\sigma_{i,j}^2 = \text{TTS}_i^2 + \text{TTS}_j^2 + 0.54^2$$



# $^{40}\text{K}$ fit method



Mean	$\leftrightarrow$ PMT time offsets	$(t_0)$
Width	$\leftrightarrow$ PMT transit time spreads	$(TTS)$
Amplitude	$\leftrightarrow$ PMT efficiencies	$(\varepsilon)$

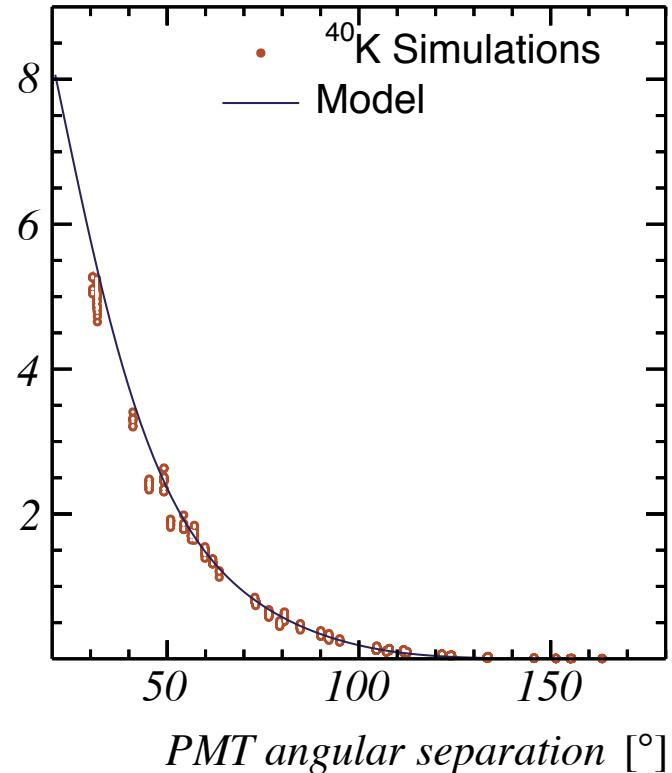
$$R_{i,j}(\Delta t) = \frac{A_{i,j}}{\sqrt{2\pi}\sigma_{i,j}} \cdot \exp\left[-\frac{(\Delta t - \mu_{i,j})^2}{2\sigma_{i,j}^2}\right]$$

$$A_{i,j} = \epsilon_i \cdot \epsilon_j \cdot R(\theta_{i,j})$$

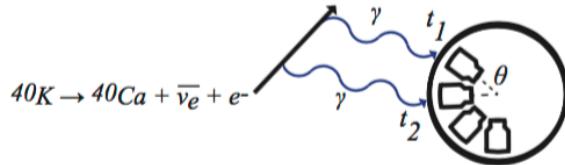
$$\mu_{i,j} = t_{0,i} - t_{0,j}$$

$$\sigma_{i,j}^2 = TTS_i^2 + TTS_j^2 + 0.54^2$$

Coincidence rate [Hz]



# $^{40}\text{K}$ fit method



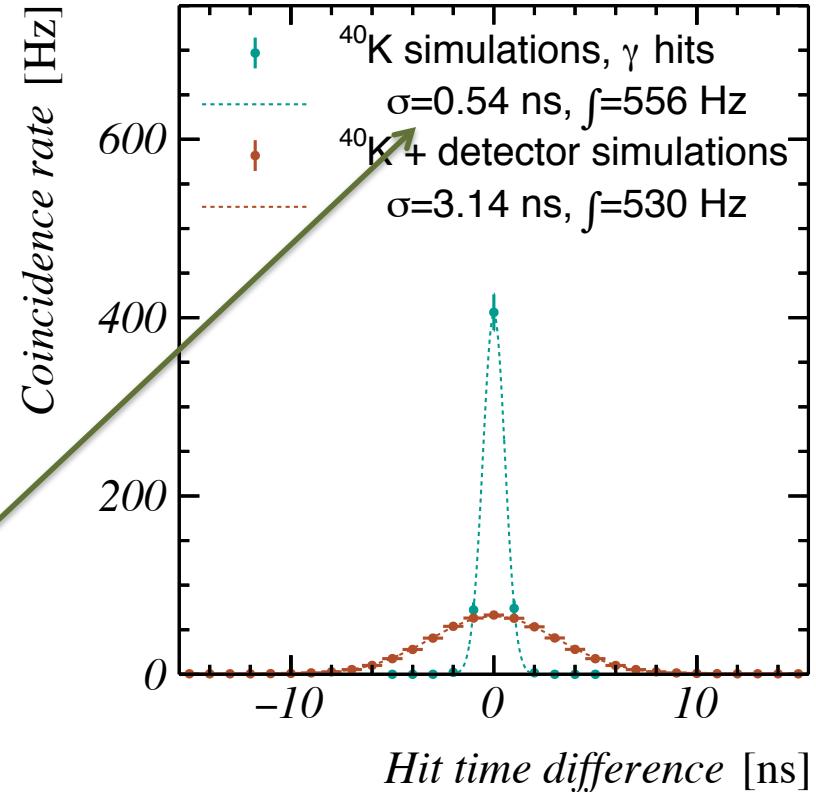
Mean	<> PMT time offsets	$(t_0)$
Width	<> PMT transit time spreads	$(\text{TTS})$
Amplitude	<> PMT efficiencies	$(\varepsilon)$

$$R_{i,j}(\Delta t) = \frac{A_{i,j}}{\sqrt{2\pi}\sigma_{i,j}} \cdot \exp\left[-\frac{(\Delta t - \mu_{i,j})^2}{2\sigma_{i,j}^2}\right]$$

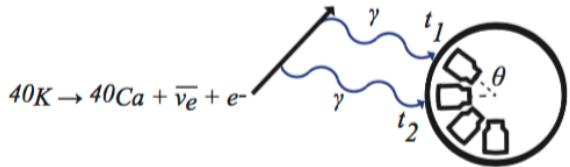
$$A_{i,j} = \varepsilon_i \cdot \varepsilon_j \cdot R(\theta_{i,j})$$

$$\mu_{i,j} = t_{0,i} - t_{0,j}$$

$$\sigma_{i,j}^2 = \text{TTS}_i^2 + \text{TTS}_j^2 + 0.54^2$$



# $^{40}\text{K}$ fit method



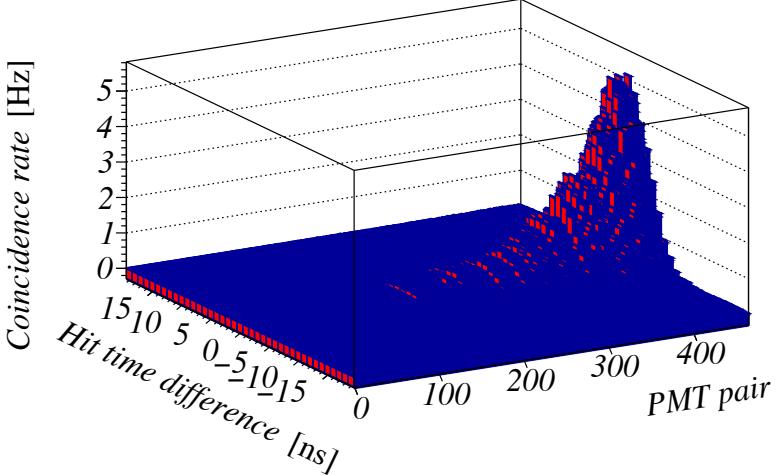
Mean	$\leftrightarrow$	PMT time offsets	$(t_0)$
Width	$\leftrightarrow$	PMT transit time spreads	$(TTS)$
Amplitude	$\leftrightarrow$	PMT efficiencies	$(\varepsilon)$

$$R_{i,j}(\Delta t) = \frac{A_{i,j}}{\sqrt{2\pi}\sigma_{i,j}} \cdot \exp\left[-\frac{(\Delta t - \mu_{i,j})^2}{2\sigma_{i,j}^2}\right]$$

