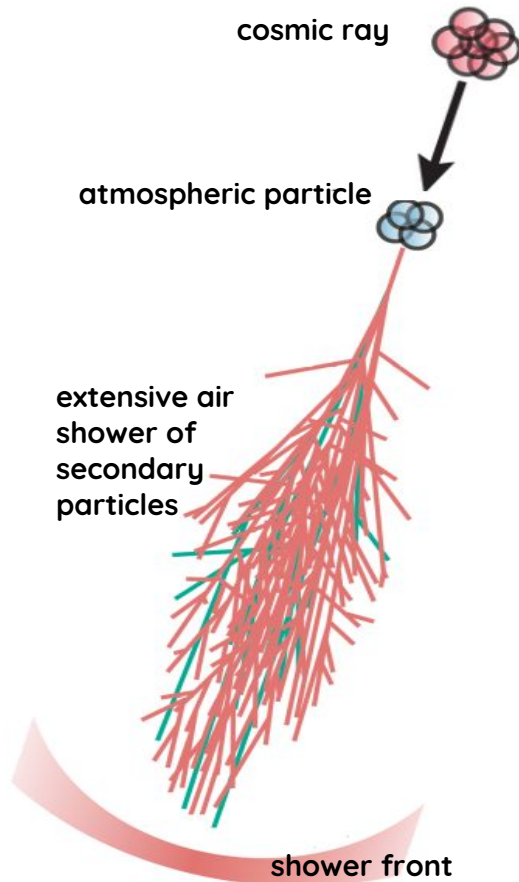


# Cosmic-ray composition from the radio energy density distribution with AERA

Fabrizia Canfora  
Nikhef Jamboree 2018



# Extensive air shower



Primary particle?  
Mass?  
Charge?  
Energy?  
Arrival direction?



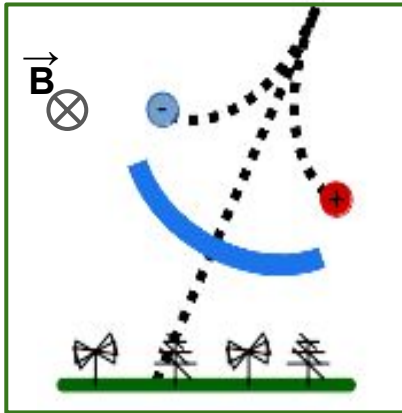
Fluorescence light  
Secondary particles at ground level  
Radio signals



# Radio emission from extensive air showers

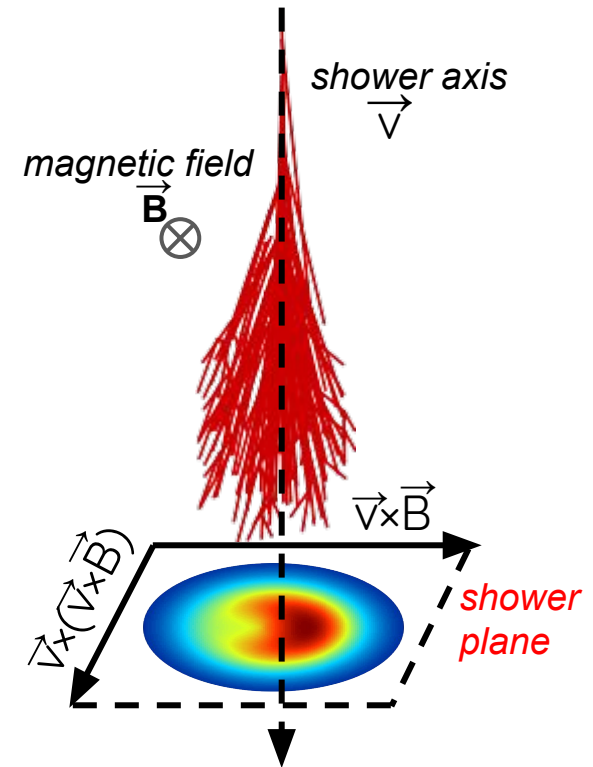
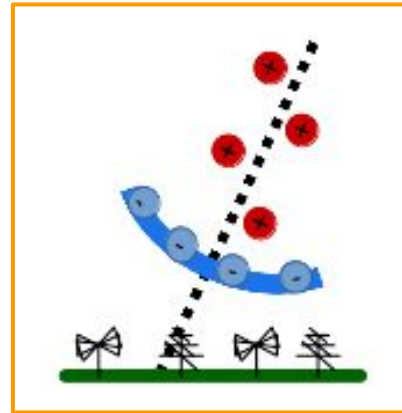
Radio signal primarily composed of two emission mechanisms:

