Measurement of the CP-violating phase ϕ_s at LHCb

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The <u>CKM</u> matrix represents the coupling strength of quark transitions

$$V_{\rm CKM} = \begin{pmatrix} V_{\rm ud} & V_{\rm us} & V_{\rm ub} \\ V_{\rm cd} & V_{\rm cs} & V_{\rm cb} \\ V_{\rm td} & V_{\rm ts} & V_{\rm tb} \end{pmatrix}$$

► Because the CKM matrix is a unitary matrix $(V_{CKM} \cdot V_{CKM}^{\dagger} = I)$, this leads to the unitarity triangles:

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- Mass eigenstates are a mixture of weak eigenstates:
- Flavour at decay might be different from flavour at creation

 $|B_{L}\rangle = p |B_{s}^{0}\rangle + q |\bar{B}_{s}^{0}\rangle$ $|B_{H}\rangle = p |B_{s}^{0}\rangle - q |\bar{B}_{s}^{0}\rangle$ $\Delta m_{s} = m_{H} - m_{L}$ $\Delta \Gamma_{s} = \Gamma_{H} - \Gamma_{L}$



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CP violating effects of a B⁰_s decaying to a CP eigenstate depend on:

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- Three types are usually distinguished;
 CP violation in:
 - ► 1. Decay

$$P(B_s^0 \to f) \neq P(\bar{B}_s^0 \to f)$$
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$$\phi_s = arg(\lambda_f)$$

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WHY MEASURE ϕ_s ?

► ϕ_s for $c(\bar{c}s)$ transitions:

$$\phi_s^{SM} = \arg(\lambda_f^{c\bar{c}s}) \approx -2 \arg\left[\frac{V_{ts}V_{tb}^*}{V_{cs}V_{cb}^*}\right] = -2\beta_s$$

$$\phi_s^{SM} = -0.03686^{+0.00096}_{-0.00068} \ rad$$
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$$\bar{b}$$

$$B_{s}^{0} \quad u, c, t \quad NP \quad \bar{u}, \bar{c}, \bar{t} \quad \bar{B}_{s}^{0}$$

$$s \quad b$$

$$\phi_{s}^{SM+NP} = -2\beta_{s} + \Delta\phi_{NP}$$



$$\phi_s^{exp} \neq \phi_s^{SM}$$

$$\blacklozenge$$
New physics!

$$B_s^0 \rightarrow J/\psi \ K^+K^- \ (b \rightarrow c\bar{c}s \text{ transition})$$

► Several modes can be used to measure ϕ_s at LHCb

► "Golden mode": $B_s^0 \to J/\psi K^+K^-$

- Relatively large branching fraction (high yield)
- Clean experimental signature





LHCb DETECTOR



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MEASURING $\phi_{\scriptscriptstyle S}$

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Experimentally this becomes:

$$A_{CP}(t) = e^{-\frac{1}{2}\Delta m_s^2 \sigma_t^2} \cdot (1 - 2\omega) \cdot \eta_f \cdot \sin(\phi_s) \cdot \sin(\Delta m_s t)$$

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 ω : Mistag probability

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Furthermore, decay time efficiency and angular efficiency need to be taken into account

CP EIGENVALUE, $\eta_f = \pm 1$

> $J/\psi K^+K^-$ is an admixture of CP even and CP odd components (due to angular momentum conservation)

- ► To determine η_f , an angular distribution is used to disentangle the CP eigenstates
 - ► CP even: $A_0, A_{||} \eta_f = +1$
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DECAY TIME RESOLUTION

- Essential for resolving fast B meson oscillations
- ► Determined on data using prompt sample of reconstructed $J/\psi(\rightarrow \mu\mu) + 2$ random kaons $(t = 0 \pm \sigma_t)$



[arXiv: 1906.08356]

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► $\sigma_{eff} \approx 45.5 \, fs$ (sufficiently narrower than one oscillation period ~354 fs)

► D ~ 0.72
$$D = e^{-\sigma_i^2 \Delta m_s^2/2}$$



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- ► Higher tagging power means a better exploitation of available data

RESULT

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► Latest result by LHCb, based on 2015 + 2016 data $(0.3 + 1.6 fb^{-1})$:

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RESULT



SUMMARY (TAKE-AWAY MESSAGES)

- ► ϕ_s is a measure of CP violation caused by the interference of the mixing and decay of the B_s^0 meson
- Its SM value can be inferred and true value can be measured with high precision, making it an excellent_probe for NP
- Latest result by LHCb, using 2015 and 2016 data (<u>1.9 fb⁻¹</u>), is in agreement with SM prediction

 $\phi_s^{exp} = -0.080 \pm 0.041 \pm 0.006 \ rad$

> 2017 and 2018 ($3.8 fb^{-1}$) data currently being analysed, stay tuned!