$$A_{i,j} = \epsilon_i \cdot \epsilon_j \cdot R(\theta_{i,j})$$

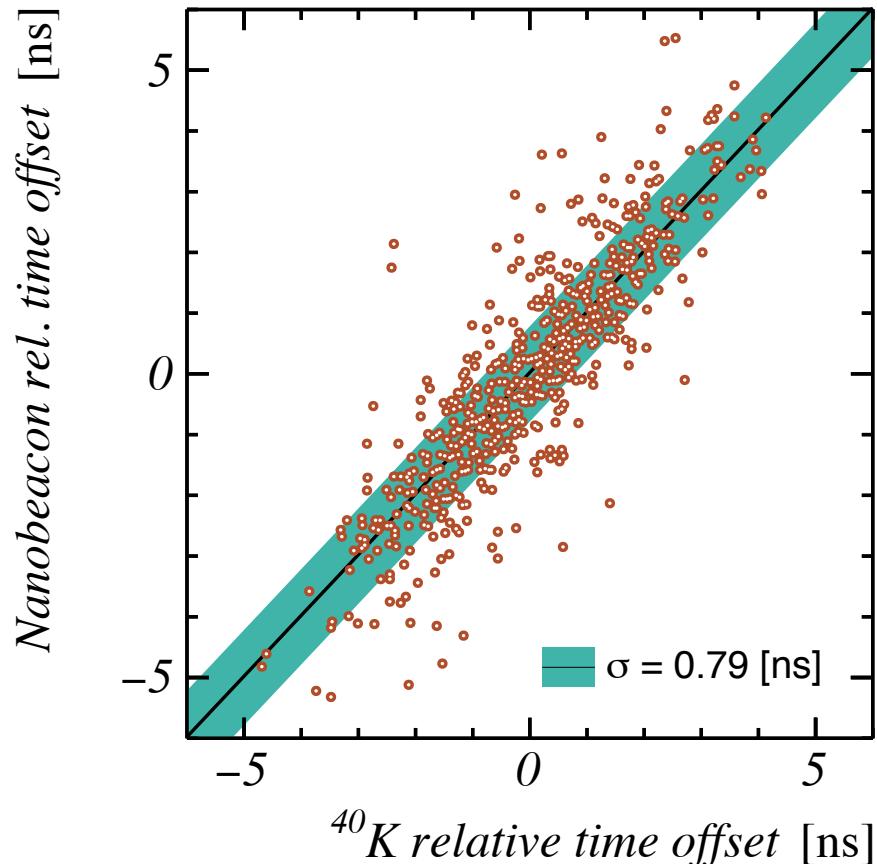
$$\mu_{i,j} = t_{0,i} - t_{0,j}$$

$$\sigma_{i,j}^2 = TTS_i^2 + TTS_j^2 + 0.54^2$$



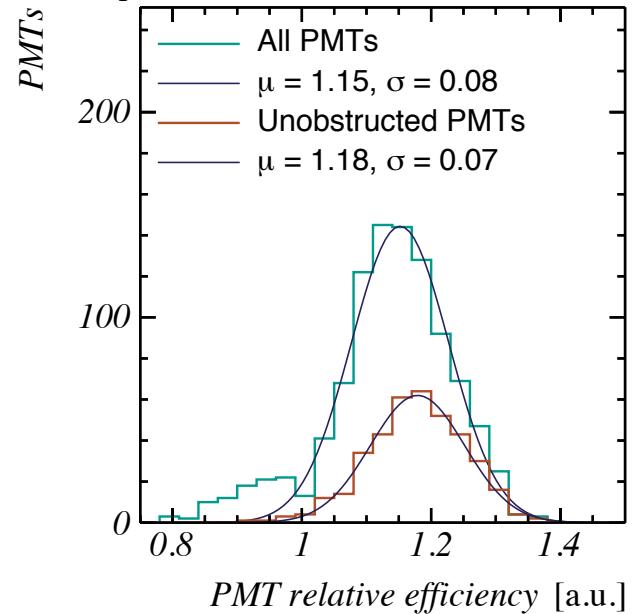
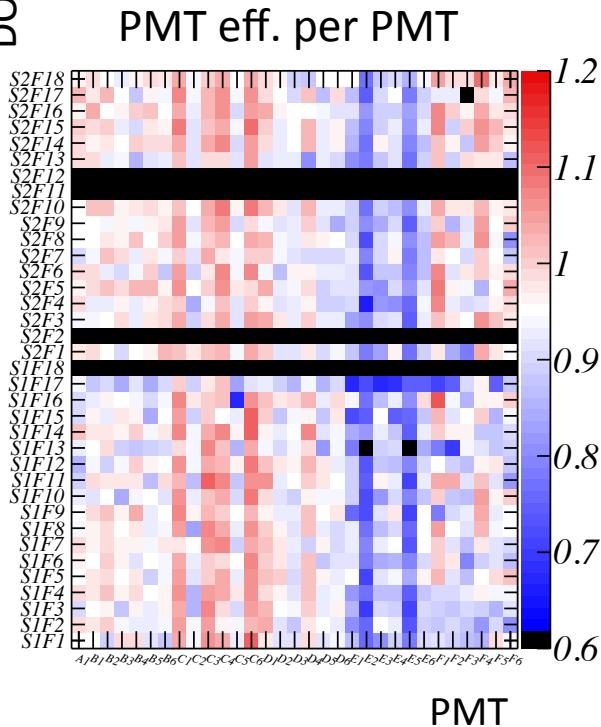


# Time Calibration Cross-Check



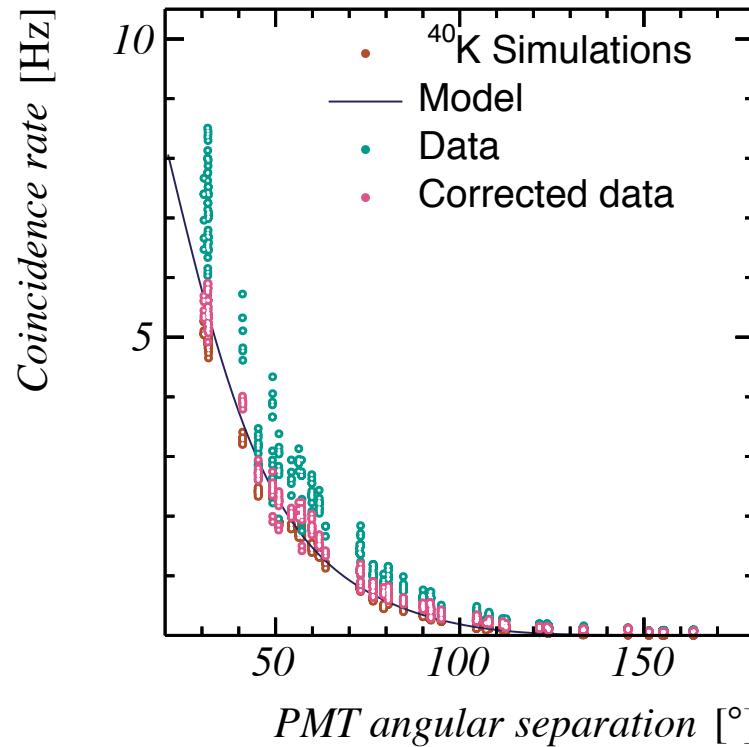
# PMT efficiencies <-> superstructure

DOM



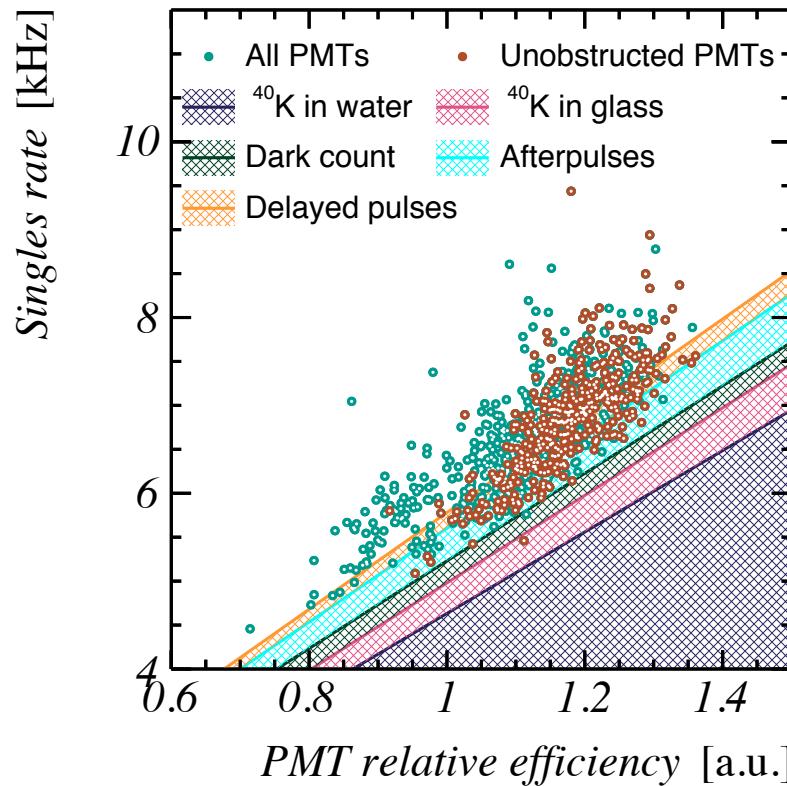
- Calibration precise enough to see collar
- PMT efficiency spread: ~6%

# Efficiencies > 1?



Indeed more coincidence light seen than expected

# Efficiencies > 1?



# PMT Parameters

## Efficiency-Related

## Relative PMT Efficiency ( $^{40}\text{K}$ fit)

## Absolute QE \* Collection eff. \* ...

Gain (ToT distribution)