## Geomagnetic emission

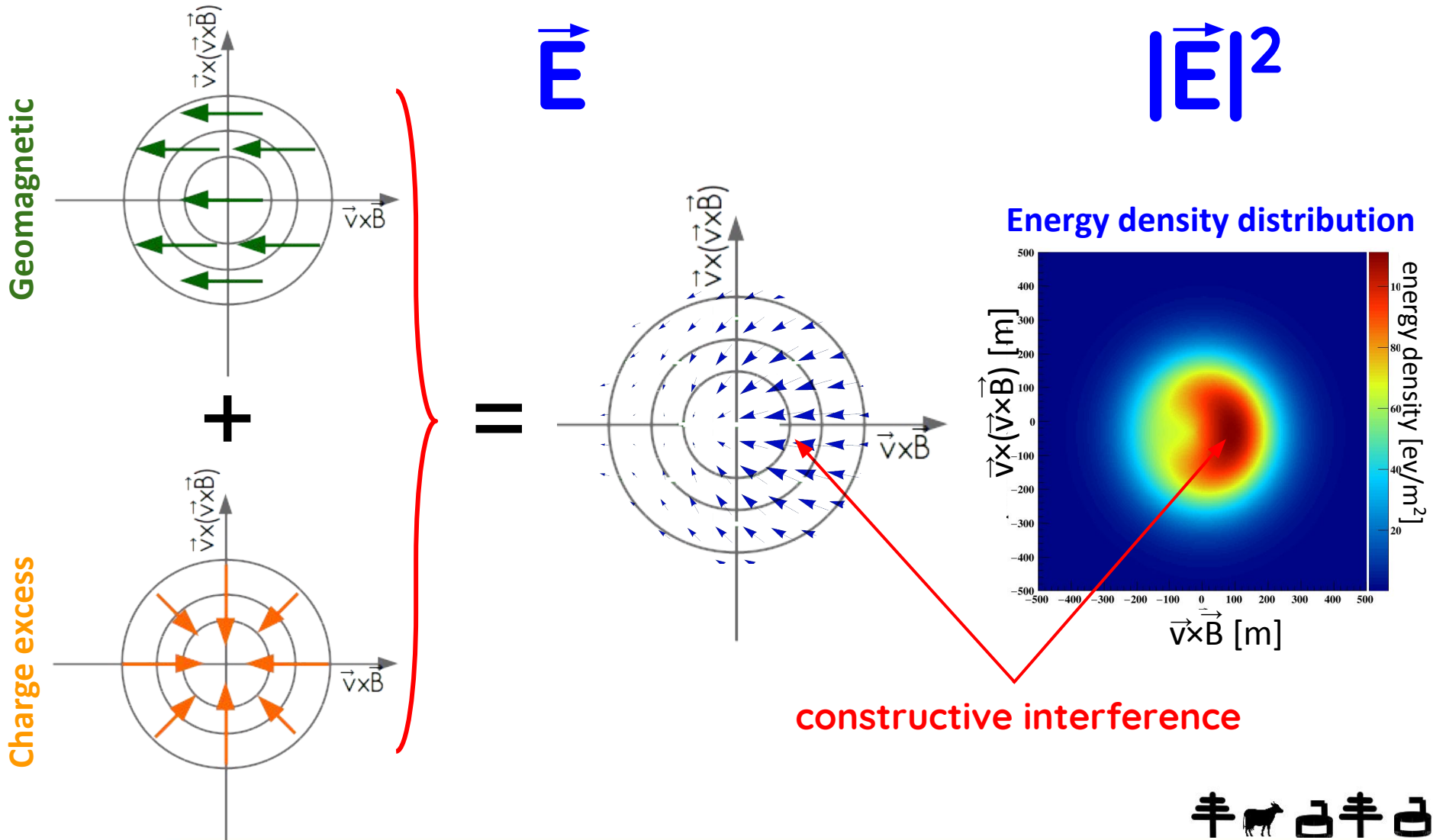


~90% of the total amplitude

## Charge excess emission

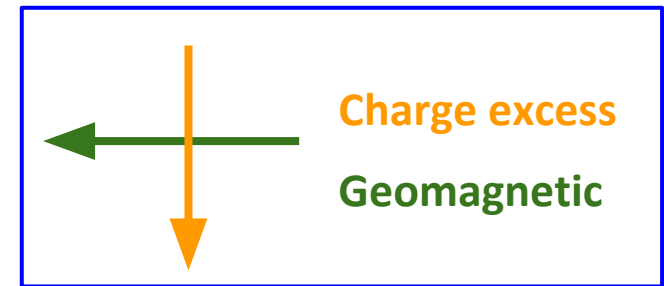
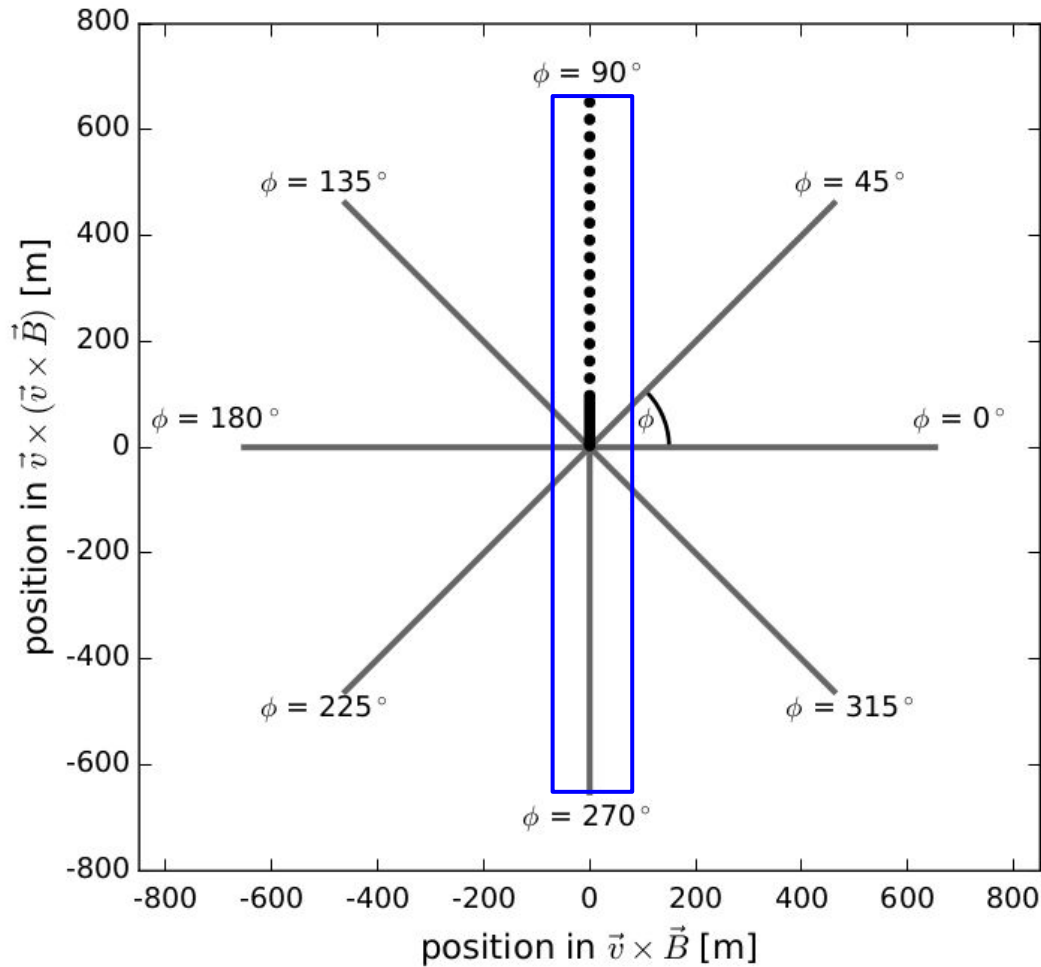


# Radio emission from extensive air shower



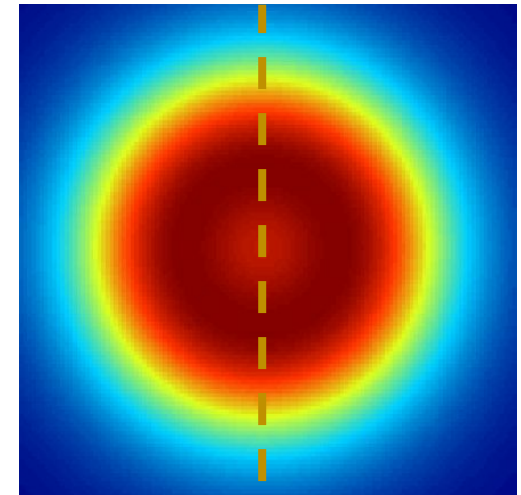
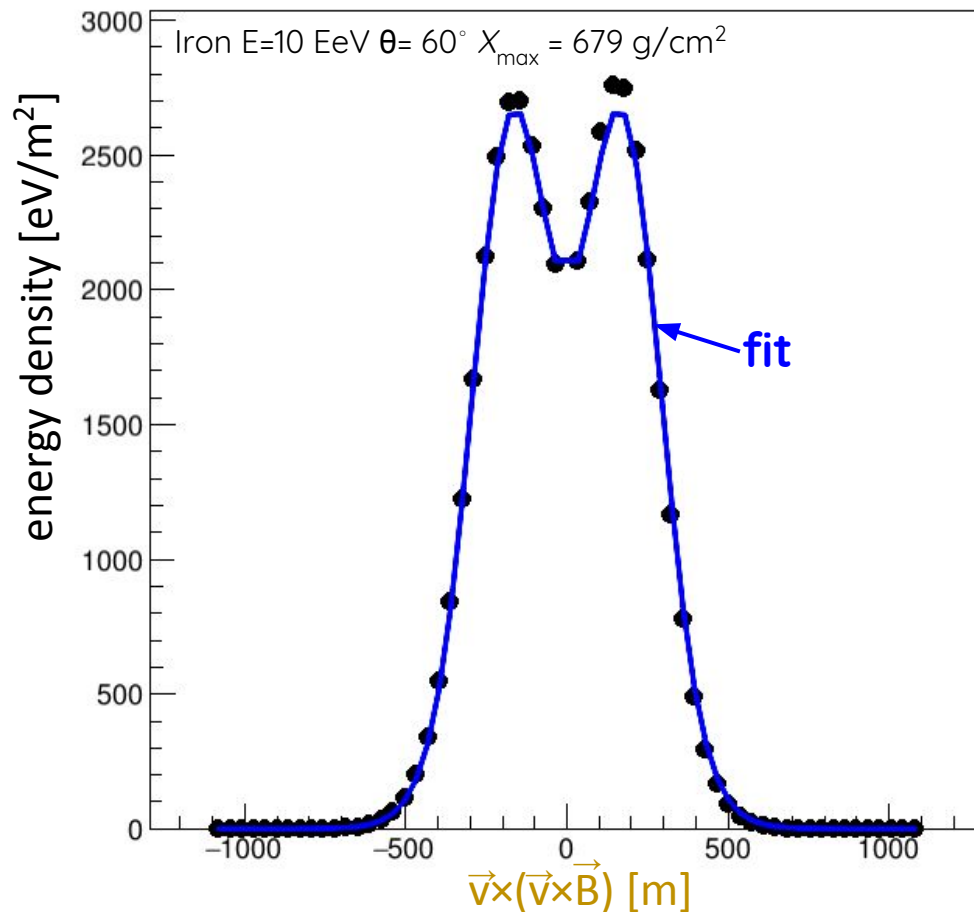
# Ideal case

