Dark Matter with KM3NeT

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Outline

Dark Matter

Simulation and Methods

Results

Conlusion and Outlook

Dark Matter

Gravitational Lensing



Galactic Rotation Curves





CMB

Dark Matter Detection



- Production: LHC
- Direct detection: XENON
- Indirect detection: IceCube

Dark Matter Annihilation



The number of dark matter particles depends on:

- Capture
- Annihilation
- Evaporation

$$\frac{dN(t)}{dt} = \Gamma_c - 2\Gamma_a - \Gamma_e$$



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$$M_{DM}\phi(r) = \int_0^r dr' \frac{GM_{DM}M(r')}{r'^2}$$

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Find Γ_a :

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$$C_{a} = \langle \sigma v \rangle \left(\frac{GM_{DM}\rho_{\odot}}{3T_{\odot}} \right)^{3/2}$$

Write the differential equation as a function of N:

$$\frac{dN}{dt} = C_c - C_a N^2 \Rightarrow N(t) = \sqrt{\frac{C_c}{C_a}} tanh(\sqrt{C_c C_a} t)$$

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When $t \gg \tau_{EQ} \quad \Rightarrow \quad N = \sqrt{\frac{C_c}{C_a}}$

$$\Gamma_a = \frac{1}{2}C_a N^2 = \frac{1}{2}C_c$$

Cherenkov Detection



Cherenkov Detection



Dark Matter Models

Supersymmetry:

- Neutralino as dark matter candidate
- DarkSUSY to calculate neutrino flux



Simulation consists of four steps:

- Event generation
- GEANT4 detector simulation
- ► Trigger Efficiency
- ▶ Track reconstruction

Energy Distribution

 $m_{\chi}=85~{
m GeV}$ and annihilates through the WW-channel

- ▶ MC signal: events before simulation
- ▶ Signal: events after simulation



Energy Distribution

 $m_{\chi} = 175$ GeV and annihilates through $t\bar{t}$ -channel



Energy Reconstruction

 $m_{\chi}=$ 46 GeV, 89.7% between -10 and 10 GeV



Energy Reconstruction

 $m_{\chi}=85$ GeV, 27.1% between -10 and 10 GeV



Poor energy resolution

Angular Reconstruction

 $m_{\chi} = 46$ GeV, 51.1% smaller than 0.1 radians



Angular Reconstruction

 $m_{\chi}=$ 85 GeV, 76.3% smaller than 0.1 radians



Search Cone

- Measure a night
- Assume all signal events come from same direction
- ► Assume background event rate equal in all directions: $n(\alpha) = N_{bg}\Omega(\alpha)/4\pi$



All events with $\theta \leq \alpha$ are included

Angular distribution of different models

Distribution moves left with higher dark matter mass



Significance



Maximum of significance determines optimal angle

Smallest Detectable Event rate

Example of the smallest detectable flux with a significance of 2



Detector Area



Area perpendicular to the sun: $A\cos\beta$ $\varphi-\epsilon\leq\beta\leq\varphi+\epsilon$

Detector Area



The cross-section limit can be calculated using: $\sigma = \kappa(m_{\chi}) \frac{F(m_{\chi})}{A_{eff}}$

- \blacktriangleright κ : conversion factor
- ► F: smallest detectable event rate
- ► A_{eff}: detector area

Cross-section Limits

Spin-dependent cross-section



Limits for all Models

Low angular resolution for model with small dark matter mass



Comparison with IceCube



Detector Modifications

Two additions:

- Ring: Improve energy resolution
- ► Core: Copy IceCube





Detector Comparison



Detector Modifications

The detector is duplicated several times:



Other modifications:

- ARCA detector layout
- Stretching the ORCA detector

Detector Comparison



Conclusion and Outlook

- Energy resolution is problematic
- ▶ Good angular resolution to filter background and signal
- Cross-section limits comparable to IceCube
- ▶ Core and Ring modifications too similar to original detector
- Extra detectors improved limits less than expected

Conclusion and Outlook

- More dark matter models required
- Simulate orientation of detector
- More different designs

Dark matter detection may be viable in the future with the ORCA detector

Thank you for your attention