## Gainspread (ToT distribution)

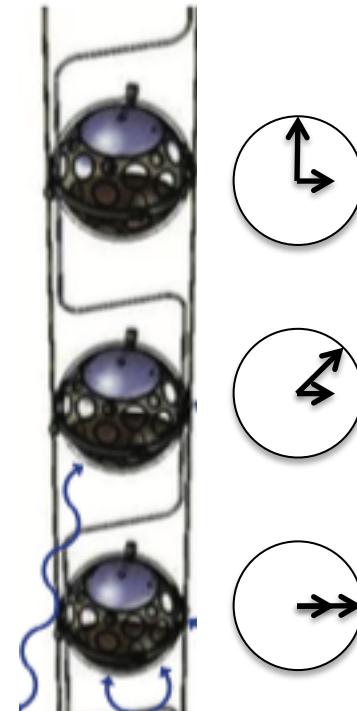
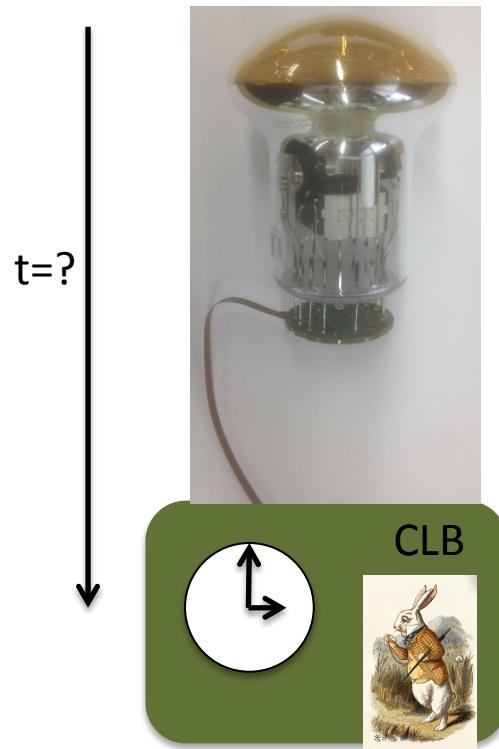
## Time-Related

## PMT Time offset ( $^{40}\text{K}$ fit)

## Transit time spread ( $^{40}\text{K}$ fit)

## The end of the story?

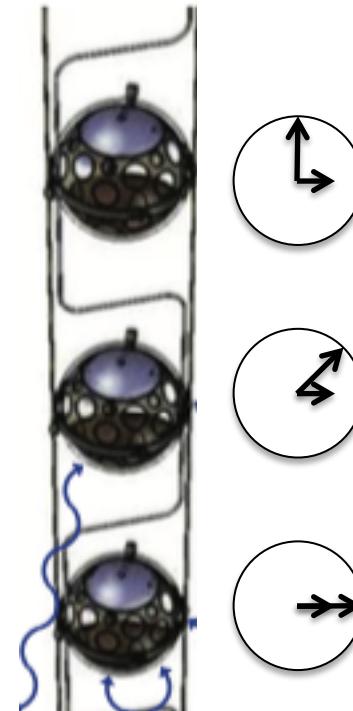
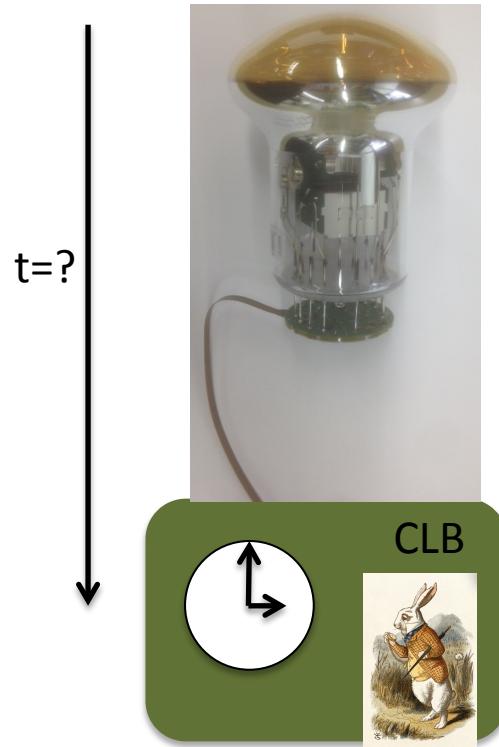
# Time-Related Parameters

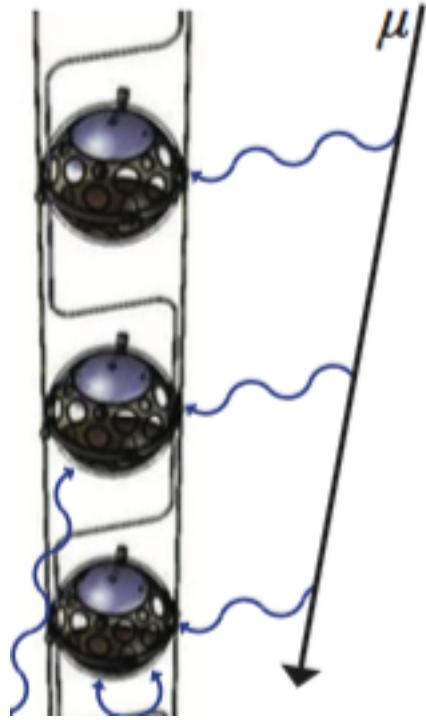


# Inter-DOM Time Calibration



# Time-Related Parameters





### **Dark Room laser calibration**

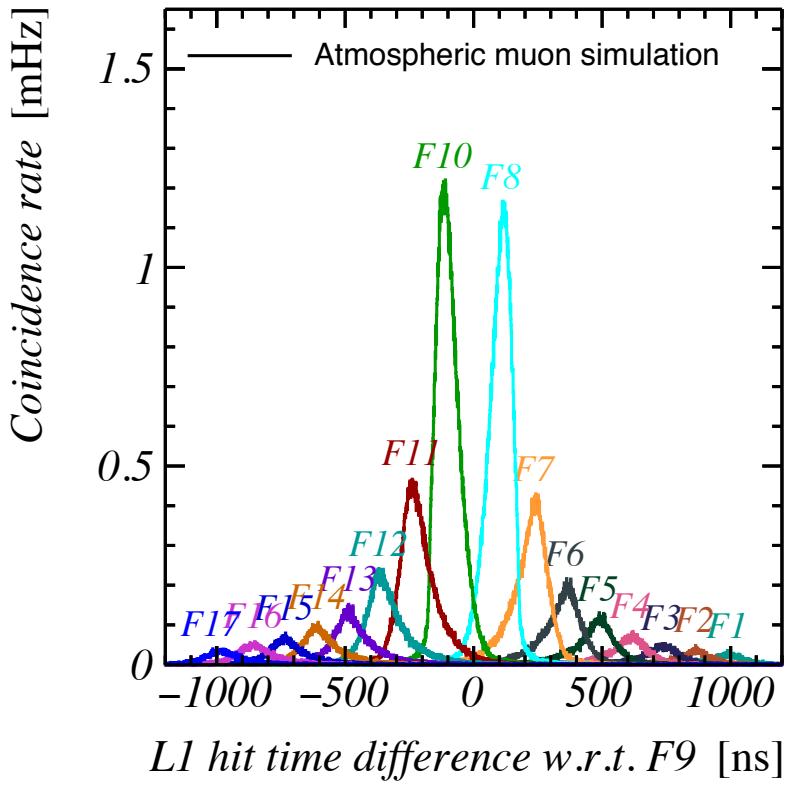
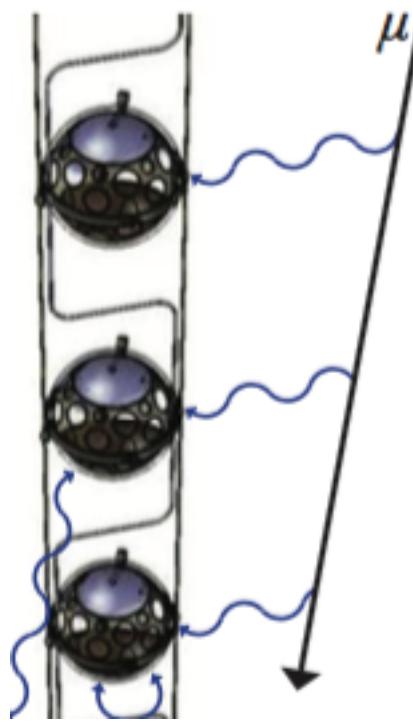
- Calibrated laser shoots on one PMT per DOM