## Simulations with ideal antennas in a “star-shaped” grid configuration



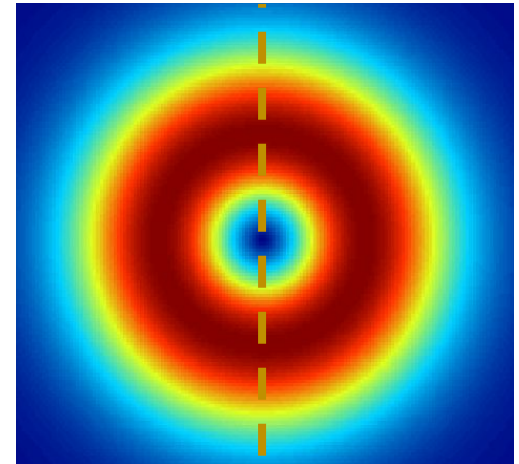
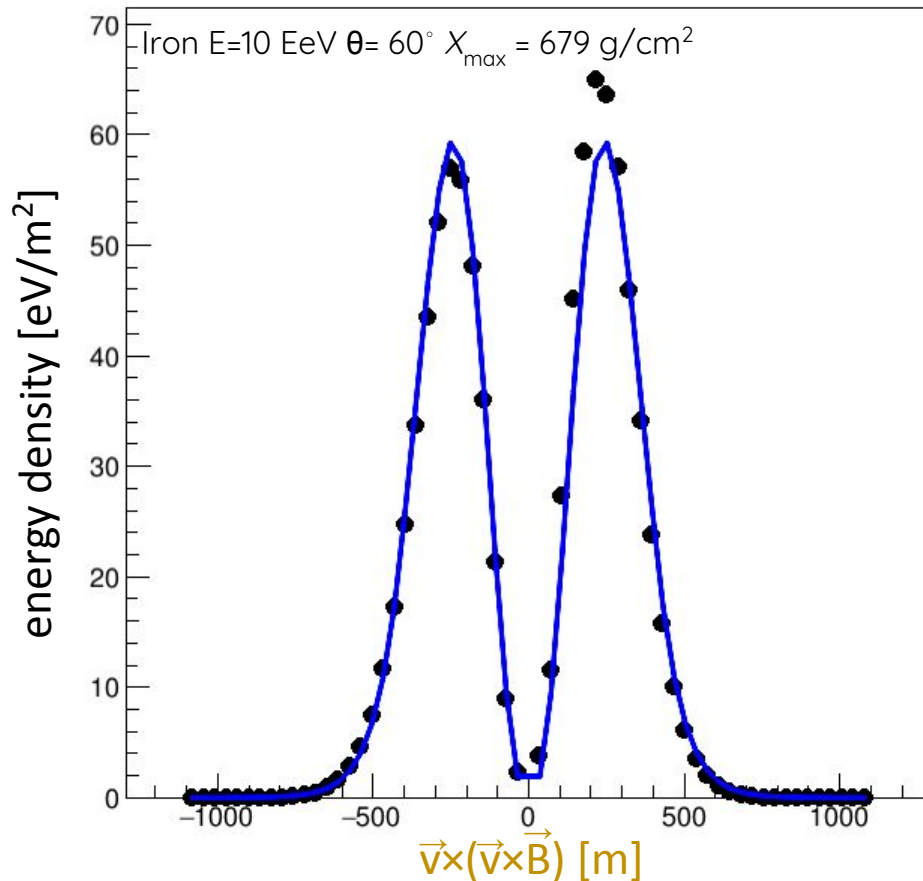
# Geomagnetic fit

$$f_{\text{geo}} = \frac{1}{N_{R_+}} E'_{\text{geo}} \left[ \exp \left( - \left( \frac{r - R_{\text{geo}}}{\sqrt{2} \sigma_{\text{geo}}} \right)^{p(r)} \right) + \exp \left( - \left( \frac{r + R_{\text{geo}}}{\sqrt{2} \sigma_{\text{geo}}} \right)^{p(r)} \right) \right]$$

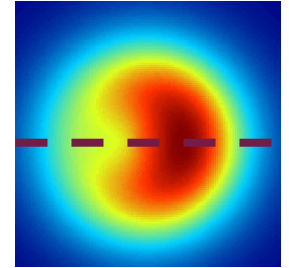
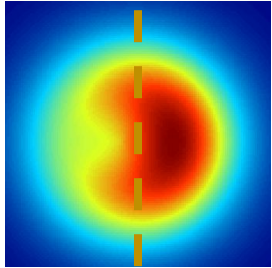


# Charge excess fit

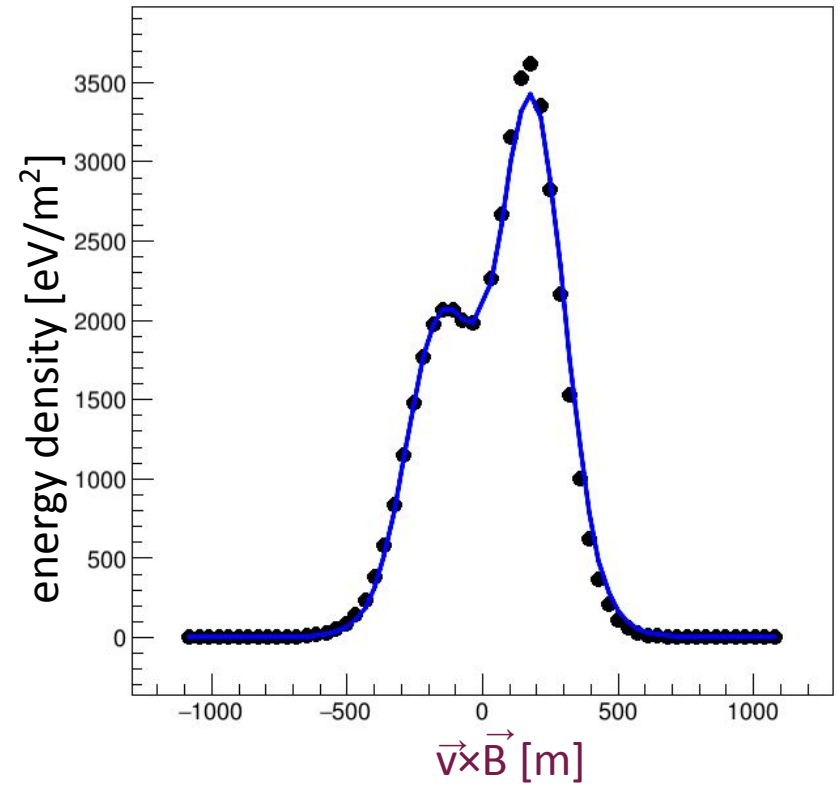
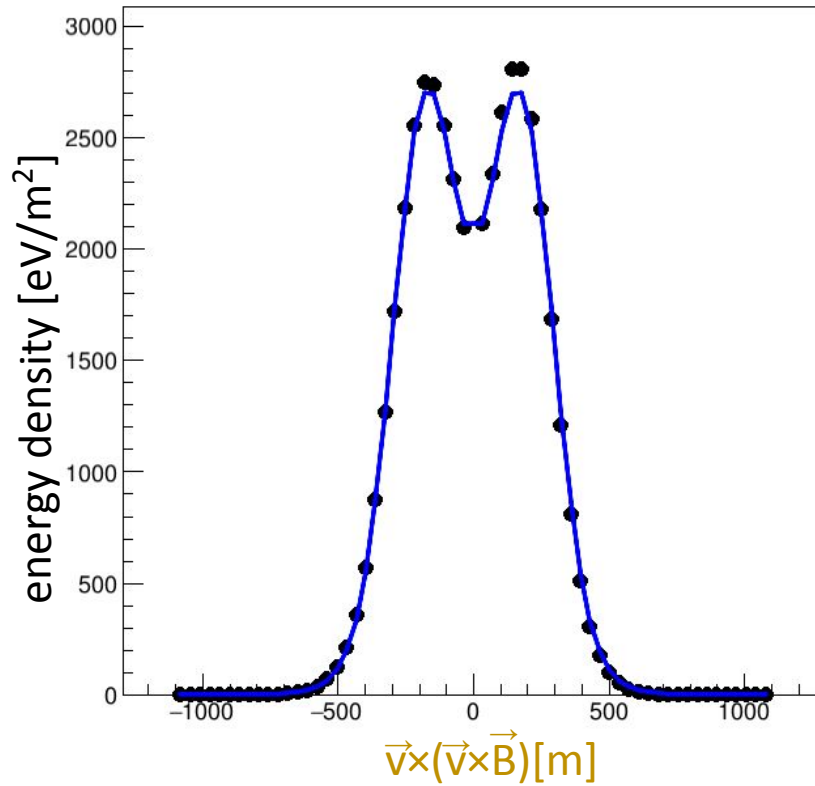
$$f_{ce}(r) = \frac{1}{N_{ce}} E'_{ce} r^k \exp\left(\frac{-r^{p(r)}(k+1)}{p(r)\sigma_{ce}^{p(r)}}\right)$$