### **LED Nanobeacons**

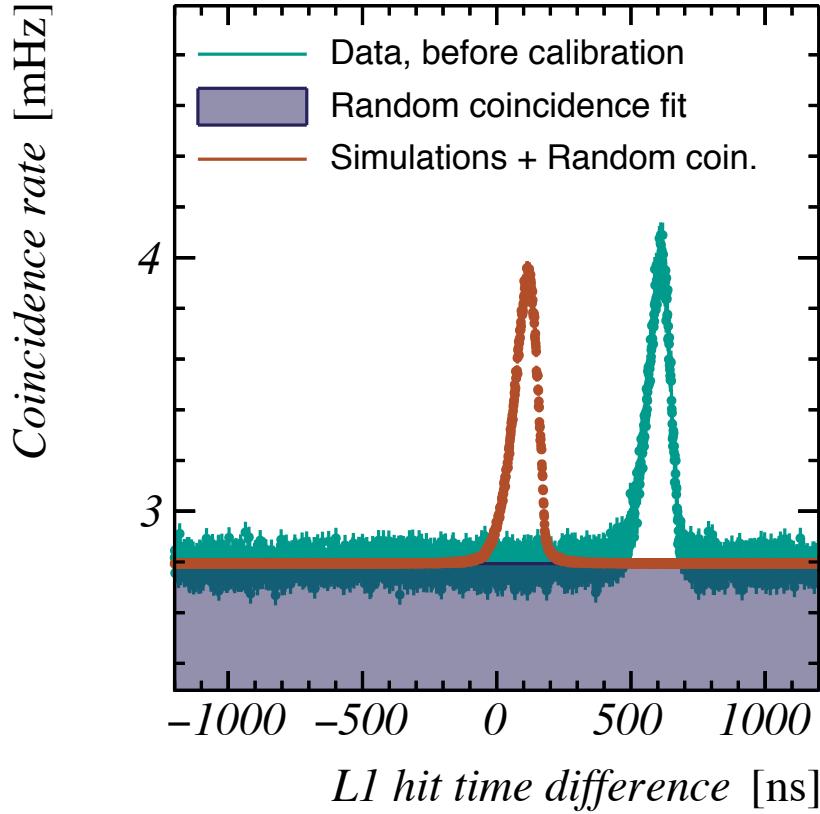
- LED flashers on each DOM

### **Atmospheric Muons**

# L1 Hit Time Differences

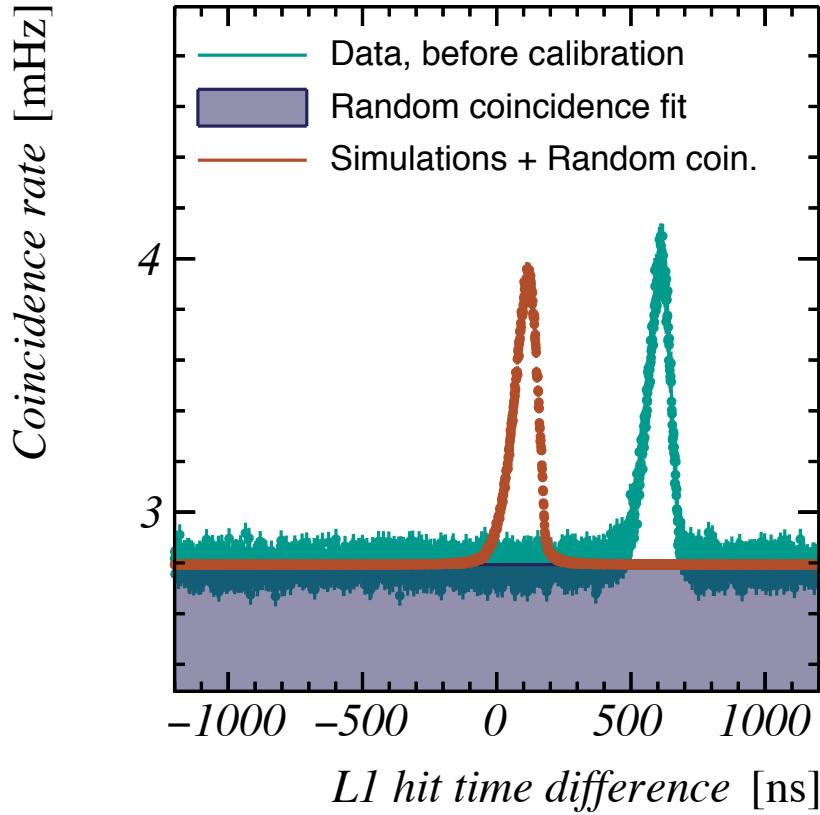


# L1 Hit Time Differences



/sps/km3net/users/kmelis/DU\_calibration/software/L1dt/  
MonitorL1dt -a <deffile> -f <inptfile>

# L1 Hit Time Differences



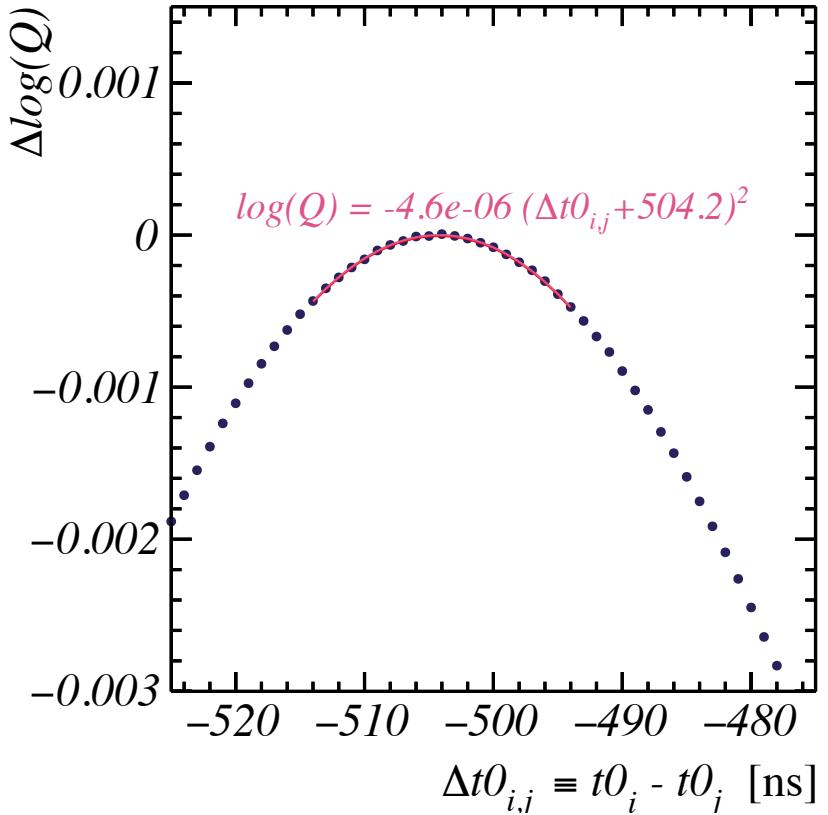
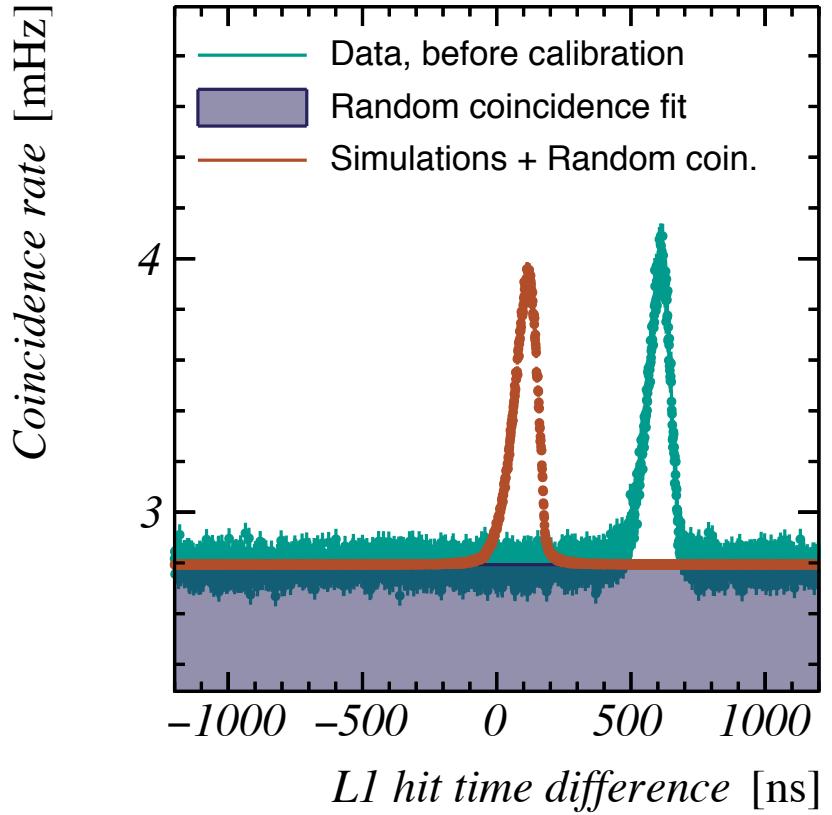
$$Q_{i,j}(\Delta t_{0,i,j}) \equiv \prod_{\text{bins } k} \left[ \frac{\text{Poisson}(d_{k+l} | m_k)}{m_k} \right]$$

$m_k$  : Expected coincidence rate in bin  $k$

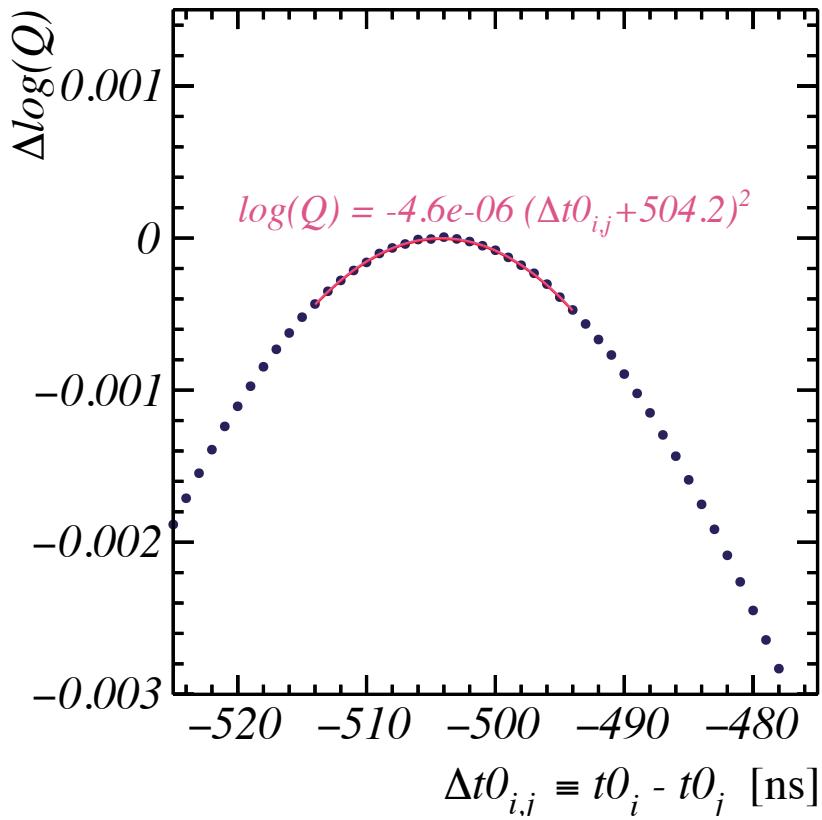
$d_{k+l}$  : Detected rate in bin  $k + l$

$$l = \frac{t0_i - t0_j}{\text{binwidth}}$$

# L1 Hit Time Differences

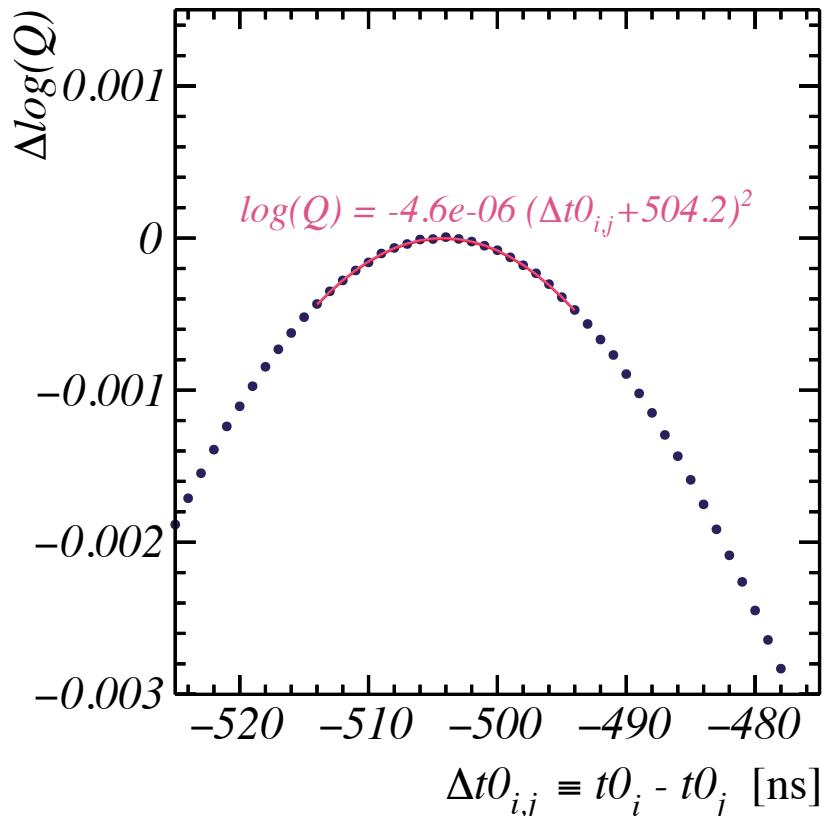


# Best Fit DOM Time Offsets



# Best Fit DOM Time Offsets

$$\begin{aligned}0 &= \frac{\partial}{\partial t0_k} \log \left( \sum_{i,j \neq i} [Q_{i,j}(\Delta t0_{i,j})] \right) \\&= \sum_{i,j \neq i} \left[ \frac{\partial}{\partial t0_k} \log(Q_{i,j}(\Delta t0_{i,j})) \right] \\&= \sum_{i,j \neq i} \left[ \frac{\partial}{\partial t0_k} (A_{i,j} \cdot (\Delta t0_{i,j} - B_{i,j})^2 + C_{i,j}) \right] \\&= \sum_{j \neq k} [2A_{k,j} (t0_k - t0_j - B_{k,j})] + \sum_{i \neq k} [-2A_{i,k} (t0_i - t0_k - B_{i,k})] \\&= \sum_{i \neq k} [4A_{k,i} (t0_k - t0_i - B_{k,i})]\end{aligned}$$



# L1 Hit Time Differences

$$0 = \frac{\partial}{\partial t0_k} \log \left( \sum_{i,j \neq i} [Q_{i,j}(\Delta t0_{i,j})] \right)$$

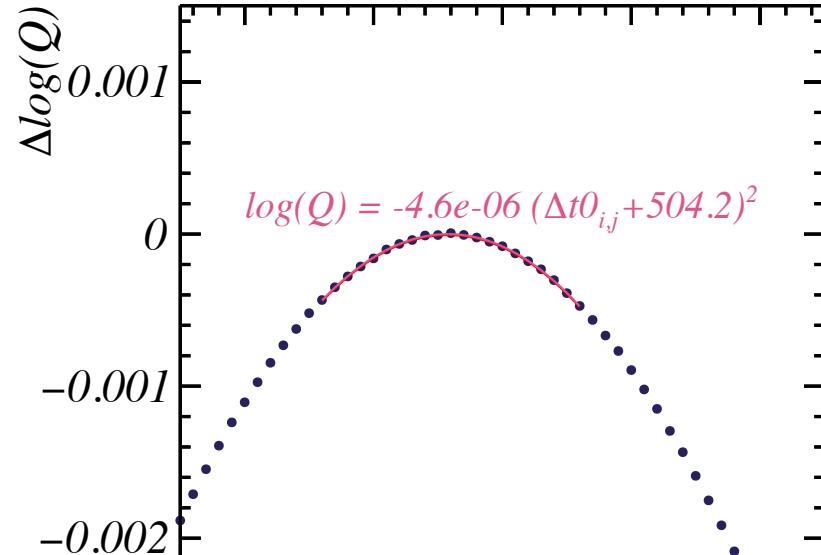
$$= \sum_{i,j \neq i} \left[ \frac{\partial}{\partial t0_k} \log(Q_{i,j}(\Delta t0_{i,j})) \right]$$

$$= \sum_{i,j \neq i} \left[ \frac{\partial}{\partial t0_k} (A_{i,j} \cdot (\Delta t0_{i,j} - B_{i,j})^2 + C_{i,j}) \right]$$

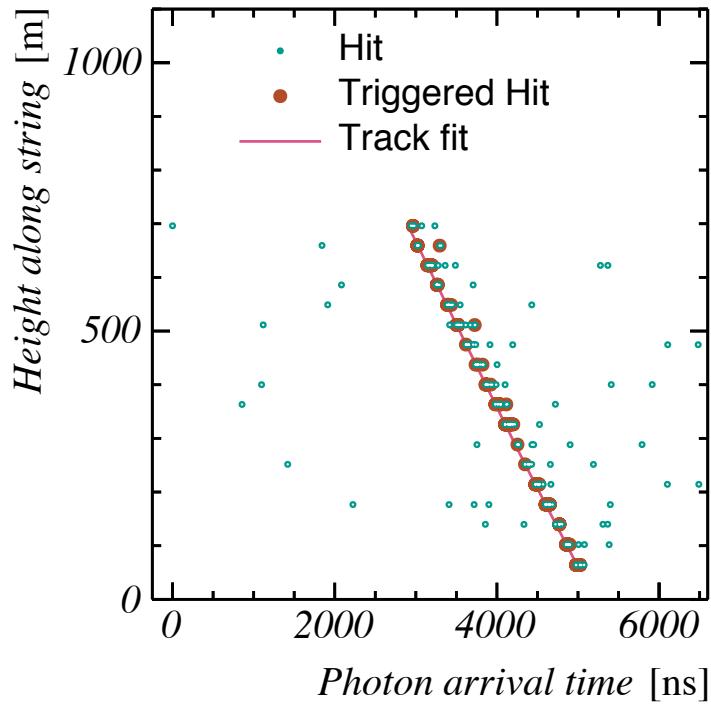
$$= \sum_{j \neq k} [2A_{k,j} (t0_k - t0_j - B_{k,j})] + \sum_{i \neq k} [-2A_{i,k} (t0_i - t0_k - B_{i,k})]$$