# Total energy density fit



Geomagnetic + Charge excess

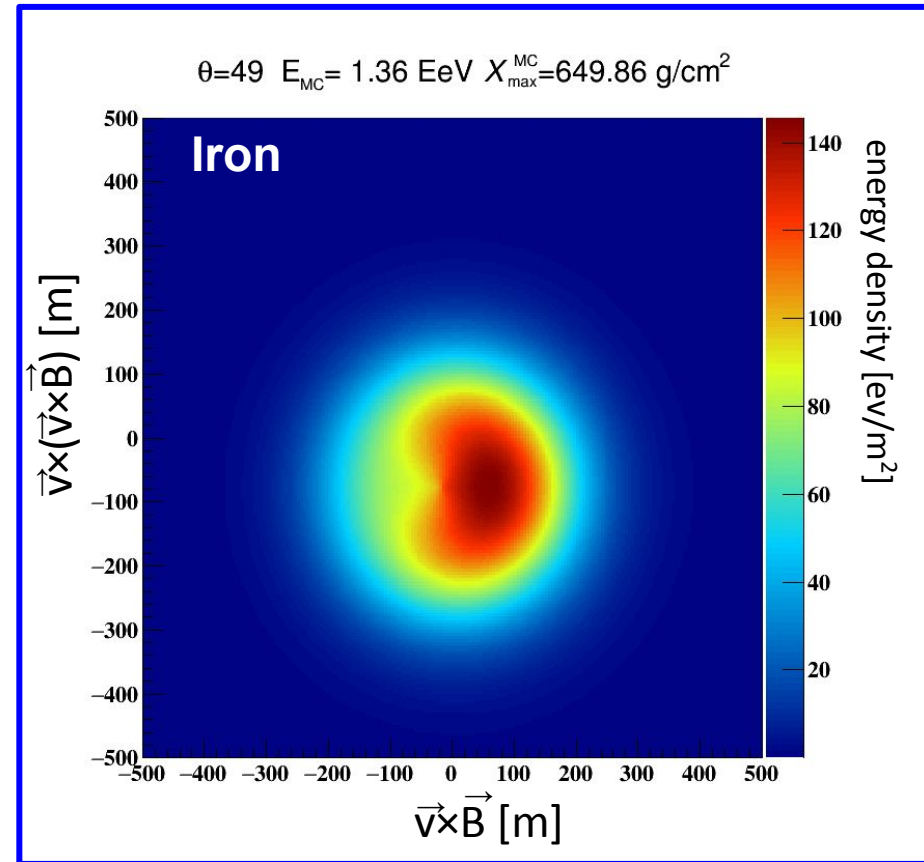
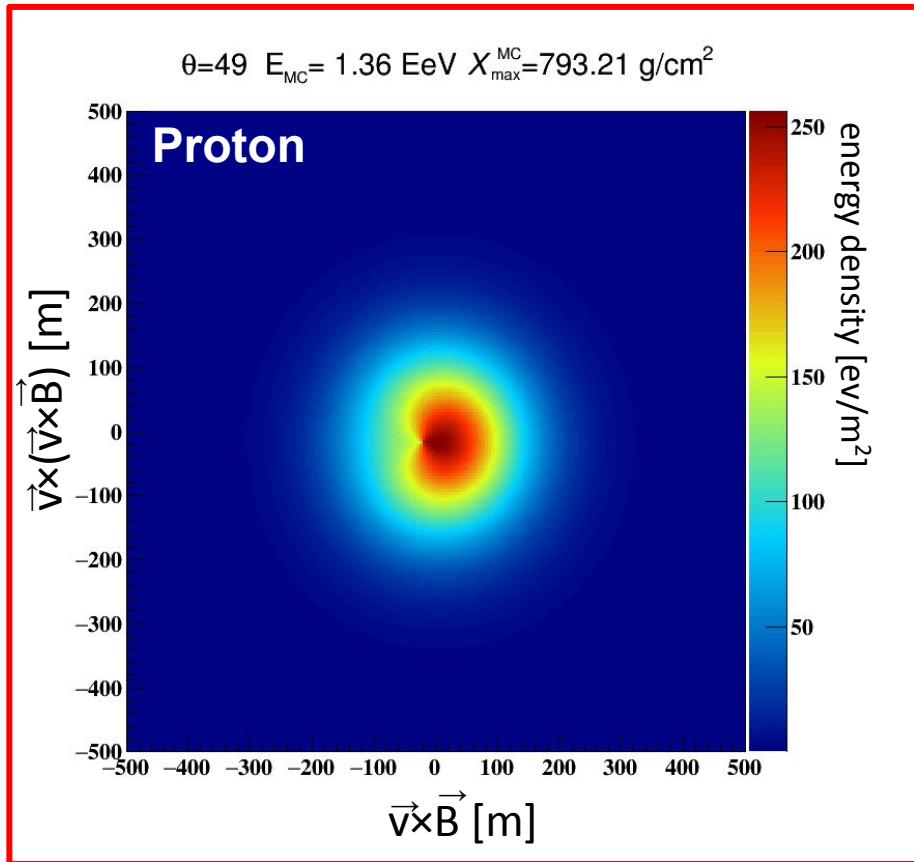