$$= \sum_{i \neq k} [4A_{k,i} (t0_k - t0_i - B_{k,i})]$$

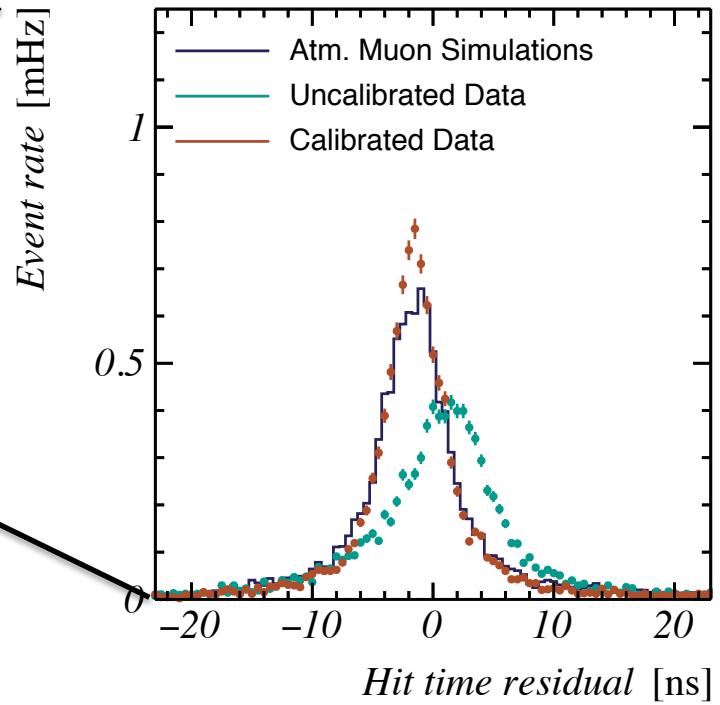
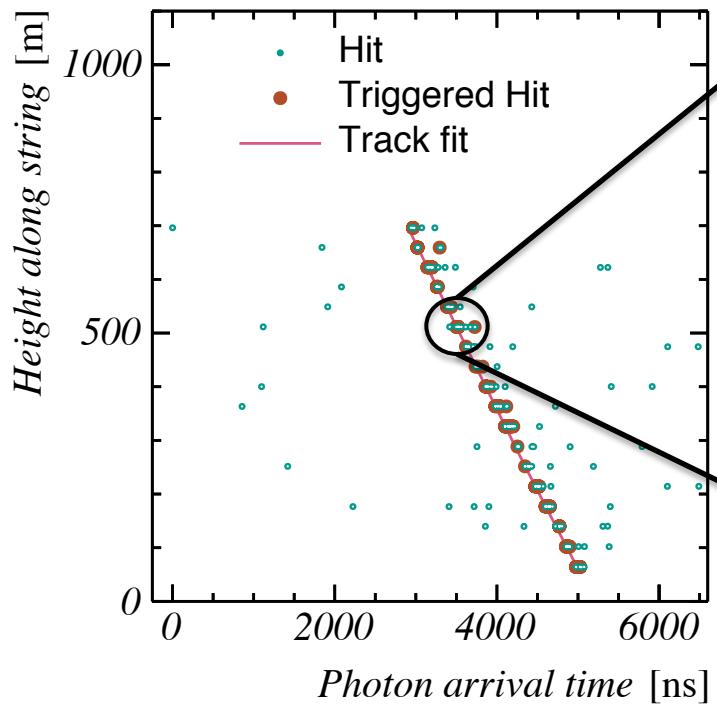
$$\begin{bmatrix} 0 \\ 0 \\ 0 \\ \vdots \end{bmatrix} = 4 \cdot \begin{bmatrix} \sum_{i \neq 0} [A_{0,i}] & -A_{0,1} & -A_{0,2} & \dots \\ -A_{1,0} & \sum_{i \neq 1} [A_{1,i}] & -A_{1,2} & \dots \\ -A_{2,0} & -A_{2,1} & \sum_{i \neq 2} [A_{2,i}] & \dots \\ \vdots & \vdots & \vdots & \ddots \end{bmatrix} \cdot \begin{bmatrix} t0_0 \\ t0_1 \\ t0_2 \\ \vdots \end{bmatrix} - 4 \cdot \begin{bmatrix} \sum_{i \neq 0} [A_{0,i} \cdot B_{0,i}] \\ \sum_{i \neq 1} [A_{1,i} \cdot B_{1,i}] \\ \sum_{i \neq 2} [A_{2,i} \cdot B_{2,i}] \\ \vdots \end{bmatrix}$$



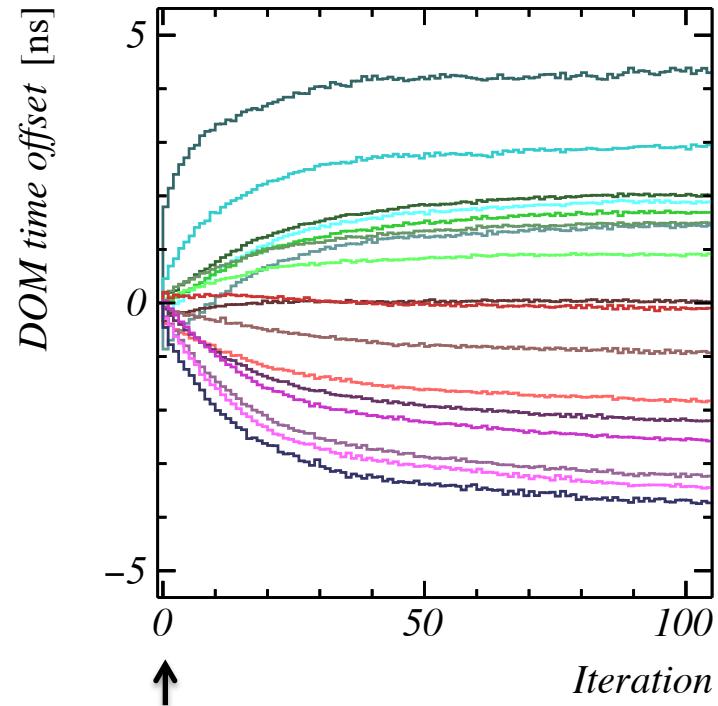
# 2<sup>nd</sup> Method: Hit Time Residuals