Iron  $E=10$  EeV  $\theta=60^\circ$   $X_{\max}=679$  g/cm<sup>2</sup>





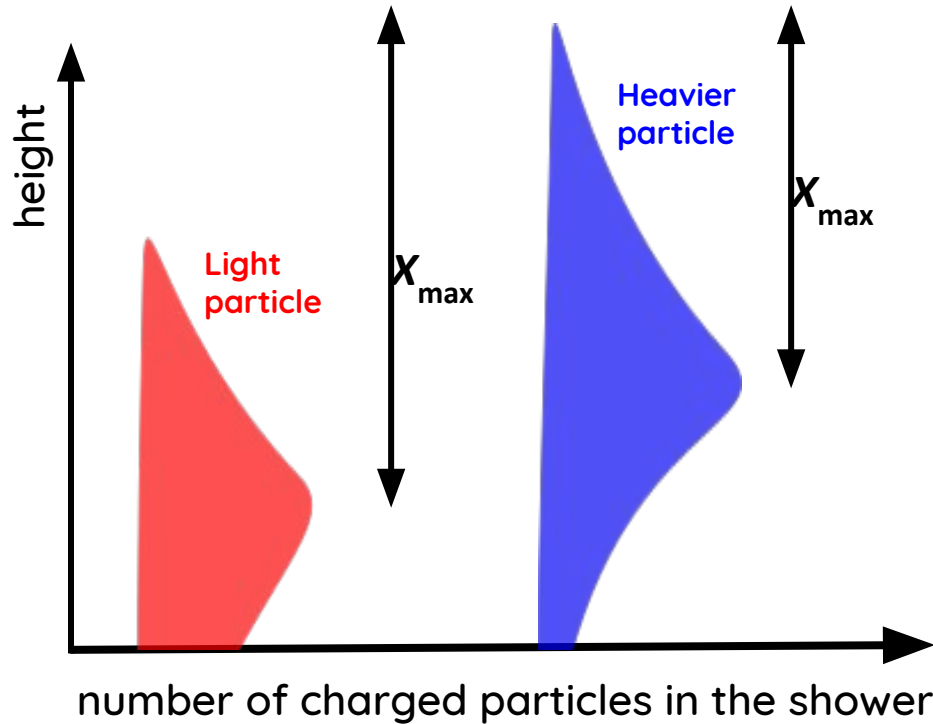
# Mass composition with radio



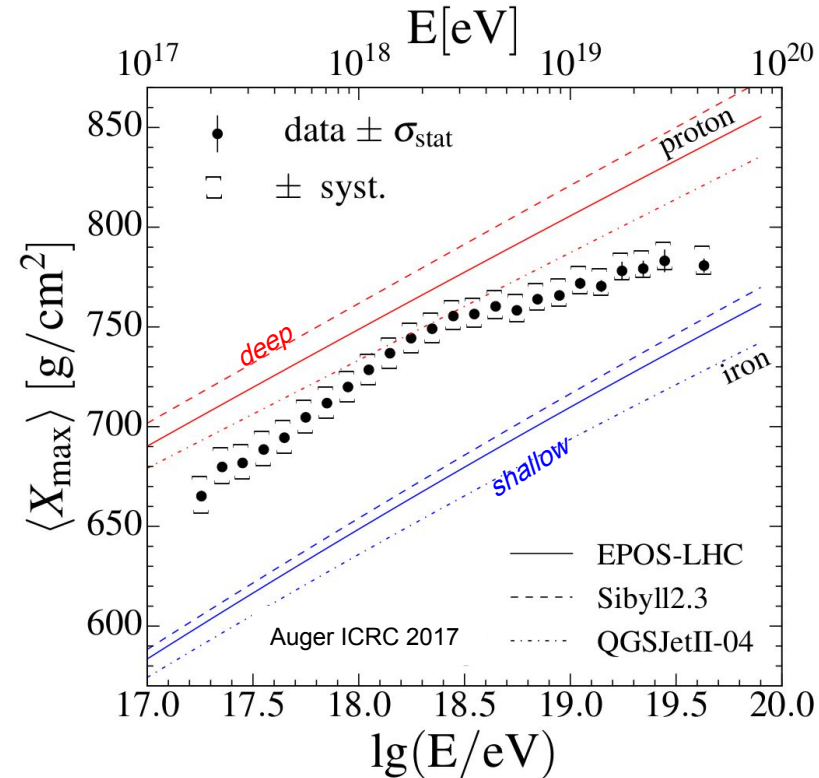
## $X_{\max}$ atmospheric penetration depth

where the shower reaches **max number of charged particles**

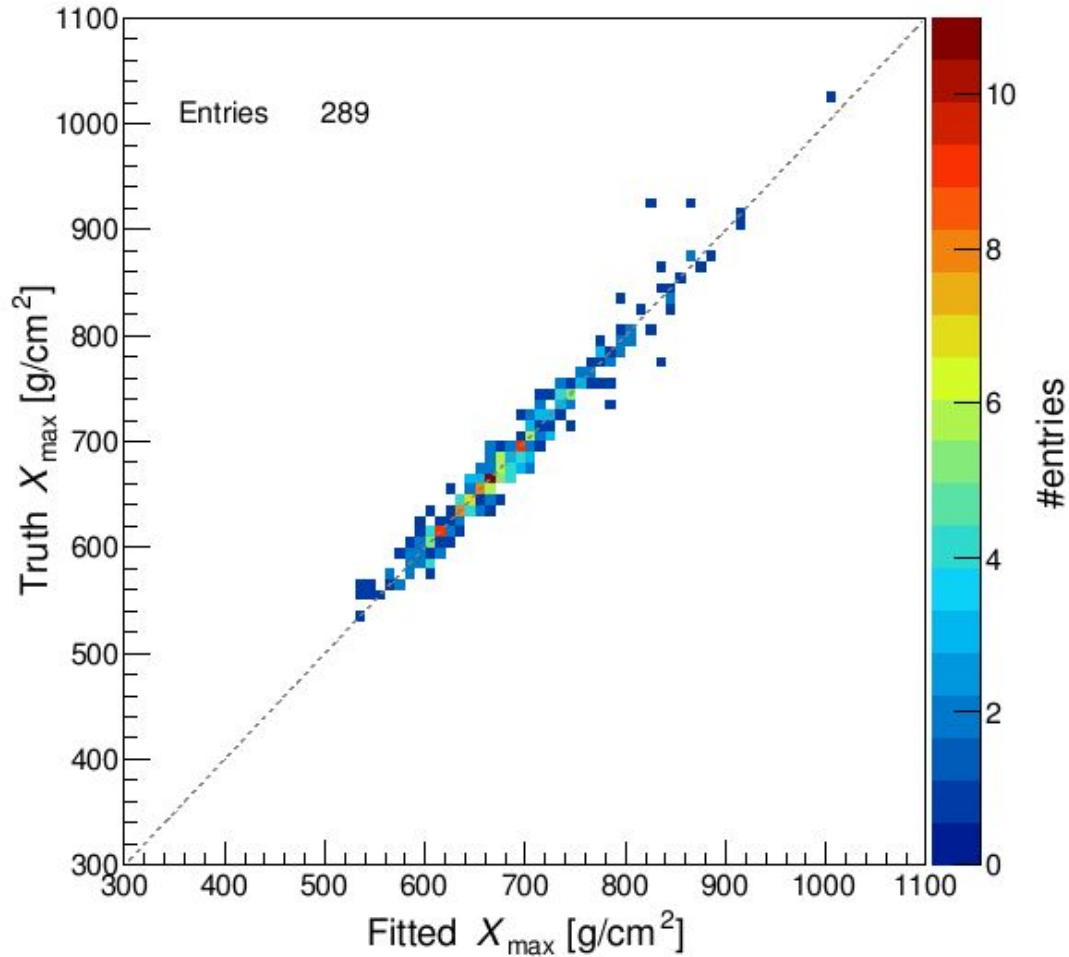
Lighter nuclei interact deeper in the atmosphere