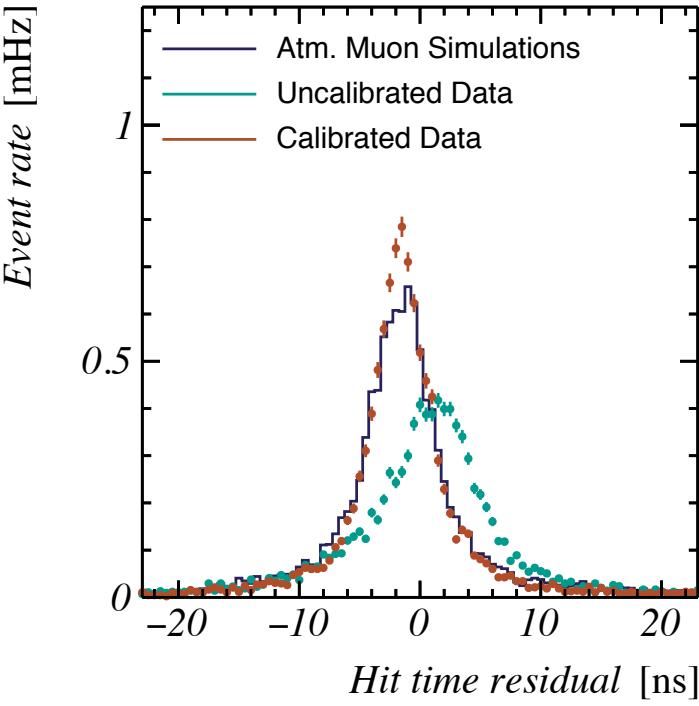
# Hit Time Residuals



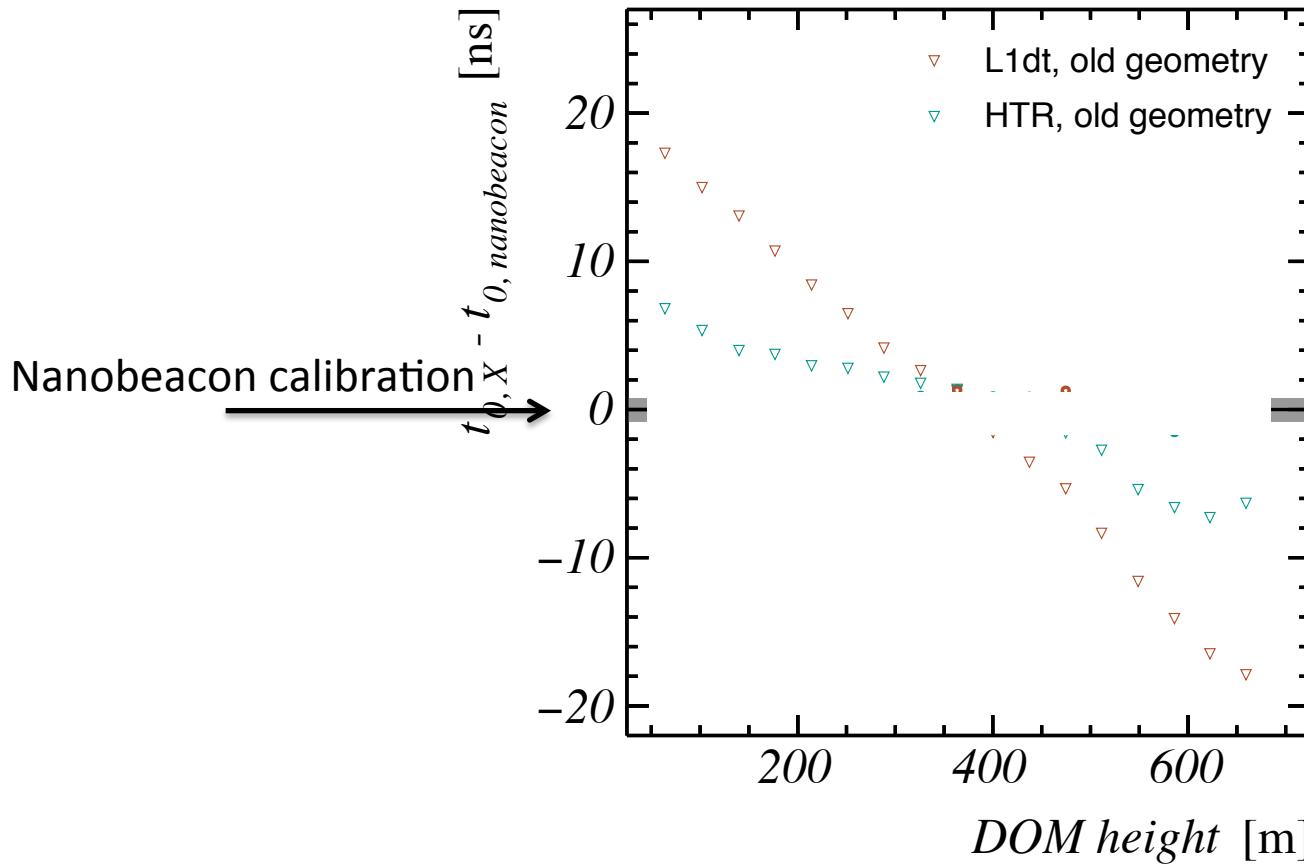
# Hit Time Residuals



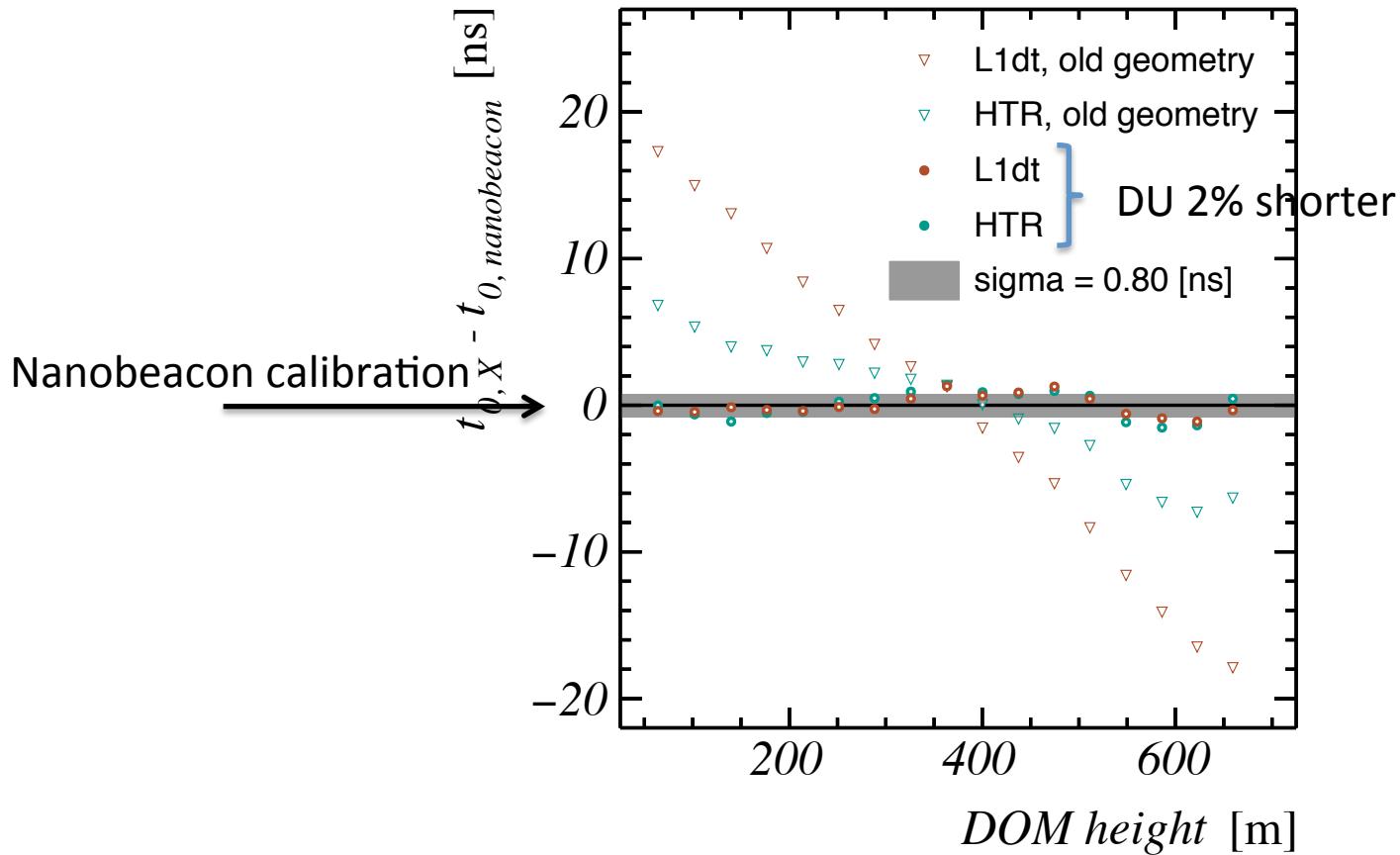
Dark room calibration



# DOM Time Offsets



# DOM Time Offsets



# Calibration Overview

## Inter-PMT

$^{40}\text{K}$  Calibration

(Atmospheric muons)

(Nanobeacons)

(Laser Calibration)

( $^{40}\text{K}$  in lab.)

## Inter-DOM

Atmospheric muons

Nanobeacons

Darkroom Laser Calib.

White Rabbit

# Calibration Overview

## Inter-PMT

$^{40}\text{K}$  Calibration

(Atmospheric muons)

(Nanobeacons)

(Laser Calibration)

( $^{40}\text{K}$  in lab.)

## Inter-DOM

Atmospheric muons

Nanobeacons

Darkroom Laser Calib.

White Rabbit

## Inter-DU

Atmospheric muons

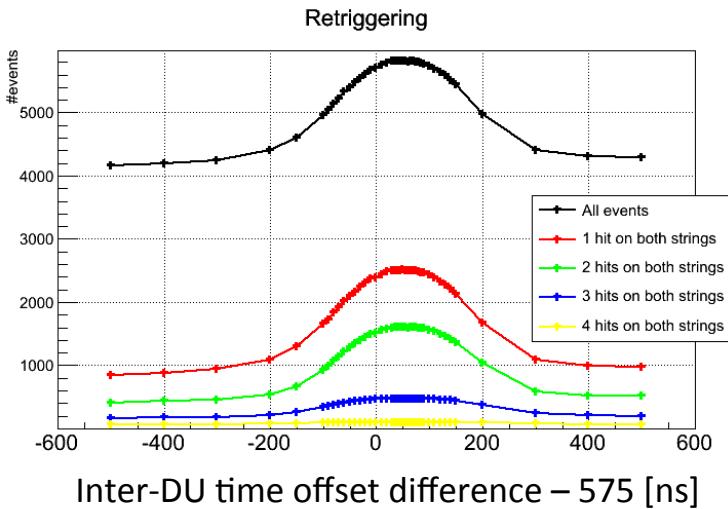
Nanobeacons

White Rabbit

# Inter-DU Time Calibration



# Trigger Rate Optimization

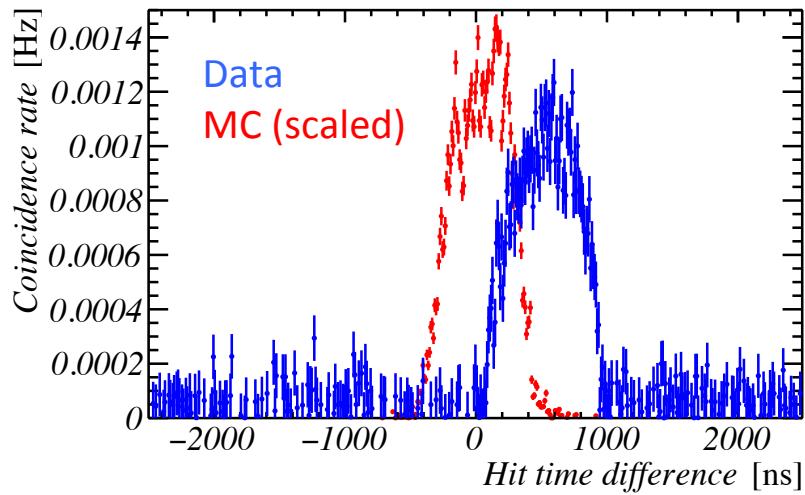


- Triggered Event:
  - At least 5 local DOM coincidences complying with track hypothesis
- Optimal DU time offset reflects in high trigger rate
- Best fit inter-DU time offset compatible with other methods (muons and LEDs)

\*Work + plots by M. Jongen

# Inter-DU Coincident Hits

S1F13 <-> S2F13  
Background subtracted



- 18 inter-DU DOM pairs on same floor
  - 18 inter-DU coincidence rate distributions

Best fit inter-DU time offset difference:  $524 \pm 10$  ns

# Comparison: Inter-DU

- From white rabbit round trip time: ~529 ns
- From nanobeacon fit: ~509 ns
- From trigger rate optimisation: ~525 ns
- From inter-DU coincidences: ~524 ns