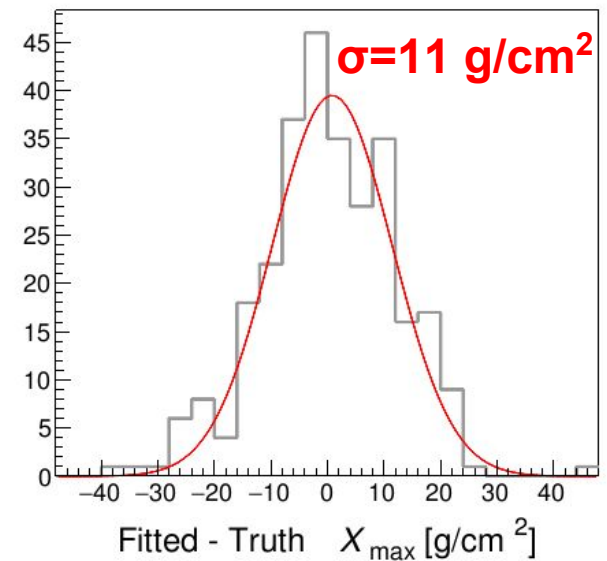
## Fluorescence Telescopes



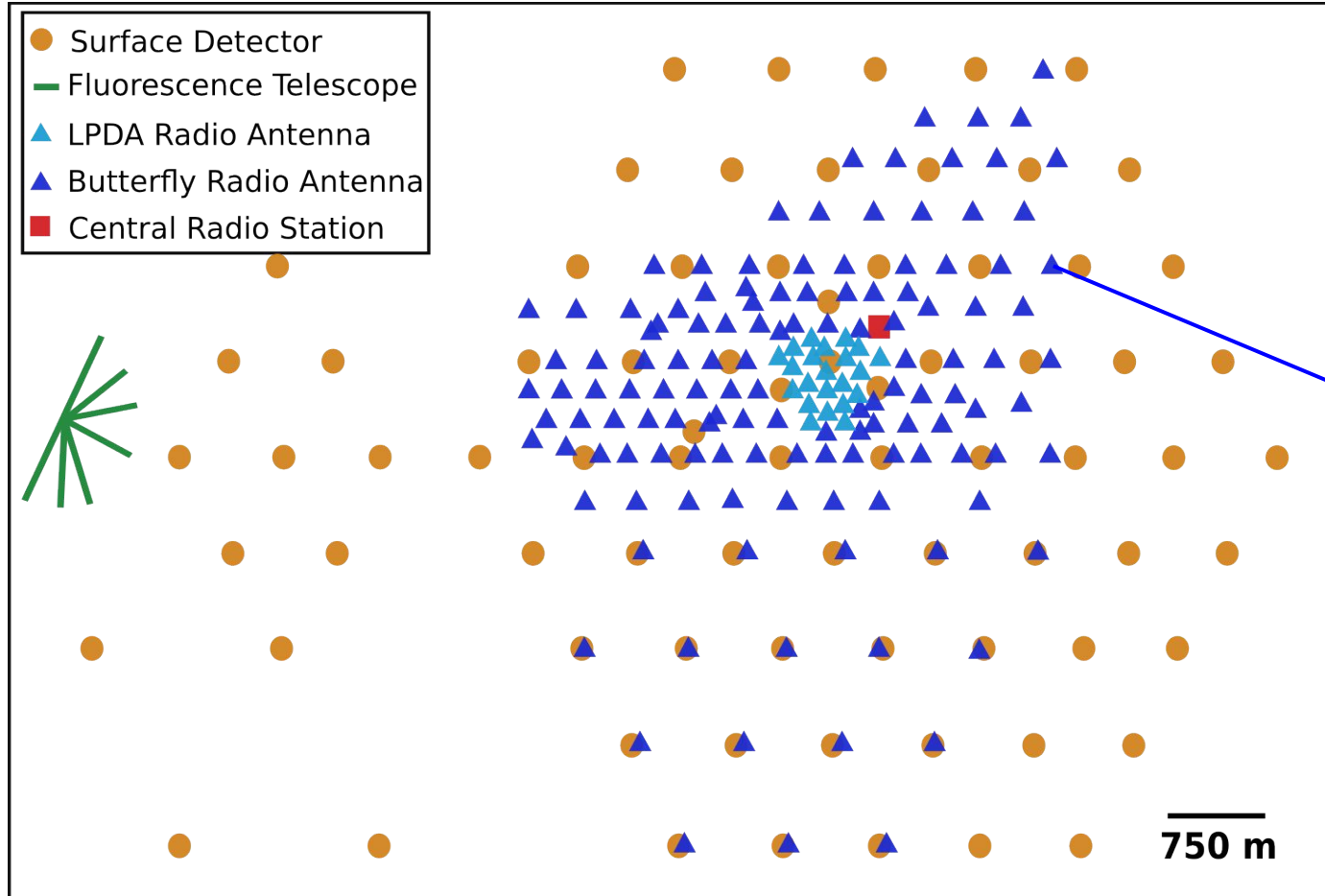
# $X_{\max}$ from the energy density distribution



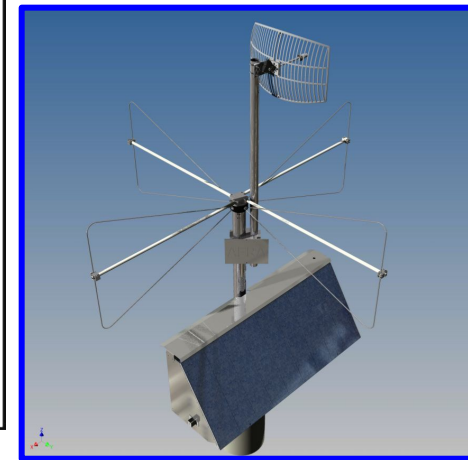
- Ideal detector
- No background noise



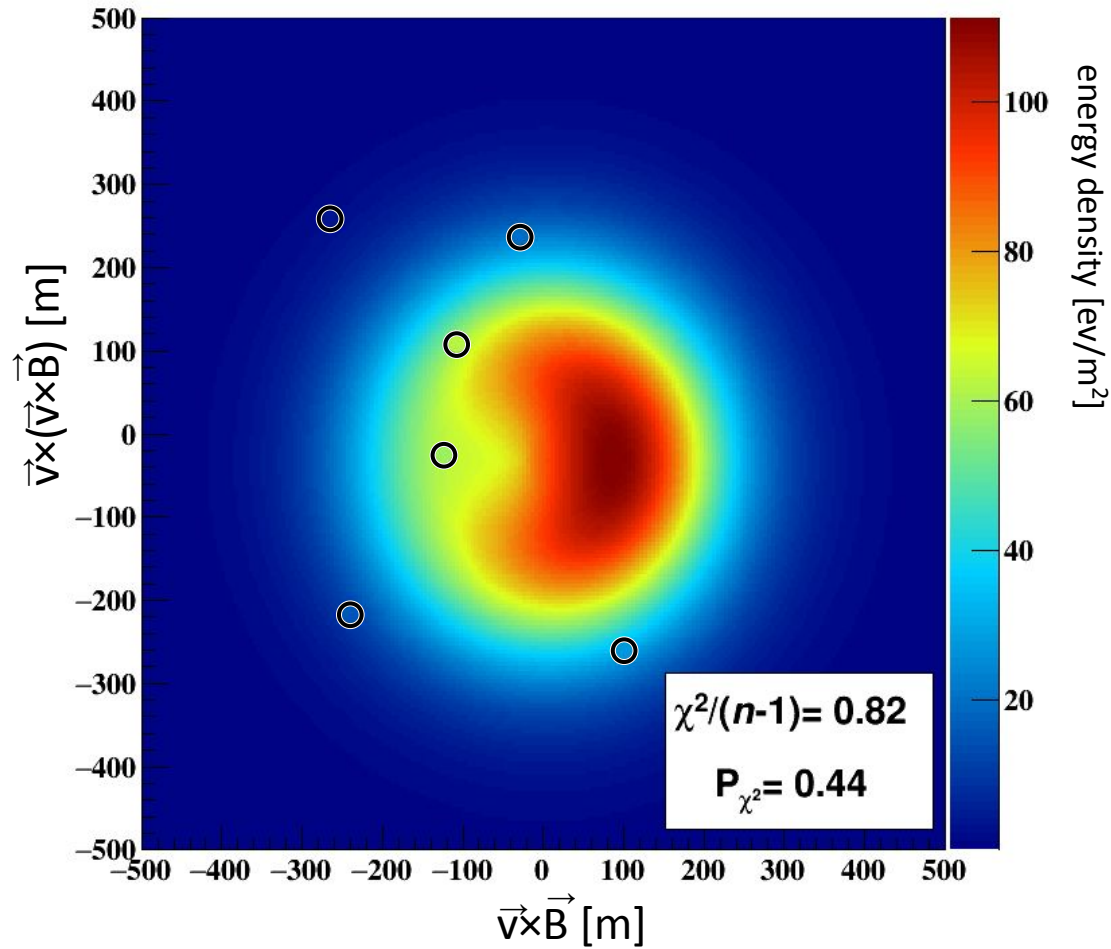
# Auger Engineering Radio Array (AERA)



153 radio antennas  
spread over 17 km<sup>2</sup>



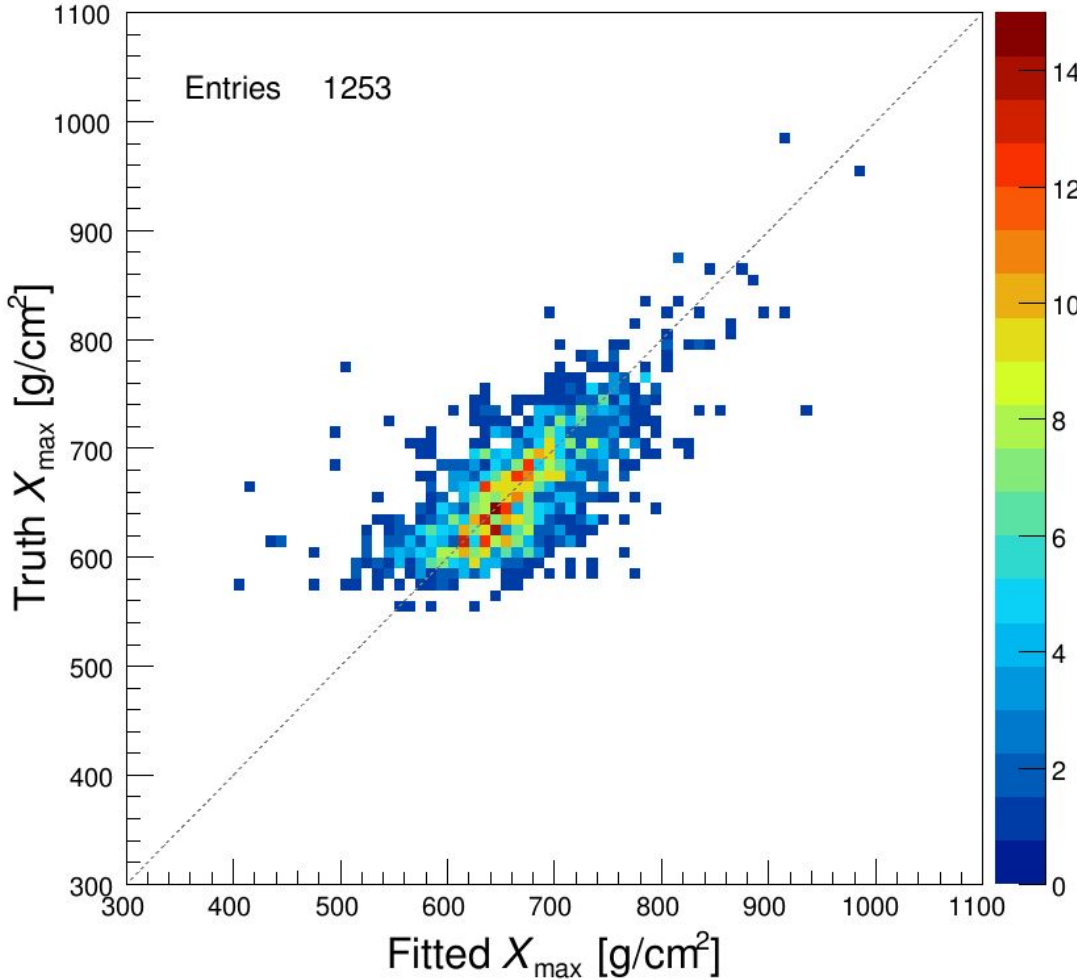
# AERA event simulation



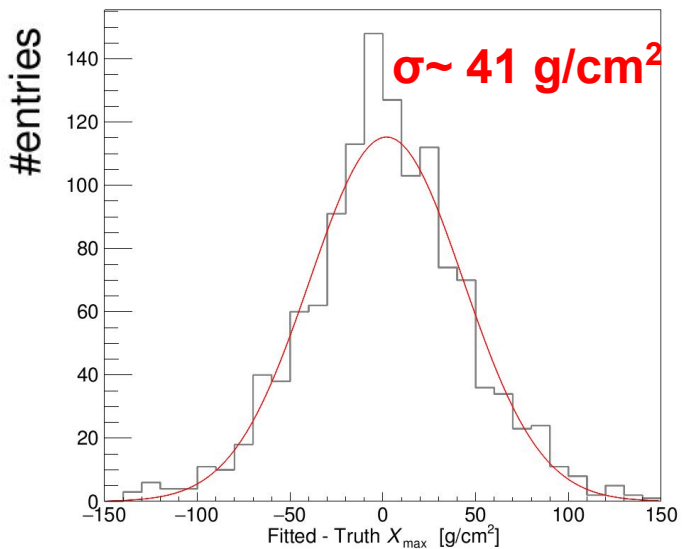
Iron,  $E = 1.24 \text{ EeV}$ ,  $X_{\text{max}} = 679.03 \text{ g/cm}^2$



# $X_{\max}$ from the energy density distribution



- Detector simulation
- Real background noise



# Conclusion and outlook

- New analytic description of the radio signal distribution that models **geomagnetic** and **charge-excess** emission separately

[C. Glaser, S. de Jong, M. Erdmann, J.R. Hörandel, [astro-ph.HE] (2019)]:

- First  $X_{\max}$  studies → reconstruction uncertainty  **$\sim 41 \text{ g/cm}^2$** 
  - Fluorescence telescopes reconstruction uncertainty  $\sim 20 \text{ g/cm}^2$
  - Average iron-proton separation  $\sim 100 \text{ g/cm}^2$
- Further improvements can be obtained by combining different strategies:
  - frequency spectrum information
  - arrival time