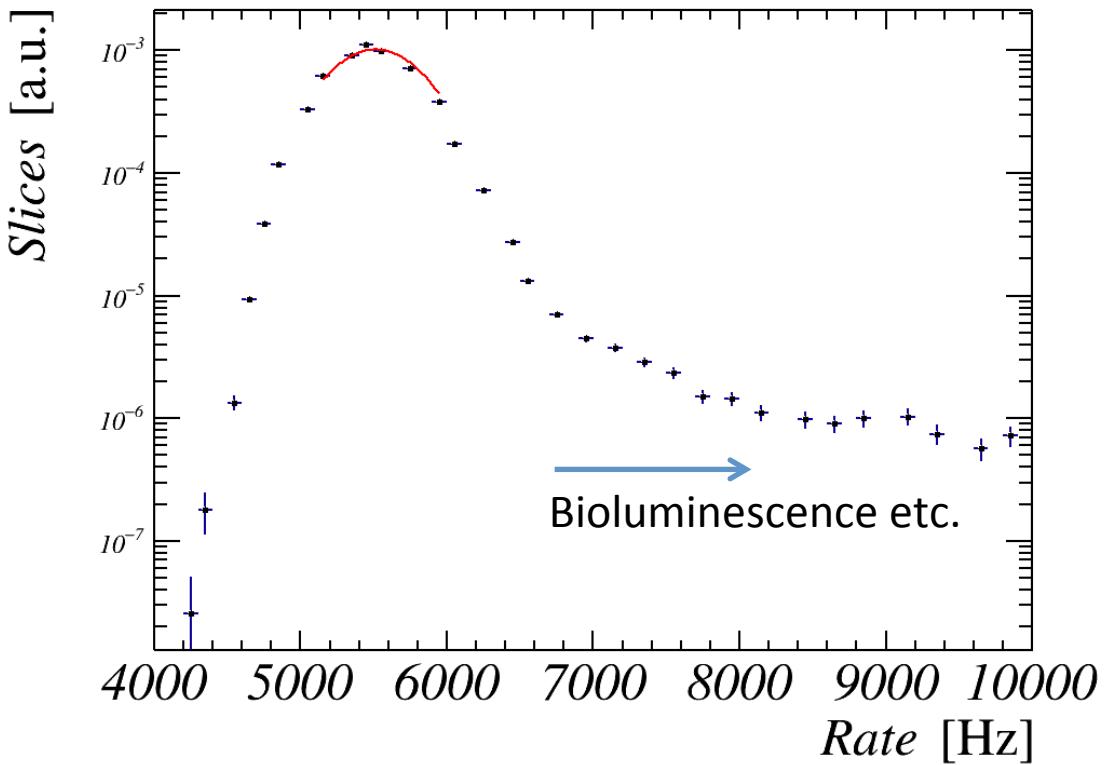
\* Nanobeacon fit is sensitive to inter-DU spacing,  
16 ns difference corresponds to 3.2 meters difference

Good agreement between methods, given  
resolution on inter-DU distance ( $91\pm2.5$  m)

# Backup

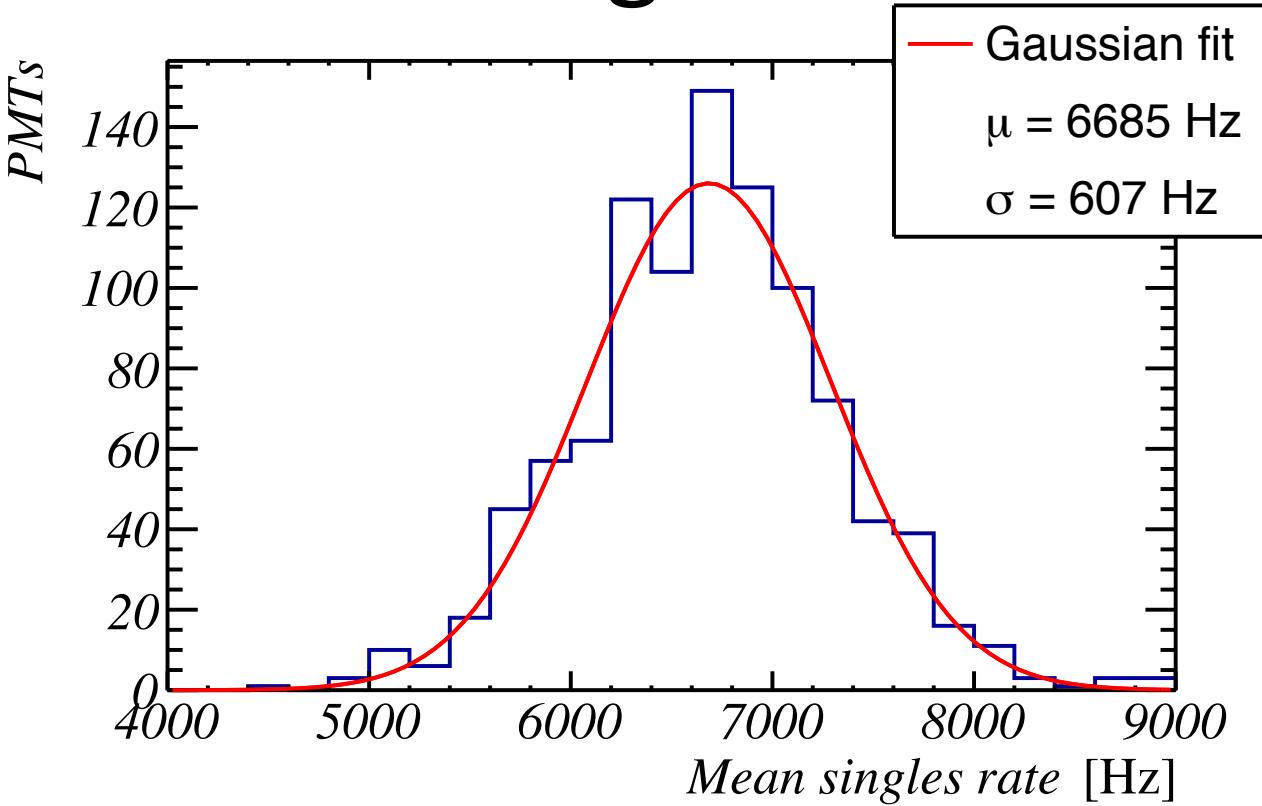


# Singles Rates



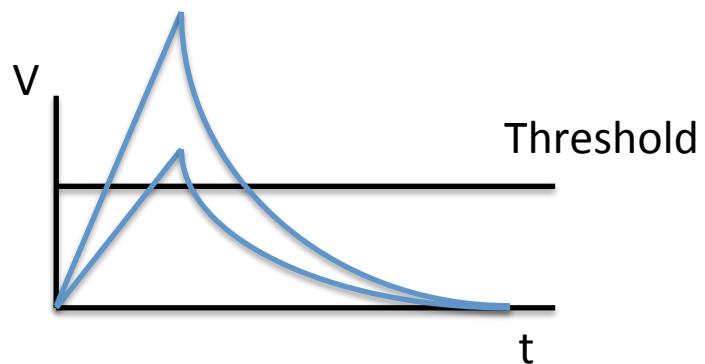
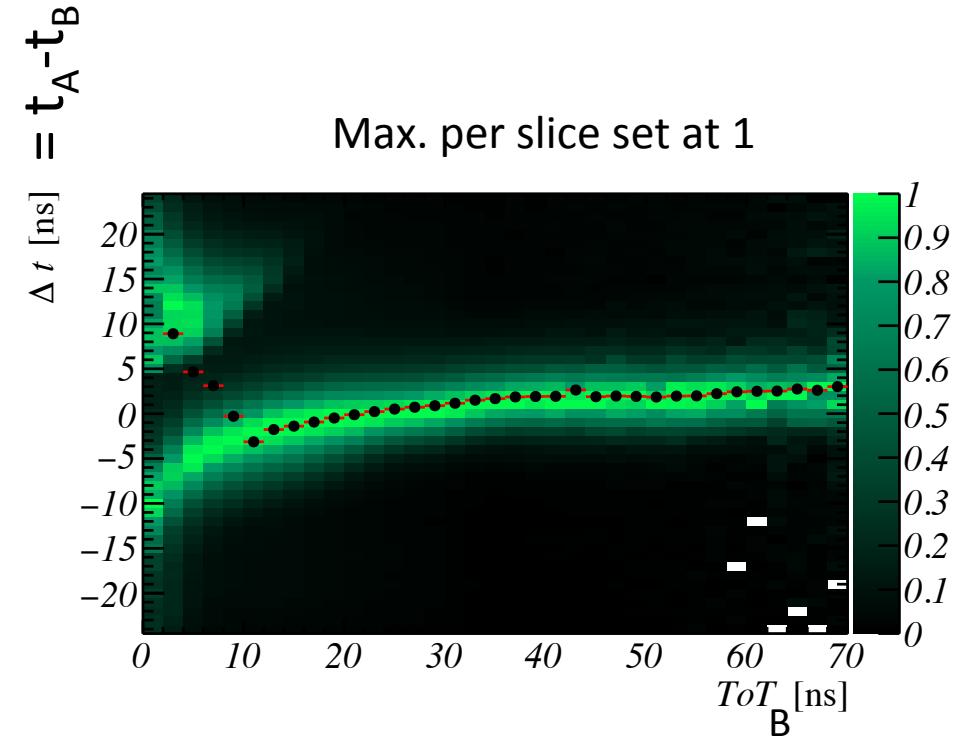
```
JMonitorSinglesRates -a <defile> -f <datafile> -o monitor.root  
JFitSinglesRates -a <defile> -f monitor.root -o fit.root -p 0.3  
/sp3/km3net/users/kmells/DU_calibration/software/singlesrates/
```

# Mean Singles Rates



```
JPlotPMTSystematics -a ${detfile} -f <globalmacro> -o <outputfile> -p "mean 4000.0+9000.0" /spc/km3net/users/kmelis/jpp_r10589/software/JCalibrate/
```

# PMT hit time slewing



High ToT  $\rightarrow$  Earlier hits  
combinatorics (2 photons)  
time-slewing of leading edge  
Low ToT  $\rightarrow$  Later hits  
time slewing of leading edge  
pre-pulses?