# Backup

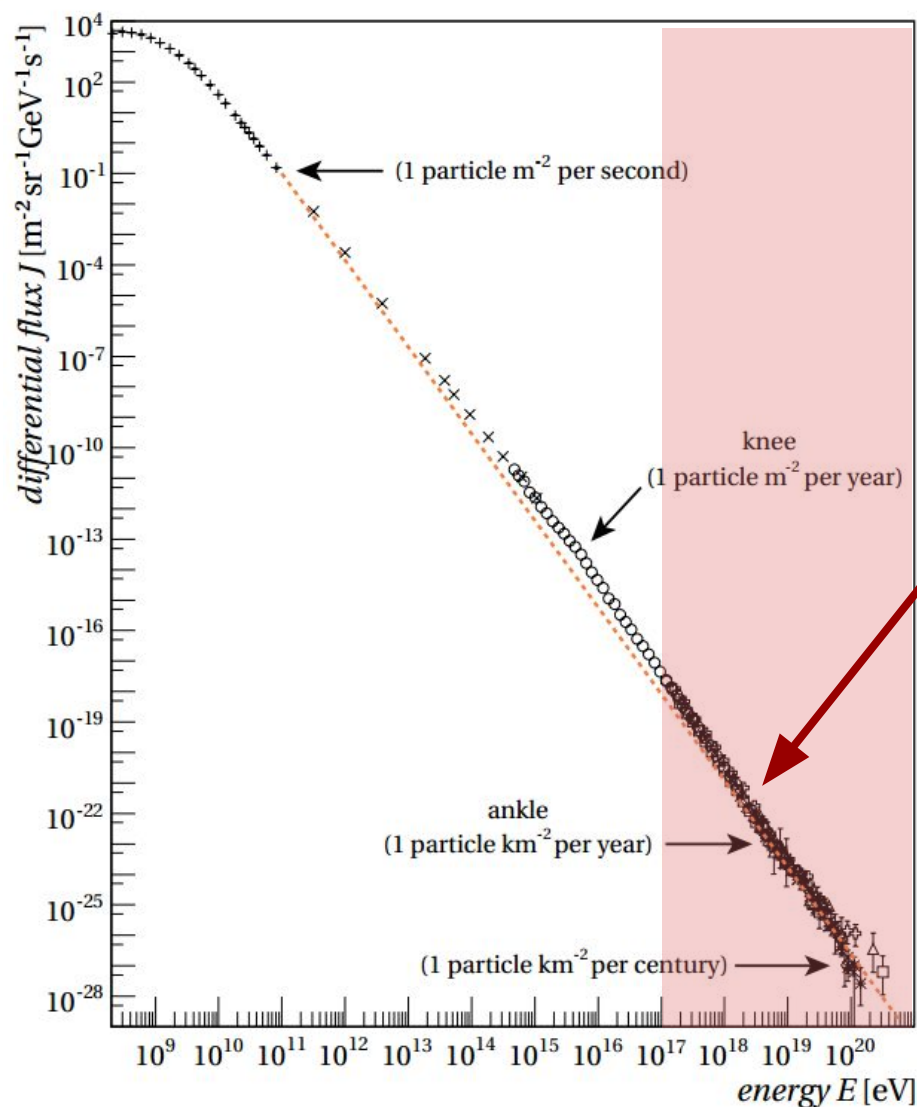
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# Ultra-high-energy cosmic rays



Ultra-high-energy cosmic rays  
1 particle  $\text{km}^{-2}$  per century

↓

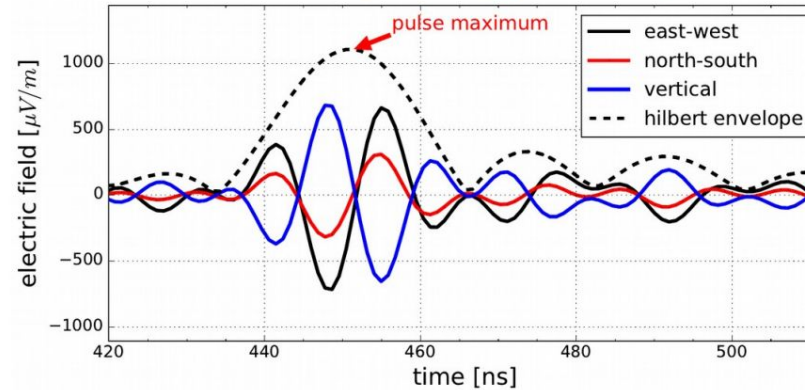
LARGE AREA DETECTOR

↓

Radio antenna:  
Cheap detector with ~90% uptime



# Energy density



- Window  $[t_1-t_2]$  around the maximum of the Hilbert envelope
- Energy density in  $\text{eV}/\text{m}^2$

- Time integral of Poynting vector
- Noise expectation subtracted

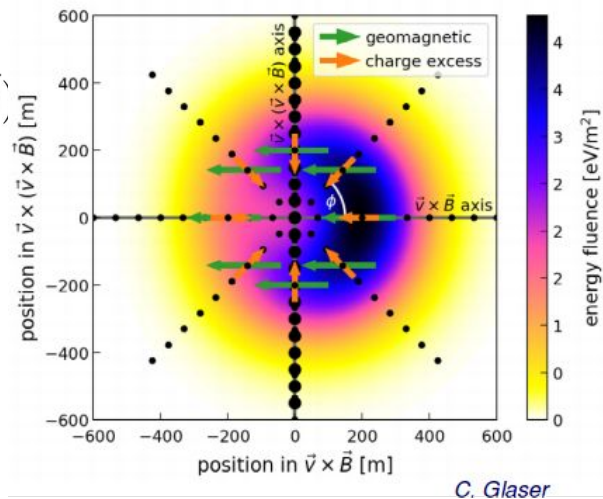
$$u = \epsilon_0 c \left( \Delta t \sum_{t_1}^{t_2} |\vec{E}(t_i)|^2 - \Delta t \frac{t_2 - t_1}{t_4 - t_3} \sum_{t_3}^{t_4} |\vec{E}(t_i)|^2 \right)$$



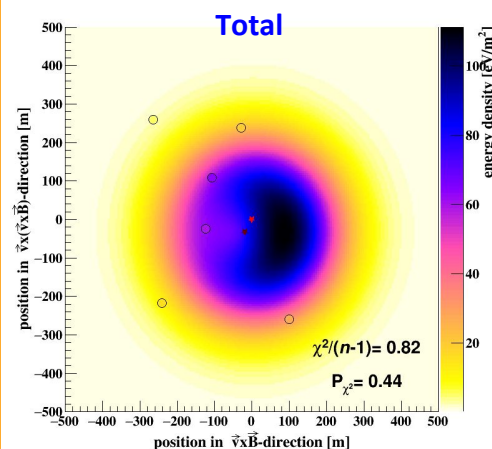
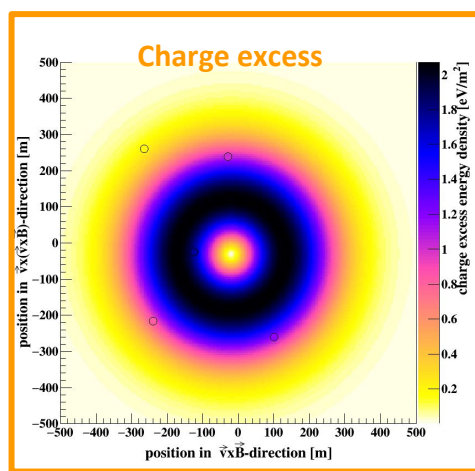
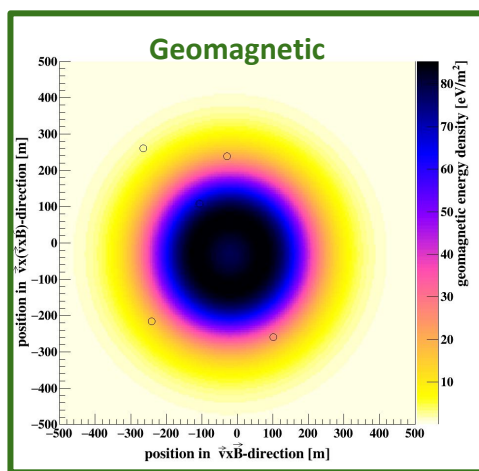
# Radio signal distribution

Energy density:

$$f = f_{(\vec{v} \times \vec{B})} + f_{\vec{v} \times (\vec{v} \times \vec{B})} \left\{ \begin{array}{l} f_{\vec{v} \times \vec{B}} = (\sqrt{f_{geo}(r)} + \cos \phi \sqrt{f_{ce}(r)}) \\ f_{\vec{v} \times (\vec{v} \times \vec{B})} = \sin^2 \phi f_{ce}(r) \\ \phi = \arctan 2(y, x) \end{array} \right.$$



Iron  
 $E = 1.24 \text{ EeV}$   
 $X_{\text{max}} = 679.03 \text{ g/cm}^2$



# Dependence of Fit Parameters $D_{X_{\max}}$

